

# Is a whole insect brain connectome bilaterally symmetric?

## A case study on comparing two networks

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### Summary

- Aimed to define bilateral symmetry for a pair of networks, and formally test this hypothesis.
- Left and right hemispheres are significantly different under even the simplest model of a pair of networks
- Left and right differ significantly in cell type connection probabilities, even when adjusting for the difference in density
- Difference between hemispheres can be explained as combination of network-wide and cell type-specific effects
- Provided a definition of bilateral symmetry exhibited by this connectome, tools for future connectome comparisons

### Motivation

- Connectomes are rich sources of inspiration for architectures in artificial intelligence.
- Comparing connectomes could help elucidate which structural features are necessary for yielding the capabilities animal intelligences.
- Bilateral symmetry for connectomes has been investigated, but not clearly defined as a network hypothesis.

### Larval *Drosophila* brain connectome

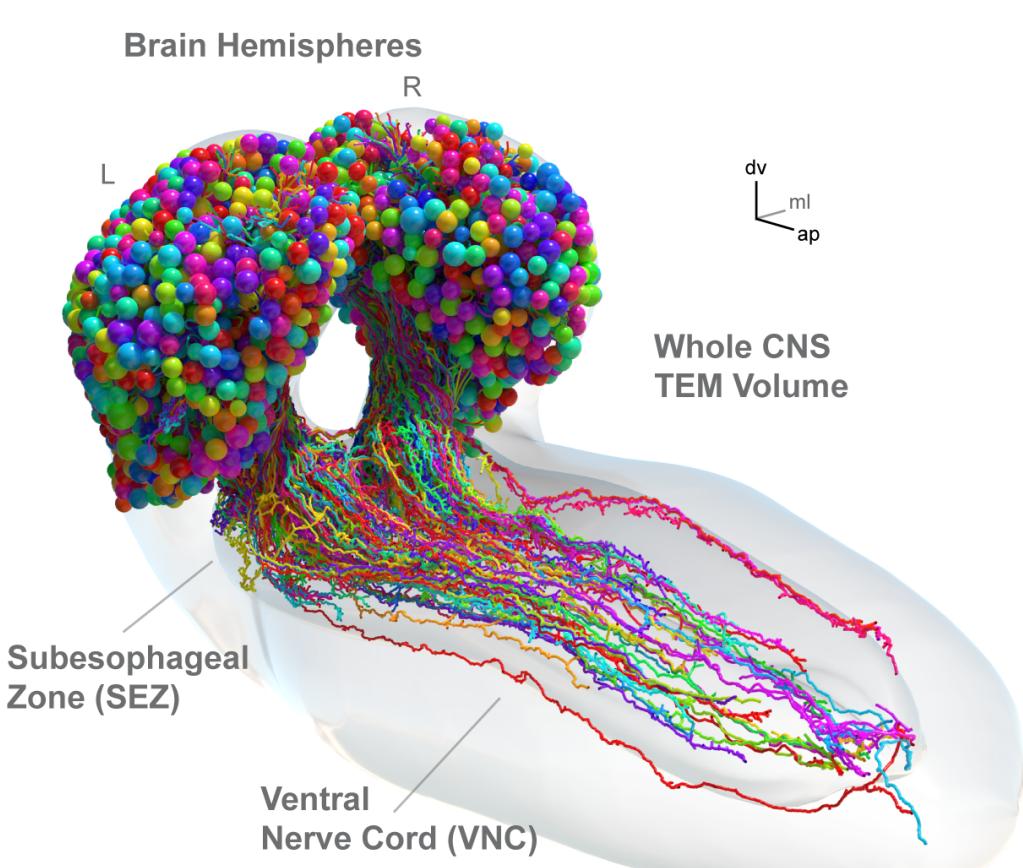


Fig 1A: 3D rendering of larval *Drosophila* brain connectome [1]. Comprised of ~3k neurons and ~544k synapses.

