

Problem 2163: Minimum Difference in Sums After Removal of Elements

Problem Information

Difficulty: Hard

Acceptance Rate: 69.93%

Paid Only: No

Tags: Array, Dynamic Programming, Heap (Priority Queue)

Problem Description

You are given a **0-indexed** integer array `nums` consisting of $3 * n$ elements.

You are allowed to remove any **subsequence** of elements of size **exactly** n from `nums`. The remaining $2 * n$ elements will be divided into two **equal** parts:

* The first n elements belonging to the first part and their sum is `sumfirst`. * The next n elements belonging to the second part and their sum is `sumsecond`.

The **difference in sums** of the two parts is denoted as `sumfirst - sumsecond`.

* For example, if `sumfirst = 3` and `sumsecond = 2`, their difference is `1`. * Similarly, if `sumfirst = 2` and `sumsecond = 3`, their difference is `-1`.

Return **the minimum difference** possible between the sums of the two parts after the removal of n elements.

Example 1:

Input: nums = [3,1,2] **Output:** -1 **Explanation:** Here, nums has 3 elements, so $n = 1$. Thus we have to remove 1 element from nums and divide the array into two equal parts. - If we remove $\text{nums}[0] = 3$, the array will be [1,2]. The difference in sums of the two parts will be $1 - 2 = -1$. - If we remove $\text{nums}[1] = 1$, the array will be [3,2]. The difference in sums of the two parts will be $3 - 2 = 1$. - If we remove $\text{nums}[2] = 2$, the array will be [3,1]. The difference in sums of the two parts will be $3 - 1 = 2$. The minimum difference between sums of the two parts is $\min(-1,1,2) = -1$.

****Example 2:****

****Input:**** nums = [7,9,5,8,1,3] ****Output:**** 1 ****Explanation:**** Here n = 2. So we must remove 2 elements and divide the remaining array into two parts containing two elements each. If we remove nums[2] = 5 and nums[3] = 8, the resultant array will be [7,9,1,3]. The difference in sums will be $(7+9) - (1+3) = 12$. To obtain the minimum difference, we should remove nums[1] = 9 and nums[4] = 1. The resultant array becomes [7,5,8,3]. The difference in sums of the two parts is $(7+5) - (8+3) = 1$. It can be shown that it is not possible to obtain a difference smaller than 1.

****Constraints:****

* `nums.length == 3 * n` * `1 <= n <= 105` * `1 <= nums[i] <= 105`

Code Snippets

C++:

```
class Solution {
public:
    long long minimumDifference(vector<int>& nums) {
        }
};
```

Java:

```
class Solution {
public long minimumDifference(int[] nums) {
        }
}
```

Python3:

```
class Solution:
    def minimumDifference(self, nums: List[int]) -> int:
```