# ABCD Study CT and Demographic Data Exploratory Data Analysis

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## What is Exploratory Data Analysis?

Exploratory Data Analysis (EDA) is a structured approach for understanding your data that can be used for research question and hypothesis development. EDA's overall objective is to get insights to make better decisions. Sub-objectives include:

- Identify correlated variables.
- Identify and deal with outliers.
- Identify trends across time.
- Identify trends across space.
- Uncover patterns related to the response variable of interest.
- Create research questions to explore or hypotheses to test.
- Identify possible new data sources.

## Set-Up Environment

The .RDS file loaded below was generated using the script "code/0\_get\_data.R".

```
----- tidyverse 1.3.2 --
## -- Attaching packages -----
## v ggplot2 3.4.0
                    v purrr
                             0.3.5
## v tibble 3.1.8
                    v dplyr
                             1.0.10
## v tidyr
           1.2.1
                    v stringr 1.4.1
## v readr
           2.1.3
                    v forcats 0.5.2
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag()
                 masks stats::lag()
```

### About the Variables

- subjectkey is the subject's unique identifier.
- eventname is the data collection point for an observation (row of data). Note, interview\_age is also available in months.
- Brain structure metrics cortical thickness (thick) and surface area (area) are included. For more on the meaning of these metrics, see https://doi-org.ezp2.lib.umn.edu/10.1007%2Fs00429-015-1177-6

First, we will split our data by eventname to study it cross-sectionally for now.

#### table(tidy data\$eventname)

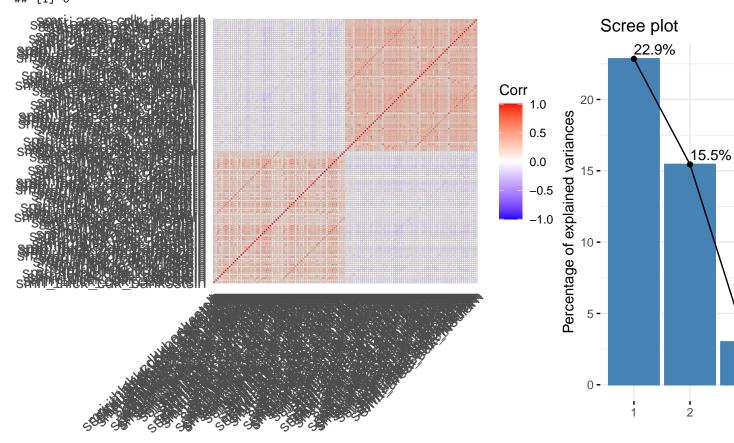
```
##
## baseline_year_1_arm_1 2_year_follow_up_y_arm_1
## 11760 7827

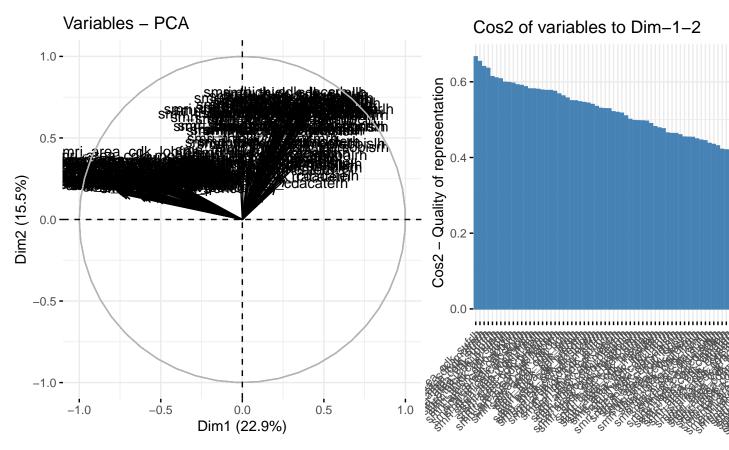
split_data = split(tidy_data, f = tidy_data$eventname)
baseline_data = split_data$baseline_year_1_arm_1 %>% ungroup
baseline_smri = select(baseline_data, starts_with("smri"))
```

## Principal Components Analysis (PCA)

For Principal Components Analysis (PCA), the R function  $\mathtt{prcomp}()$  is preferred. Note, the loadings are accessible in the resulting object's rotation feature.

