

Nov 27th/2016

1. Algorithm PrintLCS (lcs [i] [j]) {

$S \leftarrow \text{stack}$

$i \leftarrow \text{length of } x$

$j \leftarrow \text{length of } y$

 while ($i \neq 0$ and $j \neq 0$)

 if ($\text{lcs}[i][j] > \text{lcs}[i-1][j]$ and $\text{lcs}[i][j] > \text{lcs}[i][j-1]$)

$S.\text{Push}(\text{charAt}(\text{lcs}[i][j]), i-1, j-1)$

 if ($\text{lcs}[i][j] = \text{lcs}[i-1][j]$) $j--$

 if ($\text{lcs}[i][j] = \text{lcs}[i][j-1]$) $i--$

 while ($S \neq \text{empty}$) Print ($S.\text{Pop}()$)

2. Since we can decompose any feasible flow f on a network G into at most cycles and s - t path, we compose the flow into s - t paths and cycles. Each s - t path must end up in \bar{S} , it must go from set S to \bar{S} one more time from \bar{S} to S . Therefore, an s - t path carrying x flow along that path contributes exactly x to the value of the cut. A cycle must go from S to \bar{S} the same times as go from \bar{S} to S , contribute 0 to the value of the cut. Therefore, the total value of the cuts is equal to the sum of the flow along every s - t path i.e $f(x) = |f|$

$$|f| = \sum_{e \in S} f(e) - \sum_{e \in \bar{S}} f(e) = \sum_{e \in S} u(e) = f(x)$$

3. $i_1 = 29300000$

$i_2 = 293675$

$i_3 = 263675$

$i_4 = 263675$

$i_5 = 263675$

$i_6 = 263675$