

Problem 1514: Path with Maximum Probability

Problem Information

Difficulty: **Medium**

Acceptance Rate: 0.00%

Paid Only: No

Problem Description

You are given an undirected weighted graph of

n

nodes (0-indexed), represented by an edge list where

$\text{edges}[i] = [a, b]$

is an undirected edge connecting the nodes

a

and

b

with a probability of success of traversing that edge

$\text{succProb}[i]$

.

Given two nodes

start

and

end

, find the path with the maximum probability of success to go from

start

to

end

and return its success probability.

If there is no path from

start

to

end

,

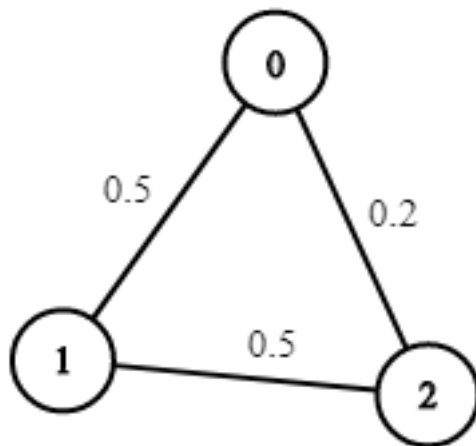
return 0

. Your answer will be accepted if it differs from the correct answer by at most

$1e-5$

.

Example 1:



Input:

$n = 3$, edges = $[[0,1],[1,2],[0,2]]$, succProb = $[0.5,0.5,0.2]$, start = 0, end = 2

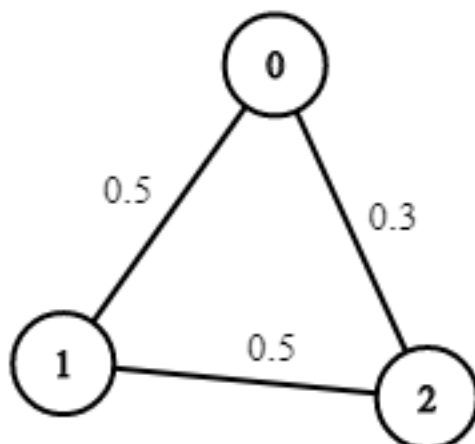
Output:

0.25000

Explanation:

There are two paths from start to end, one having a probability of success = 0.2 and the other has $0.5 * 0.5 = 0.25$.

Example 2:



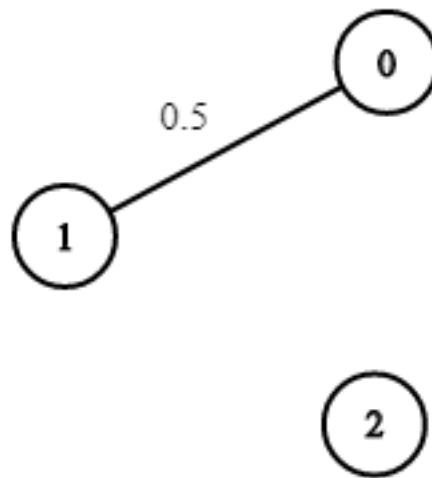
Input:

$n = 3$, $\text{edges} = [[0,1],[1,2],[0,2]]$, $\text{succProb} = [0.5,0.5,0.3]$, $\text{start} = 0$, $\text{end} = 2$

Output:

0.30000

Example 3:



Input:

$n = 3$, $\text{edges} = [[0,1]]$, $\text{succProb} = [0.5]$, $\text{start} = 0$, $\text{end} = 2$

Output:

0.00000

Explanation:

There is no path between 0 and 2.

Constraints:

$2 \leq n \leq 10^4$

$0 \leq \text{start}, \text{end} < n$

$\text{start} \neq \text{end}$

$0 \leq a, b < n$

$a \neq b$

$0 \leq \text{succProb.length} == \text{edges.length} \leq 2 \cdot 10^4$

$0 \leq \text{succProb}[i] \leq 1$

There is at most one edge between every two nodes.

Code Snippets

C++:

```
class Solution {
public:
    double maxProbability(int n, vector<vector<int>>& edges, vector<double>&
succProb, int start_node, int end_node) {

    }
};
```

Java:

```
class Solution {
    public double maxProbability(int n, int[][] edges, double[] succProb, int
start_node, int end_node) {

    }
}
```

Python3:

```
class Solution:
    def maxProbability(self, n: int, edges: List[List[int]], succProb:
List[float], start_node: int, end_node: int) -> float:
```

Python:

```

class Solution(object):
    def maxProbability(self, n, edges, succProb, start_node, end_node):
        """
        :type n: int
        :type edges: List[List[int]]
        :type succProb: List[float]
        :type start_node: int
        :type end_node: int
        :rtype: float
        """

