## Lineer Regresyon

Bir hedef degiskeninin bir veya daha fazla kaynak degiskenine olan baglantisini bulmak icin en basit yontemlerden biri bu iliskinin lineer oldugunu kabul etmektir, ve degiskenlerin carpildigi agirliklari bulmak icin En Az Kareler (Least Squares) en iyi bilinen yontemlerden biri. En Az Kareleri daha once pek cok degisik ders notlarinda, yazida turettik. Mesela *Cok Degiskenli Calculus Ders 9*, *Lineer Cebir Ders 15*, ya da Uygulamali Matematik yazilarindan *Regresyon*, *En Az Kareler* (*Least Squares*) yazilarinda.

## Satis ve Reklamlar

```
import pandas as pd
import statsmodels.formula.api as smf
df = pd.read_csv('adv.csv', usecols=[1,2,3,4])
print df[:2]
    TV Radio Newspaper Sales
0 230.1 37.8 69.2 22.1
1 44.5 39.3 45.1 10.4
results = smf.ols('Sales ~ 1 + TV', data=df).fit()
print results.summary()
                   OLS Regression Results
______
Dep. Variable:
                    Sales R-squared:
                                                   0.612
        e: OLS Adj. R-squared: 0.610

Least Squares F-statistic: 312.1

Fri, 14 Mar 2014 Prob (F-statistic): 1.47e-42

17:28:29 Log-Likelihood: -519.05
Model:
Method:
Date:
nime: 17:28:29 Log-Likelihood:
No. Observations: 200 ATC:
                                                    1042.
                       198 BIC:
Df Residuals:
                                                    1049.
Df Model:
                        1
______
           coef std err t P>|t| [95.0% Conf. Int.]
______
Intercept 7.0326 0.458 15.360 0.000 6.130 7.935 TV 0.0475 0.003 17.668 0.000 0.042 0.053
______
                      0.531 Durbin-Watson:
Omnibus:
                      0.767 Jarque-Bera (JB):
Prob(Omnibus):
                                                    0.669
Skew:
                      -0.089 Prob(JB):
                                                    0.716
Kurtosis:
                      2.779 Cond. No.
   ______
results = smf.ols('Sales ~ 1 + Radio', data=df).fit()
print results.summary()
                   OLS Regression Results
______
Dep. Variable:
                     Sales R-squared:
                                                    0.332
                       OLS Adj. R-squared:
Model:
                                                    0.329
Method:
               Least Squares F-statistic:
                                                    98.42
```

Date: Time: No. Observation Df Residuals: Df Model:	ns:	Fri,			2014 1:33 200 198 1		(F-statistic) Likelihood:	):	4.35e-19 -573.34 1151. 1157.
	coef	==== = - 	==== std 	err		t	P> t	[95.0% C	onf. Int.]
Intercept	9.3116	5	0.	563	1	L6.542	0.000	8.202	10.422
Radio	0.2025	5	0.	020		9.921	0.000	0.162	0.243
Omnibus:				19	.358	Durbi	n-Watson:		1.946
<pre>Prob(Omnibus):</pre>				0	.000	Jarqu	ie-Bera (JB):		21.910
Skew:				-0	.764	Prob	(JB):		1.75e-05
Kurtosis:				3	.544	Cond.	No.		51.4
results = smf		-====	==== ~ 1	+ No	wenar	e=====	ata=df) fit()		======

results = smf.ols('Sales ~ 1 + Newspaper', data=df).fit()
print results.summary()

Prob(Omnibus):

Skew: Kurtosis:

## OLS Regression Results

Dep. Variable:			Sales	R-sa	 uared:		0.052
Model:	16.		OLS	-	R-squared:		0.032
Method:		Least Sc		_	atistic:		10.89
Date:		Fri, 14 Mar	_		(F-statistic):		0.00115
Time:		17:	42:20	Log-	Likelihood:		-608.34
No. Observa	tions:		200	AIC:			1221.
Df Residual	s:		198	BIC:			1227.
Df Model:			1				
========	coe	f std err		t	P> t	[95.0% Co	nf. Int.]
Intercept	12.351	4 0.621		9.876	0.000	11.126	13.577
Newspaper	0.054	7 0.017	1	3.300	0.001	0.022	0.087
Omnibus:	======	========	6.231	Durb	========= in-Watson:	:======:	1.983

0.044 Jarque-Bera (JB):

0.330 Prob(JB):

2.527 Cond. No.

5.483

0.0645

64.7