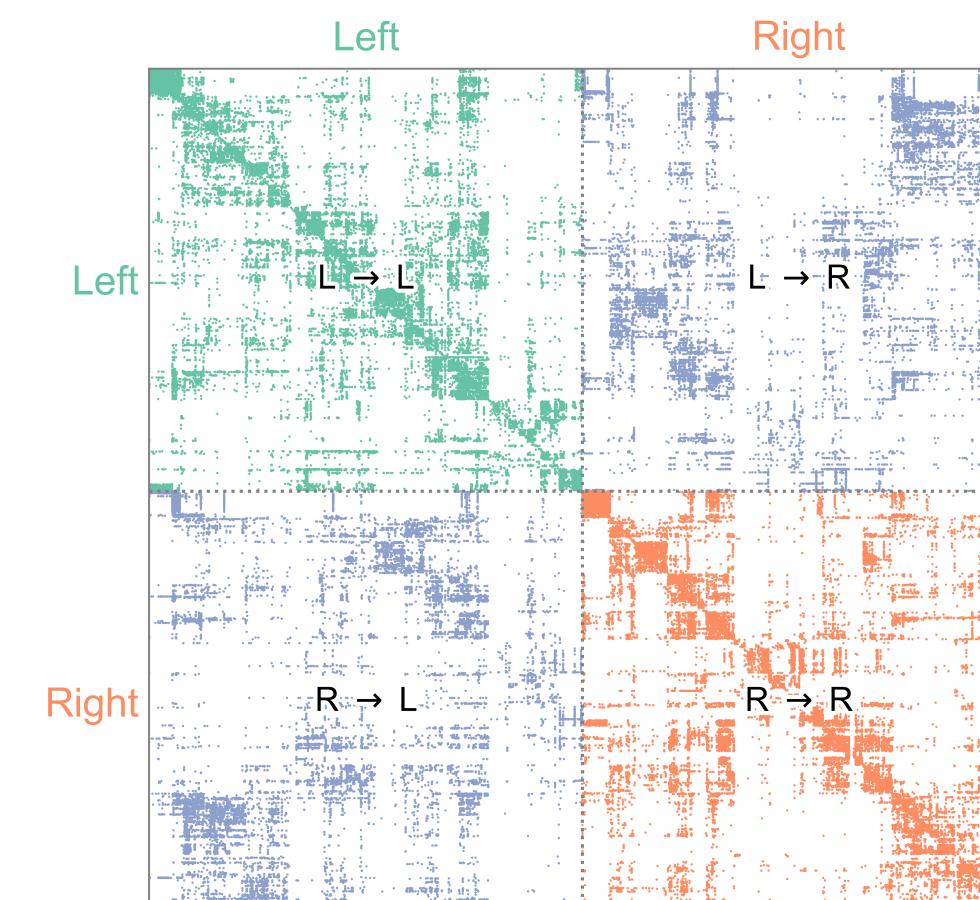


Fig 1B: Adjacency matrix sorted by brain hemisphere. We compare  $L \rightarrow L$  vs.  $R \rightarrow R$  subgraphs.

### Are the left and right networks "different"?

Requires that we define what we could mean by "different" for a pair of networks, and develop a test procedure for each definition.

### Density test (Model 1)

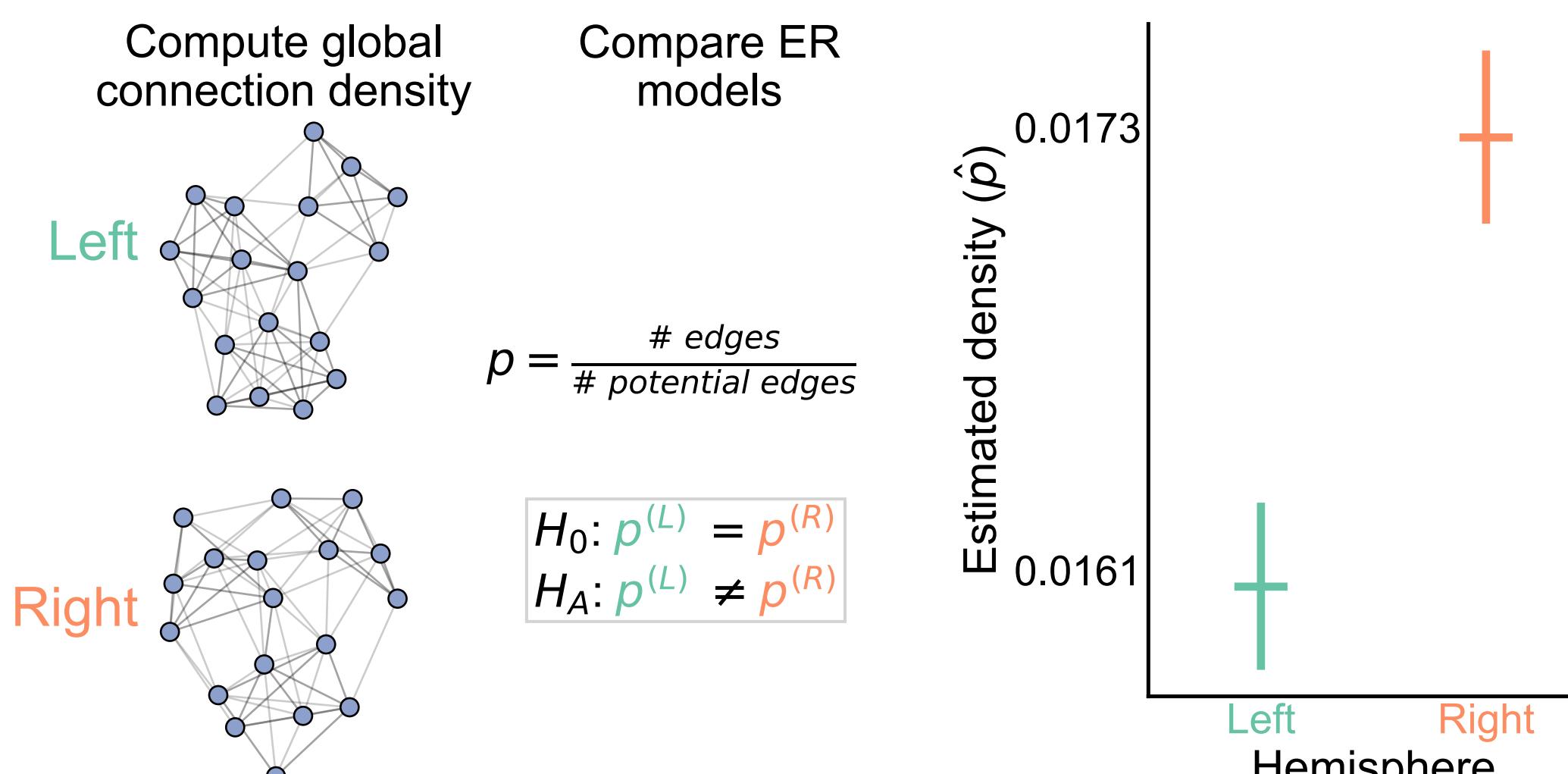


Fig 2A: Testing symmetry under Erdos-Renyi (ER) model [2] amounts to comparing densities (here via Fisher's exact test).

