```
!pip install pmdarima
# import libraries
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
import warnings
warnings.filterwarnings('ignore',category=DeprecationWarning)
import warnings
from statsmodels.tools.sm exceptions import ConvergenceWarning
warnings.simplefilter('ignore', ConvergenceWarning)
import statsmodels.api as sm
from pylab import rcParams
rcParams['figure.figsize'] = 20,5
from google.colab import drive
drive.mount('/content/drive')
    Drive already mounted at /content/drive; to attempt to forcibly remount, call drive.mount("/content/drive", force remount=True).
```

## - DATA UNDERSTANDING

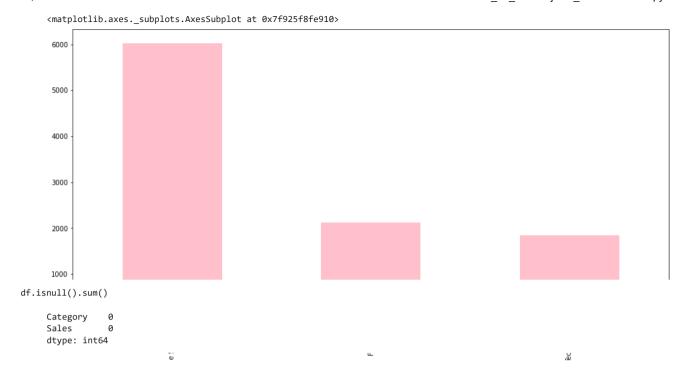
#READING THE DATASET

df = pd.read\_excel("/content/drive/MyDrive/Colab Notebooks/TSF/TimeSeries\_Sales\_Data\_MiniProject.xls",parse\_dates=True,index\_col='Order Date',usecols=('Category','Sales','Order Date'))

df.head()

	Category	Sales	1
Order Date			
2016-11-08	Furniture	261.9600	
2016-11-08	Furniture	731.9400	
2016-06-12	Office Supplies	14.6200	
2015-10-11	Furniture	957.5775	
2015-10-11	Office Supplies	22.3680	

df['Category'].value\_counts().plot(kind='bar',color='pink')



## - DATA CATEGORISING FOR ANALYSIS

```
#category wise data frames
one = df.loc[df['Category'] == 'Office Supplies']
two = df.loc[df['Category'] == 'Furniture']
three = df.loc[df['Category'] == 'Technology']

#selecting only columns required for analysis
offsup = one['Sales']
furn = two['Sales']
tech = three['Sales']
```

## ▼ FUNCTIONS TO USE IN FURTHER MODEL BUILDING AND FORECASTING

```
from statsmodels.tsa.stattools import adfuller

def checkstationarity(data):
   pvalue = adfuller (data)[1]
   if pvalue < 0.05:
      msg = "pvalue={}. Data is Stationary. Proceed to model building".format(pvalue)
   else:</pre>
```

```
msg = "pvalue={}. Data is not Stationary. Make the data stationary before model building".format(pvalue)
from statsmodels.tsa.seasonal import seasonal decompose
def checkcharacterstics(data):
 dc = seasonal decompose(data,period=12)
 plt.rcParams.update({'figure.figsize': (16,8)})
  dc.plot().suptitle('Data Decomposition', fontsize=16)
from statsmodels.graphics.tsaplots import plot_acf,plot_pacf
def plotlag(data):
 fig,ax = plt.subplots(1,2,figsize=(20,4))
 plot acf(data,lags=20,ax=ax[0])
  plot pacf(data,lags=20,ax=ax[1])
  plt.show()
import statsmodels.api as sm
def ljungoxtest(model):
  pval = sm.stats.acorr ljungbox(model.resid,lags=[1],return df=True)['lb pvalue'].values
 if pval < 0.05:
    print('Reject H0, bad model')
  else:
    print('Accept H0, good model')
def plotpred(data,pred):
 data.plot(label='Actual Dataset')
  pred.plot(label='Predicted Test Set')
  plt.legend()
  plt.show()
def forecasting(model,data):
  global fdata
  forecast = model.predict(start=len(data),end=len(data)+23,dynamic=True)
  fdata = data.append(forecast)
  fdata.plot(label="Current Sales")
  forecast.plot(label="Future Sales")
  plt.legend()
 plt.title("Forecasted Sales for the Upcoming Years")
  plt.show()
```

## ▼ TIME SERIES FORECASTING FOR OFFICE SUPPLIES CATEGORY

```
#CONVERTING INDEX TO DATE TIME FORMAT
offsup.index = pd.to_datetime(offsup.index)

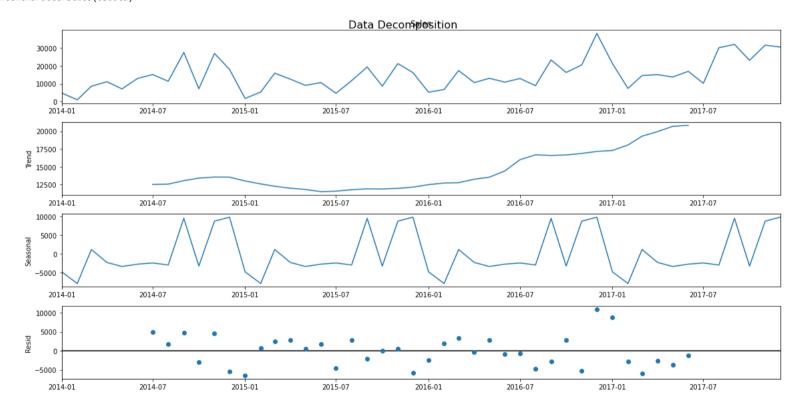
#SORTING THE INDEX
offsup.sort_index(ascending=True,inplace=True)
```

#SAMPLING THE DATA MONTHLY FOR DATA REDUCTION
osdata = offsup.resample('MS').sum()
osdata.head()

