

# Problem 3067: Count Pairs of Connectable Servers in a Weighted Tree Network

## Problem Information

Difficulty: Medium

Acceptance Rate: 55.13%

Paid Only: No

Tags: Array, Tree, Depth-First Search

## Problem Description

You are given an unrooted weighted tree with  $n$  vertices representing servers numbered from  $0$  to  $n - 1$ , an array `edges` where `edges[i] = [ai, bi, weighti]` represents a bidirectional edge between vertices `ai` and `bi` of weight `weighti`. You are also given an integer `signalSpeed`.

Two servers `a` and `b` are **connectable** through a server `c` if:

\*  $a < b$ ,  $a \neq c$  and  $b \neq c$ . \* The distance from `c` to `a` is divisible by `signalSpeed`. \* The distance from `c` to `b` is divisible by `signalSpeed`. \* The path from `c` to `b` and the path from `c` to `a` do not share any edges.

Return an integer array `count` of length  $n$  where `count[i]` is the **number** of server pairs that are **connectable** through the server `i`.

**Example 1.**



**Input:** `edges = [[0,1,1],[1,2,5],[2,3,13],[3,4,9],[4,5,2]]`, `signalSpeed = 1` **Output:** `[0,4,6,6,4,0]` **Explanation:** Since `signalSpeed` is 1, `count[c]` is equal to the number of pairs of paths that start at `c` and do not share any edges. In the case of the given path graph, `count[c]` is equal to the number of servers to the left of `c` multiplied by the servers to the right of `c`.

**Example 2.**



**Input:** edges = [[0,6,3],[6,5,3],[0,3,1],[3,2,7],[3,1,6],[3,4,2]], signalSpeed = 3 **Output:** [2,0,0,0,0,2] **Explanation:** Through server 0, there are 2 pairs of connectable servers: (4, 5) and (4, 6). Through server 6, there are 2 pairs of connectable servers: (4, 5) and (0, 5). It can be shown that no two servers are connectable through servers other than 0 and 6.

**Constraints:**

$2 \leq n \leq 1000$   $\text{edges.length} == n - 1$   $\text{edges}[i].\text{length} == 3$   $0 \leq a_i, b_i < n$   $\text{edges}[i] = [a_i, b_i, \text{weight}_i]$   $1 \leq \text{weight}_i \leq 10^6$   $1 \leq \text{signalSpeed} \leq 10^6$  The input is generated such that `edges` represents a valid tree.

## Code Snippets

**C++:**

```
class Solution {
public:
    vector<int> countPairsOfConnectableServers(vector<vector<int>>& edges, int
    signalSpeed) {

    }
};
```

**Java:**

```
class Solution {
    public int[] countPairsOfConnectableServers(int[][] edges, int signalSpeed) {

    }
}
```

**Python3:**

```
class Solution:
    def countPairsOfConnectableServers(self, edges: List[List[int]], signalSpeed:
    int) -> List[int]:
```