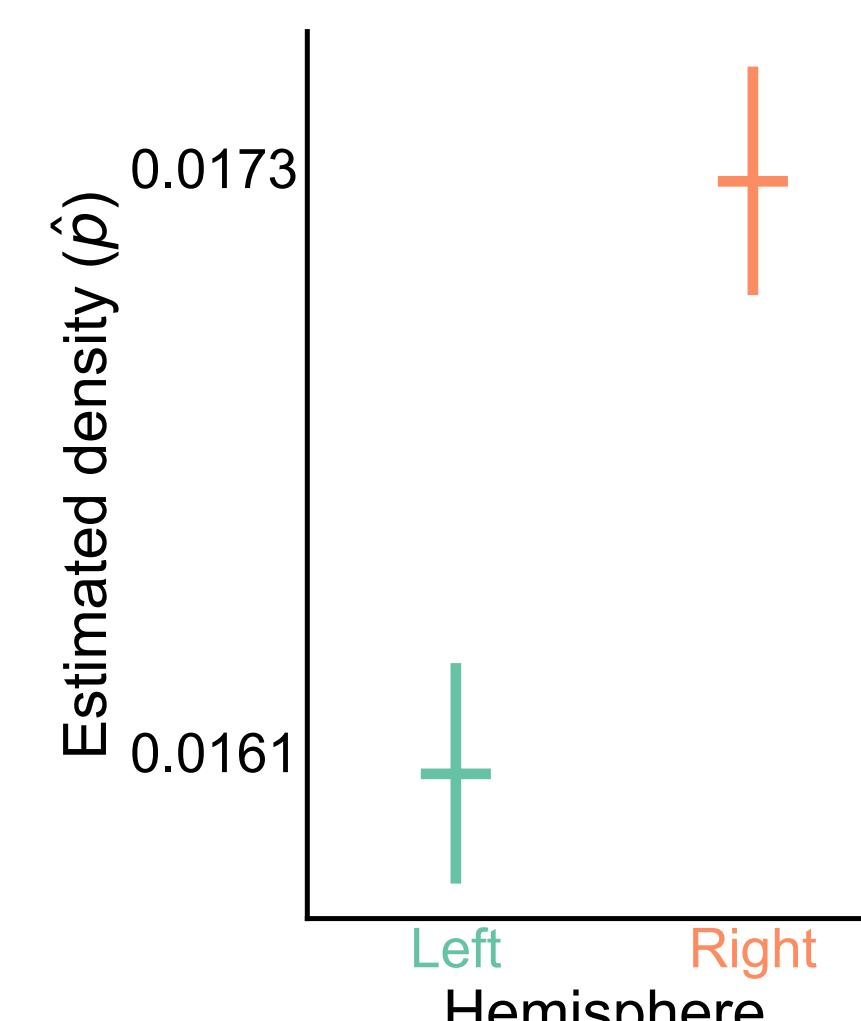


Fig 2B: Densities are significantly different between hemispheres ( $p < 10^{-23}$ ).