Order Date 2014-01-01 4851.080 2014-02-01 1071.724 2014-03-01 8605.879 2014-04-01 11155.074 2014-05-01 7135.624

Freq: MS, Name: Sales, dtype: float64

# #PLOTS TO CHECK TREND,SEASONALITY,RESIDS checkcharacterstics(osdata)



DATA HAS ALL THREE TIME SERIES CHARACTERSTICS TREND, SEASONALITY AND NOISE

#CHECKING FOR DATA STATIONARITY
checkstationarity(osdata)

'pvalue=0.32948727549472817. Data is not Stationary. Make the data stationary before model building'

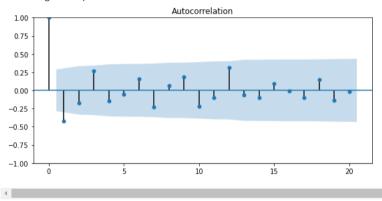
```
osdata_diff = osdata - osdata.shift(1)
osdata_diff.dropna(inplace=True)
checkstationarity(osdata diff)
```

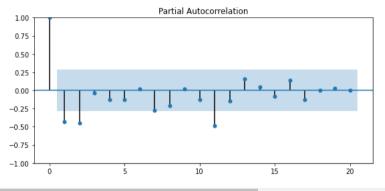
'pvalue=0.00042872624590977896. Data is Stationary. Proceed to model building'

- 1. SINCE DATA IS NON STATIONARY WE CAN MOVE WITH EITHER ARIMA OR SARIMA.
- 2. SINCE THERE IS SEASONALITY PRESENT I WILL CHOOSE SARIMA MODEL.

#CHECKING LAG VALUES
plotlag(osdata\_diff)

/usr/local/lib/python3.8/dist-packages/statsmodels/graphics/tsaplots.py:348: FutureWarning: The default method 'yw' can produce PACF values outside of the [-1,1] interval. After 0.13, the default warnings.warn(





#FINDING BEST P,Q,D,p,q,d values for building the model from pmdarima import auto arima

m1 = auto\_arima(y=osdata,start\_p=1,start\_q=1,max\_p=3,max\_q=3,m=12,d=1,D=1,start\_P=0,start\_Q=0,seasonal=True,error\_action='ignore',suppress\_warnings=True,trace=Tr print(m1.summary())

Performing stepwise search to minimize aic : AIC=730.407, Time=0.07 sec ARIMA(1,1,1)(0,1,0)[12]: AIC=740.437, Time=0.03 sec ARIMA(0,1,0)(0,1,0)[12]ARIMA(1,1,0)(1,1,0)[12]: AIC=726.023, Time=0.12 sec ARIMA(0,1,1)(0,1,1)[12]: AIC=717.172, Time=0.28 sec : AIC=728.668, Time=0.05 sec ARIMA(0,1,1)(0,1,0)[12]ARIMA(0,1,1)(1,1,1)[12]: AIC=718.898, Time=0.45 sec ARIMA(0,1,1)(0,1,2)[12]: AIC=718.892, Time=0.87 sec ARIMA(0,1,1)(1,1,0)[12]: AIC=718.780, Time=0.26 sec ARIMA(0,1,1)(1,1,2)[12]: AIC=725.260, Time=0.54 sec ARIMA(0,1,0)(0,1,1)[12]: AIC=730.324, Time=0.08 sec : AIC=722.788, Time=0.17 sec ARIMA(1,1,1)(0,1,1)[12]ARIMA(0,1,2)(0,1,1)[12]: AIC=718.277, Time=0.62 sec : AIC=722.473, Time=0.37 sec ARIMA(1,1,0)(0,1,1)[12]ARIMA(1,1,2)(0,1,1)[12]: AIC=723.414, Time=0.98 sec : AIC=723.739, Time=0.15 sec ARIMA(0,1,1)(0,1,1)[12] intercept

Best model: ARIMA(0,1,1)(0,1,1)[12]
Total fit time: 5.070 seconds

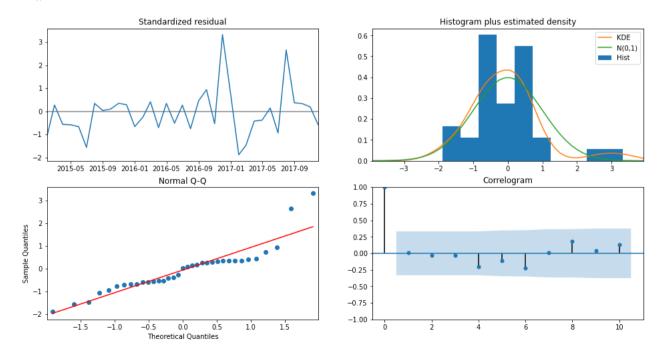
SARIMAX Results

=======	========	=======		======			=======	
Dep. Varia	ble:			У	No.	Observations:		48
Model:	SARI	MAX(0, 1,	1)x(0, 1, 1	, 12)	Log	Likelihood		-355.586
Date:			Tue, 31 Jan	2023	AIC			717.172
Time:			14:	16:16	BIC			721.838
Sample:			01-01	-2014	HQIC			718.783
			- 12-01	-2017				
Covariance	Type:			opg				
=======		- t. d		======	=====	[0.025	0.0751	
	соет	std err	Z	Ρ>	Z	[0.025	0.975]	
ma.L1	-0.6782	0.117	-5.811	0.0	 300	-0.907	-0.449	
ma.S.L12	-0.6428	0.285	-2.256	0.0	924	-1.201	-0.084	
sigma2	3.679e+07	4.94e-09	7.45e+15	0.0	900	3.68e+07	3.68e+07	
				======				====
Ljung-Box	(L1) (Q):		0.01			a (JB):		23.75
Prob(Q):			0.93	Prob(J	3):			0.00
Heterosked	asticity (H):		2.76	Skew:				1.30
Prob(H) (t	wo-sided):		0.09	Kurtos	is:			6.08
=======	========	:======		======			=======	====

## Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 2.64e+31. Standard errors may be unstable.

