Algorithm 1: High-level Quantifier Instantiation

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Input: Quantified axioms: \forall x.A_1, \ldots, \forall x.A_n
     Input: Quantifier free: \varphi
     Output: Instantiations A_{i_1}[t_1], \ldots, A_{i_m}[t_m] s.t. \varphi \wedge \bigwedge_j A_{i_j}[t_j] is unsat
     Hypothesis: \bigwedge_j A_{i_j}[t_j] is sat with a model of size \leq 3
 1 \mathcal{M} \leftarrow \emptyset // Initially, empty set of models
 2 \mathcal{I} \leftarrow \emptyset // and empty set of instantiations
    while \varphi \wedge \mathcal{I} is sat do
          Get model for \varphi \wedge \mathcal{I} and add to \mathcal{M}
             Find a small* set of instantiations \mathcal{I}' s.t.
 5
                (1) \forall M \in \mathcal{M}. \exists I \in \mathcal{I}'.M \not\models I, and
 6
 7
                (2) \mathcal{I}' has a small* model
          \mathcal{I} \leftarrow \mathcal{I} \cup \mathcal{I}' \text{ or } \mathcal{I} \leftarrow \mathcal{I}'
 8
          if \varphi \wedge \mathcal{I} only has large models then
 9
           Reset \mathcal{I} \leftarrow \emptyset
10
          end
11
          if \mathcal{M} is too large and line 5 takes too long then
12
           Reset \mathcal{M} \leftarrow \emptyset or optimize \mathcal{M} \leftarrow \mathcal{M}' where \mathcal{M}' \subset \subset \mathcal{M}
13
          end
14
15 end
16 return \mathcal{I}
```

Currently, the mechanism we think of for line 5 is by using a generalized SyGuS, but this might scale very poorly for large sets of models \mathcal{M} .