### Group connection test (Model 2)

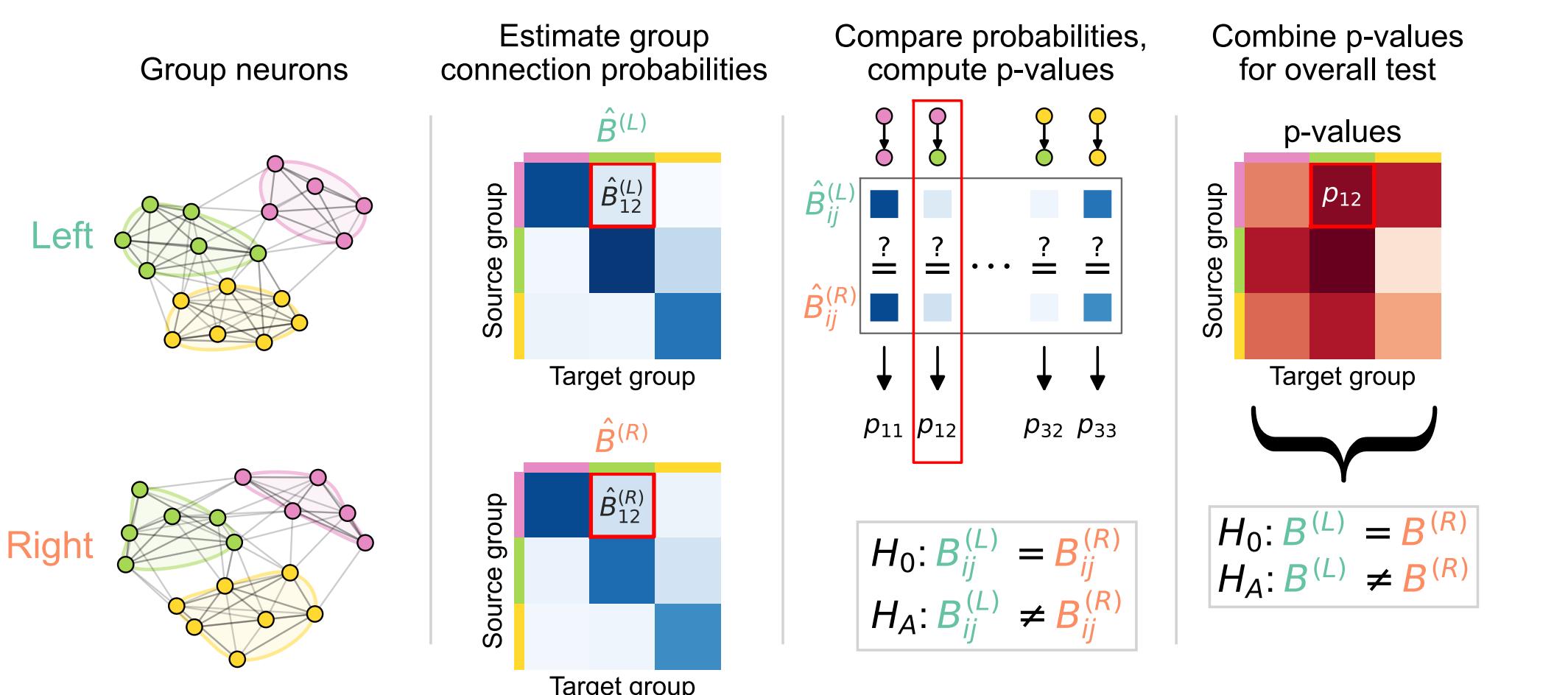


Fig 3A: Testing under stochastic block model (SBM) compares probabilities of connections between groups (here using cell types).

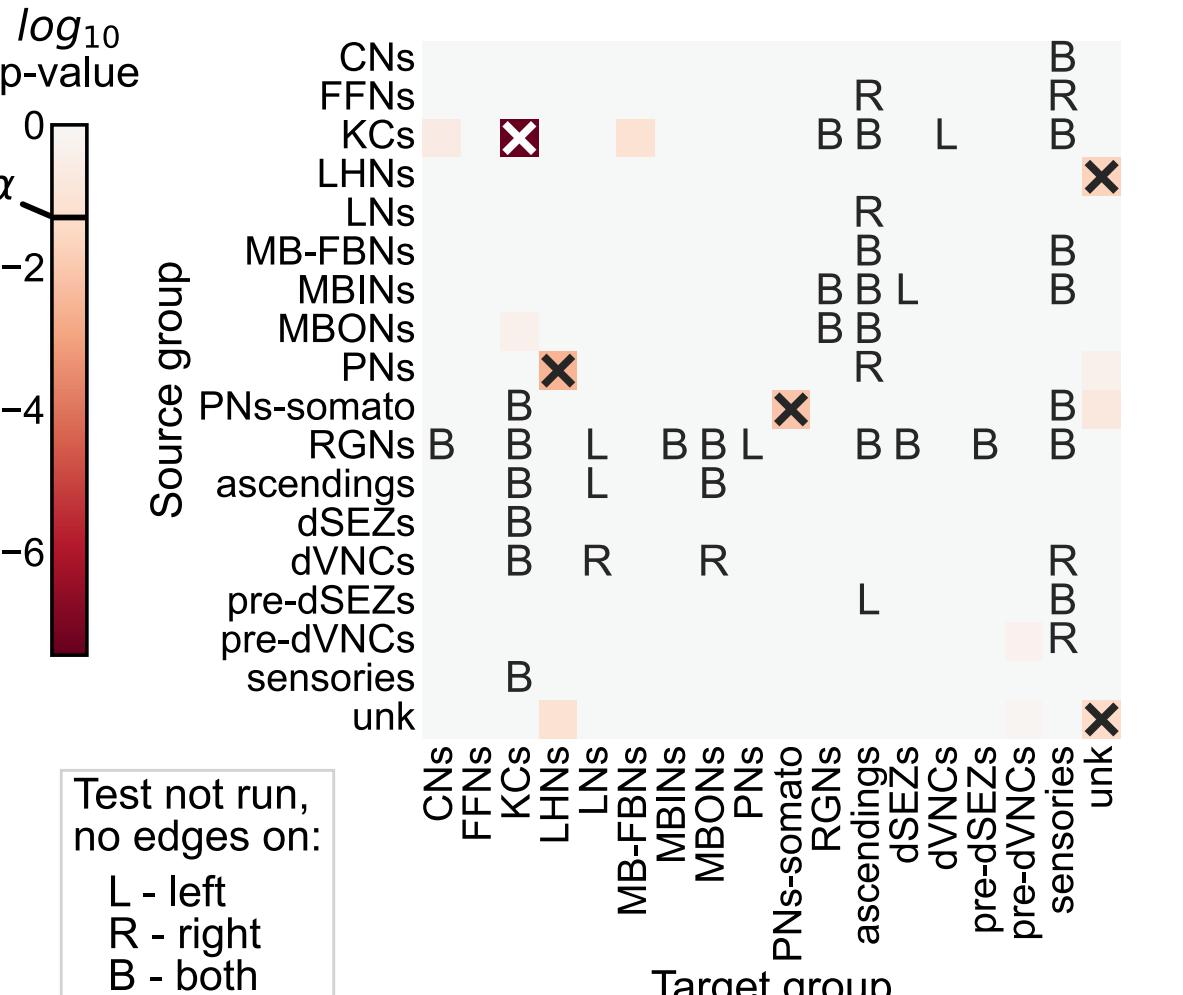


Fig 3B: Test comparing group connections rejects ( $p < 10^{-7}$ ); five specific connections differ.

