# Home Range Estimation in R: the adehabitatHR Package

Clement Calenge, Office national de la classe et de la faune sauvage Saint Benoist – 78610 Auffargis – France.

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#### 1 History of the package adehabitatHR

The package adehabitatHR contains functions dealing with home-range analysis that were originally available in the package adehabitat (Calenge, 2006). The data used for such analysis are generally relocation data collected on animals monitored using VHF or GPS collars.

I developped the package adehabitat during my PhD (Calenge, 2005) to make easier the analysis of habitat selection by animals. The package adehabitat was designed to extend the capabilities of the package ade4 concerning studies of habitat selection by wildlife.

Since its first submission to CRAN in September 2004, a lot of work has been done on the management and analysis of spatial data in R, and especially with the release of the package sp (Pebesma and Bivand, 2005). The package sp provides classes of data that are really useful to deal with spatial data...

In addition, with the increase of both the number (more than 250 functions in Oct. 2008) and the diversity of the functions in the package adehabitat, it soon became apparent that a reshaping of the package was needed, to make its content clearer to the users. I decided to "split" the package adehabitat into four packages:

- adehabitatHR package provides classes and methods for dealing with home range analysis in R.
- adehabitatHS package provides classes and methods for dealing with habitat selection analysis in R.

- adehabitatLT package provides classes and methods for dealing with animals trajectory analysis in R.
- $\bullet\,$  adehabitatMA package provides classes and methods for dealing with maps in R.

We consider in this document the use of the package adehabitatHR to deal with home-range analysis. All the methods available in adehabitat are also available in adehabitatHR, but the classes of data returned by the functions of adehabitatHR are completely different from the classes returned by the same functions in adehabitat. Indeed, the classes of data returned by the functions of adehabitatHR have been designed to be compliant with the classes of data provided by the package sp.

Package adehabitatHR is loaded by

> library(adehabitatHR)

## 2 Basic summary of the functions of the packages

The package adehabitatHR implements the following home range estimation methods:

- 1. The Minimum Convex Polygon (Mohr, 1947);
- 2. Several kernel home range methods:
  - The "classical" kernel method (Worton, 1989)
  - the Brownian bridge kernel method (Bullard, 1999, Horne et al. 2007);
  - the product kernel algorithm (Keating and Cherry, 2009).
- 3. Several home-range estimation methods relying on the calculation of convex hulls:
  - The modification by Kenward et al. (2001) of the single-linkage clustering algorithm;
  - The three LoCoH (Local Convex Hull) methods developed by Getz et al. (2007)
  - The characteristic hull method of Downs and Horner (2009).

I describe these functions in this vignette.

#### 2.1 The classes of data required as input

The package adehabitatHR, as all the brother "adehabitat" packages, relies on the classes of data provided by the package sp. Two types of data can be accepted as input of the functions of the package adehabitatHR:

- objects of the class SpatialPoints (package sp). These objects are designed to store the coordinates of points into space, and are especially well designed to store the relocations of one animal monitored using radiotracking.
- objects of the class SpatialPointsDataFrame (package sp). These objects are also designed to store the coordinates of points into space, but also store additionnal information concerning the points (attribute data). This class of data is especially well designed to store the relocations of several animals monitored using radio-tracking. In this case, the attribute data should contain only one variable: a factor indicating the identity of the animals.

All the home-range estimation methods included in the package can take an object belonging to one of these two classes as the argument xy. For example, generate a sample of relocations uniformly distributed on the plane:

The object xy is a matrix containing 30 relocations of a virtual animal. Convert it into the class SpatialPoints:

```
> xysp <- SpatialPoints(xy)
```

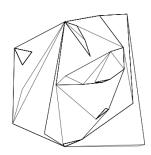
Consider the function clusthr, which implements the single-linkage clustering algorithm (see next sections). Using the function clusthr on this object returns an object of class SpatialPolygonsDataFrame:

```
> clu <- clusthr(xysp)
> class(clu)
```

```
[1] "SpatialPolygonsDataFrame"
attr(,"package")
[1] "sp"
```

Show the results:

> plot(clu)



Now, consider the relocations of another animal:

We can bind the two matrices together:

and generate a vector containing the  $\operatorname{ID}$  of the animals for each relocation of the object  $\operatorname{\mathtt{xyt}}$ :

We can convert the object id into a SpatialPointsDataFrame:

- > idsp <- data.frame(id)</pre>
- > coordinates(idsp) <- xyt</pre>
- > class(idsp)
- [1] "SpatialPointsDataFrame" attr(,"package")
- [1] "sp"

And we can use the same function clusthr on this new object:

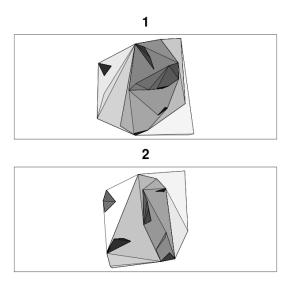
```
> clu2 <- clusthr(idsp)</pre>
> class(clu2)
[1] "MCHu"
> clu2
****** Multiple convex hull Home range of several Animals ********
This object is a list with one component per animal.
Each component is an object of class SpatialPolygonsDataFrame
The home range has been estimated for the following animals:
[1] "1" "2"
   An object of the class "MCHu" is basically a list of objects of class Spa-
tialPolygonsDataFrame, with one element per animal. Thus:
> length(clu2)
[1] 2
> class(clu2[[1]])
[1] "SpatialPolygonsDataFrame"
attr(,"package")
[1] "sp"
> class(clu2[[2]])
[1] "SpatialPolygonsDataFrame"
```

Although each SpatialPolygonsDataFrame of the list can be easily handled by the functions of the package sp and relatives (maptools, etc.), the package adehabitatHR also contains functions allowing to deal with such lists. For example:

> plot(clu2)

attr(,"package")

[1] "sp"



Therefore, the same home-range estimating function can accept an object of class SpatialPoints (one animal) or SpatialPointsDataFrame (several animals). This is the case of all home-range estimation methods in adehabitatHR.

#### 2.2 Our example data set

I will illustrate the use of the functions in adehabitath using a subset of the data collected by Daniel Maillard (1996; Office national de la chasse et de la faune sauvage, Montpellier) on the wild boar at Puechabon (near Montpellier, South of France). First load the dataset puechabonsp:

- > data(puechabonsp)
- > names(puechabonsp)

#### [1] "map" "relocs"

This dataset is a list with two components: the component relocs is a SpatialPointsDataFrame containing the relocations of four wild boars monitored using radio-tracking. The following variables are available for each relocations:

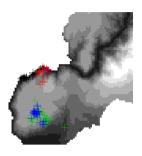
#### > head(as.data.frame(puechabonsp\$relocs))

	Name	Age	Sex	Date	Х	Y
1	${\tt Brock}$	2	1	930701	699889	3161559
2	${\tt Brock}$	2	1	930703	700046	3161541
3	${\tt Brock}$	2	1	930706	698840	3161033
4	${\tt Brock}$	2	1	930707	699809	3161496
5	${\tt Brock}$	2	1	930708	698627	3160941
6	Brock	2	1	930709	698719	3160989

The first variable is the identity of the animals, and we will use it in the estimation process.

