

# Problem Set 4

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## Movie Profitability

b)

```
movies <- movies[!is.na(movies$budget),]
movies <- movies[!is.na(movies$gross),]
movies <- movies[movies$budget<4e+8,]
movies$grossM <- movies$gross/1e+6
movies$budgetM <- movies$budget/1e+6
movies$profitM <- movies$grossM-movies$budgetM
movies$cast_total_facebook_likes000s <- movies$cast_total_facebook_likes / 1000
set.seed(2019)
train_indx <- sample(1:nrow(movies), 0.8 * nrow(movies), replace=FALSE)
movies_train <- movies[train_indx, ]
movies_test <- movies[-train_indx, ]
```

c)

Number of rows for train and test sets.

```
nrow(movies_train)
```

```
## [1] 3103
```

```
nrow(movies_test)
```

```
## [1] 776
```

d)

```
nums <- sapply(movies, is.numeric)
cormat <- cor(movies[,nums], use="complete.obs")
print(cormat[, "profitM"])
```

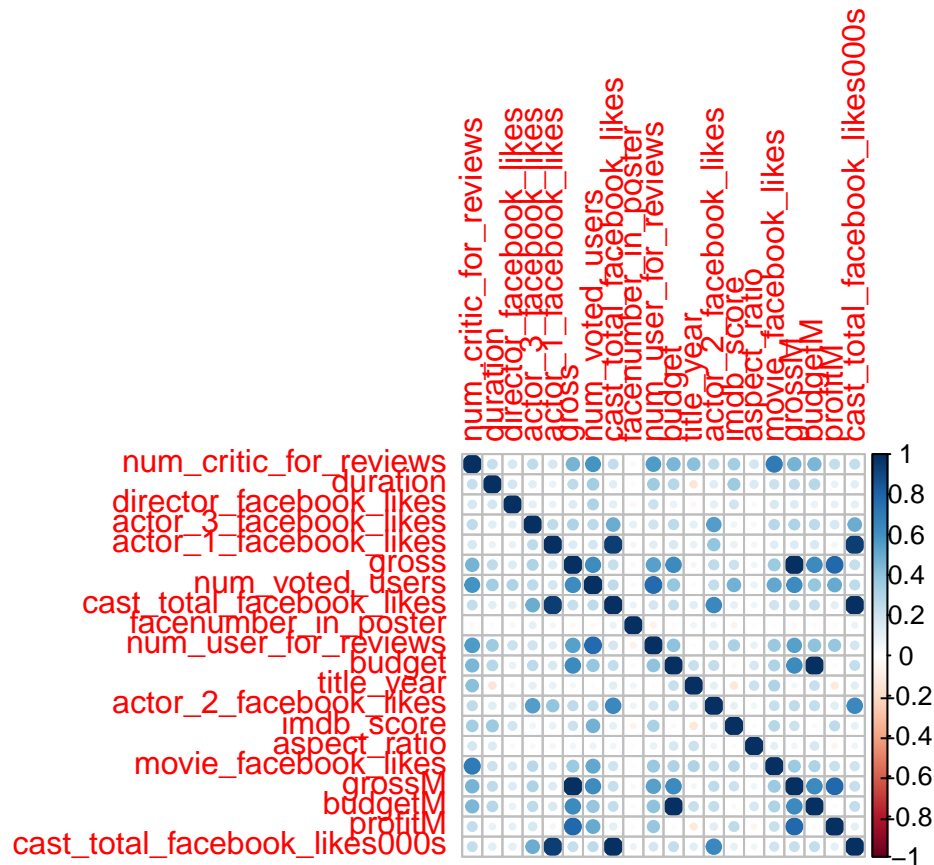
```
##          num_critic_for_reviews          duration
##          0.24353361          0.09423033
##    director_facebook_likes    actor_3_facebook_likes
##          0.10485194          0.17831580
##    actor_1_facebook_likes          gross
##          0.05850519          0.78438560
##          num_voted_users    cast_total_facebook_likes
##          0.50043953          0.11507040
##    facenumber_in_poster    num_user_for_reviews
##          -0.02128043          0.38106102
##          budget          title_year
##          0.02352410         -0.11615920
##    actor_2_facebook_likes          imdb_score
##          0.12969431          0.25215121
```

```
##          aspect_ratio          movie_facebook_likes
##      -0.05979073          0.22941383
##          grossM          budgetM
##      0.78438560          0.02352410
##          profitM cast_total_facebook_likes000s
##      1.00000000          0.11507040
```

e)

The following is the correlation matrix plot for the movie data.

```
corrplot(cormat)
```



f)

The linear model regressing profit against imdb scores and cast total facebook likes is summarized below:

```
mod1 <- lm(profitM~imdb_score + cast_total_facebook_likes000s,data = movies_train)
summary(mod1)
```

```
##
## Call:
## lm(formula = profitM ~ imdb_score + cast_total_facebook_likes000s,
##     data = movies_train)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -384.16  -25.27   -8.76   14.49  495.64
```

```
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)    -68.64310     5.77272  -11.891  < 2e-16 ***
## imdb_score      12.01315     0.88830   13.524  < 2e-16 ***
## cast_total_facebook_likes000s  0.33117     0.05769    5.741 1.03e-08 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 52.06 on 3100 degrees of freedom
## Multiple R-squared:  0.07082,    Adjusted R-squared:  0.07022
## F-statistic: 118.1 on 2 and 3100 DF,  p-value: < 2.2e-16
```

g)

