

# Problem 2361: Minimum Costs Using the Train Line

## Problem Information

**Difficulty:** Hard

**Acceptance Rate:** 77.79%

**Paid Only:** Yes

**Tags:** Array, Dynamic Programming

## Problem Description

A train line going through a city has two routes, the regular route and the express route. Both routes go through the \*\*same\*\* `n + 1` stops labeled from `0` to `n`. Initially, you start on the regular route at stop `0`.

You are given two \*\*1-indexed\*\* integer arrays `regular` and `express`, both of length `n`. `regular[i]` describes the cost it takes to go from stop `i - 1` to stop `i` using the regular route, and `express[i]` describes the cost it takes to go from stop `i - 1` to stop `i` using the express route.

You are also given an integer `expressCost` which represents the cost to transfer from the regular route to the express route.

Note that:

\* There is no cost to transfer from the express route back to the regular route.  
\* You pay `expressCost` \*\*every\*\* time you transfer from the regular route to the express route.  
\* There is no extra cost to stay on the express route.

Return \_a\*\*1-indexed\*\* array \_`costs` \_of length\_ `n` \_, where\_ `costs[i]` \_is the\*\*minimum\*\* cost to reach stop\_ `i` \_from stop\_ `0`\_.

Note that a stop can be counted as \*\*reached\*\* from either route.

**Example 1:**



**Input:** regular = [1,6,9,5], express = [5,2,3,10], expressCost = 8 **Output:** [1,7,14,19]  
**Explanation:** The diagram above shows how to reach stop 4 from stop 0 with minimum cost. - Take the regular route from stop 0 to stop 1, costing 1. - Take the express route from stop 1 to stop 2, costing  $8 + 2 = 10$ . - Take the express route from stop 2 to stop 3, costing 3. - Take the regular route from stop 3 to stop 4, costing 5. The total cost is  $1 + 10 + 3 + 5 = 19$ . Note that a different route could be taken to reach the other stops with minimum cost.

**Example 2:**



**Input:** regular = [11,5,13], express = [7,10,6], expressCost = 3 **Output:** [10,15,24]  
**Explanation:** The diagram above shows how to reach stop 3 from stop 0 with minimum cost. - Take the express route from stop 0 to stop 1, costing  $3 + 7 = 10$ . - Take the regular route from stop 1 to stop 2, costing 5. - Take the express route from stop 2 to stop 3, costing  $3 + 6 = 9$ . The total cost is  $10 + 5 + 9 = 24$ . Note that the expressCost is paid again to transfer back to the express route.

**Constraints:**

\* `n == regular.length == express.length` \* `1 <= n <= 105` \* `1 <= regular[i], express[i], expressCost <= 105`

## Code Snippets

**C++:**

```
class Solution {
public:
    vector<long long> minimumCosts(vector<int>& regular, vector<int>& express,
        int expressCost) {
    }
};
```

**Java:**

```
class Solution {  
public long[] minimumCosts(int[] regular, int[] express, int expressCost) {  
}  
}  
}
```

### Python3:

```
class Solution:  
def minimumCosts(self, regular: List[int], express: List[int], expressCost:  
int) -> List[int]:
```