The component map is a SpatialPixelsDataFrame containing the maps of four environmental variables on the study area (Elevation, slope, aspect and herbaceous cover). Have a look at the distribution of the relocations on an elevation map:

```
> ## Map of the elevation
> image(puechabonsp$map, col=grey(c(1:10)/10))
> ## map of the relocations
> plot(puechabonsp$relocs, add=TRUE,
+ col=as.data.frame(puechabonsp$relocs)[,1])
```



#### 3 The Minimum Convex Polygon (MCP)

#### 3.1 The method

The MCP is probably the most widely used estimation method. This method consists in the calculation of the smallest convex polygon enclosing all the relocations of the animal. This polygon is considered to be the home range of the animal. Because the home range has been defined as the area traversed by the animal during its **normal** activities of foraging, mating and caring for young (Burt, 1943), a common operation consists to first remove a small percentage of the relocations farthest from the centroid of the cloud of relocations before the estimation. Indeed, the animal may sometimes make occasionnal large moves to unusual places outside its home range, and this results into outliers that cannot be considered as "normal activities".

#### 3.2 The function mcp and interaction with the package sp

The function mcp allows the MCP estimation. For example, using the puechabonsp dataset, we estimate here the MCP of the monitored wild boars (after the removal of 5% of extreme points). Remember that the first column of puechabonsp\$relocs is the identity of the animals:

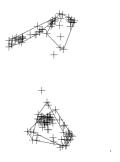
```
> data(puechabonsp)
> cp <- mcp(puechabonsp$relocs[, 1], percent = 95)

The results are stored in an object of class SpatialPolygonsDataFrame:
> class(cp)
[1] "SpatialPolygonsDataFrame"
attr(,"package")
```

Therefore the functions available in the package sp and related packages (maptools, etc.) are available to deal with these objects. For example, the function plot:

```
> plot(cp)
> plot(puechabonsp$relocs, add = TRUE)
```

[1] "sp"



Similarly, the function writePolyShape from the package maptools can be used to export the object cp to a shapefile, so that it can be read into a GIS:

```
> library(maptools)
> writePolyShape(cp, "homerange")
```

The resulting shapefils can be read in any GIS.

#### 3.3 Overlay operations

The function overlay of the package sp allows to combine points (including grid of pixels) and polygons for points-in-polygon operations (see the help page of this function). For example, the element map of the dataset puechabonsp is a map of the study area according to four variables:

#### > head(as.data.frame(puechabonsp\$map))

	${\tt Elevation}$	Aspect	Slope	${\tt Herbaceous}$	х	у
2017	68	3	1.548994	0	698800	3156800
2018	69	3	1.118594	0	698900	3156800
2019	70	3	1.358634	0	699000	3156800
2020	70	3	1.724311	0	699100	3156800
2021	70	3	1.944885	0	699200	3156800
2022	71	3	2.024868	0	699300	3156800

This object is of the class SpatialPixelsDataFrame. We may identify the pixels of this map enclosed in each home range using the function overlay from the package sp. For example, to identify the pixels enclosed in the home range of the second animal:

```
> enc <- overlay(puechabonsp$map, cp[2, ])
> head(enc)
```

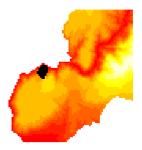
#### [1] NA NA NA NA NA

The result is a vector, taking the value NA if the pixel is outside the homerange, and 1 otherwise. We may transform this vector into a SpatialPixels-DataFrame, using the functions of the package sp:

```
> enc <- data.frame(enc)
> coordinates(enc) <- coordinates(puechabonsp$map)
> gridded(enc) <- TRUE</pre>
```

The result is shown below, in black, on an elevation map:

```
> image(puechabonsp$map)
> image(enc, add = TRUE, col = "black")
```

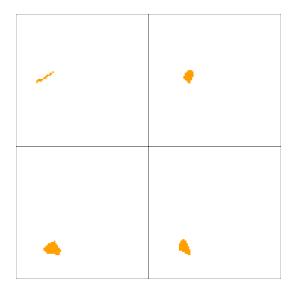


However, because the rasterization of home ranges is a common operation, I included a function hr.rast to make this operation more straightforward:

```
> cprast <- hr.rast(cp, puechabonsp$map)</pre>
```

The resulting object is a  ${\tt SpatialPixelsDataFrame}$  with one column per animal:

```
> par(mar = c(0, 0, 0, 0))
> par(mfrow = c(2, 2))
> for (i in 1:4) {
+    image(cprast[, i])
+    box()
+ }
```



#### 3.4 Computation of the home-range size

The home range size is automatically computed by the function mcp. Thus, coercing the object returned by the function to the class data.frame gives access to the home range size:

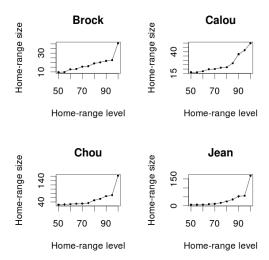
#### > as.data.frame(cp)

```
id area
Brock Brock 22.64670
Calou Calou 41.68815
Chou Chou 71.93205
Jean Jean 55.88415
```

The area is here expressed in hectares (the original units in the object puech-abonsp\$relocs were expressed in metres). The units of the results and of the original data are controlled by the arguments unin and unout of the function mcp (see the help page of the function mcp). We did not change the units in our example estimation, as the default was a suitable choice.

In this example, we have chosen to exclude 5% of the mst extreme relocations, but we could have made another choice. We may compute the home-range size for various choices of the number of extreme relocations to be excluded, using the function mcp.area:

```
> hrs <- mcp.area(puechabonsp$relocs[, 1], percent = seq(50, 100, by = 5))
```



Here, except for Calou, the choice to exclude 5% of the relocations seems a sensible one. In the case of Calou, it is disputable to to remove 20% of the relocations to achieve an asymptote in the home range size decrease. 20% of the time spent in an area is no longer an exceptionnal activity... and this area could be considered as part of the home range. Under these conditions, the choice to compute the MCP with 95% of the relocations for all animals seems a sensible one.

Note that the results of the function mcp.area are stored in a data frame of class "hrsize" and can be used for further analysis:

#### > hrs

	Brock	Calou	Chou	Jean
50	9.68735	16.31155	26.76340	5.72115
55	9.85540	16.31155	28.51200	5.99155
60	12.84635	17.49680	29.97835	6.64385
65	13.12805	19.74600	31.75860	9.05275
70	15.66545	20.05745	32.25850	10.58390
75	16.14625	21.53025	34.77430	16.40945
80	19.06725	22.15015	47.81925	24.29185
85	20.22535	26.75180	54.76550	35.31225
90	21.82440	37.12975	67.18565	52.59315
95	22.64670	41.68815	71.93205	55.88415
100	40.59635	49.75050	162.84550	167.63690

This class of data is common in adehabitatHR and we will generate again such objects with other home range estimation methods.