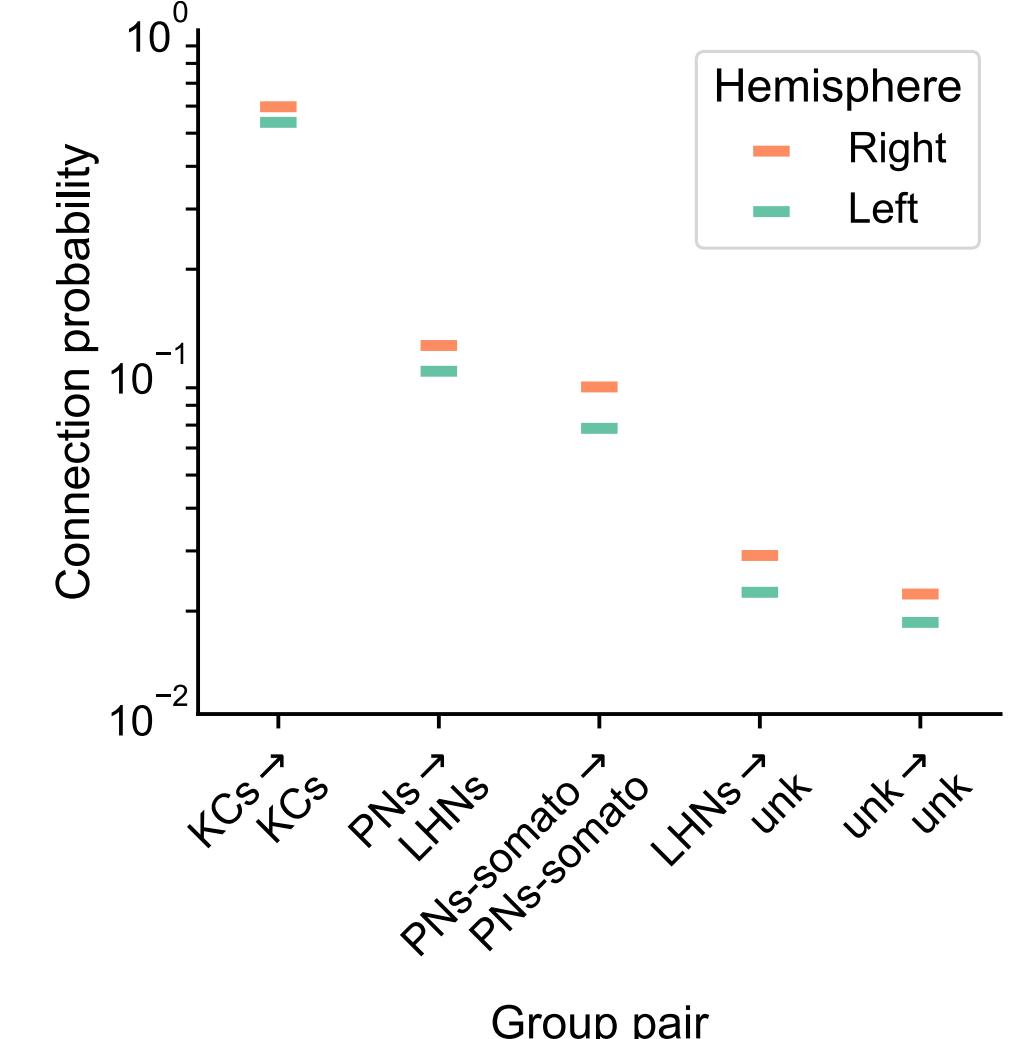


Fig 3C: For significant group connections, denser hemisphere probability is always higher.