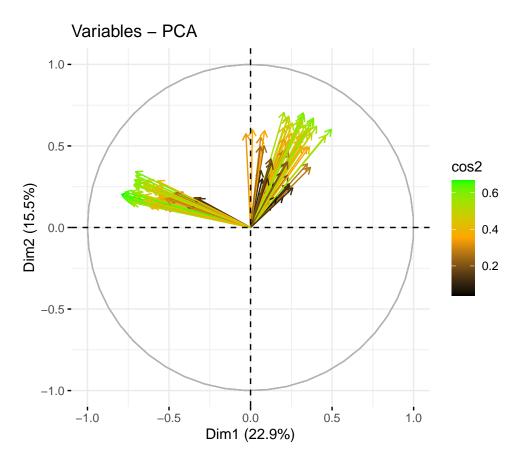
## Welcome! Want to learn more? See two factoextra-related books at https://goo.gl/ve3WBa ## [1] 0





## Warning: ggrepel: 136 unlabeled data points (too many overlaps). Consider

<sup>##</sup> increasing max.overlaps



#### Principal Components Regression (PCR)

Next we perform regression and classification against a clinical severity score and a binary clinical outcome respectively using principal components identified in the PCA above and covariates.

```
\# TODO: use lmer to account for fixed/ random effects, control for site effect and family within site library(lme4)
```

```
## Loading required package: Matrix
##
## Attaching package: 'Matrix'
## The following objects are masked from 'package:tidyr':
##
##
       expand, pack, unpack
outcome_of_interest <- "outcome_internalizing_score"</pre>
outcome_names <- c("outcome_si", "outcome_internalizing_score")</pre>
outcome_to_remove <- subset(outcome_names, outcome_names!=outcome_of_interest)</pre>
base_model_data <- baseline_data %>%
  select(-starts_with("smri")) %>%
  # choose and rename outcome of interest
  select(-c("subjectkey", "eventname", all_of(outcome_to_remove))) %>%
 rename(outcome = starts_with("outcome"))
var_names <- colnames(base_model_data)</pre>
```

```
random_effect_index <- which(var_names %in% c("abcd_site", "rel_family_id"))</pre>
outcome_index <- which(var_names == "outcome")</pre>
base_fixed_effects <- var_names[-c(random_effect_index, outcome_index)] %>% paste(collapse = "+")
base_formula <- paste0("outcome~", base_fixed_effects, "+(1|abcd_site/rel_family_id)")
 \verb| TODO: https://stats.stackexchange.com/questions/22988/how-to-obtain-the-p-value-check-significance-of the property of th
# compute a model where the effect of PC is not estimated
restricted_fit = lmer(
    data = base_model_data,
   formula = base_formula,
   REML = F #because we want to compare models on likelihood
fits <- list(restricted_fit)</pre>
for (i in 1:10) {
    pc_index \leftarrow seq(1, i)
    if (i==1) {
        model_data <- base_model_data %>%
             cbind(PC1=pca$x[,pc_index]) # TODO: Find a substitute for this if else
    } else {
        model_data <- base_model_data %>%
             cbind(pca$x[,pc_index])
    pc_names <- paste0("PC", pc_index, collapse = "+")</pre>
    model_formula <- paste(base_formula, pc_names, sep = "+")</pre>
    # compute a model where the effect of an additional PC is estimated
    fits[[i+1]] = lmer(
        data = model_data,
        formula = model_formula,
        REML = F #because we want to compare models on likelihood
    )
## Warning in checkConv(attr(opt, "derivs"), opt$par, ctrl = control$checkConv, :
## Model failed to converge with max|grad| = 0.00427516 (tol = 0.002, component 1)
likelihood_ratios <- list()</pre>
for (i in 1:10) {
    unrestricted_fit <- fits[[i]]
    restricted_fit <- fits[[i+1]]</pre>
    # compute the AIC-corrected log-base-2 likelihood ratio (a.k.a. "bits" of evidence)
    likelihood_ratios[[i]] <- (AIC(restricted_fit)-AIC(unrestricted_fit))*log2(exp(1))</pre>
}
likelihood_ratios
## [[1]]
## [1] -14.76303
##
## [[2]]
## [1] -6.020721
```

```
## [[3]]
## [1] -2.868523
##
## [[4]]
## [1] 0.5724099
##
## [[5]]
## [1] 2.856471
##
## [[6]]
## [1] 2.099211
##
## [[7]]
## [1] 2.820005
##
## [[8]]
## [1] 2.606116
##
## [[9]]
## [1] -0.07920071
##
## [[10]]
## [1] 2.703107
# classification data <- model data %>%
    select(-c("subjectkey", "eventname", "outcome_internalizing_score")) %>%
    rename(outcome = outcome si)
# classification_fit <- glmer(model_formula, data = classification_data, family = binomial)
# summary(classification_fit)
```