#CHECKING FOR MODEL DIAGNOSTICS BEFORE BULIDING
m1.plot\_diagnostics()
plt.show()



- 1. Standardised Residuals: There are obvious patterns in the residuals with no uniform mean and variance.
- 2. KDE Curve: Dosent show normal distributions, data is skewed.
- 3. Normal Q-Q: Most of the data points are not on the straight line/normal reference line.

```
split1 = int(0.8 * len(osdata))
train1 = osdata[:split1]
test1 = osdata[split1:]

#BUILDING THE SARIMA MODEL FOR OFFICE SUPPLIES
os_model = sm.tsa.statespace.SARIMAX(train1,order=(1,1,1),seasonal_order=(0,1,1,12)).fit()
print(os_model.summary())
```

### SARIMAX Results

Dep. Variable:	Sales	No. Observations:	38
Model:	SARIMAX(1, 1, 1) $\times$ (0, 1, 1, 12)	Log Likelihood	-253.947
Date:	Tue, 31 Jan 2023	AIC	515.894
Time:	14:57:14	BIC	520.770
Sample:	01-01-2014	HQIC	517.247
	- 02-01-2017		

Covariance Type: or

	coef	std err	Z	P> z	[0.025	0.975]
ar.L1 ma.L1 ma.S.L12	0.0075 -0.6175 -0.4241	0.415 0.320 0.741	0.018 -1.930 -0.573	0.986 0.054 0.567	-0.805 -1.245 -1.876	0.820 0.010 1.027
sigma2	5.149e+07	8.66e-09	5.94e+15	0.000	5.15e+07	5.15e+07
=======	=========					

=======================================			
Ljung-Box (L1) (Q):	0.45	Jarque-Bera (JB):	15.68
Prob(Q):	0.50	Prob(JB):	0.00
Heteroskedasticity (H):	3.60	Skew:	1.10
<pre>Prob(H) (two-sided):</pre>	0.09	Kurtosis:	6.19
=======================================			

#### Warnings

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 4.75e+31. Standard errors may be unstable.

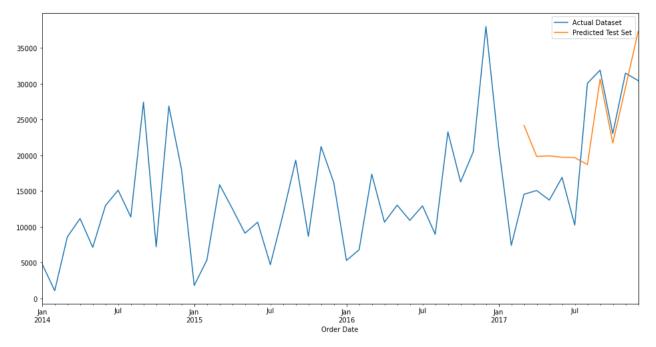
/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/sarimax.py:866: UserWarning: Too few observations to estimate starting parameters for seasonal ARMA. All parameters except for va warn('Too few observations to estimate starting parameters%s.'

#LJUNG BOX TEST
ljungoxtest(os\_model)

Accept H0, good model

### #PERFORMACE METRICS and PREDICTED DATA

from sklearn.metrics import mean\_squared\_error,mean\_absolute\_percentage\_error
pred1 = os\_model.predict(start=len(train1),end=len(osdata)-1,dynamic=True)
mse1 = mean\_squared\_error(test1,pred1)
mape1 = mean\_absolute\_percentage\_error(test1,pred1)
plotpred(osdata,pred1)



#FORECASTING
forecasting(os\_model,osdata)

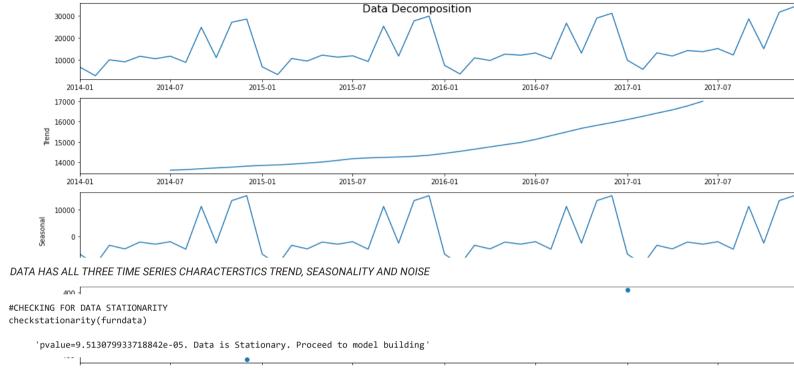
/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/kalman\_filter.py:2290: ValueWarning: Dynamic prediction specified to begin during out-of-sample forecasting period, and so has no warn('Dynamic prediction specified to begin during'

## INTERPRETATIONS:

- 1. SARIMA MODEL WAS USED HERE FOR FORECASTING DUE TO THE PRESENCE OF SEASONALITY.
- 2. DATA WAS NOT STATIONARY IN THIS CATEGORY.
- 3. PATTERNS ARE QUIET SIMILAR TO THE PREVIOUS YEAR SALES RECORD.
- 4. UPWARD TREND CAN BE SEEN IN THE OVERALL DATA AND THE DATA FORECASTED.
- 5. YEAR END SALES IN OFFICE SUPPLY CATEGORY ARE COMPARITIVELY MORE.

