

# Problem 1761: Minimum Degree of a Connected Trio in a Graph

## Problem Information

**Difficulty:** Hard

**Acceptance Rate:** 43.99%

**Paid Only:** No

**Tags:** Graph, Enumeration

## Problem Description

You are given an undirected graph. You are given an integer `n` which is the number of nodes in the graph and an array `edges`, where each `edges[i] = [ui, vi]` indicates that there is an undirected edge between `ui` and `vi`.

A \*\*connected trio\*\* is a set of \*\*three\*\* nodes where there is an edge between \*\*every\*\* pair of them.

The \*\*degree of a connected trio\*\* is the number of edges where one endpoint is in the trio, and the other is not.

Return \_the\*\*minimum\*\* degree of a connected trio in the graph, or\_ ` -1` \_if the graph has no connected trios.\_

**Example 1:**



**Input:** n = 6, edges = [[1,2],[1,3],[3,2],[4,1],[5,2],[3,6]] **Output:** 3 **Explanation:** There is exactly one trio, which is [1,2,3]. The edges that form its degree are bolded in the figure above.

**Example 2:**



**\*\*Input:\*\*** n = 7, edges = [[1,3],[4,1],[4,3],[2,5],[5,6],[6,7],[7,5],[2,6]] **\*\*Output:\*\*** 0  
**\*\*Explanation:\*\*** There are exactly three trios: 1) [1,4,3] with degree 0. 2) [2,5,6] with degree 2. 3) [5,6,7] with degree 2.

**\*\*Constraints:\*\***

$2 \leq n \leq 400$   $\text{edges}[i].length == 2$   $1 \leq \text{edges.length} \leq n$   $(n-1) / 2 \geq 1 \leq ui, vi \leq n$   $ui \neq vi$  There are no repeated edges.

## Code Snippets

### C++:

```
class Solution {
public:
    int minTrioDegree(int n, vector<vector<int>>& edges) {
        }
    };
}
```

### Java:

```
class Solution {
public int minTrioDegree(int n, int[][] edges) {
        }
    }
}
```

### Python3:

```
class Solution:
    def minTrioDegree(self, n: int, edges: List[List[int]]) -> int:
```