

Problem 2842: Count K-Subsequences of a String With Maximum Beauty

Problem Information

Difficulty: **Hard**

Acceptance Rate: 30.04%

Paid Only: No

Tags: Hash Table, Math, String, Greedy, Combinatorics

Problem Description

You are given a string `s` and an integer `k`.

A **k-subsequence** is a **subsequence** of `s`, having length `k`, and all its characters are **unique**, **i.e.**, every character occurs once.

Let $f(c)$ denote the number of times the character `c` occurs in `s`.

The **beauty** of a **k-subsequence** is the **sum** of $f(c)$ for every character `c` in the k-subsequence.

For example, consider `s = "abbbdd"` and `k = 2`:

* $f('a') = 1$, $f('b') = 3$, $f('d') = 2$ * Some k-subsequences of `s` are: * `"_ab_bbdd"` -> `"ab"` having a beauty of $f('a') + f('b') = 4$ * `"_a_bbb_d_d"` -> `"ad"` having a beauty of $f('a') + f('d') = 3$ * `"a_b_bb_d_d"` -> `"bd"` having a beauty of $f('b') + f('d') = 5$

Return an integer denoting the number of k-subsequences whose **beauty** is the **maximum** among all **k-subsequences**. Since the answer may be too large, return it modulo $10^9 + 7$.

A subsequence of a string is a new string formed from the original string by deleting some (possibly none) of the characters without disturbing the relative positions of the remaining characters.

Notes

* $f(c)$ is the number of times a character c occurs in s , not a k -subsequence. * Two k -subsequences are considered different if one is formed by an index that is not present in the other. So, two k -subsequences may form the same string.

Example 1:

Input: $s = \text{"bccca"}, k = 2$ **Output:** 4 **Explanation:** From s we have $f('a') = 1, f('b') = 1$, and $f('c') = 2$. The k -subsequences of s are: $\text{"_bc_"} ca$ having a beauty of $f('b') + f('c') = 3$ $\text{"_b_"} c \text{"_c_"} a$ having a beauty of $f('b') + f('c') = 3$ $\text{"_b_"} cc \text{"_a_"}$ having a beauty of $f('b') + f('a') = 2$ $\text{"_c_"} c \text{"_a_"}$ having a beauty of $f('c') + f('a') = 3$ $bc \text{"_ca_"}$ having a beauty of $f('c') + f('a') = 3$ There are 4 k -subsequences that have the maximum beauty, 3. Hence, the answer is 4.

Example 2:

Input: $s = \text{"abbcd"}, k = 4$ **Output:** 2 **Explanation:** From s we have $f('a') = 1, f('b') = 2$, $f('c') = 1$, and $f('d') = 1$. The k -subsequences of s are: $\text{"_ab_"} b \text{"_cd_"}$ having a beauty of $f('a') + f('b') + f('c') + f('d') = 5$ $\text{"_a_"} b \text{"_bcd_"}$ having a beauty of $f('a') + f('b') + f('c') + f('d') = 5$ There are 2 k -subsequences that have the maximum beauty, 5. Hence, the answer is 2.

Constraints:

$1 \leq s.length \leq 2 \cdot 10^5$ $1 \leq k \leq s.length$ s consists only of lowercase English letters.

Code Snippets

C++:

```
class Solution {
public:
    int countKSubsequencesWithMaxBeauty(string s, int k) {

    }
};
```

Java:

```
class Solution {
    public int countKSubsequencesWithMaxBeauty(String s, int k) {
```

```
}  
}
```

Python3:

```
class Solution:  
    def countKSubsequencesWithMaxBeauty(self, s: str, k: int) -> int:
```