

# Haplotype Assembly

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# Background

- 99.1% of DNA common, variations are SNPs
- SNPs - Single Nucleotide Polymorphisms

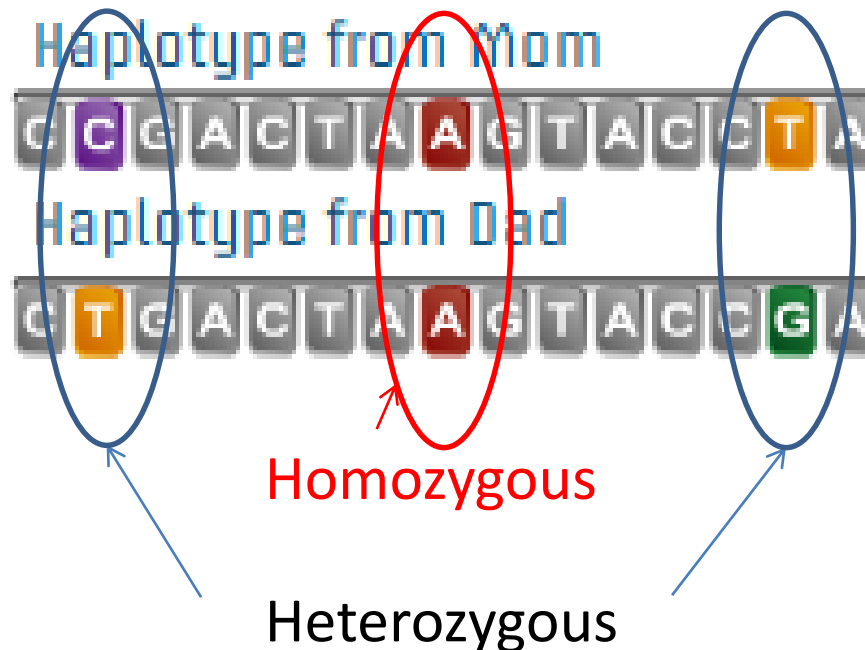


- Haplotypes - Possible Combination of SNPs

Haplotype 1	C	T	G	A	C	T	A	A	G	T	A	C	C	G	A
Haplotype 2	C	T	G	A	C	T	A	A	G	T	A	C	C	T	A
Haplotype 3	C	T	G	A	C	T	A	G	G	T	A	C	C	G	A
Haplotype 4	C	T	G	A	C	T	A	G	G	T	A	C	C	T	A
Haplotype 5	C	C	G	A	C	T	A	A	G	T	A	C	C	G	A
Haplotype 6	C	C	G	A	C	T	A	A	G	T	A	C	C	T	A
Haplotype 7	C	C	G	A	C	T	A	G	G	T	A	C	C	G	A
Haplotype 8	C	C	G	A	C	T	A	G	G	T	A	C	C	T	A

# Background

- People have 2 Haplotypes from homologous chromosomes, one from each parent
- The Haplotype pair sites can be homozygous or heterozygous

