

# Problem M. Counting Problem

**Time Limit** 2500 ms

**Code Length Limit** 50000 B

**OS** Linux

You are given an array  $A = [A_1, A_2, \dots, A_N]$ .

Is it possible to partition  $A$  into two non-empty [subsequences](#)  $S_1$  and  $S_2$  such that  $\text{sum}(S_1) \times \text{sum}(S_2)$  is odd?

Here,  $\text{sum}(S_1)$  denotes the sum of elements in  $S_1$ , and  $\text{sum}(S_2)$  is defined similarly.

**Note:**  $S_1$  and  $S_2$  must *partition*  $A$ , that is:

- $S_1$  and  $S_2$  must be non-empty
- Every element of  $A$  must be in either  $S_1$  or  $S_2$
- $S_1$  and  $S_2$  must be disjoint (in terms of which indices their subsequences represent)

## Input Format

- The first line of input will contain a single integer  $T$ , denoting the number of test cases.
- Each test case consists of 2 lines of input.
  - The first line of each test case contains a single integer  $N$ , the size of the array.
  - The next line contains  $N$  space-separated integers  $A_1, A_2, \dots, A_N$ : the elements of the array.

## Output Format

For each test case, print on a new line the answer: **YES** if the array can be partitioned into two subsequences satisfying the condition, and **NO** otherwise.

Each character of the output may be printed in either uppercase or lowercase, i.e., **YES**, **yes**, **YeS**, and **yEs** will all be treated as equivalent.

## Constraints

- $1 \leq T \leq 10^5$

- $2 \leq N \leq 10^5$
- $1 \leq A_i \leq 10^9$
- The sum of  $N$  across all test cases won't exceed  $10^6$ .

**Sample 1**

Input	Output
4	YES
4	NO
1 1 2 2	YES
6	NO
1 2 4 6 8 10	
2	
3 5	
3	
1 3 5	

\*\*Test case 1:\*\* We have  $A = [\underline{1}, 1, \underline{2}, 2]$ . Let  $S_1$  be the underlined elements and  $S_2$  be the other ones.  $\text{sum}(S_1) \times \text{sum}(S_2) = 3 \times 3 = 9$ .

**Test case 2:** It can be proved that no partition of  $A$  into  $S_1, S_2$  satisfies the condition.

**Test case 4:** Choose  $S_1 = \{3\}, S_2 = \{5\}$ .

**Test case 4:** It can be proved that no partition of  $A$  into  $S_1, S_2$  satisfies the condition.