

# Problem 3562: Maximum Profit from Trading Stocks with Discounts

## Problem Information

Difficulty: Hard

Acceptance Rate: 0.00%

Paid Only: No

## Problem Description

You are given an integer

$n$

, representing the number of employees in a company. Each employee is assigned a unique ID from 1 to

$n$

, and employee 1 is the CEO. You are given two

1-based

integer arrays,

present

and

future

, each of length

$n$

, where:

present[i]

represents the

current

price at which the

i

th

employee can buy a stock today.

future[i]

represents the

expected

price at which the

i

th

employee can sell the stock tomorrow.

The company's hierarchy is represented by a 2D integer array

hierarchy

, where

hierarchy[i] = [u

i

, v

i

]

means that employee

u

i

is the direct boss of employee

v

i

Additionally, you have an integer

budget

representing the total funds available for investment.

However, the company has a discount policy: if an employee's direct boss purchases their own stock, then the employee can buy their stock at

half

the original price (

$\text{floor}(\text{present}[v] / 2)$

).

Return the

maximum

profit that can be achieved without exceeding the given budget.

Note:

You may buy each stock at most

once

You

cannot

use any profit earned from future stock prices to fund additional investments and must buy only from

budget

Example 1:

Input:

$n = 2$ , present = [1,2], future = [4,3], hierarchy = [[1,2]], budget = 3

Output:

5

Explanation:



Employee 1 buys the stock at price 1 and earns a profit of

$$4 - 1 = 3$$

Since Employee 1 is the direct boss of Employee 2, Employee 2 gets a discounted price of

$$\text{floor}(2 / 2) = 1$$

Employee 2 buys the stock at price 1 and earns a profit of

$$3 - 1 = 2$$

The total buying cost is

$$1 + 1 = 2 \leq \text{budget}$$

. Thus, the maximum total profit achieved is

$$3 + 2 = 5$$

Example 2:

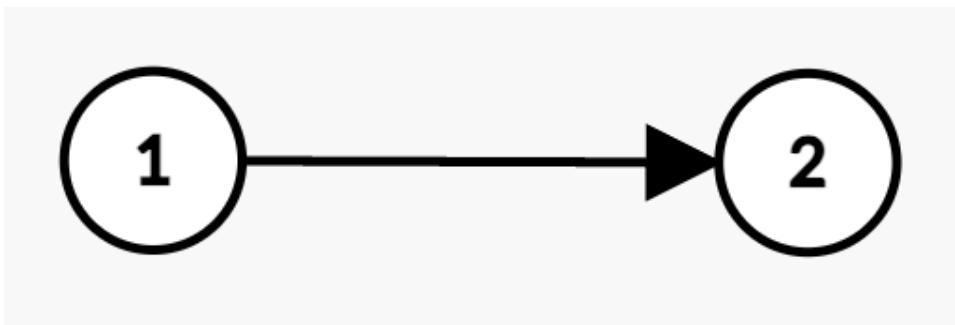
Input:

$n = 2$ , present = [3,4], future = [5,8], hierarchy = [[1,2]], budget = 4

Output:

4

Explanation:



Employee 2 buys the stock at price 4 and earns a profit of

$$8 - 4 = 4$$

Since both employees cannot buy together, the maximum profit is 4.

Example 3:

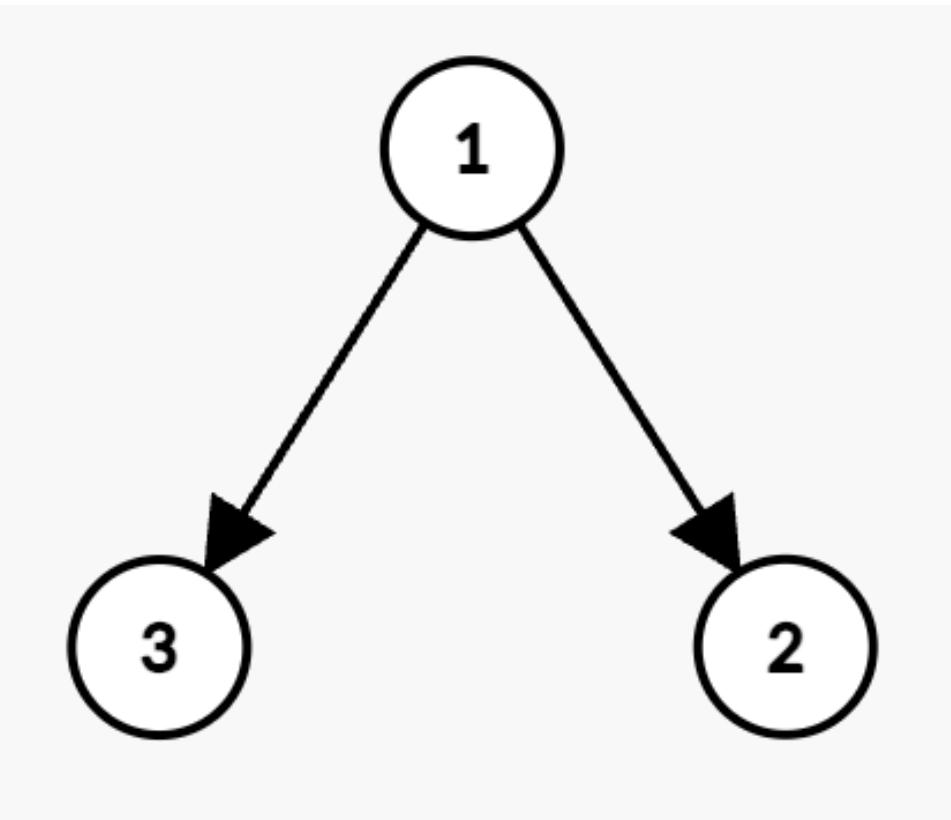
Input:

$n = 3$ , present = [4,6,8], future = [7,9,11], hierarchy = [[1,2],[1,3]], budget = 10

Output:

10

Explanation:



Employee 1 buys the stock at price 4 and earns a profit of

$$7 - 4 = 3$$

Employee 3 would get a discounted price of

$$\text{floor}(8 / 2) = 4$$

and earns a profit of

$$11 - 4 = 7$$

Employee 1 and Employee 3 buy their stocks at a total cost of

$$4 + 4 = 8 \leq \text{budget}$$

. Thus, the maximum total profit achieved is

$$3 + 7 = 10$$

.

Example 4:

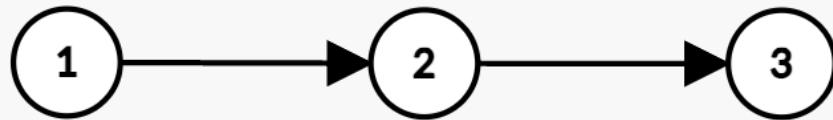
Input:

$$n = 3, \text{present} = [5,2,3], \text{future} = [8,5,6], \text{hierarchy} = [[1,2],[2,3]], \text{budget} = 7$$

Output:

12

Explanation:



Employee 1 buys the stock at price 5 and earns a profit of

$$8 - 5 = 3$$

.

Employee 2 would get a discounted price of

$$\text{floor}(2 / 2) = 1$$

and earns a profit of

$$5 - 1 = 4$$

.

Employee 3 would get a discounted price of

$$\text{floor}(3 / 2) = 1$$

and earns a profit of

$$6 - 1 = 5$$

.

The total cost becomes

$$5 + 1 + 1 = 7 \leq \text{budget}$$

. Thus, the maximum total profit achieved is

$$3 + 4 + 5 = 12$$

.

Constraints:

$$1 \leq n \leq 160$$

$$\text{present.length}, \text{future.length} == n$$

$$1 \leq \text{present}[i], \text{future}[i] \leq 50$$

$$\text{hierarchy.length} == n - 1$$

$$\text{hierarchy}[i] == [u$$

i

, v

i

]

$1 \leq u$

i

, v

i

$\leq n$

u

i

$\neq v$

i

$1 \leq \text{budget} \leq 160$

There are no duplicate edges.

Employee 1 is the direct or indirect boss of every employee.

The input graph

hierarchy

is

guaranteed

to have no cycles.

## Code Snippets

C++:

```
class Solution {  
public:  
    int maxProfit(int n, vector<int>& present, vector<int>& future,  
    vector<vector<int>>& hierarchy, int budget) {  
  
    }  
};
```

### Java:

```
class Solution {  
public int maxProfit(int n, int[] present, int[] future, int[][][] hierarchy,  
int budget) {  
  
}  
}
```

### Python3:

```
class Solution:  
    def maxProfit(self, n: int, present: List[int], future: List[int], hierarchy:  
        List[List[int]], budget: int) -> int:
```

### Python:

```
class Solution(object):  
    def maxProfit(self, n, present, future, hierarchy, budget):  
        """  
        :type n: int  
        :type present: List[int]  
        :type future: List[int]  
        :type hierarchy: List[List[int]]  
        :type budget: int  
        :rtype: int  
        """
```

### JavaScript:

```
/**  
 * @param {number} n  
 * @param {number[]} present  
 * @param {number[]} future  
 * @param {number[][]} hierarchy
```

```
* @param {number} budget
* @return {number}
*/
var maxProfit = function(n, present, future, hierarchy, budget) {
};

}
```

### TypeScript:

```
function maxProfit(n: number, present: number[], future: number[], hierarchy:
number[][][], budget: number): number {

};

}
```

