

Problem 2281: Sum of Total Strength of Wizards

Problem Information

Difficulty: Hard

Acceptance Rate: 28.83%

Paid Only: No

Tags: Array, Stack, Monotonic Stack, Prefix Sum

Problem Description

As the ruler of a kingdom, you have an army of wizards at your command.

You are given a **0-indexed** integer array `strength`, where `strength[i]` denotes the strength of the `ith` wizard. For a **contiguous** group of wizards (i.e. the wizards' strengths form a **subarray** of `strength`), the **total strength** is defined as the **product** of the following two values:

- * The strength of the **weakest** wizard in the group.
- * The **total** of all the individual strengths of the wizards in the group.

Return _the**sum** of the total strengths of **all** contiguous groups of wizards_. Since the answer may be very large, return it **modulo** `109 + 7`.

A **subarray** is a contiguous **non-empty** sequence of elements within an array.

Example 1:

Input: strength = [1,3,1,2] **Output:** 44 **Explanation:** The following are all the contiguous groups of wizards:
- [1] from [1,3,1,2] has a total strength of $\min([1]) * \text{sum}([1]) = 1 * 1 = 1$
- [3] from [1,3,1,2] has a total strength of $\min([3]) * \text{sum}([3]) = 3 * 3 = 9$
- [1] from [1,3,1,2] has a total strength of $\min([1]) * \text{sum}([1]) = 1 * 1 = 1$
- [2] from [1,3,1,2] has a total strength of $\min([2]) * \text{sum}([2]) = 2 * 2 = 4$
- [1,3] from [1,3,1,2] has a total strength of $\min([1,3]) * \text{sum}([1,3]) = 1 * 4 = 4$
- [3,1] from [1,3,1,2] has a total strength of $\min([3,1]) * \text{sum}([3,1]) = 1 * 4 = 4$
- [1,2] from [1,3,1,2] has a total strength of $\min([1,2]) * \text{sum}([1,2]) = 1 * 3 = 3$
- [1,3,1] from [1,3,1,2] has a total strength of $\min([1,3,1]) * \text{sum}([1,3,1]) = 1 * 5 = 5$
- [3,1,2] from [1,3,1,2] has a total strength of $\min([3,1,2]) * \text{sum}([3,1,2]) = 1 * 6 = 6$

$\min([3,1,2]) * \sum([3,1,2]) = 1 * 6 = 6$ - [1,3,1,2] from $[_^{**}1,3,1,2^{**} _]$ has a total strength of $\min([1,3,1,2]) * \sum([1,3,1,2]) = 1 * 7 = 7$ The sum of all the total strengths is $1 + 9 + 1 + 4 + 4 + 4 + 3 + 5 + 6 + 7 = 44$.

Example 2:

Input: strength = [5,4,6] **Output:** 213 **Explanation:** The following are all the contiguous groups of wizards: - [5] from $[_^{**}5^{**} _ ,4,6]$ has a total strength of $\min([5]) * \sum([5]) = 5 * 5 = 25$ - [4] from $[5, _^{**}4^{**} _ ,6]$ has a total strength of $\min([4]) * \sum([4]) = 4 * 4 = 16$ - [6] from $[5,4, _^{**}6^{**} _]$ has a total strength of $\min([6]) * \sum([6]) = 6 * 6 = 36$ - [5,4] from $[_^{**}5,4^{**} _ ,6]$ has a total strength of $\min([5,4]) * \sum([5,4]) = 4 * 9 = 36$ - [4,6] from $[5, _^{**}4,6^{**} _]$ has a total strength of $\min([4,6]) * \sum([4,6]) = 4 * 10 = 40$ - [5,4,6] from $[_^{**}5,4,6^{**} _]$ has a total strength of $\min([5,4,6]) * \sum([5,4,6]) = 4 * 15 = 60$ The sum of all the total strengths is $25 + 16 + 36 + 36 + 40 + 60 = 213$.

Constraints:

$1 \leq \text{strength.length} \leq 105$ $1 \leq \text{strength}[i] \leq 109$

Code Snippets

C++:

```
class Solution {
public:
    int totalStrength(vector<int>& strength) {
    }
};
```

Java:

```
class Solution {
    public int totalStrength(int[] strength) {
    }
}
```

Python3:

```
class Solution:  
    def totalStrength(self, strength: List[int]) -> int:
```