

# Problem 3613: Minimize Maximum Component Cost

## Problem Information

**Difficulty:** Medium

**Acceptance Rate:** 43.16%

**Paid Only:** No

**Tags:** Binary Search, Union Find, Graph, Sorting

## Problem Description

You are given an undirected connected graph with `n` nodes labeled from 0 to `n - 1` and a 2D integer array `edges` where `edges[i] = [ui, vi, wi]` denotes an undirected edge between node `ui` and node `vi` with weight `wi`, and an integer `k`.

You are allowed to remove any number of edges from the graph such that the resulting graph has \*\*at most\*\* `k` connected components.

The \*\*cost\*\* of a component is defined as the \*\*maximum\*\* edge weight in that component. If a component has no edges, its cost is 0.

Return the \*\*minimum\*\* possible value of the \*\*maximum\*\* cost among all components \*\*after such removals\*\*.

**Example 1:**

**Input:** n = 5, edges = [[0,1,4],[1,2,3],[1,3,2],[3,4,6]], k = 2

**Output:** 4

**Explanation:**



\* Remove the edge between nodes 3 and 4 (weight 6). \* The resulting components have costs of 0 and 4, so the overall maximum cost is 4.

**Example 2:**

**Input:** n = 4, edges = [[0,1,5],[1,2,5],[2,3,5]], k = 1

**Output:** 5

**Explanation:**



\* No edge can be removed, since allowing only one component ('k = 1') requires the graph to stay fully connected. \* That single component's cost equals its largest edge weight, which is 5.

**Constraints:**

\* `1 <= n <= 5` \* `0 <= edges.length <= 105` \* `edges[i].length == 3` \* `0 <= ui, vi < n` \* `1 <= wi <= 106` \* `1 <= k <= n` \* The input graph is connected.

## Code Snippets

**C++:**

```
class Solution {
public:
    int minCost(int n, vector<vector<int>>& edges, int k) {
        ...
    }
};
```

**Java:**

```
class Solution {
public int minCost(int n, int[][] edges, int k) {
    ...
}
```

**Python3:**

```
class Solution:  
    def minCost(self, n: int, edges: List[List[int]], k: int) -> int:
```