#### 4 The kernel estimation and the utilization distribution

#### 4.1 The utilization distribution

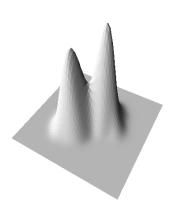
The MCP has met a large success in the ecological literature. However, many authors have stressed that the definition of the home range which is commonly used in the literature was rather imprecise: "that area traversed by the animal during its normal activities of food gathering, mating and caring for young" (Burt, 1943). Although this definition corresponds well to the feeling of many ecologists concerning what is the home range, it lacks formalism: what is an area traversed? what is a normal activity?

Several authors have therefore proposed to replace this definition by a more formal model: the *utilization distribution* (UD, van Winkle, 1975). Under this model, we consider that the animals use of space can be described by a bivariate probability density function, the UD, which gives the probability density to relocate the animal at any place according to the coordinates (x, y) of this place. The study of the space use by an animal could consist in the study of the properties of the utilization distribution. The issue is therefore to estimate the utilization distribution from the relocation data:

Input: Relocations



Output: the UD



The seminal paper of Worton (1989) proposed the use of the kernel method (Silverman, 1986; Wand and Jones, 1995) to estimate the UD using the relocation data. The kernel method was probably the most frequently used function in the package adehabitat. A lot of useful material and information on its use can be found on the website of the group Animove (http://www.faunalia.it/animov/). I give here a summary of the discussion found

on this site (they include answers to the most frequently asked questions).

The basic principle of the method is the following: a bivariate *kernel function* is placed over each relocation, and the values of these functions are averaged together.

Many kernel functions K can be used in the estimation process provided that:

$$\int K(\mathbf{x}) = 1$$

and

$$K(\mathbf{x}) > 0 \quad \forall \mathbf{x}$$

where  $\mathbf{x}$  is a vector containing the coordinates of a point on the plane. However, there are two common choices for the kernel functions: the bivariate normal kernel:

$$K(\mathbf{x}) = \frac{1}{2\pi} \exp(-\frac{1}{2}\mathbf{x}^t \mathbf{x})$$

and the Epanechnikov kernel:

$$K(\mathbf{x}) = \frac{3}{4}(1 - \mathbf{x}^t \mathbf{x})$$
 if  $x < 1$  or 0 otherwise

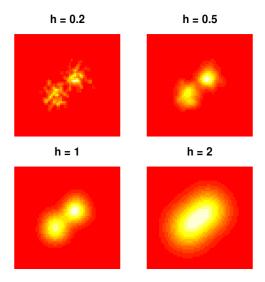
The choice of a kernel function does not greatly affect the estimates (Silverman, 1986; Wand and Jones, 1995). Although the Epanechnikov kernel is slightly more efficient, the bivariate normal kernel is still a common choice (and is the default choice in adehabitathram).

Then, the kernel estimation of the UD at a given point  $\mathbf{x}$  of the plane is obtained by:

$$\hat{f}(\mathbf{x}) = \frac{1}{nh^2} \sum_{i=1}^{n} K\left\{ \frac{1}{h} (\mathbf{x} - \mathbf{X}_i) \right\}$$

where h is a smoothing parameter, n is the number of relocations, and  $\mathbf{X}_i$  is the i<sup>th</sup> relocation of the sample.

The smoothing parameter h controls the "width" of the kernel functions placed over each point. On an example dataset:



There has been a considerable amount of work on the correct choice of a smoothing parameter for home range estimation. However, the two most common choices are the so-called "reference bandwidth". When a bivariate normal kernel has been chosen, this "reference bandwidth" is equal to:

$$h = \sigma \times n^{-1/6}$$

where

$$\sigma = 0.5 \times (\sigma_x + \sigma_y)$$

and  $\sigma_x$  and  $\sigma_x$  are the standard deviations of the x and y coordinates of the relocations respectively. If an Epanechnikov kernel is used, this value is multiplied by 1.77 (Silverman, 1986, p. 86). The reference bandwidth supposes that the UD is a bivariate normal distribution, which is disputable in most ecological studies. When the animals uses several centers of activity, the reference smoothing parameter is often too large, which results into a strong oversmoothing of the data (the estimated UD predicts the frequent presence of the animal in areas which are not actually used).

Alternatively, the smoothing parameter h may be computed by Least Square Cross Validation (LSCV). The estimated value then minimizes the Mean Integrated Square Error (MISE), i.e. the difference in volume between the true UD and the estimated UD.

Finally, a subjective visual choice for the smoothing parameter, based on successive trials, is often a sensible choice (Silverman, 1986; Wand and Jones, 1995).

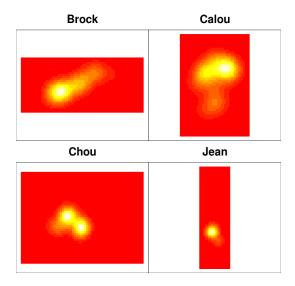
## 4.2 The function kernelUD: estimating the utilization distribution

The function kernelUD of the package adehabitatHR implements the method described above to estimate the UD. The UD is estimated in each pixel of a grid superposed to the relocations. I describe in the next sections how the grid parameters can be controlled in the estimation. Similarly to all the functions allowing the estimation of the home range, the functions may take as argument either a SpatialPoints object (estimation of the UD of one animal) or a SpatialPointsDataFrame object with one column corresponding to the identity of the animal (estimation of the UD of several animals). The argument h controls the value of the smoothing parameter. Thus, if h = "href", the "reference" bandwidth is used in the estimation. If h = "LSCV", the "LSCV" bandwidth is used in the estimation. Alternatively, it is possible to pass a numeric value for the smoothing parameter.

I give below a short example of the use of kernelUD, using the puechabonsp dataset. Remember that the first column of the component relocs of this dataset contains the identity of the animals:

The resulting object is a list of the class "estUD". This class extends the class SpatialPixelsDataFrame (it just contains an additional attribute storing the information about the smoothing parameter). Display the results:

> image(kud)



The values of the smoothing parameters are stored in the slot "h" of each element of the list. For example, to get the h-value for the first animal:

> kud[[1]]@h

\$h

[1] 211.6511

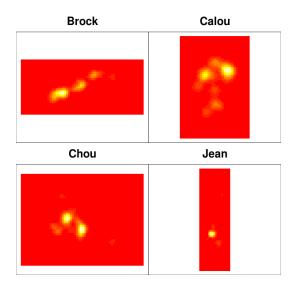
\$meth

[1] "href"

#### 4.3 The Least Square Cross Validation

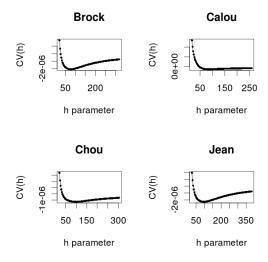
Alternatively, we could have set the argument h equal to "LSCV". The LSCV algorithm searches for the optimum value of h in the interval specified by the parameter hlim. As an example, estimate the UD with a h parameter chosen with the LSCV algorithm for the puechabonsp dataset:

- > kudl <- kernelUD(puechabonsp\$relocs[, 1], h = "LSCV")
- > image(kudl)



The resulting UD fits the data more closely than the use of "href". However, note that the cross-validation criterion cannot be minimized in some cases. According to Seaman and Powell (1998) "This is a difficult problem that has not been worked out by statistical theoreticians, so no definitive response is available at this time". Therefore, it is essential to look at the results of the LSCV minimization using the function plotLSCV:

#### > plotLSCV(kudl)



Here, the minimization has been achieved in the specified interval. When the algorithm does not converge toward a solution, the estimate should not be used in further analysis. Solutions are discussed on the animove website (http://www.faunalia.it/animov/), and especially on the mailing list. In particular, see the following messages:

- http://www.faunalia.com/pipermail/animov/2006-May/000137.html
- http://www.faunalia.com/pipermail/animov/2006-May/000130.html
- http://www.faunalia.com/pipermail/animov/2006-May/000165.html

Finally, the user may indicate a numeric value for the smoothing parameter. Further discussion on the choice of h-values can be found on the animove website, at the URL: https://www.faunalia.it/dokuwiki/doku.php?id=public:animove.

