

Problem 790: Domino and Tromino Tiling

Problem Information

Difficulty: **Medium**

Acceptance Rate: 0.00%

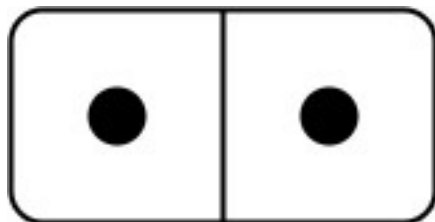
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Problem Description

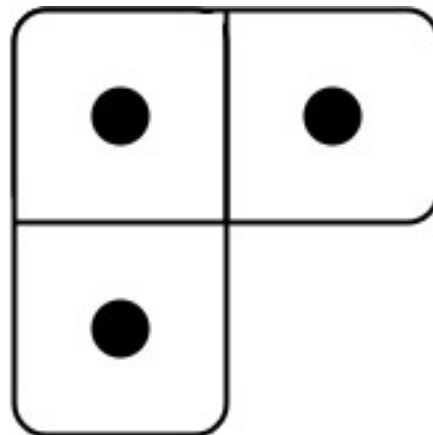
You have two types of tiles: a

2×1

domino shape and a tromino shape. You may rotate these shapes.



Domino tile



Tromino tile

Given an integer n , return

the number of ways to tile an

$2 \times n$

board

. Since the answer may be very large, return it

modulo

10

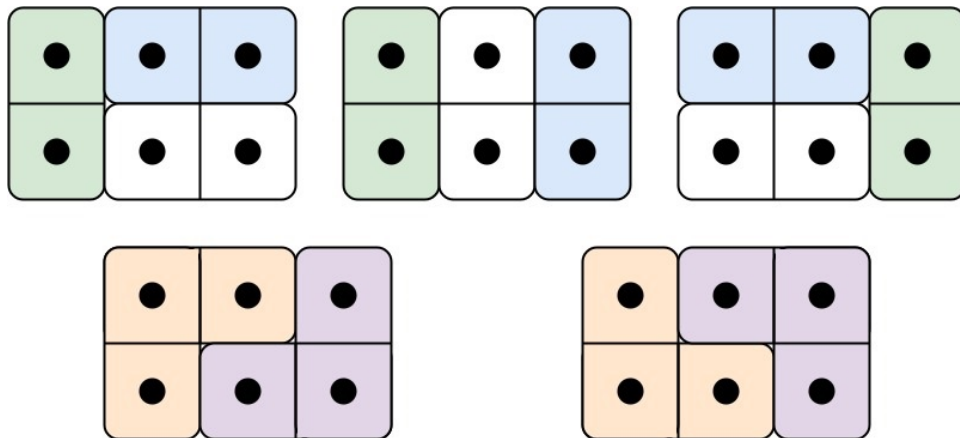
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+ 7

.

In a tiling, every square must be covered by a tile. Two tilings are different if and only if there are two 4-directionally adjacent cells on the board such that exactly one of the tilings has both squares occupied by a tile.

Example 1:



Input:

$n = 3$

Output:

5

Explanation:

The five different ways are shown above.

Example 2:

Input:

n = 1

Output:

1

Constraints:

$1 \leq n \leq 1000$

Code Snippets

C++:

```
class Solution {  
public:  
    int numTilings(int n) {  
  
    }  
};
```

Java:

```
class Solution {  
    public int numTilings(int n) {  
  
    }  
}
```

Python3:

```
class Solution:  
    def numTilings(self, n: int) -> int:
```

Python:

```
class Solution(object):
    def numTilings(self, n):
        """
        :type n: int
        :rtype: int
        """
```

JavaScript:

```
/**
 * @param {number} n
 * @return {number}
 */
var numTilings = function(n) {

};
```

TypeScript:

```
function numTilings(n: number): number {

};
```

C#:

```
public class Solution {
    public int NumTilings(int n) {

    }
}
```

C:

```
int numTilings(int n) {

}
```

Go:

```
func numTilings(n int) int {

}
```

Kotlin:

```
class Solution {  
    fun numTilings(n: Int): Int {  
  
    }  
}
```

