$$\frac{\partial J}{\partial w_0} = -\frac{N}{N} \left[ y^{(n)} \cdot \frac{1}{h_w(x^n)} \cdot h_w(x^{(n)}) \cdot h_w(x^n) \right] \times \frac{1}{(-h_w(x^n))} \cdot \frac{1}{(-h_w(x^n))} \cdot h_w(x^{(n)})$$

$$=\frac{1}{2}\sum_{n=1}^{N}y^{(n)}x^{(n)}+y^{(n)}x^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})-x_{1}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+y^{(n)}+h_{\omega}(x^{(n)})+h_{\omega}(x^$$

$$\frac{1}{2} \left[ y^{(n)} \times_{j}^{(m)} - h_{m} \left( x^{(n)} \right) \times_{j}^{(n)} \right] + \omega_{j}$$

$$\frac{1}{2} \left[ y^{(n)} \times_{j}^{(m)} - h_{m} \left( x^{(n)} \right) \times_{j}^{(n)} \right] + \omega_{j}$$

(b) 
$$\nabla_{\omega}^{2} J(\omega) = \begin{bmatrix} \frac{\partial^{2} J}{\partial \omega_{1}^{2}} & \frac{\partial^{1} J}{\partial \omega_{1} \omega_{2}} \\ \frac{\partial^{2} J}{\partial \omega_{1} \omega_{2}} & \frac{\partial^{2} J}{\partial \omega_{2} \omega_{3}} \end{bmatrix}$$

$$\frac{\partial J}{\partial \omega_{1}} = \frac{2}{2} \left[ g^{(i)} \chi_{1}^{(i)} - \sigma \left( \omega^{T} \chi^{(i)} \right) - \chi_{2}^{(i)} \right] + \omega_{2}$$

$$\frac{\partial^2 J}{\partial \omega_{z}} = \sum_{n=1}^{\infty} \left[ \sigma(\omega_{x}^{2} \kappa_{u}) \left( \left[ -\sigma(\omega_{x}^{2} \kappa_{u}) \right] \right) \right] + 1$$

log 
$$\omega^*$$
 = argmax.  $\overline{Z}$  log  $(e(i_1(x_i), \omega)) + (i_2(f(\omega)))$ 

= agmix 
$$\sum_{i=1}^{n} \left[ \log \left( \left[ \sigma \left( \omega^{T} x_{i} \right) \right]^{3}, \left[ \left[ 1 - \sigma \left( \omega^{T} x_{i} \right) \right] \right]^{1-3i} \right) + \log F(\omega) \right]$$

$$= - \underset{\omega}{\operatorname{argmin}} \sum \left[ y_{i} \log \left( \sigma(\omega T x_{i}) \right) + (1-y_{i}) \log \left( 1-\sigma(\omega T x_{i}) \right) + \log \left( \frac{1}{2\pi_{i}} \right) \right]$$