## ▼ TIME SERIES FORECASTING FOR FURNITURE CATEGORY

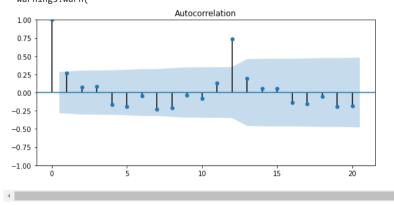
```
1111
                                       A /\
                                                         / / / /
                                                                                  M
#CONVERTING INDEX TO DATE TIME FORMAT
furn.index = pd.to datetime(furn.index)
                   #SORTING THE INDEX
furn.sort index(ascending=True,inplace=True)
#SAMPLING THE DATA MONTHLY FOR DATA REDUCTION
furndata = furn.resample('MS').sum()
furndata.head()
    Order Date
    2014-01-01
                  6242.525
    2014-02-01
                 1839,658
    2014-03-01
                 14573.956
    2014-04-01
                  7944.837
    2014-05-01
                  6912.787
    Freq: MS, Name: Sales, dtype: float64
#SMOOTHING
from statsmodels.tsa.api import ExponentialSmoothing
df2 smo = ExponentialSmoothing(furndata,trend='add',seasonal='add',seasonal periods=12).fit()
furndata = df2_smo.fittedvalues
#PLOTS TO CHECK TREND, SEASONALITY, RESIDS
checkcharacterstics(furndata)
```

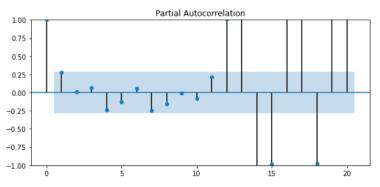


- 1. SINCE DATA IS STATIONARY WE CAN MOVE WITH ANY OF THE EITHER ARMA/ARIMA/SARIMA.
- 2. SINCE THERE IS SEASONALITY PRESENT I WILL CHOOSE SARIMA MODEL.

# #CHECKING LAG VALUES plotlag(furndata)

/usr/local/lib/python3.8/dist-packages/statsmodels/graphics/tsaplots.py:348: FutureWarning: The default method 'yw' can produce PACF values outside of the [-1,1] interval. After 0.13, the default warnings.warn(





```
#FINDING BEST P.O.D.p.g.d values for building the model
m2 = auto arima(y=furndata, start p=1, start q=1, max p=9, max q=2, m=12, d=0, D=0, start P=0, start Q=0, seasonal=True, error action='ignore', suppress warnings=True, trace=True)
print(m2.summary())
    Performing stepwise search to minimize aic
     ARIMA(1,0,1)(0,0,0)[12] intercept : AIC=1008.144, Time=0.04 sec
     ARIMA(0,0,0)(0,0,0)[12] intercept : AIC=1008.133, Time=0.02 sec
     ARIMA(1,0,0)(1,0,0)[12] intercept : AIC=975.883, Time=0.31 sec
     ARIMA(0,0,1)(0,0,1)[12] intercept : AIC=989.458, Time=0.08 sec
     ARIMA(0,0,0)(0,0,0)[12]
                                   : AIC=1074.445, Time=0.01 sec
     ARIMA(1,0,0)(0,0,0)[12] intercept : AIC=1006.161, Time=0.03 sec
     ARIMA(1,0,0)(2,0,0)[12] intercept : AIC=990.474, Time=0.22 sec
     ARIMA(1,0,0)(1,0,1)[12] intercept : AIC=985.751, Time=0.14 sec
     ARIMA(1,0,0)(0,0,1)[12] intercept : AIC=987.766, Time=0.14 sec
     ARIMA(1,0,0)(2,0,1)[12] intercept : AIC=inf, Time=2.67 sec
     ARIMA(0,0,0)(1,0,0)[12] intercept : AIC=1003.891, Time=0.13 sec
     ARIMA(2,0,0)(1,0,0)[12] intercept : AIC=989.294, Time=0.27 sec
     ARIMA(1,0,1)(1,0,0)[12] intercept : AIC=inf, Time=1.38 sec
     ARIMA(0,0,1)(1,0,0)[12] intercept : AIC=1001.164, Time=0.14 sec
     ARIMA(2,0,1)(1,0,0)[12] intercept : AIC=inf, Time=0.91 sec
                                   : AIC=inf, Time=0.45 sec
     ARIMA(1,0,0)(1,0,0)[12]
    Best model: ARIMA(1,0,0)(1,0,0)[12] intercept
    Total fit time: 6.980 seconds
                                   SARIMAX Results
    ______
    Dep. Variable:
                                            v No. Observations:
    Model:
                    SARIMAX(1, 0, 0)x(1, 0, 0, 12) Log Likelihood
                                                                         -483.941
                                                                          975.883
    Date:
                               Tue, 31 Jan 2023 AIC
    Time:
                                      15:03:21 BIC
                                                                          983,367
    Sample:
                                     01-01-2014 HOIC
                                                                          978.711
                                   - 12-01-2017
    Covariance Type:
                                           opg
    _____
                  coef std err
                                      Z
                                             P>|z|
                                                      Γ0.025
                                                                 0.9751
    ______
    intercept 9373.4714 1560.511
                                    6.007
                                             0.000
                                                     6314.927
                                                               1.24e+04
               -0.2183
                                             0.256
                                                      -0.595
                                                                 0.159
    ar.L1
                           0.192
                                   -1.135
    ar.S.L12
                0.5494
                          0.105
                                    5.244
                                             0.000
                                                       0.344
                                                                 0.755
    sigma2
              2.604e+07
                           0.227 1.15e+08
                                             0.000
                                                    2.6e+07
    ______
    Ljung-Box (L1) (Q):
                                   12.36 Jarque-Bera (JB):
                                                                      1.38
                                                                       0.50
    Prob(0):
                                    0.00 Prob(JB):
                                    0.44 Skew:
                                                                      0.40
    Heteroskedasticity (H):
```

2.78

### Warnings:

Prob(H) (two-sided):

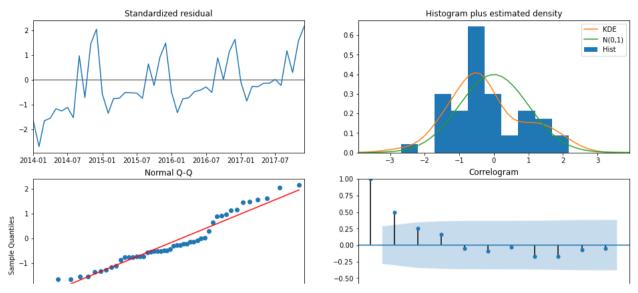
[1] Covariance matrix calculated using the outer product of gradients (complex-step).