#### 4.4 Controlling the grid

The UD is estimated at the center of each pixel of a grid. Although the size and resolution of the grid does not have a large effect on the estimates (see Silverman, 1986), it is sometimes useful to be able to control the parameters defining this grid. This is done thanks to the parameter grid of the function kernelUD.

#### 4.4.1 Passing a numeric value

When a numeric value is passed to the parameter grid, the function kernelUD automatically computes the grid for the estimation. This grid is computed in the following way:

- the minimum and maximum coordinates  $(X_{min}, X_{max}, Y_{min}, Y_{max})$  of the relocations are computed.
- the range of X and Y values is also computed (i.e., the difference between the maximum and minimum value). Let  $R_x$  and  $R_Y$  be these ranges.
- The coverage of the grid is defined thanks to the parameter extent of the function kernelUD. Let e be this parameter. The minimum and maximum X coordinates of the pixels of the grid are equal to  $X_{min} e \times R_x$  and  $X_{max} + e \times R_x$  respectively. Similarly, the minimum and maximum Y coordinates of the pixels of the grid are equal to  $Y_{min} e \times R_Y$  and  $Y_{max} + e \times R_Y$  respectively.

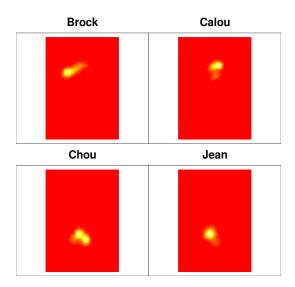
• Finally, these extents are split into g intervals, where g is the value of the parameter grid.

Consequently, the parameter grid controls the resolution of the grid and the parameter extent controls its extent. As an illustration, consider the estimate of the first animal:

```
> ## The relocations of "Brock"
> locs <- puechabonsp$relocs</pre>
> firs <- locs[as.data.frame(locs)[,1]=="Brock",]</pre>
> ## Graphical parameters
> par(mar=c(0,0,2,0))
> par(mfrow=c(2,2))
> ## Estimation of the UD with grid=20 and extent=0.2
> image(kernelUD(firs, grid=20, extent=0.2))
> title(main="grid=20, extent=0.2")
> ## Estimation of the UD with grid=20 and extent=0.2
> image(kernelUD(firs, grid=80, extent=0.2))
> title(main="grid=80, extent=0.2")
> ## Estimation of the UD with grid=20 and extent=0.2 \,
> image(kernelUD(firs, grid=20, extent=3))
> title(main="grid=20, extent=3")
> ## Estimation of the UD with grid=20 and extent=0.2
> image(kernelUD(firs, grid=80, extent=3))
> title(main="grid=80, extent=3")
                 grid=20, extent=0.2
                                     grid=80, extent=0.2
                 grid=20, extent=3
                                     grid=80, extent=3
```

Note that the parameter same4all is an additional parameter allowing the control of the grid. If it is equal to TRUE, the same grid is used for all animals, thus for example:

> kus <- kernelUD(puechabonsp\$relocs[, 1], same4all = TRUE)
> image(kus)



Because all the UD are estimated on the same grid, it is possible to coerce the resulting object as a SpatialPixelsDataFrame:

```
> ii <- estUDm2spixdf(kus)
> class(ii)
[1] "SpatialPixelsDataFrame"
attr(,"package")
[1] "sp"
```

This object can then be handed with the functions of the package sp.

#### 4.4.2 Passing a SpatialPixelsDataFrame

It is sometimes useful to estimate the UD in each pixel of a raster map already available. This can be useful in habitat selection studies, when the value of the UD is to be later related to the value of environmental variables. In such cases, it is possible to pass a raster map to the parameter grid of the function. For example, the dataset puechabonsp contains an object of class SpatialPixels—DataFrame storing the environmental information for this variable. This map can be passed to the parameter grid:

#### > kudm <- kernelUD(puechabonsp\$relocs[, 1], grid = puechabonsp\$map)

And as in the previous section, the object can be coerced into a SpatialPixelsDataFrame using the function estUDm2spixdf. Note also that it is possible to pass a list of SpatialPixelsDataFrame (with one element per animal) to the parameter grid (see the help page of the function kernelUD).

#### 4.5 Estimating the home range from the UD

The UD gives the probability density to relocate the animal at a given place. The home range deduced from the UD as the minimum area on which the probability to relocate the animal is equal to a specified value. For example, the 95% home range corresponds to the smallest area on which the probability to relocate the animal is equal to 0.95. The functions getvolumeUD and getverticeshr provide utilities for home range estimation.

#### 4.5.1 Home ranges in vector mode

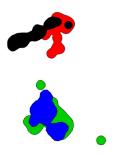
The most useful function is the function getverticeshr. For example, to deduce the 90% home range from the UD estimated using the LSCV algorithm:

```
> homerange <- getverticeshr(kudl)
> class(homerange)

[1] "SpatialPolygonsDataFrame"
attr(,"package")
[1] "sp"
```

The resulting object is of the class SpatialPolygonsDataFrame. Therefore, as for the MCP (see previous section), the functions of the package sp and maptools are available to deal with this object, or to export it toward a GIS (see section 3.2 for examples). Therefore, to display the home range:

> plot(homerange, col = 1:4)



#### 4.5.2 Home ranges in raster mode

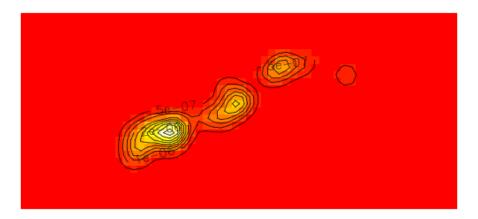
However, the function getverticeshr returns an object of class SpatialPolygonsDataFrame, i.e. an object in mode vector.