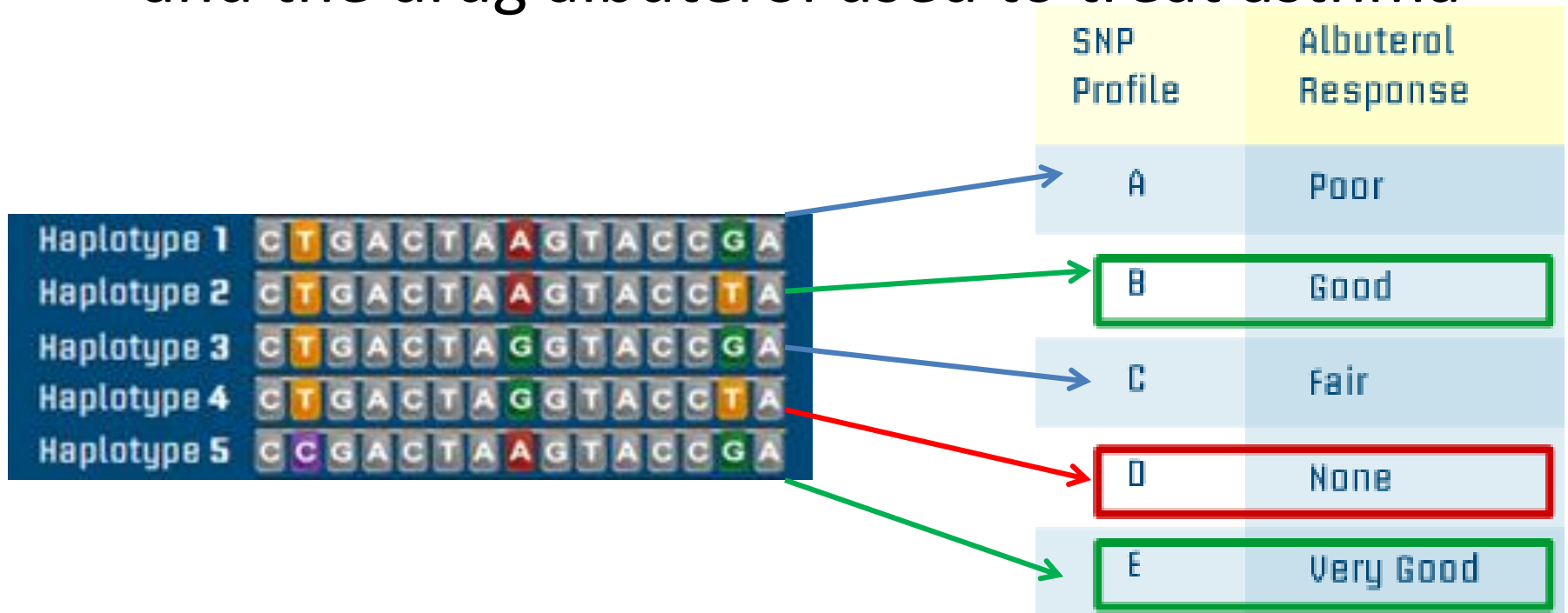


# Biological Problem

- Gene sequencers generate reads from both haplotypes
- Reads from the same region can contain data from either haplotype, making it difficult to determine which haplotype an individual read is from
- The goal is to reassemble the reads into the separate haplotypes using a greedy algorithm based on the differences in heterozygous sites

# Bio Problem - Motivation

- Why assemble the haplotypes?
- Consider the earlier haplotype SNP profiles and the drug albuterol used to treat asthma



# Computational Problem

- Input:  $N \times M$  Read Matrix

Reads[N]	SNPs[M]				
	-	-	1	1	0
	-	-	-	-	0
	-	-	0	0	1
	-	-	-	0	1
	1	1	0	-	-

- Output: Complementary haplotypes of length  $M$

H1 = 1    1    0    0    1  
H2 = 0    0    1    1    0

## Benchmarks:

- Computational time to analyze the read matrix
- Accuracy of output - % of the solution haplotype that matches the actual haplotype

# Simulating the Read Matrix

- Generate random positions of a certain number of heterozygous SNPs along a sequence of a certain length. Randomly assign each SNP to '0' or '1'
  - For each read, randomly choose a start position in the sequence and read a certain number of positions (read length). Randomly decide which haplotype the read is coming from
    - Ignore homozygous SNPs and common pairs, looking only for heterozygous SNP sites
    - To assemble the read, mark unread SNP sites with '\_'
  - Combine all the reads together to form the completed read matrix

# Baseline Method

1. Given M SNPs with possible values 0 or 1,  $2^M$  possible haplotypes exist
2. Compare each of the  $2^M$  possible haplotypes against the read matrix, discarding those that conflict with both the read and the complement of the read

0	0	0	0	0
0	0	0	0	1
0	0	0	1	0
0	0	0	1	1
.	.	.	.	.

**Benefits:** If the reads overlap and cover all the SNPs, will eventually find the correct solution

**Disadvantages:** SLOW and inefficient. Each of the  $2^M$  solutions may compare with all N of the reads



# Greedy Method

1. Sort the read matrix by first observed SNP position
2. In order, proceed down the sorted matrix and compare the overlaps of the reads one by one

1	1	0	—	—
—	0	1	—	—
—	—	0	0	—
—	—	—	0	1
—	—	—	—	0

- If the overlaps matches, combine the reads. If the overlaps don't match, combine the 1<sup>st</sup> read with the complement of the 2<sup>nd</sup> read

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**Benefits:** If the reads overlap and cover all the SNPs, will find the correct/optimal solution. FASTER than the baseline method