#### Principal Component Loading Plots

##

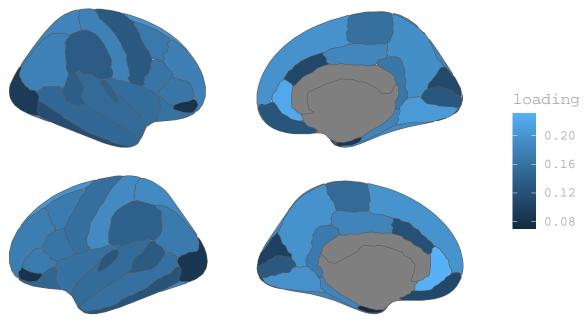
Now, let's make plots of the first ten principal components' thickness loading minus surface area loading. Thus,

- a region with a more positive value is more represented by cortical thickness,
- a region with a near zero value is represented by both cortical thickness and surface area, and
- a region with a more negative value is more represented by surface area.

Consider, Is a given PC representing variance in certain regions? Is a given PC more dominated by thickness or surface area?

## ## \$PC1

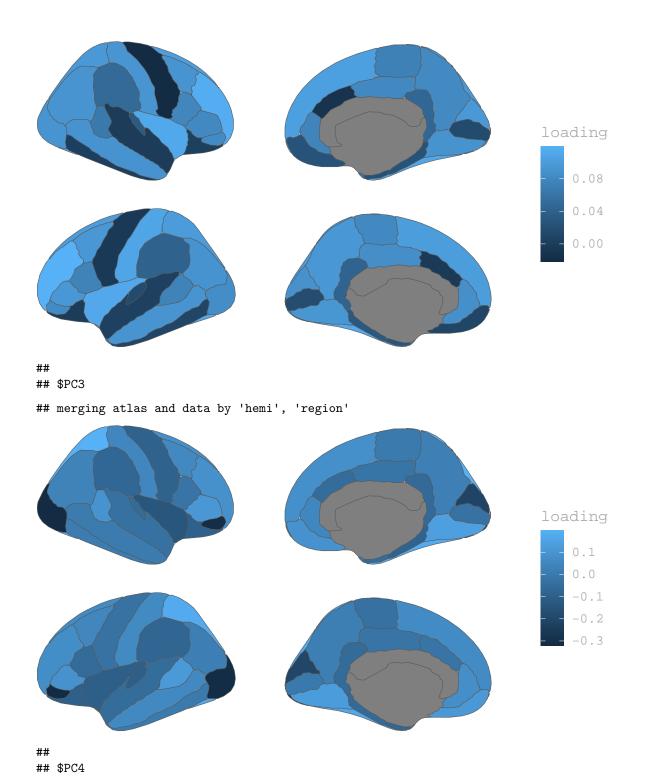
## merging atlas and data by 'hemi', 'region'



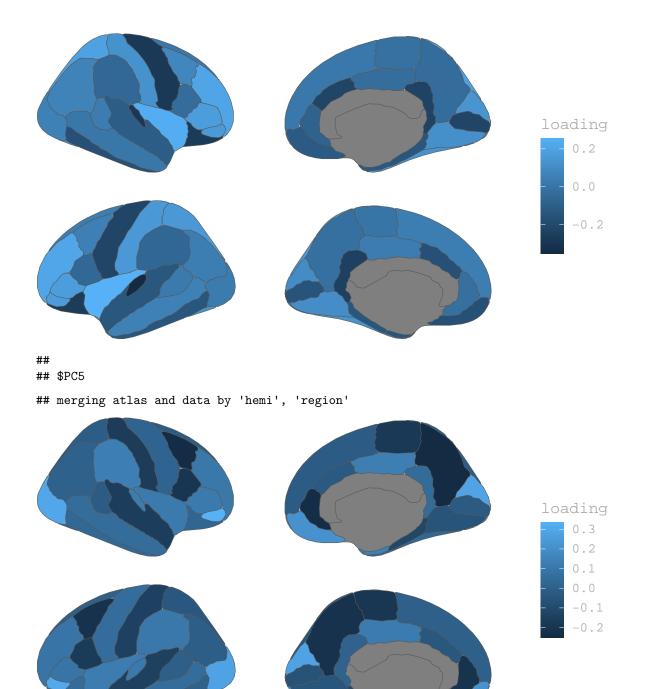
##

## \$PC2

 $\mbox{\tt \#\#}$  merging atlas and data by 'hemi', 'region'