The function getvolumeUD may also be useful to estimate the home range in raster mode, from the UD. Actually, this function modifies the UD component of the object passed as argument, so that the value of a pixel is equal to the percentage of the smallest home range containing this pixel:

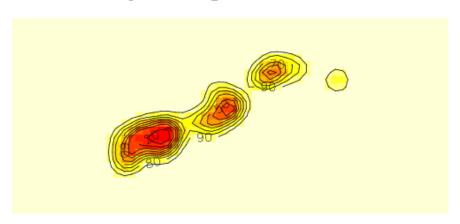
To make clear the differences between the output of kernelUD and getvolumeUD look at the values on the following contourplot:

```
> ## Set up graphical parameters
> par(mfrow=c(2,1))
> par(mar=c(0,0,2,0))
> ## The output of kernelUD for the first animal
> image(kudl[[1]])
> title("Output of kernelUD")
> ## Convert into a suitable data structure for
> ## the use of contour
> xyz <- as.image.SpatialGridDataFrame(kudl[[1]])</pre>
> contour(xyz, add=TRUE)
> ## and similarly for the output of getvolumeUD
> par(mar=c(0,0,2,0))
> image(vud[[1]])
> title("Output of getvolumeUD")
> xyzv <- as.image.SpatialGridDataFrame(vud[[1]])</pre>
> contour(xyzv, add=TRUE)
```

## Output of kernelUD



## Output of getvolumeUD



Whereas the output of kernelUD is the raw UD, the output of getvolumeUD can be used to compute the home range (the labels of the contour lines correspond to the home ranges computed with various probability levels). For example, to get the rasterized 95% home range of the first animal:

- > ## store the volume under the UD (as computed by getvolumeUD)
- > ## of the first animal in fud
- > fud <- vud[[1]]
- > ## store the value of the volume under UD in a vector hr95
- > hr95 <- as.data.frame(fud)[,1]</pre>
- > ## if hr95 is <= 95 then the pixel belongs to the home range
- > ## (takes the value 1, 0 otherwise)

```
> hr95 <- as.numeric(hr95 <= 95)
> ## Converts into a data frame
> hr95 <- data.frame(hr95)
> ## Converts to a SpatialPixelsDataFrame
> coordinates(hr95) <- coordinates(vud[[1]])
> gridded(hr95) <- TRUE
> ## display the results
> image(hr95)
```



#### 4.6 The home range size

As for the MCP, the SpatialPolygonsDataFrame returned by the function getverticeshr contains a column named "area", which contains the area of the home ranges:

> as.data.frame(homerange)

id area
Brock Brock 72.36203
Calou Calou 81.31172
Chou Chou 132.75889
Jean Jean 105.25208

And, as for the MCP, the units of these areas are controlled by the parameters unin and unout of the function getverticeshr.

I also considered that it would be useful to have a function which would compute the home-range size for several probability levels. This is the aim of the function kernel.area which takes the UD as argument (here we use the UD estimated with the LSCV algorithm).

```
> ii <- kernel.area(kudl, percent = seq(50, 95, by = 5))</pre>
> ii
      Brock
               Calou
                           Chou
                                     Jean
50 16.74837 19.48793
                      27.45380
                                16.29855
55 19.24281 22.97831
                      32.82519
                                 19.01497
60 22.44994 27.05042
                      39.39023
                                 24.44782
65 25.65708 31.41339
                      45.95527
                                 28.52246
70 29.93326 36.35809
                      53.71395
                                 35.31352
75 34.20944 41.88452
                      62.66628
                                 42.10459
80 39.91101 48.28354
                      74.00589
                                 51.61207
85 46.68163 55.84602
                      87.13597
                                 62.47777
90 55.94668 65.73542 103.84698
                                 77.41811
95 70.20061 80.42409 130.70396 100.50772
```

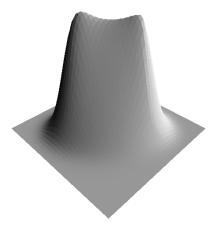
The resulting object is of the class hrsize, and can be plotted using the function plot. Note that the home-range sizes returned by this function are slightly different from the home-range size stored in the SpatialPolygonsDataFrame returned by the function getverticeshr. Indeed, while the former measures the area covered by the rasterized home range (area covered by the set of pixels of the grid included in the home range), the latter measures the area of the vector home range (with smoother contour). However, note that the difference between the two estimates decrease as the resolution of the grid becomes finer.

#### 5 Taking into account the time dependence between relocation

#### 5.1 The Brownian bridge kernel method

#### 5.1.1 Description

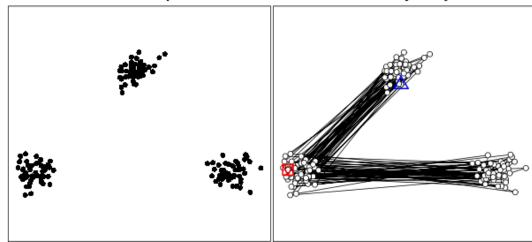
Bullard (1999) proposed an extension of the kernel method taking into account the time dependence between successive relocations. Whereas the classical kernel method places a kernel function above each *relocation*, the Brownian bridge kernel method places a kernel function above each *step* of the trajectory (a step being the straight line connecting two successive relocations). This kernel function is a combination of two bivariate normal pdf (two "bumps") and a Brownian bridge pdf (see Bullard, 1991 and Horne et al. 2007 for additional details):



This method takes into account not only the position of the relocations, but also the path travelled by the animal between successive relocations. The following figure may help to understand the method:

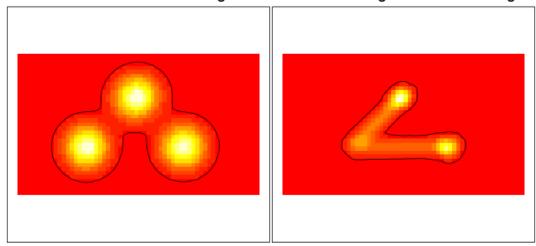
#### The relocation pattern

#### The trajectory



#### Classical kernel home range

Brownian bridge kernel home range



In this example, the relocations are located into three patches. However, the order of use of the patches is not random. Using the Brownian bridge method allows to identify that some areas between the patches are actually not used by the animal.

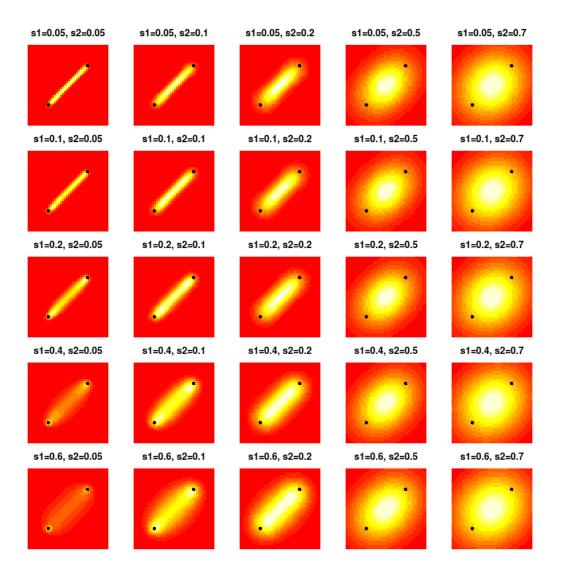
The kernel Brownian bridge method is implemented in the function kernelbb. Two smoothing parameters need to be set:

• sig1: This parameter controls the width of the "bridge" connecting successive relocations. The larger it is and the larger the bridge is. This

parameter is therefore related to the speed of the animal. But be careful: it is not the speed of the animal. Horne et al. (2007) call  $\mathtt{sig1}^2$  the "Brownian motion variance parameter". It is even not the variance of the position, but a parameter used to compute the variance (which is itself related to the speed). The variance of the position of the animal between two relocations at time t is  $S^2 = \mathtt{sig1}^2 \times t \times (T-t)/T$ , where T is the duration of the trajectory between the two relocations and t the time at the current position. Therefore,  $\mathtt{sig1}$  is related to the speed of the animal in a very complex way, and its biological meaning is not that clear. The definition of  $\mathtt{sig1}$  can be done subjectively after visual exploration of the result for different values, or using the function  $\mathtt{liker}$  that implements the maximum likelihood approach developed by Horne et al. (2007);

• sig2: This parameter controls the width of the "bumps" added over the relocations (see Bullard, 1999; Horne et al. 2007). It is similar to the smoothing parameter of the smoothing parameter h of the classical kernel method, and is therefore related to the imprecision of the relocations.