### C#:

```
public class Solution {
public int MaxProfit(int n, int[] present, int[] future, int[][][] hierarchy,
int budget) {

}

}
```

### C:

```
int maxProfit(int n, int* present, int presentSize, int* future, int
futureSize, int** hierarchy, int hierarchySize, int* hierarchyColSize, int
budget) {

}
```

### Go:

```
func maxProfit(n int, present []int, future []int, hierarchy [][]int, budget
int) int {

}
```

### Kotlin:

```
class Solution {
fun maxProfit(n: Int, present: IntArray, future: IntArray, hierarchy:
```

```
    Array<IntArray>, budget: Int): Int {  
        }  
    }  
}
```

### Swift:

```
class Solution {  
    func maxProfit(_ n: Int, _ present: [Int], _ future: [Int], _ hierarchy: [[Int]], _ budget: Int) -> Int {  
        }  
    }  
}
```

### Rust:

```
impl Solution {  
    pub fn max_profit(n: i32, present: Vec<i32>, future: Vec<i32>, hierarchy: Vec<Vec<i32>>, budget: i32) -> i32 {  
        }  
    }  
}
```

### Ruby:

```
# @param {Integer} n  
# @param {Integer[]} present  
# @param {Integer[]} future  
# @param {Integer[][]} hierarchy  
# @param {Integer} budget  
# @return {Integer}  
def max_profit(n, present, future, hierarchy, budget)  
  
end
```

### PHP:

```
class Solution {  
  
    /**  
     * @param Integer $n  
     * @param Integer[] $present  
     * @param Integer[] $future
```

```

* @param Integer[][] $hierarchy
* @param Integer $budget
* @return Integer
*/
function maxProfit($n, $present, $future, $hierarchy, $budget) {

}
}

```

### Dart:

```

class Solution {
int maxProfit(int n, List<int> present, List<int> future, List<List<int>>
hierarchy, int budget) {
}

}

```

### Scala:

```

object Solution {
def maxProfit(n: Int, present: Array[Int], future: Array[Int], hierarchy:
Array[Array[Int]], budget: Int): Int = {

}
}

```

### Elixir:

```

defmodule Solution do
@spec max_profit(n :: integer, present :: [integer], future :: [integer],
hierarchy :: [[integer]], budget :: integer) :: integer
def max_profit(n, present, future, hierarchy, budget) do

end
end

```

### Erlang:

```

-spec max_profit(N :: integer(), Present :: [integer()], Future :: 
[integer()], Hierarchy :: [[integer()]], Budget :: integer()) -> integer().
max_profit(N, Present, Future, Hierarchy, Budget) ->

```

.

## Racket:

```
(define/contract (max-profit n present future hierarchy budget)
  (-> exact-integer? (listof exact-integer?) (listof exact-integer?) (listof
    (listof exact-integer?)) exact-integer? exact-integer?))
```

# Solutions

## C++ Solution:

```
/*
 * Problem: Maximum Profit from Trading Stocks with Discounts
 * Difficulty: Hard
 * Tags: array, tree, graph, dp, search
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(n) or O(n * m) for DP table
 */

class Solution {
public:
    int maxProfit(int n, vector<int>& present, vector<int>& future,
    vector<vector<int>>& hierarchy, int budget) {

    }
};
```

## Java Solution:

```
/**
 * Problem: Maximum Profit from Trading Stocks with Discounts
 * Difficulty: Hard
 * Tags: array, tree, graph, dp, search
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
```

```

* Space Complexity: O(n) or O(n * m) for DP table
*/

```

```

class Solution {
public int maxProfit(int n, int[] present, int[] future, int[][] hierarchy,
int budget) {

}
}

```

### Python3 Solution:

```

"""
Problem: Maximum Profit from Trading Stocks with Discounts
Difficulty: Hard
Tags: array, tree, graph, dp, search

```

Approach: Use two pointers or sliding window technique

Time Complexity: O(n) or O(n log n)

Space Complexity: O(n) or O(n \* m) for DP table

```

class Solution:
def maxProfit(self, n: int, present: List[int], future: List[int], hierarchy:
List[List[int]], budget: int) -> int:
# TODO: Implement optimized solution
pass

```

### Python Solution:

```

class Solution(object):
def maxProfit(self, n, present, future, hierarchy, budget):
"""
:type n: int
:type present: List[int]
:type future: List[int]
:type hierarchy: List[List[int]]
:type budget: int
:rtype: int
"""

```

### JavaScript Solution:

```
/**  
 * Problem: Maximum Profit from Trading Stocks with Discounts  
 * Difficulty: Hard  
 * Tags: array, tree, graph, dp, search  
 *  
 * Approach: Use two pointers or sliding window technique  
 * Time Complexity: O(n) or O(n log n)  
 * Space Complexity: O(n) or O(n * m) for DP table  
 */  
  
/**  
 * @param {number} n  
 * @param {number[]} present  
 * @param {number[]} future  
 * @param {number[][]} hierarchy  
 * @param {number} budget  
 * @return {number}  
 */  
var maxProfit = function(n, present, future, hierarchy, budget) {  
};
```

