

Problem 1969: Minimum Non-Zero Product of the Array Elements

Problem Information

Difficulty: Medium

Acceptance Rate: 0.00%

Paid Only: No

Problem Description

You are given a positive integer

p

. Consider an array

nums

(

1-indexed

) that consists of the integers in the

inclusive

range

[1, 2

p

- 1]

in their binary representations. You are allowed to do the following operation

any

number of times:

Choose two elements

x

and

y

from

nums

.

Choose a bit in

x

and swap it with its corresponding bit in

y

. Corresponding bit refers to the bit that is in the

same position

in the other integer.

For example, if

$x = 11$

0

1

and

$y = 00$

1

1

, after swapping the

2

nd

bit from the right, we have

$x = 11$

1

1

and

$y = 00$

0

1

Find the

minimum non-zero

product of

nums

after performing the above operation

any

number of times. Return

this product

modulo

10

9

+ 7

.

Note:

The answer should be the minimum product

before

the modulo operation is done.

Example 1:

Input:

$p = 1$

Output:

1

Explanation:

nums = [1]. There is only one element, so the product equals that element.

Example 2:

Input:

p = 2

Output:

6

Explanation:

nums = [01, 10, 11]. Any swap would either make the product 0 or stay the same. Thus, the array product of $1 * 2 * 3 = 6$ is already minimized.

Example 3:

Input:

p = 3

Output:

1512

Explanation:

nums = [001, 010, 011, 100, 101, 110, 111] - In the first operation we can swap the leftmost bit of the second and fifth elements. - The resulting array is [001,

1

10, 011, 100,

0

`[01, 110, 111]`. - In the second operation we can swap the middle bit of the third and fourth elements. - The resulting array is `[001, 110, 0`

`0`

`1, 1`

`1`

`[0, 001, 110, 111]`. The array product is $1 * 6 * 1 * 6 * 1 * 6 * 7 = 1512$, which is the minimum possible product.

Constraints:

$1 \leq p \leq 60$

Code Snippets

C++:

```
class Solution {
public:
    int minNonZeroProduct(int p) {
        }
    };
}
```

Java:

```
class Solution {
public int minNonZeroProduct(int p) {
    }
}
}
```

Python3:

```
class Solution:
    def minNonZeroProduct(self, p: int) -> int:
```

Python:

```
class Solution(object):
    def minNonZeroProduct(self, p):
        """
        :type p: int
        :rtype: int
        """
```

JavaScript:

```
/**
 * @param {number} p
 * @return {number}
 */
var minNonZeroProduct = function(p) {

};
```

TypeScript:

```
function minNonZeroProduct(p: number): number {
}
```

C#:

```
public class Solution {
    public int MinNonZeroProduct(int p) {
        }
}
```

C:

```
int minNonZeroProduct(int p) {
}
```

Go:

```
func minNonZeroProduct(p int) int {
```

```
}
```

Kotlin:

```
class Solution {  
    fun minNonZeroProduct(p: Int): Int {  
          
    }  
}
```

Swift:

```
class Solution {  
    func minNonZeroProduct(_ p: Int) -> Int {  
          
    }  
}
```

Rust:

```
impl Solution {  
    pub fn min_non_zero_product(p: i32) -> i32 {  
          
    }  
}
```

Ruby:

```
# @param {Integer} p  
# @return {Integer}  
def min_non_zero_product(p)  
  
end
```

PHP:

```
class Solution {  
  
    /**  
     * @param Integer $p  
     * @return Integer  
     */
```

```
function minNonZeroProduct($p) {  
}  
}  
}
```

Dart:

```
class Solution {  
int minNonZeroProduct(int p) {  
  
}  
}  
}
```

Scala:

```
object Solution {  
def minNonZeroProduct(p: Int): Int = {  
  
}  
}  
}
```

Elixir:

```
defmodule Solution do  
@spec min_non_zero_product(p :: integer) :: integer  
def min_non_zero_product(p) do  
  
end  
end
```

Erlang:

```
-spec min_non_zero_product(P :: integer()) -> integer().  
min_non_zero_product(P) ->  
.
```

Racket:

```
(define/contract (min-non-zero-product p)  
  (-> exact-integer? exact-integer?)  
)
```

Solutions

C++ Solution:

```
/*
 * Problem: Minimum Non-Zero Product of the Array Elements
 * Difficulty: Medium
 * Tags: array, greedy, math
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(1) to O(n) depending on approach
 */

class Solution {
public:
    int minNonZeroProduct(int p) {

    }
};
```

Java Solution:

```
/**
 * Problem: Minimum Non-Zero Product of the Array Elements
 * Difficulty: Medium
 * Tags: array, greedy, math
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(1) to O(n) depending on approach
 */

class Solution {
    public int minNonZeroProduct(int p) {

    }
}
```

Python3 Solution:

```
"""
Problem: Minimum Non-Zero Product of the Array Elements
Difficulty: Medium
Tags: array, greedy, math
```

```
Approach: Use two pointers or sliding window technique
Time Complexity: O(n) or O(n log n)
Space Complexity: O(1) to O(n) depending on approach
```

```
"""
```

```
class Solution:
    def minNonZeroProduct(self, p: int) -> int:
        # TODO: Implement optimized solution
        pass
```

Python Solution:

```
class Solution(object):
    def minNonZeroProduct(self, p):
        """
        :type p: int
        :rtype: int
        """
```

JavaScript Solution:

```
/**
 * Problem: Minimum Non-Zero Product of the Array Elements
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 */

var minNonZeroProduct = function(p) {
```

```
};
```

TypeScript Solution:

```
/**  
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 * Difficulty: Medium  
 * Tags: array, greedy, math  
 *  
 * Approach: Use two pointers or sliding window technique  
 * Time Complexity: O(n) or O(n log n)  
 * Space Complexity: O(1) to O(n) depending on approach  
 */  
  
function minNonZeroProduct(p: number): number {  
  
};
```

C# Solution:

```
/*  
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 * Difficulty: Medium  
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 * Time Complexity: O(n) or O(n log n)  
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 */  
  
public class Solution {  
    public int MinNonZeroProduct(int p) {  
  
    }  
}
```

C Solution:

```
/*  
 * Problem: Minimum Non-Zero Product of the Array Elements  
 * Difficulty: Medium
```

```

* Tags: array, greedy, math
*
* Approach: Use two pointers or sliding window technique
* Time Complexity: O(n) or O(n log n)
* Space Complexity: O(1) to O(n) depending on approach
*/
int minNonZeroProduct(int p) {
}

```

Go Solution:

```

// Problem: Minimum Non-Zero Product of the Array Elements
// Difficulty: Medium
// Tags: array, greedy, math
//
// Approach: Use two pointers or sliding window technique
// Time Complexity: O(n) or O(n log n)
// Space Complexity: O(1) to O(n) depending on approach

func minNonZeroProduct(p int) int {
}

```

Kotlin Solution:

```

class Solution {
    fun minNonZeroProduct(p: Int): Int {
    }
}

```

Swift Solution:

```

class Solution {
    func minNonZeroProduct(_ p: Int) -> Int {
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Rust Solution:

```
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impl Solution {
    pub fn min_non_zero_product(p: i32) -> i32 {
        }

    }
}
```

Ruby Solution:

```
# @param {Integer} p
# @return {Integer}
def min_non_zero_product(p)

end
```

PHP Solution:

```
class Solution {

    /**
     * @param Integer $p
     * @return Integer
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    function minNonZeroProduct($p) {

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object Solution {  
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