The following figure shows the kernel function placed over the step built by the two relocations (0,0) and (1,1), for different values of sig1 and sig2:



#### 5.1.2 Example

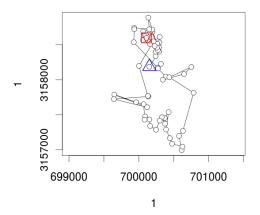
The Brownian bridge kernel method is implemented in the function kernelbb of the package. This function takes as argument an object of class ltraj. This class has been developed in the brother package adehabitatLT to store animals trajectory sampled using GPS, radio-tracking, Argos data, etc. The interested reader should read the help page of the function as.ltraj as well as the vignette of the package adehabitatLT.

First consider as an example the night monitoring (every 10 minutes) of one wild boar:

```
> data(puechcirc)
> x <- puechcirc[1]
******* List of class ltraj *******
Type of the traject: Type II (time recorded)
Regular traject. Time lag between two locs: 600 seconds
Characteristics of the bursts:
    id
          burst nb.reloc NAs
                                      date.begin
                                                            date.end
1 CH93 CH930824
                      80
                         16 1993-08-24 17:00:00 1993-08-25 06:10:00
```

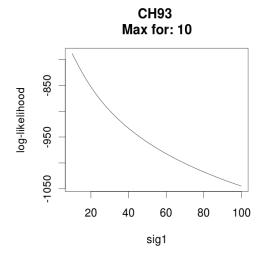
Have a look at the trajectory of the animal:

> plot(x)



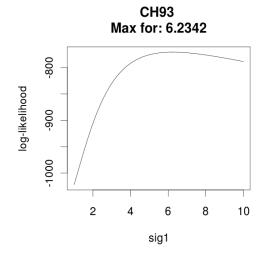
A study has shown that the mean standard deviation of the relocations (relocations as a sample of the actual position of the animal) is equal to 58 meters on these data (Maillard, 1996, p. 63). Therefore, we set sig2 = 58 metres. Then we use the function liker to find the maximum likelihood estimation of the parameter sig1. We search the optimum value in the range [10, 100]:

> lik <- liker(x, sig2 = 58, rangesig1 = c(10, 100))



We expected a too large standard deviation... Let us try again, and search in the interval [1, 10]:

> 1ik2 <- 1iker(x, sig2 = 58, rangesig1 = c(1, 10))



Actually, the optimum value is 6.23:

> lik2

\*\*\*\*\*\*\*\*\*\*\*\*\*

Maximization of the log-likelihood for parameter sig1 of brownian bridge

CH93 : Sig1 = 6.2342 Sig2 = 58

We can now estimate the kernel Brownian bridge home range with the parameters sig1=6.23 and sig2=58:

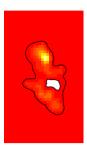
> tata <- kernelbb(x, sig1 = 6.23, sig2 = 58, grid = 50)

\*\*\*\*\*\* Utilization distribution of an Animal \*\*\*\*\*\*\*

Type: probability density
Smoothing parameter estimated with a BB-specified parameter
This object inherits from the class SpatialPixelsDataFrame.
See estUD-class for more information

The result is an object of class estUD, and can be managed as such (see section 4.2). For example to see the utilization distribution and the 95% home range:

> image(tata)
> plot(getverticeshr(tata, 95), add = TRUE, lwd = 2)



#### 5.2 The product kernel algorithm

#### 5.2.1 Description

Until now, we have only considered utilization distribution in space. However, Horne et al. (2007) noted that it could also be useful to explore utilization distributions in space and time. That is, to smooth the animals distribution not only

in space, but also in time. This approach is done by placing a three dimensional kernel function (X and Y coordinates, and date) over each relocation, and then, by summing these kernel functions. The three-dimensional kernel function K correspond to the combination of three one-dimensional kernel functions  $K_i$ :

$$K(\mathbf{x}) = \frac{1}{h_x h_y h_t} \sum_{i=1}^{n} \left( \prod_{j=1}^{3} K_j \left( \frac{x_j - X_{ij}}{h_j} \right) \right)$$

where  $h_x, h_y, h_t$  are the smoothing parameters for the X, Y and time dimension, n is the number of relocations, and  $X_{ij}$  is the coordinate of the  $i^{th}$  relocation on the  $j^{th}$  dimension (X, Y or time).

This method is implemented in the function kernelkc of the package adehabitatHR. The univariate kernel functions associated to the spatial coordinates are the biweight kernel, that is:

$$K(v_i) = \frac{15}{16}(1 - v_i^2)^2$$

when  $v_i < 1$  and 0 otherwise. For the time, the user has the choice between two kernel functions. Either the time is considered to be a linear variable, and the biweight kernel is used, or the time is considered to be a circular variable (e.g. January  $3^{th}$  2001 is considered to be the same date as January  $3^{th}$  2002 and January  $3^{th}$  2003, etc.) and the wrapped Cauchy kernel is used. The wrapped Cauchy kernel is:

$$K(v_i) = \frac{h(1 - (1 - h)^2)}{2\pi (1 + (1 - h)^2 - 2(1 - h)\cos(v_i h))}$$

where 0 < h < 1.

#### 5.2.2 Application

We now illustrate the product kernel algorithm on an example. We load the bear dataset. This dataset describes the trajectory of a brown bear monitored using GPS (from the package adehabitatLT):

```
> data(bear)
```

> bear

\*\*\*\*\*\* List of class ltraj \*\*\*\*\*\*\*

Type of the traject: Type II (time recorded)
Regular traject. Time lag between two locs: 1800 seconds

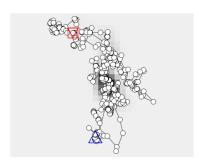
Characteristics of the bursts:

id burst nb.reloc NAs date.begin date.end 1 W0208 W0208 1157 157 2004-04-19 16:30:00 2004-05-13 18:30:00 The data are stored as an object of class ltraj (see section 5.1.2). Let use compute the UD of this bear for the date 2004-05-01. After a visual exploration, we noted that a smoothing parameter of 1000 meters for X and Y coordinates, and of 72 hours for the time returned interesting results. We can compute the UD with:

Type: probability density
Smoothing parameter estimated with a KC-specified parameter
This object inherits from the class SpatialPixelsDataFrame.
See estUD-class for more information

The result is an object of class estUD, and can be managed as such (see section 4.2). For example to see both the trajectory and the UD, we type:

> plot(bear, spixdf = uu)



