

# Problem 3640: Trionic Array II

## Problem Information

**Difficulty:** Hard

**Acceptance Rate:** 24.71%

**Paid Only:** No

**Tags:** Array, Dynamic Programming

## Problem Description

You are given an integer array `nums` of length `n`.

A **trionic subarray** is a contiguous subarray `nums[l...r]` (with  $0 \leq l < r < n$ ) for which there exist indices  $l < p < q < r$  such that:

`nums[l...p]` is **strictly** increasing, `nums[p...q]` is **strictly** decreasing, `nums[q...r]` is **strictly** increasing.

Return the **maximum** sum of any trionic subarray in `nums`.

**Example 1:**

**Input:** `nums = [0,-2,-1,-3,0,2,-1]`

**Output:** -4

**Explanation:**

Pick  $l = 1$ ,  $p = 2$ ,  $q = 3$ ,  $r = 5$ :

`nums[l...p] = nums[1...2] = [-2, -1]` is strictly increasing ( $-2 < -1$ ). `nums[p...q] = nums[2...3] = [-1, -3]` is strictly decreasing ( $-1 > -3$ ). `nums[q...r] = nums[3...5] = [-3, 0, 2]` is strictly increasing ( $-3 < 0 < 2$ ). `Sum = (-2) + (-1) + (-3) + 0 + 2 = -4`.

**Example 2:**

**\*\*Input:\*\*** nums = [1,4,2,7]

**\*\*Output:\*\*** 14

**\*\*Explanation:\*\***

Pick  $l = 0$ ,  $p = 1$ ,  $q = 2$ ,  $r = 3$ :

\*  $\text{nums}[l \dots p] = \text{nums}[0 \dots 1] = [1, 4]$  is strictly increasing ( $1 < 4$ ). \*  $\text{nums}[p \dots q] = \text{nums}[1 \dots 2] = [4, 2]$  is strictly decreasing ( $4 > 2$ ). \*  $\text{nums}[q \dots r] = \text{nums}[2 \dots 3] = [2, 7]$  is strictly increasing ( $2 < 7$ ). \*  $\text{Sum} = 1 + 4 + 2 + 7 = 14$ .

**\*\*Constraints:\*\***

\*  $4 \leq n = \text{nums.length} \leq 105$  \*  $-109 \leq \text{nums}[i] \leq 109$  \* It is guaranteed that at least one trionic subarray exists.

## Code Snippets

### C++:

```
class Solution {
public:
    long long maxSumTrionic(vector<int>& nums) {

    }

};
```

### Java:

```
class Solution {
    public long maxSumTrionic(int[] nums) {

    }

}
```

### Python3:

```
class Solution:
    def maxSumTrionic(self, nums: List[int]) -> int:
```