```

JavaScript:

```

/**
 * @param {number} n
 * @param {number[][]} edges
 * @param {number[]} succProb
 * @param {number} start_node
 * @param {number} end_node
 * @return {number}
 */
var maxProbability = function(n, edges, succProb, start_node, end_node) {

};

```

TypeScript:

```

function maxProbability(n: number, edges: number[][], succProb: number[],
start_node: number, end_node: number): number {

};

```

C#:

```

public class Solution {
    public double MaxProbability(int n, int[][] edges, double[] succProb, int
start_node, int end_node) {

    }
}

```

C:

```
double maxProbability(int n, int** edges, int edgesSize, int* edgesColSize,
double* succProb, int succProbSize, int start_node, int end_node) {

}
```

Go:

```
func maxProbability(n int, edges [][]int, succProb []float64, start_node int,
end_node int) float64 {

}
```

Kotlin:

```
class Solution {
fun maxProbability(n: Int, edges: Array<IntArray>, succProb: DoubleArray,
start_node: Int, end_node: Int): Double {

}
}
```

Swift:

```
class Solution {
func maxProbability(_ n: Int, _ edges: [[Int]], _ succProb: [Double], _
start_node: Int, _ end_node: Int) -> Double {

}
}
```

Rust:

```
impl Solution {
pub fn max_probability(n: i32, edges: Vec<Vec<i32>>, succ_prob: Vec<f64>,
start_node: i32, end_node: i32) -> f64 {

}
}
```

Ruby:

```
# @param {Integer} n
# @param {Integer[][]} edges
```

```

# @param {Float[]} succ_prob
# @param {Integer} start_node
# @param {Integer} end_node
# @return {Float}
def max_probability(n, edges, succ_prob, start_node, end_node)

end

```

PHP:

```

class Solution {

    /**
     * @param Integer $n
     * @param Integer[][] $edges
     * @param Float[] $succProb
     * @param Integer $start_node
     * @param Integer $end_node
     * @return Float
     */
    function maxProbability($n, $edges, $succProb, $start_node, $end_node) {

    }

}

```

Dart:

```

class Solution {
  double maxProbability(int n, List<List<int>> edges, List<double> succProb,
    int start_node, int end_node) {

  }

}

```

Scala:

```

object Solution {
  def maxProbability(n: Int, edges: Array[Array[Int]], succProb: Array[Double],
    start_node: Int, end_node: Int): Double = {

  }

}

```


Elixir:

```
defmodule Solution do
  @spec max_probability(n :: integer, edges :: [[integer]], succ_prob ::
    [float], start_node :: integer, end_node :: integer) :: float
  def max_probability(n, edges, succ_prob, start_node, end_node) do

  end
end
```

Erlang:

```
-spec max_probability(N :: integer(), Edges :: [[integer()]], SuccProb ::
  [float()], Start_node :: integer(), End_node :: integer()) -> float().
max_probability(N, Edges, SuccProb, Start_node, End_node) ->
.
```

Racket:

```
(define/contract (max-probability n edges succProb start_node end_node)
  (-> exact-integer? (listof (listof exact-integer?)) (listof flonum?)
  exact-integer? exact-integer? flonum?)
)
```

Solutions

C++ Solution:

```
/*
 * Problem: Path with Maximum Probability
 * Difficulty: Medium
 * Tags: array, graph, queue, heap
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(1) to O(n) depending on approach
 */

class Solution {
public:
  double maxProbability(int n, vector<vector<int>>& edges, vector<double>&
```

```

succProb, int start_node, int end_node) {

}

};

```

Java Solution:

```

/**
 * Problem: Path with Maximum Probability
 * Difficulty: Medium
 * Tags: array, graph, queue, heap
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(1) to O(n) depending on approach
 */

class Solution {
    public double maxProbability(int n, int[][] edges, double[] succProb, int
start_node, int end_node) {

    }

}

```

Python3 Solution:

```

"""
Problem: Path with Maximum Probability
Difficulty: Medium
Tags: array, graph, queue, heap

Approach: Use two pointers or sliding window technique
Time Complexity: O(n) or O(n log n)
Space Complexity: O(1) to O(n) depending on approach
"""

class Solution:
    def maxProbability(self, n: int, edges: List[List[int]], succProb:
List[float], start_node: int, end_node: int) -> float:
        # TODO: Implement optimized solution
        pass

```

Python Solution:

```
class Solution(object):
    def maxProbability(self, n, edges, succProb, start_node, end_node):
        """
        :type n: int
        :type edges: List[List[int]]
        :type succProb: List[float]
        :type start_node: int
        :type end_node: int
        :rtype: float
        """
```