**Disadvantages:** Doesn't account for read errors (flipped value in an individual read)

# Analysis - Speed

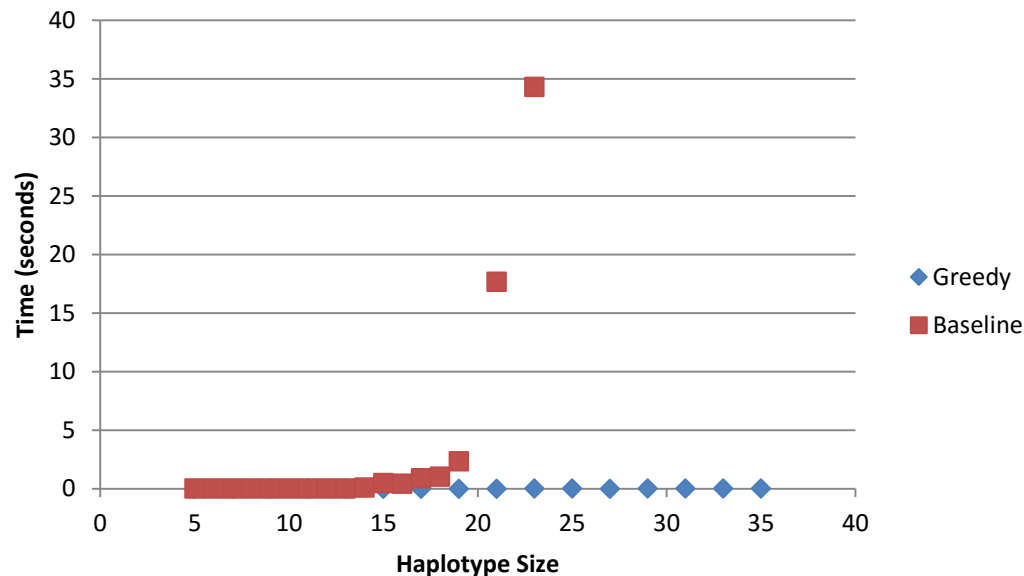
## 1. Baseline – Exponential

- $2^M * 2N$  possible comparisons
- Inefficient

## 2. Greedy – Linear

- Sorting done in single pass through matrix (more like rearranging)
- Haplotype assembly through read comparisons also done in single pass

**Baseline and Greedy Timing**

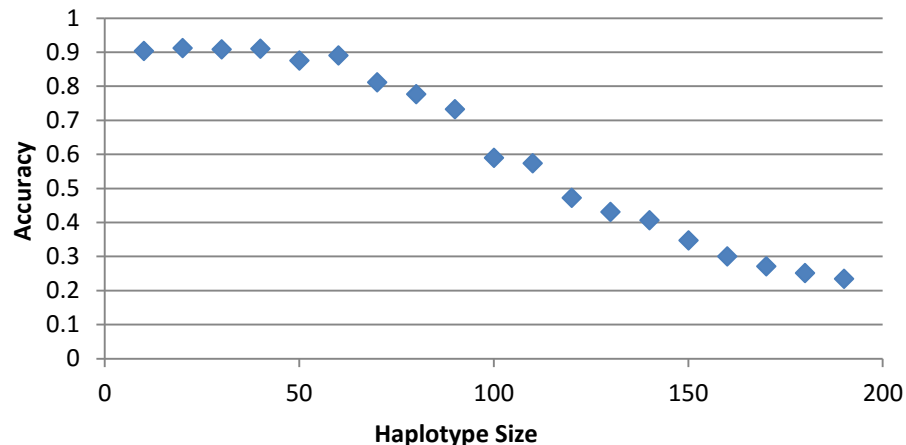


# Analysis – Greedy Accuracy

## 1. Varying the size of the haplotype

- Read length and number of reads kept constant
- More reads have to overlap to cover the entire haplotype

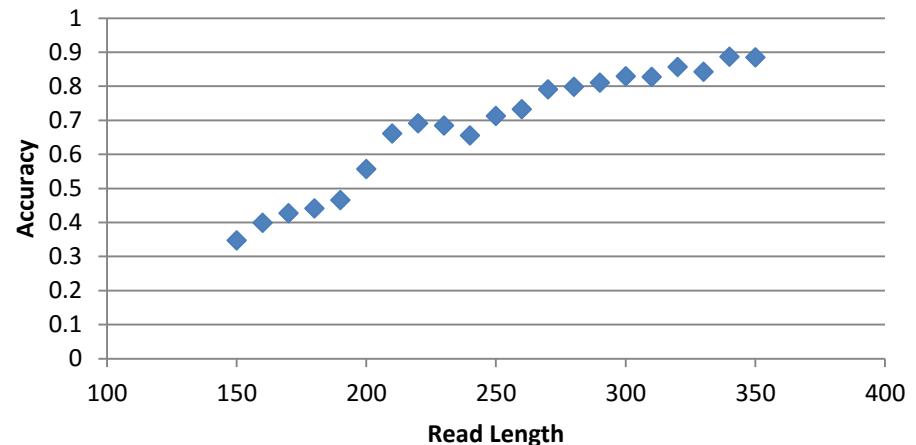
**Haplotype Size vs. Accuracy**



## 2. Increasing the read length

- Haplotype size and number of reads held constant
- Longer reads means more overlaps occur

**Read Length vs. Accuracy**



# Observations

- When the reads are extensive enough, greedy provides the correct and optimal solution
- However, when not enough overlaps are present in the reads, greedy is reduced to guessing which haplotype the read came from
- Number of previous reads from a given haplotype doesn't change the probability that the next read is from that haplotype
  - $P(R_{10} \text{ from } H_1 \mid R_1 - R_9 \text{ from } H_1) = P(R_i \text{ from } H_1)$