\_\_\_\_\_\_

0.11 Kurtosis:

[2] Covariance matrix is singular or near-singular, with condition number 4.8e+23. Standard errors may be unstable.

#CHECKING FOR MODEL DIAGNOSTICS BEFORE BULIDING
m2.plot\_diagnostics()
plt.show()



- 1. Standardised Residuals: There are no obvious patterns in the residuals.
- 2. KDE Curve: Shows normal distributions, data is skewed.

Ljung-Box (L1) (Q):

3. Normal Q-Q: Most of the data points are on the straight line/normal reference line.

```
split2 = int(0.8 * len(furndata))
train2 = furndata[:split2]
test2 = furndata[split2:]

#BUILDING THE SARIMA MODEL FOR OFFICE SUPPLIES
furn_model = sm.tsa.statespace.SARIMAX(train2,order=(1,0,1),seasonal_order=(1,0,0,12)).fit()
print(furn_model.summary())
```

/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/sarimax.py:997: UserWarning: Non-stationary starting seasonal autoregressive Using zeros as starting parameters. warn('Non-stationary starting seasonal autoregressive'

14.15

Dep. Variab	ole:			y I	No. Observation:	s:	38
Model:	SAR	IMAX(1, 0, :	l)x(1, 0, [],	12)	Log Likelihood		-358.764
Date:			Tue, 31 Jan	2023	AIC		725.529
Time:			15:0	3:26	BIC		732.079
Sample:			01-01-	2014	HQIC		727.859
			- 02-01-	2017			
Covariance	Type:			opg			
=======	coef	std err	z	P> z	[0.025	0.975]	
ar.L1	0.9998	0.133	7.500	0.00	0.739	1.261	
ma.L1	-0.9994	0.259	-3.854	0.00	0 -1.508	-0.491	
ar.S.L12	0.9878	0.010	102.698	0.00	0.969	1.007	
sigma2	5.302e+06	1.87e-08	2.83e+14	0.00	0 5.3e+06	5.3e+06	

4.88 Jarque-Bera (JB):

```
        Prob(Q):
        0.03
        Prob(JB):
        0.00

        Heteroskedasticity (H):
        0.53
        Skew:
        1.33

        Prob(H) (two-sided):
        0.27
        Kurtosis:
        4.38
```

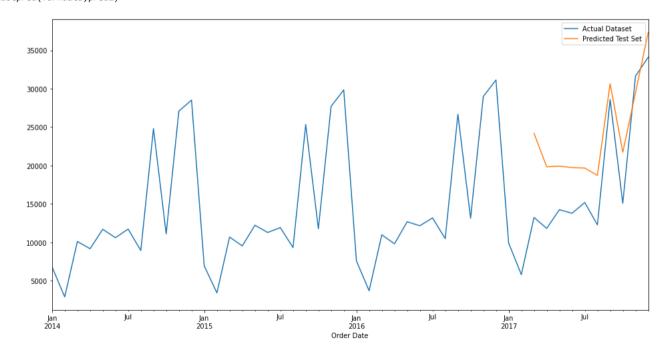
### Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 6.51e+30. Standard errors may be unstable.

# #LJUNG BOX TEST ljungoxtest(furn\_model)

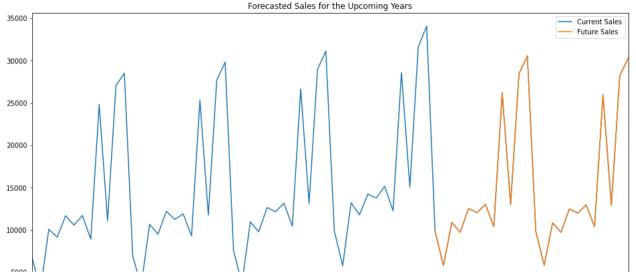
Reject H0, bad model

# #PERFORMACE METRICS and PREDICTED DATA pred2 = os\_model.predict(start=len(train2),end=len(furndata)-1,dynamic=True) mse2 = mean\_squared\_error(test2,pred2) mape2 = mean\_absolute\_percentage\_error(test2,pred2) plotpred(furndata,pred2)



#FORECASTING
forecasting(furn\_model,furndata)

/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/kalman\_filter.py:2290: ValueWarning: Dynamic prediction specified to begin during out-of-sample forecasting period, and so has no warn('Dynamic prediction specified to begin during'



## INTERPRETATIONS:

- 1. SARIMA MODEL WAS USED HERE FOR FORECASTING DUE TO THE PRESENCE OF SEASONALITY.
- 2. DATA WAS STATIONARY IN THIS CATEGORY.
- 3. PATTERNS ARE VERY SIMILAR TO THE PREVIOUS YEAR SALES RECORD.
- 4. VERY SLIGHT UPWARD TREND CAN BE SEEN IN THE OVERALL DATA AND THE DATA FORECASTED.
- 5. YEAR END SALES IN FURNITURE SALES ARE COMPARITIVELY MORE.
- 6. DIPS IN SALES CAN BE SEEN 1ST QUARTER.

