

# Problem 2058: Find the Minimum and Maximum Number of Nodes Between Critical Points

## Problem Information

**Difficulty:** Medium

**Acceptance Rate:** 69.44%

**Paid Only:** No

**Tags:** Linked List

## Problem Description

A \*\*critical point\*\* in a linked list is defined as \*\*either\*\* a \*\*local maxima\*\* or a \*\*local minima\*\*.

A node is a \*\*local maxima\*\* if the current node has a value \*\*strictly greater\*\* than the previous node and the next node.

A node is a \*\*local minima\*\* if the current node has a value \*\*strictly smaller\*\* than the previous node and the next node.

Note that a node can only be a local maxima/minima if there exists \*\*both\*\* a previous node and a next node.

Given a linked list `head`, return \_an array of length 2 containing\_`[minDistance, maxDistance]`\_where\_`minDistance`\_is the\*\*minimum distance\*\* between \*\*any two distinct\*\* critical points and \_`maxDistance`\_is the\*\*maximum distance\*\* between \*\*any two distinct\*\* critical points. If there are \*\*fewer\*\* than two critical points, return \_`[-1, -1]`\_.

**Example 1:**



**Input:** head = [3,1] **Output:** [-1,-1] **Explanation:** There are no critical points in [3,1].

**Example 2:**



**Input:** head = [5,3,1,2,5,1,2] **Output:** [1,3] **Explanation:** There are three critical points: - [5,3,1,2,5,1,2]: The third node is a local minima because 1 is less than 3 and 2. - [5,3,1,2,5,1,2]: The fifth node is a local maxima because 5 is greater than 2 and 1. - [5,3,1,2,5,1,2]: The sixth node is a local minima because 1 is less than 5 and 2. The minimum distance is between the fifth and the sixth node.  $\text{minDistance} = 6 - 5 = 1$ . The maximum distance is between the third and the sixth node.  $\text{maxDistance} = 6 - 3 = 3$ .

**Example 3:**



**Input:** head = [1,3,2,2,3,2,2,2,7] **Output:** [3,3] **Explanation:** There are two critical points: - [1,3,2,2,3,2,2,2,7]: The second node is a local maxima because 3 is greater than 1 and 2. - [1,3,2,2,3,2,2,2,7]: The fifth node is a local maxima because 3 is greater than 2 and 2. Both the minimum and maximum distances are between the second and the fifth node. Thus,  $\text{minDistance}$  and  $\text{maxDistance}$  is  $5 - 2 = 3$ . Note that the last node is not considered a local maxima because it does not have a next node.

**Constraints:**

\* The number of nodes in the list is in the range `[2, 105]`. \*  $1 \leq \text{Node.val} \leq 105$

## Code Snippets

**C++:**

```
/*
 * Definition for singly-linked list.
 * struct ListNode {
 *     int val;
 *     ListNode *next;
 *     ListNode() : val(0), next(nullptr) {}
 *     ListNode(int x) : val(x), next(nullptr) {}
 *     ListNode(int x, ListNode *next) : val(x), next(next) {}
 * };
 */
class Solution {
```

```
public:  
vector<int> nodesBetweenCriticalPoints(ListNode* head) {  
  
}  
};
```

### Java:

```
/**  
 * Definition for singly-linked list.  
 * public class ListNode {  
 * int val;  
 * ListNode next;  
 * ListNode() {}  
 * ListNode(int val) { this.val = val; }  
 * ListNode(int val, ListNode next) { this.val = val; this.next = next; }  
 * }  
 */  
class Solution {  
public int[] nodesBetweenCriticalPoints(ListNode head) {  
  
}  
}
```

### Python3:

```
# Definition for singly-linked list.  
# class ListNode:  
# def __init__(self, val=0, next=None):  
#     self.val = val  
#     self.next = next  
class Solution:  
    def nodesBetweenCriticalPoints(self, head: Optional[ListNode]) -> List[int]:
```