

# Problem 2458: Height of Binary Tree After Subtree Removal Queries

## Problem Information

**Difficulty:** Hard

**Acceptance Rate:** 54.89%

**Paid Only:** No

**Tags:** Array, Tree, Depth-First Search, Breadth-First Search, Binary Tree

## Problem Description

You are given the `root` of a \*\*binary tree\*\* with `n` nodes. Each node is assigned a unique value from `1` to `n`. You are also given an array `queries` of size `m`.

You have to perform `m` \*\*independent\*\* queries on the tree where in the `ith` query you do the following:

\* \*\*Remove\*\* the subtree rooted at the node with the value `queries[i]` from the tree. It is \*\*guaranteed\*\* that `queries[i]` will \*\*not\*\* be equal to the value of the root.

Return \_an array\_ `answer` \_of size\_ `m` \_where\_ `answer[i]` \_is the height of the tree after performing the\_ `ith` \_query\_.

**\*\*Note\*\* :**

\* The queries are independent, so the tree returns to its \*\*initial\*\* state after each query.  
\* The height of a tree is the \*\*number of edges in the longest simple path\*\* from the root to some node in the tree.

**\*\*Example 1:\*\***



**\*\*Input:\*\*** root = [1,3,4,2,null,6,5,null,null,null,null,7], queries = [4] **\*\*Output:\*\*** [2]

**\*\*Explanation:\*\*** The diagram above shows the tree after removing the subtree rooted at node with value 4. The height of the tree is 2 (The path 1 -> 3 -> 2).

**\*\*Example 2:\*\***



**\*\*Input:\*\*** root = [5,8,9,2,1,3,7,4,6], queries = [3,2,4,8] **\*\*Output:\*\*** [3,2,3,2] **\*\*Explanation:\*\***  
We have the following queries: - Removing the subtree rooted at node with value 3. The height of the tree becomes 3 (The path 5 -> 8 -> 2 -> 4). - Removing the subtree rooted at node with value 2. The height of the tree becomes 2 (The path 5 -> 8 -> 1). - Removing the subtree rooted at node with value 4. The height of the tree becomes 3 (The path 5 -> 8 -> 2 -> 6). - Removing the subtree rooted at node with value 8. The height of the tree becomes 2 (The path 5 -> 9 -> 3).

**\*\*Constraints:\*\***

\* The number of nodes in the tree is `n`. \* `2 <= n <= 105` \* `1 <= Node.val <= n` \* All the values in the tree are \*\*unique\*\*. \* `m == queries.length` \* `1 <= m <= min(n, 104)` \* `1 <= queries[i] <= n` \* `queries[i] != root.val`

## Code Snippets

**C++:**

```
/*
 * Definition for a binary tree node.
 * struct TreeNode {
 *     int val;
 *     TreeNode *left;
 *     TreeNode *right;
 *     TreeNode() : val(0), left(nullptr), right(nullptr) {}
 *     TreeNode(int x) : val(x), left(nullptr), right(nullptr) {}
 *     TreeNode(int x, TreeNode *left, TreeNode *right) : val(x), left(left),
 *     right(right) {}
 * };
 */
class Solution {
public:
    vector<int> treeQueries(TreeNode* root, vector<int>& queries) {
        }
    };
}
```

**Java:**

```
/**  
 * Definition for a binary tree node.  
 * public class TreeNode {  
 *     int val;  
 *     TreeNode left;  
 *     TreeNode right;  
 *     TreeNode() {}  
 *     TreeNode(int val) { this.val = val; }  
 *     TreeNode(int val, TreeNode left, TreeNode right) {  
 *         this.val = val;  
 *         this.left = left;  
 *         this.right = right;  
 *     }  
 * }  
 */  
  
class Solution {  
    public int[] treeQueries(TreeNode root, int[] queries) {  
  
    }  
}
```

**Python3:**

```
# Definition for a binary tree node.  
# class TreeNode:  
#     def __init__(self, val=0, left=None, right=None):  
#         self.val = val  
#         self.left = left  
#         self.right = right  
class Solution:  
    def treeQueries(self, root: Optional[TreeNode], queries: List[int]) ->  
        List[int]:
```