The estimated effect of cast facebook likes is that for every thousand likes increased in cast facebook likes, the profit of the movie increases by \$330,000 dollars.

h)

The pvalue for imdb\_score is  $<2e-16$  while the pvalue for cast\_total\_facebook\_likes is  $<2e-16$ . Pvalue is the probability of observing the results we got by chance. In this case it is the probability of observing an effect of imdb scores and cast\_total\_facebook\_likes on profit assuming that all other variables are held constant.

i)

The estimate pvalue in this case implies that we can reject the null hypothesis which states that there is no relationship between imdb scores and profit and instead say that imbd score has a statistically significant effect on profit. In this case, both variables are statistically significant at 95% confidence level.

j)

The  $R^2$  is .07082 and the adjusted  $R^2$  is .07022.  $R^2$  indicates how much of the variance in the outcome variable, in this case profit, is explained by the model we have created. In this case, profit is regressed against imdb scores and total Facebook likes in the 1000s, thus  $R^2$  tells us how much of the variation in profit is explained by imdb scores and total cast Facebook likes.

**k) The f stat of the model is 118.1. The f stat tells us the significance of all present coefficients. In other words it checks if all coefficients are zero, and if not, then the score goes up. It infomrs us of the significance and existance of variable effects within our linear model.**

l)

From the results below, it becomes clear that the amount of residuals is equivalent to the number of rows we have in the train set.

```
length(mod1$residuals)
```

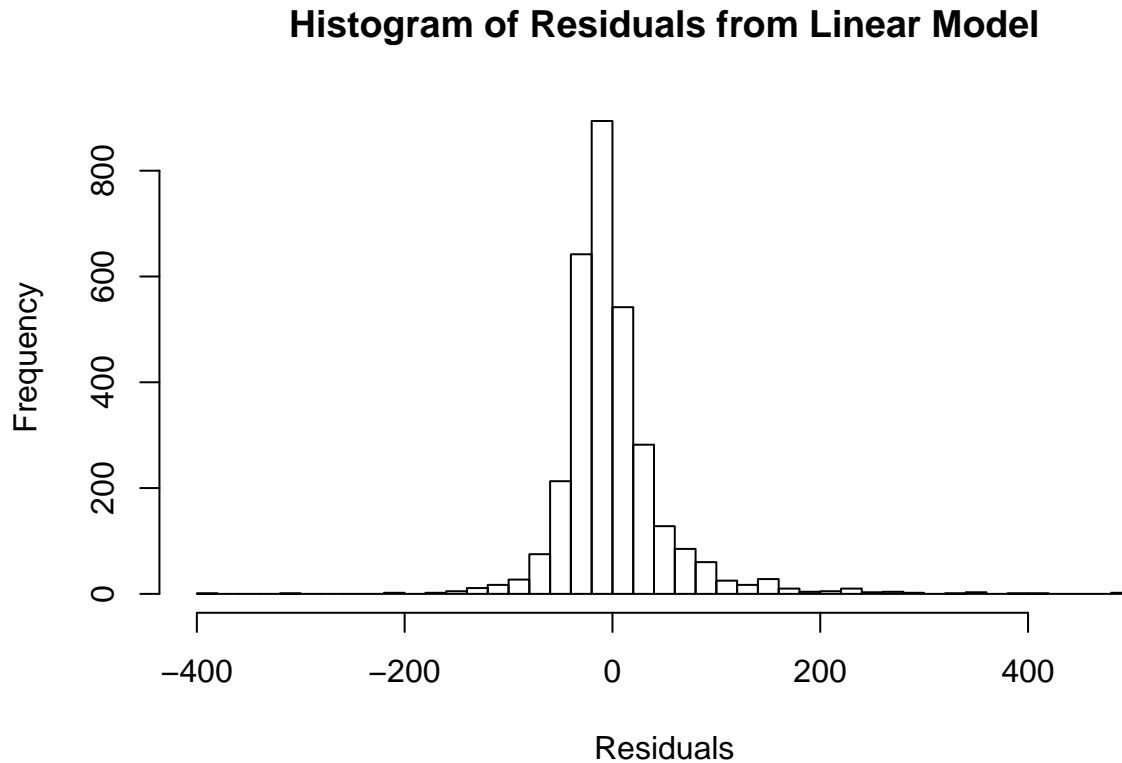
```
## [1] 3103
```

```
nrow(movies_train)
```

```
## [1] 3103
```

m)

```
hist(mod1$residuals, breaks = 40,  
     main = "Histogram of Residuals from Linear Model",  
     xlab = "Residuals")
```



This histogram appears to have a normal distribution, indicating that our model fits the data well.

### Extra Credit n)

The manually calculated R squared value is show below. Steps are split up into total sum of squares and residual sum of squares:

```
tss <- sum((movies_train$profitM - mean(movies$profitM))^2)  
rss <- sum((mod1$residuals)^2)  
r.squared <- 1-(rss/tss)  
print(r.squared)
```

```
## [1] 0.07092309
```