

Problem 2931: Maximum Spending After Buying Items

Problem Information

Difficulty: Hard

Acceptance Rate: 60.87%

Paid Only: No

Tags: Array, Greedy, Sorting, Heap (Priority Queue), Matrix

Problem Description

You are given a **0-indexed** $m \times n$ integer matrix `values`, representing the values of $m \times n$ different items in m different shops. Each shop has n items where the j th item in the i th shop has a value of `values[i][j]`. Additionally, the items in the i th shop are sorted in non-increasing order of value. That is, `values[i][j] >= values[i][j + 1]` for all $0 \leq j < n - 1$.

On each day, you would like to buy a single item from one of the shops. Specifically, On the d th day you can:

- * Pick any shop i . * Buy the rightmost available item j for the price of `values[i][j] * d`. That is, find the greatest index j such that item j was never bought before, and buy it for the price of `values[i][j] * d`.

Note that all items are pairwise different. For example, if you have bought item 0 from shop 1 , you can still buy item 0 from any other shop.

Return **the maximum amount of money that can be spent** on buying all $m \times n$ products.

Example 1:

Input: `values = [[8,5,2],[6,4,1],[9,7,3]]` **Output:** 285 **Explanation:** On the first day, we buy product 2 from shop 1 for a price of `values[1][2] * 1 = 1`. On the second day, we buy product 2 from shop 0 for a price of `values[0][2] * 2 = 4`. On the third day, we buy product 2 from shop 2 for a price of `values[2][2] * 3 = 9`. On the fourth day, we buy product 1 from shop 1 for a price of `values[1][1] * 4 = 16`. On the fifth day, we buy product 1 from shop 0 for a price of

$\text{values}[0][1] * 5 = 25$. On the sixth day, we buy product 0 from shop 1 for a price of $\text{values}[1][0] * 6 = 36$. On the seventh day, we buy product 1 from shop 2 for a price of $\text{values}[2][1] * 7 = 49$. On the eighth day, we buy product 0 from shop 0 for a price of $\text{values}[0][0] * 8 = 64$. On the ninth day, we buy product 0 from shop 2 for a price of $\text{values}[2][0] * 9 = 81$. Hence, our total spending is equal to 285. It can be shown that 285 is the maximum amount of money that can be spent buying all $m * n$ products.

Example 2:

Input: $\text{values} = [[10,8,6,4,2],[9,7,5,3,2]]$ **Output:** 386 **Explanation:** On the first day, we buy product 4 from shop 0 for a price of $\text{values}[0][4] * 1 = 2$. On the second day, we buy product 4 from shop 1 for a price of $\text{values}[1][4] * 2 = 4$. On the third day, we buy product 3 from shop 1 for a price of $\text{values}[1][3] * 3 = 9$. On the fourth day, we buy product 3 from shop 0 for a price of $\text{values}[0][3] * 4 = 16$. On the fifth day, we buy product 2 from shop 1 for a price of $\text{values}[1][2] * 5 = 25$. On the sixth day, we buy product 2 from shop 0 for a price of $\text{values}[0][2] * 6 = 36$. On the seventh day, we buy product 1 from shop 1 for a price of $\text{values}[1][1] * 7 = 49$. On the eighth day, we buy product 1 from shop 0 for a price of $\text{values}[0][1] * 8 = 64$. On the ninth day, we buy product 0 from shop 1 for a price of $\text{values}[1][0] * 9 = 81$. On the tenth day, we buy product 0 from shop 0 for a price of $\text{values}[0][0] * 10 = 100$. Hence, our total spending is equal to 386. It can be shown that 386 is the maximum amount of money that can be spent buying all $m * n$ products.

Constraints:

$1 \leq m == \text{values.length} \leq 10$ $1 \leq n == \text{values}[i].\text{length} \leq 104$ $1 \leq \text{values}[i][j] \leq 106$ $\text{values}[i]$ are sorted in non-increasing order.

Code Snippets

C++:

```
class Solution {
public:
    long long maxSpending(vector<vector<int>>& values) {

    }
};
```

Java:

```
class Solution {  
    public long maxSpending(int[][] values) {  
  
    }  
}
```

Python3:

```
class Solution:  
    def maxSpending(self, values: List[List[int]]) -> int:
```