Swift:

```
class Solution {  
    func numTilings(_ n: Int) -> Int {  
  
    }  
}
```

Rust:

```
impl Solution {  
    pub fn num_tilings(n: i32) -> i32 {  
  
    }  
}
```

Ruby:

```
# @param {Integer} n  
# @return {Integer}  
def num_tilings(n)  
  
end
```

PHP:

```
class Solution {  
  
    /**  
     * @param Integer $n  
     * @return Integer  
     */  
    function numTilings($n) {  
  
    }  
}
```

```
}
```

Dart:

```
class Solution {  
  int numTilings(int n) {  
  
  }  
}
```

Scala:

```
object Solution {  
  def numTilings(n: Int): Int = {  
  
  }  
}
```

Elixir:

```
defmodule Solution do  
  @spec num_tilings(n :: integer) :: integer  
  def num_tilings(n) do  
  
  end  
end
```

Erlang:

```
-spec num_tilings(N :: integer()) -> integer().  
num_tilings(N) ->  
.
```

Racket:

```
(define/contract (num-tilings n)  
  (-> exact-integer? exact-integer?)  
)
```

Solutions

C++ Solution:

```
/*
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
 * Tags: dp
 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
 * Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table
 */

class Solution {
public:
    int numTilings(int n) {

    }
};
```

Java Solution:

```
/**
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
 * Tags: dp
 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
 * Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table
 */

class Solution {
    public int numTilings(int n) {

    }
}
```

Python3 Solution:

```
"""
Problem: Domino and Tromino Tiling
Difficulty: Medium
Tags: dp
```

```
Approach: Dynamic programming with memoization or tabulation
Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table
"""
```

```
class Solution:
    def numTilings(self, n: int) -> int:
        # TODO: Implement optimized solution
        pass
```

Python Solution:

```
class Solution(object):
    def numTilings(self, n):
        """
        :type n: int
        :rtype: int
        """
```

JavaScript Solution:

```
/**
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
 * Tags: dp
 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
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 */

/**
 * @param {number} n
 * @return {number}
 */
var numTilings = function(n) {

};
```

TypeScript Solution:


```

/**
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
 * Tags: dp
 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
 * Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table
 */

function numTilings(n: number): number {

};

```

C# Solution:

```

/*
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
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 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
 * Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table
 */

public class Solution {
    public int NumTilings(int n) {

    }
}

```

C Solution:

```

/*
 * Problem: Domino and Tromino Tiling
 * Difficulty: Medium
 * Tags: dp
 *
 * Approach: Dynamic programming with memoization or tabulation
 * Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
 * Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table

```

```

*/

int numTilings(int n) {

}

```

Go Solution:

```

// Problem: Domino and Tromino Tiling
// Difficulty: Medium
// Tags: dp
//
// Approach: Dynamic programming with memoization or tabulation
// Time Complexity: O(n * m) where n and m are problem dimensions
// Space Complexity: O(n) or O(n * m) for DP table

func numTilings(n int) int {

}

```

Kotlin Solution:

```

class Solution {
    fun numTilings(n: Int): Int {

    }
}

```

Swift Solution:

```

class Solution {
    func numTilings(_ n: Int) -> Int {

    }
}

```

Rust Solution:

```

// Problem: Domino and Tromino Tiling
// Difficulty: Medium
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```

```
//
// Approach: Dynamic programming with memoization or tabulation
// Time Complexity:  $O(n * m)$  where  $n$  and  $m$  are problem dimensions
// Space Complexity:  $O(n)$  or  $O(n * m)$  for DP table

impl Solution {
    pub fn num_tilings(n: i32) -> i32 {

    }
}
```

Ruby Solution:

```
# @param {Integer} n
# @return {Integer}
def num_tilings(n)

end
```

PHP Solution:

```
class Solution {

    /**
     * @param Integer $n
     * @return Integer
     */
    function numTilings($n) {

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}
```

Dart Solution:

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