

Problem 2025: Maximum Number of Ways to Partition an Array

Problem Information

Difficulty: **Hard**

Acceptance Rate: 0.00%

Paid Only: No

Problem Description

You are given a

0-indexed

integer array

nums

of length

n

. The number of ways to

partition

nums

is the number of

pivot

indices that satisfy both conditions:

$1 \leq \text{pivot} < n$

$\text{nums}[0] + \text{nums}[1] + \dots + \text{nums}[\text{pivot} - 1] == \text{nums}[\text{pivot}] + \text{nums}[\text{pivot} + 1] + \dots + \text{nums}[n - 1]$

You are also given an integer

k

. You can choose to change the value of

one

element of

`nums`

to

k

, or to leave the array

unchanged

.

Return

the

maximum

possible number of ways to

partition

`nums`

to satisfy both conditions after changing

at most

one element

.

Example 1:

Input:

nums = [2,-1,2], k = 3

Output:

1

Explanation:

One optimal approach is to change nums[0] to k. The array becomes [

3

, -1, 2]. There is one way to partition the array: - For pivot = 2, we have the partition [3, -1 | 2]: $3 + -1 == 2$.

Example 2:

Input:

nums = [0,0,0], k = 1

Output:

2

Explanation:

The optimal approach is to leave the array unchanged. There are two ways to partition the array: - For pivot = 1, we have the partition [0 | 0, 0]: $0 == 0 + 0$. - For pivot = 2, we have the

partition [0,0 | 0]: $0 + 0 == 0$.

Example 3:

Input:

nums = [22,4,-25,-20,-15,15,-16,7,19,-10,0,-13,-14], k = -33

Output:

4

Explanation:

One optimal approach is to change nums[2] to k. The array becomes [22,4,

-33

, -20, -15, 15, -16, 7, 19, -10, 0, -13, -14]. There are four ways to partition the array.

Constraints:

$n == \text{nums.length}$

$2 \leq n \leq 10$

5

-10

5

$\leq k, \text{nums}[i] \leq 10$

5

Code Snippets

C++:

```
class Solution {
public:
    int waysToPartition(vector<int>& nums, int k) {

    }
};
```

Java:

```
class Solution {
    public int waysToPartition(int[] nums, int k) {

    }
}
```

Python3:

```
class Solution:
    def waysToPartition(self, nums: List[int], k: int) -> int:
```

Python:

```
class Solution(object):
    def waysToPartition(self, nums, k):
        """
        :type nums: List[int]
        :type k: int
        :rtype: int
        """
```

JavaScript:

```
/**
 * @param {number[]} nums
 * @param {number} k
 * @return {number}
 */
var waysToPartition = function(nums, k) {

};
```

TypeScript:

```
function waysToPartition(nums: number[], k: number): number {  
  
};
```

C#:

```
public class Solution {  
    public int WaysToPartition(int[] nums, int k) {  
  
    }  
}
```

C:

```
int waysToPartition(int* nums, int numsSize, int k) {  
  
}
```

Go:

```
func waysToPartition(nums []int, k int) int {  
  
}
```

Kotlin:

```
class Solution {  
    fun waysToPartition(nums: IntArray, k: Int): Int {  
  
    }  
}
```

Swift:

```
class Solution {  
    func waysToPartition(_ nums: [Int], _ k: Int) -> Int {  
  
    }  
}
```

Rust:

```
impl Solution {
  pub fn ways_to_partition(nums: Vec<i32>, k: i32) -> i32 {

  }
}
```

Ruby:

```
# @param {Integer[]} nums
# @param {Integer} k
# @return {Integer}
def ways_to_partition(nums, k)

end
```

PHP:

```
class Solution {

  /**
   * @param Integer[] $nums
   * @param Integer $k
   * @return Integer
   */
  function waysToPartition($nums, $k) {

  }
}
```

Dart:

```
class Solution {
  int waysToPartition(List<int> nums, int k) {

  }
}
```

Scala:

```
object Solution {
  def waysToPartition(nums: Array[Int], k: Int): Int = {

  }
}
```

```
}
```

Elixir:

```
defmodule Solution do
  @spec ways_to_partition(nums :: [integer], k :: integer) :: integer
  def ways_to_partition(nums, k) do

  end
end
```

Erlang:

```
-spec ways_to_partition(Nums :: [integer()], K :: integer()) -> integer().
ways_to_partition(Nums, K) ->
.
```

Racket:

```
(define/contract (ways-to-partition nums k)
  (-> (listof exact-integer?) exact-integer? exact-integer?)
)
```

Solutions

C++ Solution:

```
/*
 * Problem: Maximum Number of Ways to Partition an Array
 * Difficulty: Hard
 * Tags: array, hash
 *
 * Approach: Use two pointers or sliding window technique
 * Time Complexity: O(n) or O(n log n)
 * Space Complexity: O(n) for hash map
 */

class Solution {
public:
  int waysToPartition(vector<int>& nums, int k) {
```



```
}  
};
```

Java Solution:

```
/**  
 * Problem: Maximum Number of Ways to Partition an Array  
 * Difficulty: Hard  
 * Tags: array, hash  
 *  
 * Approach: Use two pointers or sliding window technique  
 * Time Complexity: O(n) or O(n log n)  
 * Space Complexity: O(n) for hash map  
 */  
  
class Solution {  
    public int waysToPartition(int[] nums, int k) {  
  
    }  
}
```

Python3 Solution:

```
"""  
Problem: Maximum Number of Ways to Partition an Array  
Difficulty: Hard  
Tags: array, hash  
  
Approach: Use two pointers or sliding window technique  
Time Complexity: O(n) or O(n log n)  
Space Complexity: O(n) for hash map  
"""  
  
class Solution:  
    def waysToPartition(self, nums: List[int], k: int) -> int:  
        # TODO: Implement optimized solution  
        pass
```

Python Solution:

```

class Solution(object):
def waysToPartition(self, nums, k):
    """
    :type nums: List[int]
    :type k: int
    :rtype: int
    """

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JavaScript Solution:

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/**
 * @param {number[]} nums
 * @param {number} k
 * @return {number}
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var waysToPartition = function(nums, k) {

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TypeScript Solution:

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function waysToPartition(nums: number[], k: number): number {

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C# Solution:

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public class Solution {
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C Solution:

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int waysToPartition(int* nums, int numsSize, int k) {

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Go Solution:

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// Difficulty: Hard
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func waysToPartition(nums []int, k int) int {

}

```

Kotlin Solution:

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class Solution {
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impl Solution {
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Ruby Solution:

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PHP Solution:

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class Solution {

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