## **TIME SERIES FORECASTING FOR TECHNOLOGY CATEGORY**

```
#CONVERTING INDEX TO DATE TIME FORMAT
tech.index = pd.to datetime(tech.index)
#SORTING THE INDEX
tech.sort_index(ascending=True,inplace=True)
#SAMPLING THE DATA MONTHLY FOR DATA REDUCTION
techdata = tech.resample('MS').sum()
techdata.head()
     Order Date
     2014-01-01
                    3143.290
     2014-02-01
                   1608.510
     2014-03-01
                   32511.174
     2014-04-01
                   9195.434
```

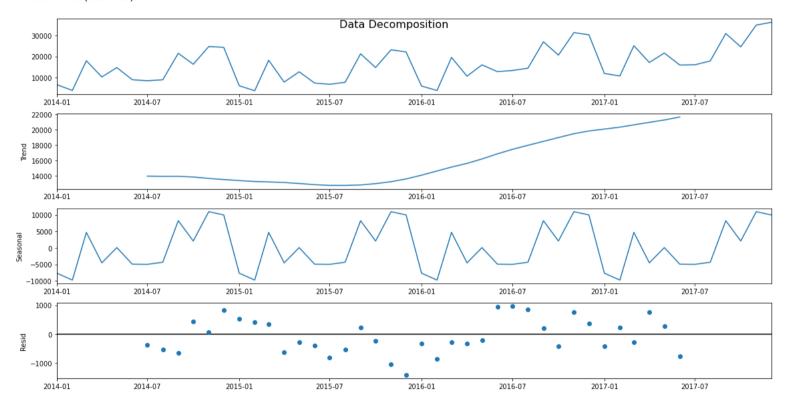
```
2014-05-01 9599.876
```

Freq: MS, Name: Sales, dtype: float64

### #SMOOTHING

from statsmodels.tsa.api import ExponentialSmoothing
df\_smo = ExponentialSmoothing(techdata,trend='add',seasonal='add',seasonal\_periods=12).fit()
techdata = df\_smo.fittedvalues

#PLOTS TO CHECK TREND,SEASONALITY,RESIDS
checkcharacterstics(techdata)



## DATA HAS ALL THREE TIME SERIES CHARACTERSTICS TREND, SEASONALITY AND NOISE

#CHECKING FOR DATA STATIONARITY
checkstationarity(techdata)

'pvalue=0.9852373582089293. Data is not Stationary. Make the data stationary before model building'

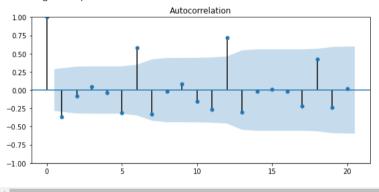
techdata\_diff = techdata - techdata.shift(1)
techdata\_diff.dropna(inplace=True)
checkstationarity(techdata\_diff)

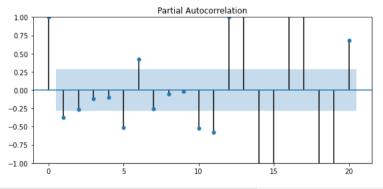
'pvalue=1.5818270748199294e-16. Data is Stationary. Proceed to model building'

- 1. SINCE DATA IS NOT STATIONARY WE CAN MOVE WITH ANY OF THE EITHER ARMA/ARIMA/SARIMA.
- 2. SINCE THERE IS SEASONALITY PRESENT I WILL CHOOSE SARIMA MODEL.

## #CHECKING LAG VALUES plotlag(techdata\_diff)

/usr/local/lib/python3.8/dist-packages/statsmodels/graphics/tsaplots.py:348: FutureWarning: The default method 'yw' can produce PACF values outside of the [-1,1] interval. After 0.13, the default warnings.warn(





#FINDING BEST P,Q,D,p,q,d values for building the model

m3 = auto\_arima(y=techdata,start\_p=1,start\_q=1,max\_p=14,max\_q=3,m=12,d=1,D=1,start\_P=0,start\_Q=0,seasonal=True,error\_action='ignore',suppress\_warnings=True,trace=True) print(m3.summary())

```
Performing stepwise search to minimize aic
ARIMA(1,1,1)(0,1,0)[12]
                                     : AIC=602.198, Time=0.07 sec
 ARIMA(0,1,0)(0,1,0)[12]
                                     : AIC=598.230, Time=0.03 sec
                                     : AIC=601.606, Time=0.09 sec
 ARIMA(1,1,0)(1,1,0)[12]
                                     : AIC=601.604, Time=0.08 sec
 ARIMA(0,1,1)(0,1,1)[12]
 ARIMA(0,1,0)(1,1,0)[12]
                                     : AIC=599.802, Time=0.05 sec
                                     : AIC=599.680, Time=0.05 sec
 ARIMA(0,1,0)(0,1,1)[12]
 ARIMA(0,1,0)(1,1,1)[12]
                                     : AIC=inf, Time=0.38 sec
 ARIMA(1,1,0)(0,1,0)[12]
                                     : AIC=600.176, Time=0.07 sec
                                     : AIC=600.193, Time=0.04 sec
 ARIMA(0,1,1)(0,1,0)[12]
 ARIMA(0,1,0)(0,1,0)[12] intercept
                                    : AIC=599.435, Time=0.02 sec
```

Best model: ARIMA(0,1,0)(0,1,0)[12]Total fit time: 0.899 seconds

CARTMAN Dear

SARIMAX Results

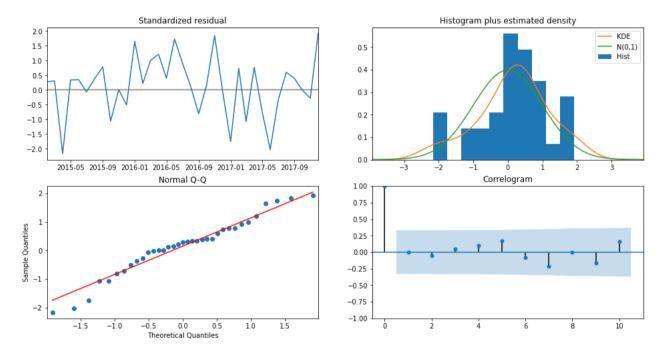
Dep. Variable:				y No.	Observations:		48
Model:	SARI	MAX(0, 1,	0)x(0, 1, 0, 12	) Log	Likelihood		-298.115
Date:			Tue, 31 Jan 202	3 AIC			598.230
Time:			14:16:3	0 BIC			599.785
Sample:			01-01-201	4 HQI	C		598.767
			- 12-01-201	7			
Covariance Type:			op	g			
=======================================		=======		======		======	
	coef	std err	Z	P>   z	[0.025	0.975]	

sigma2	1.462e+06	3.66e+05	3.993	0.000	7.44e+05	2.18e+06	
=======			======				
Ljung-Box	(L1) (Q):		0.00	Jarque-Bera	(JB):	1.09	
Prob(Q):			0.98	Prob(JB):		0.58	
Heterosked	dasticity (H):		1.45	Skew:		-0.43	
Prob(H) (t	:wo-sided):		0.53	Kurtosis:		3.07	
========			=======	=========		=========	

## Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

#CHECKING FOR MODEL DIAGNOSTICS BEFORE BULIDING
m3.plot\_diagnostics()
plt.show()



- 1. Standardised Residuals: There are obvious patterns in the residuals with no uniform mean and variance.
- 2. KDE Curve: Dosent show normal distributions, data is skewed.
- 3. Normal Q-Q: Most of the data points are not on the straight line/normal reference line.

```
split3 = int(0.8 * len(techdata))
train3 = techdata[:split3]
test3 = techdata[split3:]
```

#BUILDING THE SARIMA MODEL FOR OFFICE SUPPLIES
tech\_model = sm.tsa.statespace.SARIMAX(train3,order=(1,1,1),seasonal\_order=(0,1,0,12)).fit()
print(tech\_model.summary())

## SARIMAX Results

=======					=========		
Dep. Vari	able:			y No.	<b>Observations</b>	:	38
Model:	SARI	MAX(1, 1,	1)x(0, 1, [	], 12) Log	Likelihood		-212.577
Date:			Tue, 31 Ja	n 2023 AIC			431.154
Time:			15	:06:07 BIC			434.811
Sample:			01-0	1-2014 HQI	C		432.169
			- 02-0	1-2017			
Covariance	e Type:			opg			
=======				========	========	=======	
	coef	std err	Z	P> z	[0.025	0.975]	
ar.L1	0.0709	7.925	0.009	0.993	-15.463	15.604	
ma.L1	-0.0871	7.867	-0.011	0.991	-15.507	15.333	
sigma2	1.283e+06	3.56e+05	3.603	0.000	5.85e+05	1.98e+06	
Liung-Box	======================================	:=======	0.00	======= Jarque-Bera	(JB):	1	=== .66
Prob(0):	( ) (c)		0.98	Prob(JB):	<b>(</b> - <b>)</b> -	0.	.44
Heteroske	dasticity (H):		1.50	Skew:		-0.	. 60
Prob(H) (	two-sided):		0.58	Kurtosis:		3.	.40

### Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

\_\_\_\_\_\_

/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/sarimax.py:966: UserWarning: Non-stationary starting autoregressive parameters found. Using zeros as starting parameters. warn('Non-stationary starting autoregressive parameters'

/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/sarimax.py:978: UserWarning: Non-invertible starting MA parameters found. Using zeros as starting parameters. warn('Non-invertible starting MA parameters found.'

### #LJUNG BOX TEST

ljungoxtest(tech\_model)

Accept H0, good model

## #PERFORMACE METRICS and PREDICTED DATA

pred3 = tech\_model.predict(start=len(train3),end=len(techdata)-1,dynamic=True)

mse3 = mean\_squared\_error(test3,pred3)

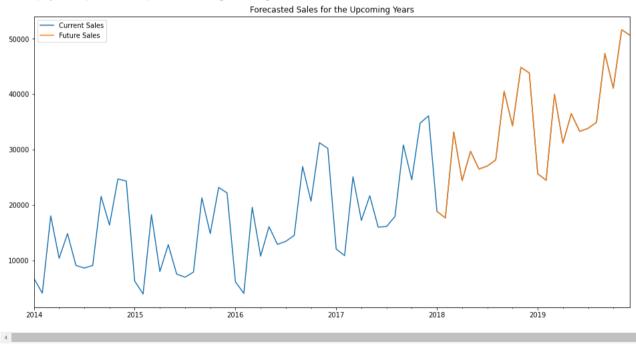
mape3 = mean\_absolute\_percentage\_error(test3,pred3)

plotpred(techdata,pred3)



forecasting(tech\_model,techdata)

/usr/local/lib/python3.8/dist-packages/statsmodels/tsa/statespace/kalman\_filter.py:2290: ValueWarning: Dynamic prediction specified to begin during out-of-sample forecasting period, and so has no warn('Dynamic prediction specified to begin during'



## INTERPRETATIONS:

- 1. SARIMA MODEL WAS USED HERE FOR FORECASTING DUE TO THE PRESENCE OF SEASONALITY.
- 2. DATA WAS NOT STATIONARY IN THIS CATEGORY.
- 3. PATTERNS ARE QUIET SIMILAR TO THE PREVIOUS YEAR SALES RECORD.
- 4. STRONG UPWARD TREND CAN BE SEEN IN THE OVERALL DATA AND THE DATA FORECASTED.
- 5. YEAR END SALES IN TECH SUPPLY CATEGORY ARE COMPARITIVELY MORE.

```
frame = {'CATEGORY':['OFFICE SUPPLIES','FURNITURE','TECHNOLOGY'],'RMSE':[np.sqrt(mse1),np.sqrt(mse2),np.sqrt(mse3)],'MAPE':[mape1,mape2,mape3]}
table = pd.DataFrame(frame)
table
```

MAPE	RMSE	CATEGORY	
0.327788	6586.551225	OFFICE SUPPLIES	0
0.383515	6140.841973	FURNITURE	1
0.113917	2721.212192	TECHNOLOGY	2

MAPE is defined as the percentage of the average of absolute difference between forecasted values and true values, divided by true value.