JavaScript Solution:

```
/**
 * Problem: Path with Maximum Probability
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/**
 * @param {number} n
 * @param {number[][]} edges
 * @param {number[]} succProb
 * @param {number} start_node
 * @param {number} end_node
 * @return {number}
 */
var maxProbability = function(n, edges, succProb, start_node, end_node) {

};
```

TypeScript Solution:

```
/**
 * Problem: Path with Maximum Probability
 * Difficulty: Medium
 * Tags: array, graph, queue, heap
```

```

*
* Approach: Use two pointers or sliding window technique
* Time Complexity:  $O(n)$  or  $O(n \log n)$ 
* Space Complexity:  $O(1)$  to  $O(n)$  depending on approach
*/

function maxProbability(n: number, edges: number[][], succProb: number[],
start_node: number, end_node: number): number {

};

```

C# Solution:

```

/*
* Problem: Path with Maximum Probability
* Difficulty: Medium
* Tags: array, graph, queue, heap
*
* Approach: Use two pointers or sliding window technique
* Time Complexity:  $O(n)$  or  $O(n \log n)$ 
* Space Complexity:  $O(1)$  to  $O(n)$  depending on approach
*/

public class Solution {
    public double MaxProbability(int n, int[][] edges, double[] succProb, int
start_node, int end_node) {

    }
}

```

C Solution:

```

/*
* Problem: Path with Maximum Probability
* Difficulty: Medium
* Tags: array, graph, queue, heap
*
* Approach: Use two pointers or sliding window technique
* Time Complexity:  $O(n)$  or  $O(n \log n)$ 
* Space Complexity:  $O(1)$  to  $O(n)$  depending on approach
*/

```

```
double maxProbability(int n, int** edges, int edgesSize, int* edgesColSize,
double* succProb, int succProbSize, int start_node, int end_node) {

}
```

Go Solution:

```
// Problem: Path with Maximum Probability
// Difficulty: Medium
// Tags: array, graph, queue, heap
//
// Approach: Use two pointers or sliding window technique
// Time Complexity: O(n) or O(n log n)
// Space Complexity: O(1) to O(n) depending on approach

func maxProbability(n int, edges [][]int, succProb []float64, start_node int,
end_node int) float64 {

}
```

Kotlin Solution:

```
class Solution {
fun maxProbability(n: Int, edges: Array<IntArray>, succProb: DoubleArray,
start_node: Int, end_node: Int): Double {

}
}
```

Swift Solution:

```
class Solution {
func maxProbability(_ n: Int, _ edges: [[Int]], _ succProb: [Double], _
start_node: Int, _ end_node: Int) -> Double {

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}
```

Rust Solution:

```
// Problem: Path with Maximum Probability
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// Tags: array, graph, queue, heap
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// Approach: Use two pointers or sliding window technique
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impl Solution {
    pub fn max_probability(n: i32, edges: Vec<Vec<i32>>, succ_prob: Vec<f64>,
        start_node: i32, end_node: i32) -> f64 {

    }
}
```

Ruby Solution:

```
# @param {Integer} n
# @param {Integer[][]} edges
# @param {Float[]} succ_prob
# @param {Integer} start_node
# @param {Integer} end_node
# @return {Float}
def max_probability(n, edges, succ_prob, start_node, end_node)

end
```

PHP Solution:

```
class Solution {

    /**
     * @param Integer $n
     * @param Integer[][] $edges
     * @param Float[] $succProb
     * @param Integer $start_node
     * @param Integer $end_node
     * @return Float
     */
    function maxProbability($n, $edges, $succProb, $start_node, $end_node) {

    }

}
```

```
}
```

Dart Solution:

```
class Solution {  
  double maxProbability(int n, List<List<int>> edges, List<double> succProb,  
    int start_node, int end_node) {  
  
  }  
}
```

Scala Solution:

```
object Solution {  
  def maxProbability(n: Int, edges: Array[Array[Int]], succProb: Array[Double],  
    start_node: Int, end_node: Int): Double = {  
  
  }  
}
```

Elixir Solution:

```
defmodule Solution do  
  @spec max_probability(n :: integer, edges :: [[integer]], succ_prob ::  
    [float], start_node :: integer, end_node :: integer) :: float  
  def max_probability(n, edges, succ_prob, start_node, end_node) do  
  
  end  
end
```

Erlang Solution:

```
-spec max_probability(N :: integer(), Edges :: [[integer()]], SuccProb ::  
  [float()], Start_node :: integer(), End_node :: integer()) -> float().  
max_probability(N, Edges, SuccProb, Start_node, End_node) ->  
.
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Racket Solution:

```
(define/contract (max-probability n edges succProb start_node end_node)  
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```

```
exact-integer? exact-integer? flonum?)  
)
```