

# Problem 2493: Divide Nodes Into the Maximum Number of Groups

## Problem Information

**Difficulty:** Hard

**Acceptance Rate:** 67.13%

**Paid Only:** No

**Tags:** Depth-First Search, Breadth-First Search, Union Find, Graph

## Problem Description

You are given a positive integer `n` representing the number of nodes in an **undirected** graph. The nodes are labeled from `1` to `n`.

You are also given a 2D integer array `edges`, where `edges[i] = [ai, bi]` indicates that there is a **bidirectional** edge between nodes `ai` and `bi`. **Notice** that the given graph may be disconnected.

Divide the nodes of the graph into `m` groups (**1-indexed**) such that:

\* Each node in the graph belongs to exactly one group. \* For every pair of nodes in the graph that are connected by an edge `[ai, bi]`, if `ai` belongs to the group with index `x`, and `bi` belongs to the group with index `y`, then  $|y - x| = 1$ .

Return the maximum number of groups (i.e., maximum `m`) into which you can divide the nodes. Return `-1` if it is impossible to group the nodes with the given conditions.

**Example 1:**



**Input:** `n = 6, edges = [[1,2],[1,4],[1,5],[2,6],[2,3],[4,6]]` **Output:** `4` **Explanation:** As shown in the image we: - Add node 5 to the first group. - Add node 1 to the second group. - Add nodes 2 and 4 to the third group. - Add nodes 3 and 6 to the fourth group. We can see that every edge is satisfied. It can be shown that that if we create a fifth group and move any node from the third or fourth group to it, at least one of the edges will not be satisfied.

**\*\*Example 2:\*\***

**\*\*Input:\*\***  $n = 3$ , edges = [[1,2],[2,3],[3,1]] **\*\*Output:\*\*** -1 **\*\*Explanation:\*\*** If we add node 1 to the first group, node 2 to the second group, and node 3 to the third group to satisfy the first two edges, we can see that the third edge will not be satisfied. It can be shown that no grouping is possible.

**\*\*Constraints:\*\***

$1 \leq n \leq 500$   $1 \leq \text{edges.length} \leq 104$   $\text{edges}[i].\text{length} == 2$   $1 \leq a_i, b_i \leq n$   $a_i \neq b_i$  \* There is at most one edge between any pair of vertices.

## Code Snippets

**C++:**

```
class Solution {
public:
    int magnificentSets(int n, vector<vector<int>>& edges) {

    }
};
```

**Java:**

```
class Solution {
    public int magnificentSets(int n, int[][] edges) {

    }
}
```

**Python3:**

```
class Solution:
    def magnificentSets(self, n: int, edges: List[List[int]]) -> int:
```