### Density-adjusted group connection test (Model 3)

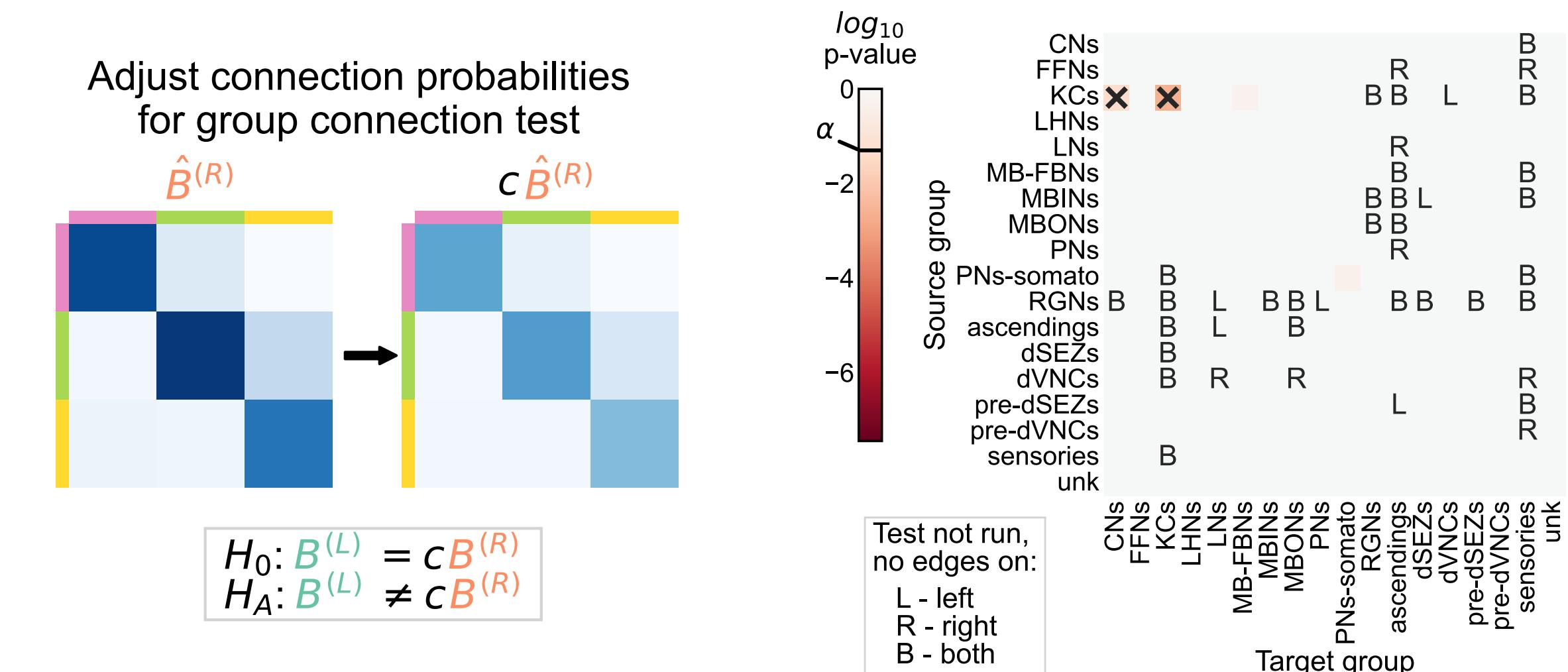


Fig 4A: Hypothesis from Fig 3 modified by a factor  $c$  set to make densities equal.