The lower the MAPE, the better the model is.

## - INNOVATION

```
techdata = pd.DataFrame(fdata)
techdata
```

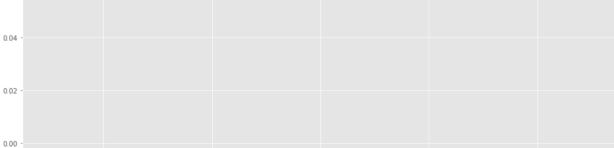


techdata[1] = list(techdata.index)

techdata

```
Technology_Sales
                                        Date
      2014-01-01
                      6729.032286 2014-01-01
      2014-02-01
                      4051.774224 2014-02-01
      2014-03-01
                      18015.409966 2014-03-01
      2014-04-01
                      10361.914810 2014-04-01
      2014-05-01
                      14801.616282 2014-05-01
          ...
                     34917.944206 2019-08-01
      2019-08-01
      2019-09-01
                     47352.872265 2019-09-01
      2019-10-01
                     41075.208297 2019-10-01
      2019-11-01
                     51650.875246 2019-11-01
techdata.rename(columns={0:'Technology_Sales',1:'Date'},inplace=True)
     72 rows × 2 columns
techdata.to_csv('Technology Sales.csv')
from matplotlib.animation import FuncAnimation
from itertools import count
x=[]
y=[]
fig,ax = plt.subplots()
ax.plot(x,y)
plt.style.use("ggplot")
counter=count(0,1)
def update(i):
  idx=next(counter)
  x.append(techdata.loc[idx,techdata['Date']])
  y.append(techdata.loc[idx,techdata['Technology_Sales']])
  plt.cla()
  ax.plot(x,y)
ani=FuncAnimation(fig=fig,func=update,interval=200,frames = len(x) + 1)
plt.show()
```

```
Traceback (most recent call last):
 File "/usr/local/lib/python3.8/dist-packages/matplotlib/cbook/ init .py", line 196, in process
    func(*args, **kwargs)
  File "/usr/local/lib/python3.8/dist-packages/matplotlib/animation.py", line 951, in start
    self. init draw()
  File "/usr/local/lib/python3.8/dist-packages/matplotlib/animation.py", line 1743, in init draw
    self. draw frame(next(self.new frame seq()))
  File "/usr/local/lib/python3.8/dist-packages/matplotlib/animation.py", line 1766, in draw frame
    self. drawn artists = self. func(framedata, *self. args)
  File "<ipython-input-410-b93ab201a488>", line 12, in update
    x.append(techdata.loc[idx,techdata['Date']])
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexing.py", line 925, in getitem
    return self. getitem tuple(key)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexing.py", line 1100, in _getitem_tuple
    return self. getitem lowerdim(tup)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexing.py", line 838, in getitem lowerdim
    section = self. getitem axis(kev, axis=i)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexing.py", line 1164, in getitem axis
    return self._get_label(key, axis=axis)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexing.py", line 1113, in get label
    return self.obj.xs(label, axis=axis)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/generic.py", line 3776, in xs
   loc = index.get loc(key)
  File "/usr/local/lib/python3.8/dist-packages/pandas/core/indexes/datetimes.py", line 700, in get loc
    raise KeyError(key)
KeyError: 0
  0.04
```



f1 = pd.read\_csv("/content/Office Suuply Sales.csv",parse\_dates=True,usecols=('Office\_Supplies\_Sales','Date'),index\_col='Date')

f2 = pd.read csv("/content/Furniture Sales.csv",parse dates=True,usecols=('Furniture Sales','Date'),index col='Date')

f3 = pd.read csv("/content/Technology Sales.csv",parse dates=True,usecols=('Technology Sales','Date'),index col='Date')

f3

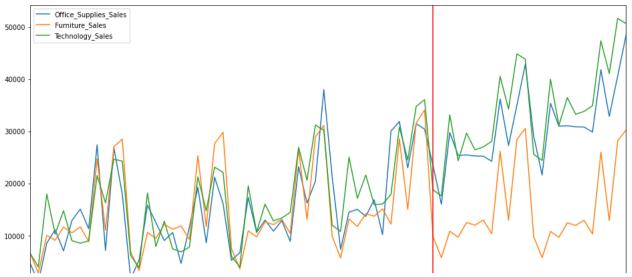
```
Technology_Sales
           Date
      2014-01-01
                      6729.032286
      2014-02-01
                      4051.774224
      2014-03-01
                     18015.409966
      2014-04-01
                     10361.914810
      2044 05 04
                     44004 646000
f1['Furniture Sales'] = f2.Furniture Sales
f1['Technology_Sales'] = f3.Technology_Sales
      2019-09-01
                     4/352.8/2265
category forecasts = f1.copy()
category_forecasts
```

(	Office_Supplies_Sales	Furniture_Sales	Technology_Sales
Date			
2014-01-01	4851.080000	6790.384086	6729.032286
2014-02-01	1071.724000	2880.555398	4051.774224
2014-03-01	8605.879000	10091.659067	18015.409966
2014-04-01	11155.074000	9156.845289	10361.914810
2014-05-01	7135.624000	11687.553932	14801.616282
2019-08-01	29869.816649	10376.759128	34917.944206
2019-09-01	41815.848384	25988.638943	47352.872265
2019-10-01	32883.562624	12937.631855	41075.208297
2019-11-01	40620.064180	28212.634448	51650.875246
2019-12-01	48467.427362	30292.353643	50634.243836
72 rows x 3 col	limne		

72 rows × 3 columns

```
category_forecasts.to_csv('category_forecasts.csv')
category_forecasts.plot()
plt.axvline(x='2018-01-01',c='red')
```

<matplotlib.lines.Line2D at 0x7f925f8fbd60>



import plotly.express as px
fig = px.line(category\_forecasts, x=category\_forecasts.index, y=category\_forecasts.columns)
fig.show()

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