To compute the 95% home-range, there is a subtlety. Note that the UD integral over the whole plane is not equal to 1:

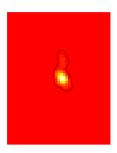
```
> sum(slot(uu, "data")[, 1]) * (gridparameters(uu)[1, 2]^2)
[1] 5.062715e-07
```

This is because the UD is defined in space and time. That is, the integral over the X, Y and time direction is equal to 1, and not the integral over the X, Y direction at a given time t. Therefore, the 95% home range at a given time t relies on a "restandardization":

$$UD'(x,y|t_i) = \frac{UD(x,y,t_i)}{\int_{x',y'} UD(x',y',t_i)}$$

This is done by setting to TRUE the argument standardize of the functions getvolumeUD or getverticeshr. Thus, to calculate the home range of the bear at this date, type:

```
> ver <- getverticeshr(uu, percent = 95, standardize = TRUE)
> image(uu)
> plot(ver, add = TRUE)
```



Note that it is possible to estimate the UD at a succession of  $t_i$  close in time, then to draw the images corresponding and save them in a file, and finally to combine these images into a movie. The movie can then be explored to identify patterns. For example, the following code can be used to generate image files (because it is very long, we do not execute it in this vignette:

```
> vv <- seq(min(bear[[1]]$date), max(bear[[1]]$date), length = 50)
> head(vv)
> re <- lapply(1:length(vv), function(i) {
+     uu <- kernelkc(bear, h = c(1000, 1000, 72 * 3600), tcalc = vv[i],
+          grid = 50)
+     jpeg(paste("UD", i, ".jpg", sep = ""))
+     image(uu, col = grey(seq(1, 0, length = 10)))</pre>
```

```
+ title(main = vv[i])
+ plot(getverticeshr(uu, 95, standardize = TRUE), lwd = 2,
+ border = "red", add = TRUE)
+ dev.off()
+ })
```

The images can then be combined using the program mencoder (Linux) or ImageMagick (Windows). For Linux users, the following command line can be used:

mencoder mf://\*.jpg -mf w=320:h=240:fps=15:type=jpeg -ovc lavc -o UD.avi

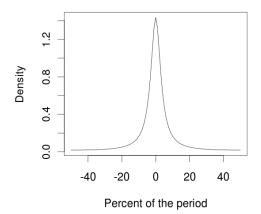
### 5.2.3 Application with time considered as a circular variable

Now, consider the time as a circular variable. We consider a time cycle of 24 hour. We will estimate the UD at 03h00. We have to define the beginning of the cycle (argument t0 of the function kernelkc). We consider that the time cycle begins at midnight (there is no particular reason, it is just to illustrate the function). We have to set, as the argument t0, any object of class POSIXct corresponding to a date at this hour, for example the 12/25/2012 at 00H00:

```
> t0 <- as.POSIXct("2012-12-25 00:00")
```

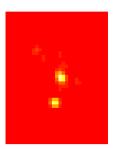
We define h = 0.2 for the time dimension (remember that h should be comprised between 0 and 1). We can have a look at the amount of weight given to the neighbouring time points of the point 3h00:

```
> exwc(0.2)
```



The function exwc draws a graph of the wrapped Cauchy distribution for the chosen h parameter (for circular time), so that it is possible to make one's mind concerning the weight that can be given to the neighbouring points of a given time point. Now use the function kernelkc to estimate the UD:

```
> uu <- kernelkc(bear, h = c(1000, 1000, 0.2), cycle = 24 * 3600,
+ tcalc = 3 * 3600, t0 = t0, circular = TRUE)
> image(uu)
```



Remark: In these examples, we have used the function kernelkc to estimate the UD at a given date, with an object of class ltraj as argument. However, note that the product kernel algorithm can be used on other kind of data. Thus, the function kernelkcbase accepts as argument a data frame with three columns (x, y and time). The example section on the help page of this function provides examples of use.

## 6 Convex hulls methods

Several methods relying on the calculation of multiple convex hulls have been developed to estimate the home range from relocation data. The package adehabitath implements three such methods. I describe these three methods in this section.

Remark: note that the function getverticeshr is generic, and can be used for all home-range estimation methods of the package adehabitatHR (except for the minimum convex polygon).

## 6.1 The single linkage algorithm

#### 6.1.1 The method

Kenward et al. (2001) proposed a modification of the single-linkage cluster analysis for the estimation of the home range. Whereas this method does not rely on a probabilistic definition of the home range (contrary to the kernel method), it can still be useful to identify the structure of the home range.

The clustering process is the following (also described on the help page of the function clusthr): the three locations with the minimum mean of nearest-neighbour joining distances (NNJD) form the first cluster. At each step of the clustering process, two distances are computed: (i) the minimum mean NNJD between three locations (which corresponds to the next potential cluster) and (ii) the minimum of the NNJD between a cluster "c" and the closest location. If (i) is smaller that (ii), another cluster is defined with these three locations. If (ii) is smaller than (i), the cluster "c" gains a new location. If this new location belong to another cluster, the two cluster fuses. The process stop when all relocations are assigned to the same cluster.

At each step of the clustering process, the proportion of all relocations which are assigned to a cluster is computed (so that the home range can be defined to enclose a given proportion of the relocations at hand, i.e. to an uncomplete process). At a given step, the home range is defined as the set of minimum convex polygons enclosing the relocations in the clusters.

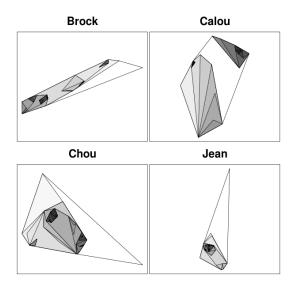
### 6.1.2 The function clusthr

Take as example the puechabonsp dataset:

```
> uu <- clusthr(puechabonsp$relocs[, 1])
> class(uu)
[1] "MCHu"
```

The class MCHu is returned by all the home range estimation methods based on clustering methods (LoCoH and single linkage). The object uu is basically a list of SpatialPolygonsDataFrame objects (one per animal). We can have a display of the home ranges by typing:

```
> plot(uu)
```



The information stored in each  ${\tt SpatialPolygonsDataFrame}$  object is the following (for example, for the third animal):

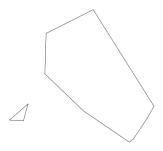
# > as.data.frame(uu[[3]])

	percent	area
1	7.5	0.02505
2	15.0	0.06240
3	22.5	0.11930
4	30.0	0.17420
5	37.5	0.18520
6	37.5	1.18020
7	40.0	1.62740
8	40.0	2.52375
9	42.5	3.05210
10	50.0	3.28650
11	50.0	3.71345
12	52.5	4.10105
13	55.0	4.85180
14	55.0	5.79000
15	57.5	6.70530
16	60.0	6.98955
17	67.5	7.66045
18	75.0	8.08420
19	77.5	9.33975
20	77.5	13.27250
21	77.5	30.72235
22	80.0	32.28935
23	82.5	37.80750

```
24
      85.0 37.80750
25
      87.5
           43.34810
26
      90.0
           44.71795
27
      90.0 64.17895
28
      92.5 68.91885
29
      95.0 71.93205
30
      97.5 100.12995
     100.0 162.84550
31
```