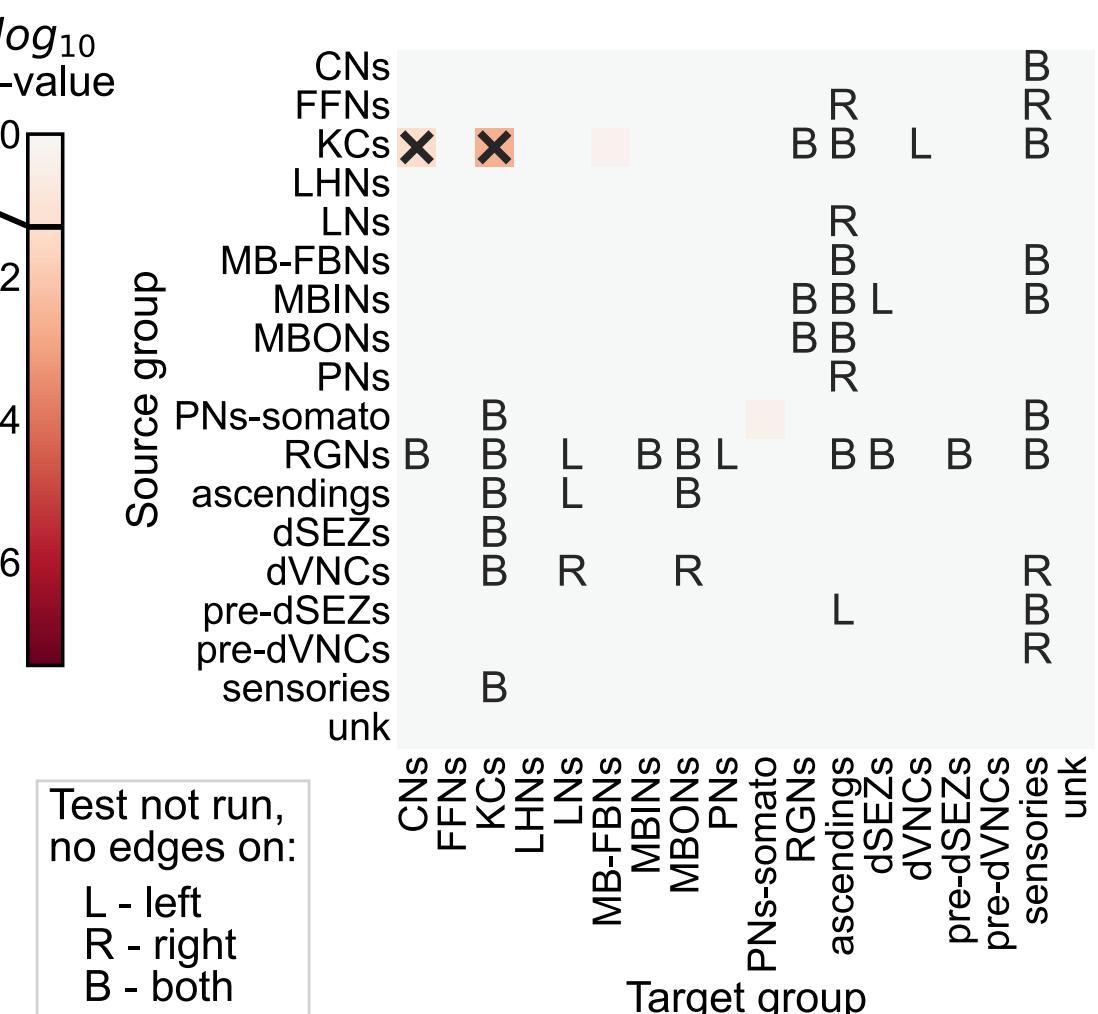


Fig 4B: Test comparing adjusted group connections rejects ( $p < 10^{-2}$ ); two differing connections from KCs.

### Notions of bilateral symmetry

#### With Kenyon cells

Model	$H_0$ (vs. $H_A \neq$ )	p-value
1	$p^{(L)} = p^{(R)}$	$< 10^{-23}$
2	$B^{(L)} = B^{(R)}$	$< 10^{-7}$
3	$B^{(L)} = cB^{(R)}$	$< 10^{-2}$

#### Without Kenyon cells

Model	$H_0$ (vs. $H_A \neq$ )	p-value
1	$p^{(L)} = p^{(R)}$	$< 10^{-26}$
2	$B^{(L)} = B^{(R)}$	$< 10^{-2}$
3	$B^{(L)} = cB^{(R)}$	0.51

### Edge weight thresholds

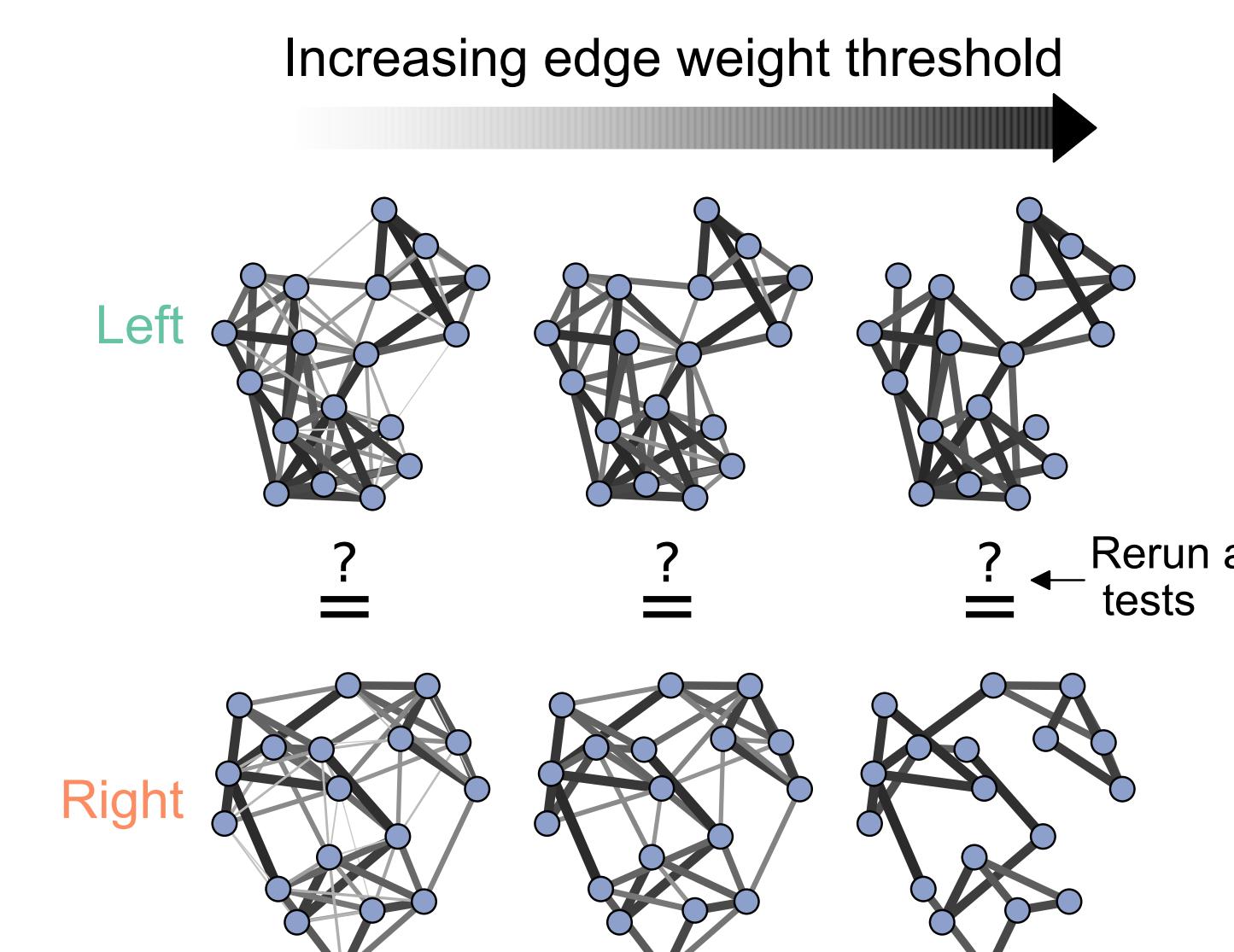


Fig 5A: Removed edges w/ weight (synapse count or percentage of input to downstream neuron) below some threshold, tested symmetry for each pair of networks.