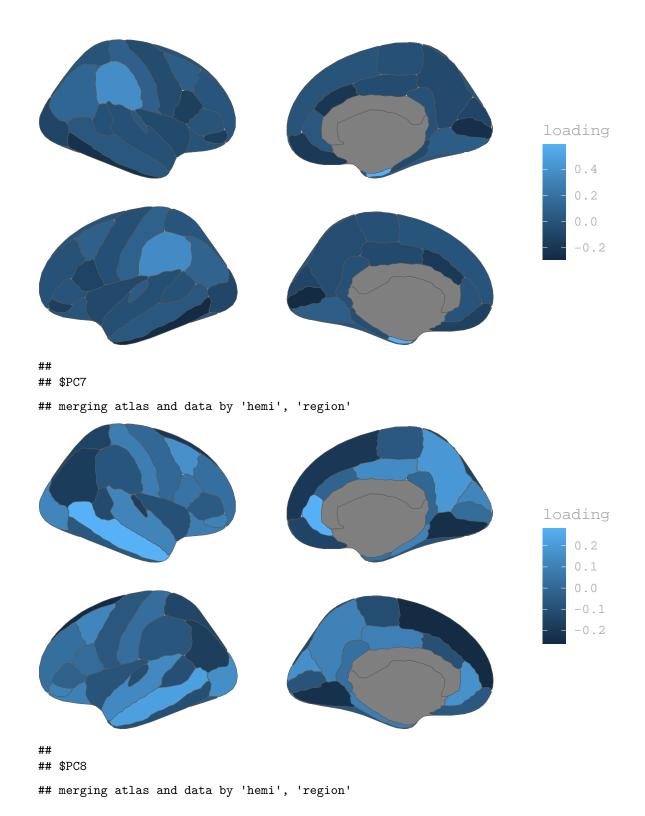


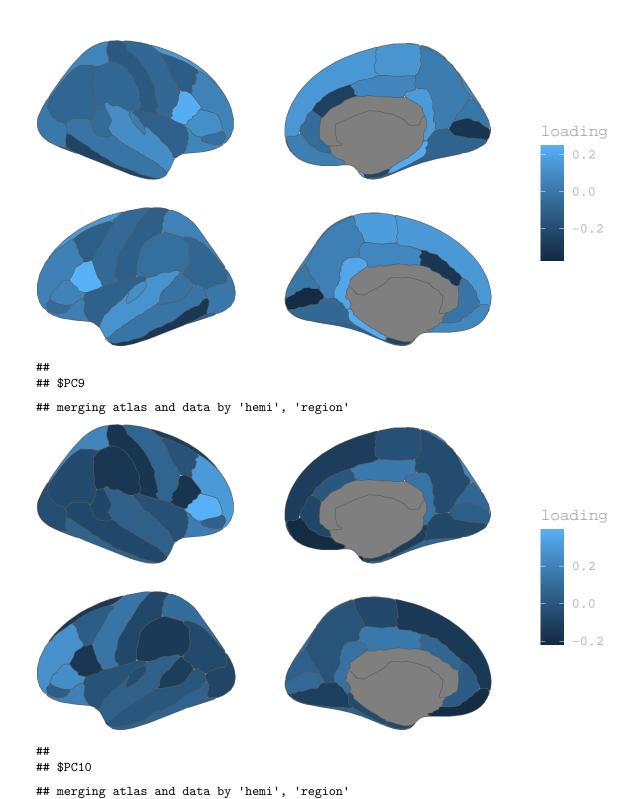
## \$PC4
## merging atlas and data by 'hemi', 'region'

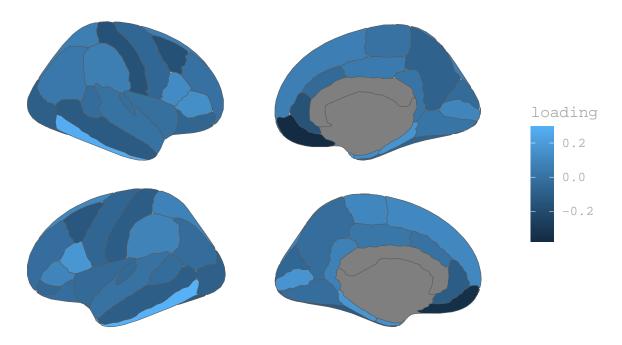


## ## \$PC6

## merging atlas and data by 'hemi', 'region'







# Questions

- $\bullet$  What other covariates are required?
- Do we want to use eventname or interview age for temporal effect?