From this data frame, it is possible to extract a home range corresponding to a particular percentage of relocations enclosed in the home range. For example, the smallest home range enclosing 90% of the relocations corresponds to the row 26 of this data frame:

> plot(uu[[3]][26, ])



### 6.1.3 Rasterizing an object of class MCHu

It is possible to rasterize the estimated home ranges using the function MCHu.rast. For example, using the map component of the puechabonsp dataset:

```
> uur <- MCHu.rast(uu, puechabonsp$map, percent = 90)
> image(uur, 3)
```

### 6.1.4 Computing the home-range size

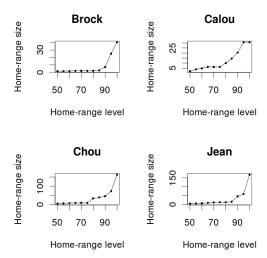
We already noticed that the object of class MCHu returned by the function clusthr contains the area of each home range. For example, for the first animal:

> head(as.data.frame(uu[[1]]))

```
percent area
1 10.00000 0.01790
2 13.33333 0.04565
3 23.33333 0.06635
4 26.66667 0.09470
5 36.66667 0.27170
6 36.66667 0.79285
```

and as usual, the units of these areas are controlled by the parameters unin and unout of the function clusthr. I also included a function MCHu2hrsize, which generates an object of class hrsize, and makes easier the exploration of the relationship between the home range size and the percentage of relocations included in the home range:

```
> ii <- MCHu2hrsize(uu, percent = seq(50, 100, by = 5))
```



Here, the choice of 90% seems a good choice for the estimation, as the areapercentage relationship seems to reach a rough asymptote (no steep fall in the decrease below this value).

#### 6.2 The LoCoH methods

The LoCoH (Local Convex Hulls) family of methods has been proposed by Getz et al. (2007) for locating Utilization Distributions from relocation data. Three possible algorithms can be used: Fixed k LoCoH, Fixed r LoCoH, and Adaptive LoCoH. The three algorithms are implemented in adehabitathr. All the algorithms work by constructing a small convex hull for each relocation and its neighbours, and then incrementally merging the hulls together from smallest to largest into isopleths. The 10% isopleth contains 10% of the points and represents a higher utilization than the 100% isopleth that contains all the points (as for the single linkage method). I describe the three methods below (this description is also on the help page of the functions LoCoH.k, LoCoH.r and LoCoH.a):

- Fixed k LoCoH: Also known as k-NNCH, Fixed k LoCoH is described in Getz and Willmers (2004). The convex hull for each point is constructed from the (k-1) nearest neighbors to that point. Hulls are merged together from smallest to largest based on the area of the hull. This method is implemented in the function LoCoH.k;
- **Fixed r LoCoH**: In this case, hulls are created from all points within r distance of the root point. When merging hulls, the hulls are primarily sorted by the value of k generated for each hull (the number of points contained in the hull), and secondly by the area of the hull. This method

is implemented in the function LoCoH.r;

• Adaptive LoCoH: Here, hulls are created out of the maximum nearest neighbors such that the sum of the distances from the nearest neighbors is less than or equal to d. Use the same hull sorting as Fixed r LoCoH. This method is implemented in the function LoCoH.a;

All of these algorithms can take a significant amount of time.

## 6.3 Example with the Fixed k LoCoH method

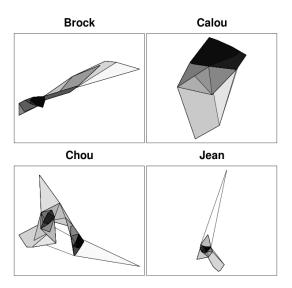
We use the fixed k LoCoH method to estimate the home range of the wild boars monitored at Puechabon, for example with k = 5:

```
> res <- LoCoH.k(puechabonsp$relocs[, 1], 10)
> class("res")
```

#### [1] "character"

The object returned by the function is of the class MCHu, as the objects returned by the function clusthr (see previous section). Consequently, all the functions developed for this class of objects can be used (including rasterization with MCHu.rast, computation of home-range size with MCHu2hrsize, etc.). A visual display of the home ranges can be obtained with:

## > plot(res)



Note that the relationship between the home range size and the number of chosen neighbours can be investigated thanks to the function LoCoH.k.area:

```
> LoCoH.k.area(puechabonsp$relocs[, 1], krange = seq(4, 15, length = 5),
+ percent = 100)
```

Just copy and paste the above code (it is not executed in this report). An asymptote seems to be reached at about 10 neighbours, which justifies the choice of 10 neighbours for an home range estimated with 100% of the relocations (a more stable home range size).

#### 6.4 The characteristic hull method

Downs and Horner (2009) developed an interesting method for the home range estimation. This method relies on the calculation of the Delaunay triangulation of the set of relocations. Then, the triangles are ordered according to their area (and not their perimeter). The smallest triangles correspond to the areas the most intensively used by the animals. It is then possible to derive the home range estimated for a given percentage level.

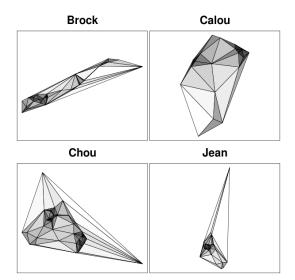
For example, consider the puechabonsp dataset.

```
> res <- CharHull(puechabonsp$relocs[, 1])
> class("res")
```

#### [1] "character"

The object returned by the function is also of the class MCHu, as the objects returned by the functions clusthr and LoCoH.\* (see previous sections). Consequently, all the functions developed for this class of objects can be used (including rasterization with MCHu.rast, computation of home-range size with MCHu2hrsize, extraction of the home-range contour with getverticeshr etc.). A visual display of the home ranges can be obtained with:

```
> plot(res)
```



## 7 Conclusion

I included in the package adehabitath several functions allowing the estimation of the home range and utilization distribution of animals using relocation data. These concepts are extremely useful for the study of animal space use, but they consider the use of space from a purely spatial point of view. In other words, time is not taken into account...

The package adehabitatLT represents an attempt to shift our point of view on relocation data toward a more dynamic point of view. Indeed, with the increasing use of GPS collars, the time dimension of the monitoring becomes more and more important in studies of animals space use. This package contains several functions developed for the analysis of trajectories. The class ltraj, which is at the very core of this package, has been developed to make possible the analysis of animals trajectories.

Another important aspect in the study of animals space use is the study of their relationships with the environment (i.e., habitat selection). The package adehabitatHS proposes several methods allowing to explore this aspect of animals space use. Several functions are implemented, relying on the study of the distribution of the time spent by the animals in the multidimensional space defined by the environmental variables. In addition to common methods in the analysis of habitat selection (compositional analysis of habitat use, selection ratios, etc.), the package adehabitatHS proposes several exploratory tools useful to identify patterns in habitat selection. The study of habitat selection by animals is possible through the interaction with the other brother packages (of the suite adehabitat), but also thanks to te tools provided by the package sp,

which allow to handle raster and vector maps of environmental variables. Note that the package adehabitatMA provides additionnal tools which can be useful in the particular field of habitat selection study.

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