Date	2015-16	Credits	5 credits
Course Title	Functional Analysis I	Course	MAT461
	-	Number	
Pre-requisite	MAT234 Advanced	Co-requisite (s)	
(s)	Calculus,		
	MAT351 General		
	Topology		
Hours	42 hours	Out Of Class	84 Hours
	4 1	Work Hours	

Place and Time of Class Meeting

Tuesdays 11:00-13:00, room D107 Wednesdays 10:00-11:00, room D107

Name and Contact Information of Instructor

Dr. Neil Course neil.course@okan.edu.tr

Book required

Gerald Teschl, **Topics in Real and Functional Analysis**, free ebook (www.mat.univie.ac.at/_gerald/ftp/book-fa).

Hüsnü Kızmaz, Fonksiyonel Analize Giriş, K.Ü.Fen-Edebiyat Fakültesi.

Classroom expectations for students

Attendance Policy

Students are expected to attend greater than 70% of scheduled lectures for the courses that they are registered for and to achieve the goals set forth by each class instructor. Attendance is taken daily. It is the student's responsibility to arrange to make up work missed because of an absence. Students are expected to study approximately 2 hours outside of class for each 1 hour of lectures given.

Student Tardiness Policy

A student is considered tardy/late if he/she comes to class 15 minutes late. With three tardies the student accumulates one full absence. If the student misses half of the class period, it is a full absence. When a student has more than 3 tardies, the instructor will contact the Institution Coordinator of Student Affairs and Academic Department and request an intervention session with the student. The goal of the intervention session is to develop and implement an intervention program to help students learn new ways to save and manage time.

NOTE: Plagiarism is defined as the use, without proper acknowledgment, of the ideas, phrases, sentences, or larger units of discourse from another writer or speaker. Plagiarism includes the unauthorized copying of software and the violation of copyright laws. Students who commit plagiarism will obtain a grade of "Failure" on their exam or assignment.

Course Description (must correspond exactly to Catalog description)

This course is designated to provide a basic introduction to the area of mathematics described by the course title. In particular, students will study Metric Spaces, Topological Spaces, Banach Spaces, Hilbert Spaces, completeness, bounded operators, sums and quotients of Banach Spaces, spaces of continuous and differentiable functions, orthonormal bases, the Projection Theorem, the Riesz Lemma, operators defined via forms, orthogonal sums and tensor products, compact operators, the Spectral Theorem for Compact, and Symmetric Operators.

Learning Objectives

At the end of this course students will be able:

- To understand and recall the definitions of key concepts in this area of mathematics;
- To understand and recall the important results discussed;
- To apply all of the methods and techniques discussed and developed in the topics mentioned in course description;
- To provide proofs to elementary problems in this area of mathematics.

Topical Outline and Schedule

DATE	WEEK 1	
SPECIFIC	Introduction to the course	
OBJECTIVES	Revision of the theory of topology and metric spaces	
TOPIC (S)	 Syllabus Book Course website Homework Expectations Plagiarism Motivation Topology Metric spaces 	
LEARNING ACTIVITIES	 Lectures Independent study 	
OUT OF CLASS WORK ASSIGMENT	Download the course textbook	
DATE	WEEK 2	
SPECIFIC OBJECTIVES	Revision of the theory of topology and metric spaces	
TOPIC (S)	Topology Metric spaces	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.1 in the text book (Please note that section numbers may change between different versions of the textbook.) Read around the subject Complete homework problems 	
DATE	WEEK 3	
SPECIFIC OBJECTIVES	Revision of the theory of topology and metric spaces	

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TOPIC (S)	 Topology Metric spaces 	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.1 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 4	
SPECIFIC OBJECTIVES	Students will start to develop a basic understanding of the topics listed below	
TOPIC (S)	 Norms Normed spaces Banach Spaces Inner Products Inner Product Spaces Hilbert Spaces Completeness 	
LEARNING ACTIVITIES	Lectures Independent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.2 in the text book Read section 1.3 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 5	
SPECIFIC OBJECTIVES	Students will continue to develop a basic understanding of the topics listed below	
TOPIC (S)	NormsNormed spaces	

	 Banach Spaces Inner Products Inner Product Spaces Hilbert Spaces Completeness 	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.4 in the text book Read around the subject Complete homework problems 	
DATE	WEEKS 6	
SPECIFIC OBJECTIVES	Students will broaden their understanding of the topics listed below	
TOPIC (S)	 Norms Normed spaces Banach Spaces Inner Products Inner Product Spaces Hilbert Spaces Completeness Linear Operators Bounded Linear Operators Sums and Quotients of Banach Spaces 	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.5 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 7	
SPECIFIC OBJECTIVES	Students will have developed a basic understanding of the topics listed below	
TOPIC (S)	NormsNormed spaces	