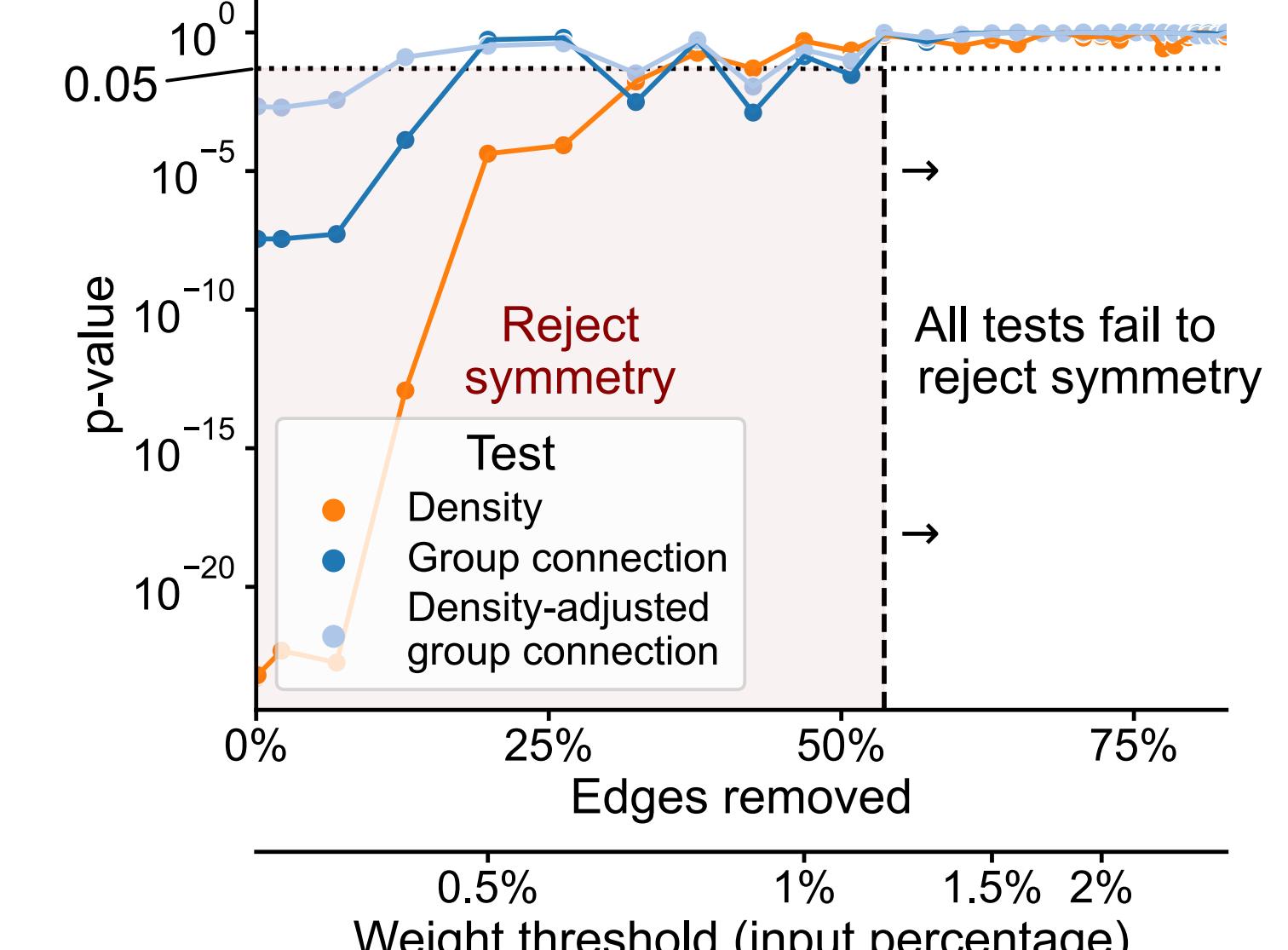


Fig 5B: Higher edge weight thresholds generally made networks more symmetric. Less apparent when using synapse counts as edge weights (not shown).

### Limitations and extensions

- Many other models to consider (e.g. random dot product graph [3])
- Many other potential neuron groupings for group connection testing
- Matched nodes between networks

### Code



downloads 116k  
Stars 245



### This work

jupyter book



### References

- [1] Winding, Pedigo et al. "The complete connectome of an insect brain," In prep. (2022)
- [2] Chung et al. "Statistical connectomics," Ann. Rev. Statistics and its Application (2021)
- [3] Athreya et al. "Statistical inference on random dot product graphs: a survey," JMLR (2017)

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