### TypeScript Solution:

```
/**  
 * Problem: Maximum Profit from Trading Stocks with Discounts  
 * Difficulty: Hard  
 * Tags: array, tree, graph, dp, search  
 *  
 * Approach: Use two pointers or sliding window technique  
 * Time Complexity: O(n) or O(n log n)  
 * Space Complexity: O(n) or O(n * m) for DP table  
 */  
  
function maxProfit(n: number, present: number[], future: number[], hierarchy: number[][], budget: number): number {  
};
```

### C# Solution:

```

/*
 * Problem: Maximum Profit from Trading Stocks with Discounts
 * Difficulty: Hard
 * Tags: array, tree, graph, dp, search
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(n) or O(n * m) for DP table
 */

public class Solution {
    public int MaxProfit(int n, int[] present, int[] future, int[][] hierarchy,
    int budget) {

    }
}

```

## C Solution:

```

/*
 * Problem: Maximum Profit from Trading Stocks with Discounts
 * Difficulty: Hard
 * Tags: array, tree, graph, dp, search
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(n) or O(n * m) for DP table
 */

int maxProfit(int n, int* present, int presentSize, int* future, int
futureSize, int** hierarchy, int hierarchySize, int* hierarchyColSize, int
budget) {

}

```

## Go Solution:

```

// Problem: Maximum Profit from Trading Stocks with Discounts
// Difficulty: Hard
// Tags: array, tree, graph, dp, search
//
// Approach: Use two pointers or sliding window technique

```

```

// Time Complexity: O(n) or O(n log n)
// Space Complexity: O(n) or O(n * m) for DP table

func maxProfit(n int, present []int, future []int, hierarchy [][]int, budget
int) int {

}

```

### Kotlin Solution:

```

class Solution {
    fun maxProfit(n: Int, present: IntArray, future: IntArray, hierarchy:
        Array<IntArray>, budget: Int): Int {
        ...
    }
}

```

### Swift Solution:

```

class Solution {
    func maxProfit(_ n: Int, _ present: [Int], _ future: [Int], _ hierarchy:
        [[Int]], _ budget: Int) -> Int {
        ...
    }
}

```

### Rust Solution:

```

// Problem: Maximum Profit from Trading Stocks with Discounts
// Difficulty: Hard
// Tags: array, tree, graph, dp, search
//
// Approach: Use two pointers or sliding window technique
// Time Complexity: O(n) or O(n log n)
// Space Complexity: O(n) or O(n * m) for DP table

impl Solution {
    pub fn max_profit(n: i32, present: Vec<i32>, future: Vec<i32>, hierarchy:
        Vec<Vec<i32>>, budget: i32) -> i32 {
        ...
    }
}

```

```
}
```

### Ruby Solution:

```
# @param {Integer} n
# @param {Integer[]} present
# @param {Integer[]} future
# @param {Integer[][]} hierarchy
# @param {Integer} budget
# @return {Integer}

def max_profit(n, present, future, hierarchy, budget)

end
```

### PHP Solution:

```
class Solution {

    /**
     * @param Integer $n
     * @param Integer[] $present
     * @param Integer[] $future
     * @param Integer[][] $hierarchy
     * @param Integer $budget
     * @return Integer
     */
    function maxProfit($n, $present, $future, $hierarchy, $budget) {

    }
}
```

### Dart Solution:

```
class Solution {
  int maxProfit(int n, List<int> present, List<int> future, List<List<int>>
hierarchy, int budget) {
    }

}
```

### Scala Solution:

```

object Solution {
    def maxProfit(n: Int, present: Array[Int], future: Array[Int], hierarchy:
    Array[Array[Int]], budget: Int): Int = {
        }
    }
}

```

### Elixir Solution:

```

defmodule Solution do
  @spec max_profit(n :: integer, present :: [integer], future :: [integer],
  hierarchy :: [[integer]], budget :: integer) :: integer
  def max_profit(n, present, future, hierarchy, budget) do
    end
  end
end

```

### Erlang Solution:

```

-spec max_profit(N :: integer(), Present :: [integer()], Future :: [integer()],
Hierarchy :: [[integer()]], Budget :: integer()) -> integer().
max_profit(N, Present, Future, Hierarchy, Budget) ->
  .

```

### Racket Solution:

```

(define/contract (max-profit n present future hierarchy budget)
  (-> exact-integer? (listof exact-integer?) (listof exact-integer?) (listof
  (listof exact-integer?)) exact-integer? exact-integer?))

```