LEARNING	 Banach Spaces Inner Products Inner Product Spaces Hilbert Spaces Completeness Linear Operators Bounded Linear Operators Sums and Quotients of Banach Spaces 	
ACTIVITIES	Independent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 1.6 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 8	
SPECIFIC OBJECTIVES	Assessment	
TOPIC (S)	Midterm Exam	
LEARNING ACTIVITIES	• Exam	
OUT OF CLASS WORK ASSIGMENT	Revision Read around the subject	
DATE	WEEK 9	
SPECIFIC OBJECTIVES	Students will begin to develop a basic understanding of the topics listed below	
TOPIC (S)	 Hilbert Spaces Orthonormal Bases The Projection Theorem The Reisz Representation Theorem/The Reisz Lemma Operators defined via forms Orthogonal Sums and Tensor Products 	

LEARNING ACTIVITIES	LecturesIndependent study
OUT OF CLASS WORK ASSIGMENT	 Read section 2.1 in the text book Read section 2.2 in the text book Read around the subject Complete homework problems
DATE	WEEK 10
SPECIFIC OBJECTIVES	Students will continue to develop a basic understanding of the topics listed below
TOPIC (S)	 Hilbert Spaces Orthonormal Bases The Projection Theorem The Reisz Representation Theorem/The Reisz Lemma Operators defined via forms Orthogonal Sums and Tensor Products
LEARNING ACTIVITIES	LecturesIndependent study
OUT OF CLASS WORK ASSIGMENT	 Read section 2.3 in the text book Read around the subject Complete homework problems
DATE	WEEK 11
SPECIFIC OBJECTIVES	Students will have developed a basic understanding of the topics listed below
TOPIC (S)	 Hilbert Spaces Orthonormal Bases The Projection Theorem The Reisz Representation Theorem/The Reisz Lemma Operators defined via forms Orthogonal Sums and Tensor Products
LEARNING ACTIVITIES	LecturesIndependent study

OUT OF CLASS WORK ASSIGMENT	 Read section 2.4 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 12	
SPECIFIC OBJECTIVES	Students will begin to develop a basic understanding of the topics listed below	
TOPIC (S)	 Compact Operators The Spectral Theorem for compact symmetrical operators Sturm-Lioville operators 	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 3.1 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 13	
SPECIFIC OBJECTIVES	Students will continue to develop a basic understanding of the topics listed below	
TOPIC (S)	Compact Operators The Spectral Theorem for compact symmetrical operators Sturm-Lioville operators	
LEARNING ACTIVITIES	LecturesIndependent study	
OUT OF CLASS WORK ASSIGMENT	 Read section 3.2 in the text book Read around the subject Complete homework problems 	
DATE	WEEK 14	

SPECIFIC OBJECTIVES	Students will have developed a basic understanding of the topics listed below
TOPIC (S)	 Compact Operators The Spectral Theorem for compact symmetrical operators Sturm-Lioville operators
LEARNING	Lectures
ACTIVITIES	 Independent study
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OUT OF	Read section 3.3 in the text book
CLASS	Read around the subject
WORK	Complete homework problems
ASSIGMENT	



Instructional Methods

In developing methodological strategies, it is best to discuss them between teachers and students in an environment of freedom and mutual agreement in order to ensure that the students make them their own and take responsibility for their execution and for attaining the goals of this course.

The following strategies may be used in this class:

- 1. A review of the literature.
- 2. Check of the reading.
- 3. Analysis of assigned readings.
- 4. Group discussions and implementations.
- 5. Individual and group discussions.
- 6. Preparation of homework.

Instructional Materials and References

Gerald Teschl, **Topics in Real and Functional Analysis**, free ebook (www.mat.univie.ac.at/_gerald/ftp/book-fa).

Home study materials provided online at www.neilcourse.co.uk

Assessment Criteria and Methods of Evaluating Students

76 – 100%	\rightarrow AA
70 – 75%	\rightarrow BA
65 – 69%	\rightarrow BB
59 – 64%	\rightarrow CB
53 – 58%	\rightarrow CC
47 – 52%	\rightarrow DC
39 – 46%	\rightarrow DD
0 – 39%	\rightarrow FF

There will not be a curve!

Generally, the grades "AA" to "BB" are considered impressive grades. Grades "CB" to "DD" are considered merely passing grades.

Distribution of Grade Elements

4 pieces of homework: 25% Midterm Exam: 25% Final Exam: 50%

Total: 100 %

Date Syllabus Was Last Reviewed: Saturday, 26 September 2015.