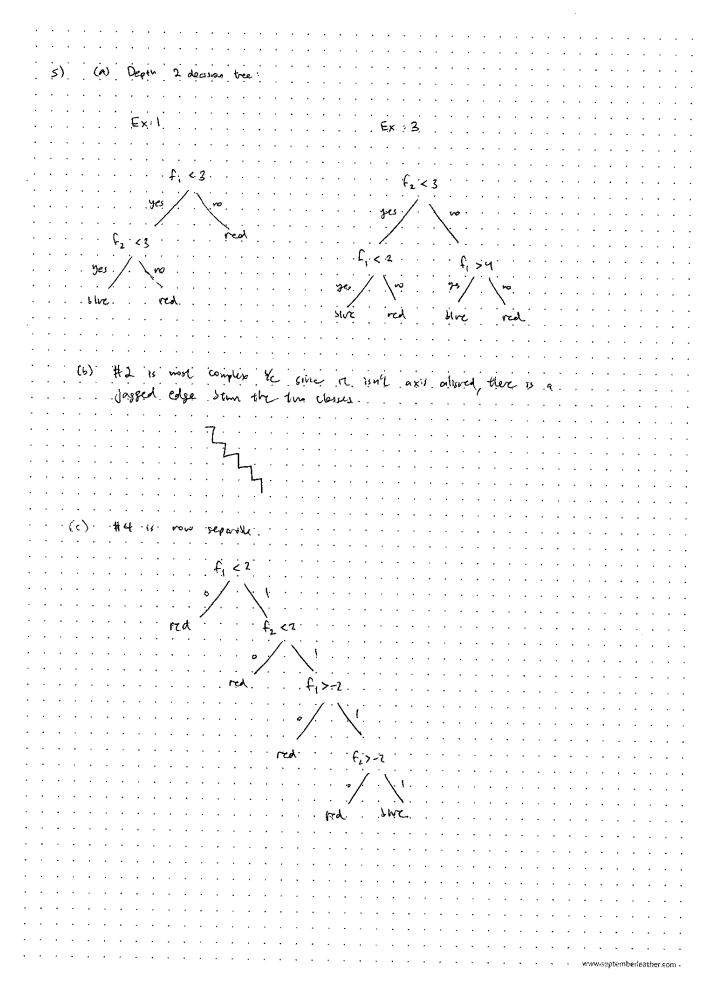
$$+ - \sum_{i=1}^{m} \frac{\omega_{i}^{2}}{2}$$

e). At mospher is the highest.	
f) is good atmospher?	
	outdoor hoster clean almos sood
X=0 X=0 X=0	
18.900 L bar 15.900	
×20.	
Good: Bad	
g) 9 and 10 are both good restaurants	siva atres = 0
because their atmospheres are good	H (andow) = 1.H( \f)
and that is enough to determine that	H ( hase)
	11 (clen) = 2 . 11(12) -1 - 1 . 11(0)
1	
	similarițieș:
	both symmetric
	- about q(V)=0.5. · · · both are 0 at 0 · ·
0.5	- both are 0 at 1
· · · · · · · · · · · · · · · · · · ·	0.5
red is $gini(q(V))$ and blue is $H(q(V))$	V))

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							•	
4)	(b).			scare: $i(\lambda a_1 + (1-\lambda) a_2) > \lambda_i(a_1) + (1-\lambda) i(a_2)$				
•		1.4	.œ-v.c	name: $i(\lambda a_1 + (1-\lambda) a_2) > \lambda_i(a_1) + (1-\lambda) i(a_2)$			•	
	 			$= P \qquad \hat{i} \left( \lambda a_1 + (1-\lambda) a_2 \right) - \lambda \hat{i} \left( a_1 \right) - (1-\lambda) \hat{i} \left( a_2 \right) \geq 0$				
				$\lambda = P(V_1, V_1) $			٠	
	· · ·			$\lambda = P(V_1, V)$ $P(V_1, V) = \frac{ V_1 }{ V }$ $P(V_1, V) = \frac{ V_1 }{ V }$				
				$P(v_1, v_2) = P(v_1, v_2) + P(v_2, v_3) + P(v_2, v_3) + P(v_3, v_4) + P(v_3, v_3) + P(v_3, v_4) + $				
•		٠		$P(v_2,v) = \frac{ v_2 }{ v }$			•	
•				$\lambda_{q_1} + (1-\lambda)_{q_2} = \frac{ v_i }{ v } \cdot q(v_i) + \frac{ v_i }{ v } \cdot q(v_i)$	- •		•	
							•	
				1 \\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \				
-		•					•	
•								
				1.8i:1.6V, y1=11.				
	 			(v)				
				5, 100 Since 1 1 ( ) 9,4 (1-1/2) 6 1 5 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1				
•		•		Since 1 ( ) ( ) (1-1/) (2) - ) - (1-1/) ((2) 30) / b/c conca		. ,		
				i(q(v)) - (p(v, v) iq(v, v) i(q(v, v)) >	<b>)</b> [			
•								
	 			I(v,, Vz, v.) >, 0			•	
	u.į	•	j '	-x lo3 x - (1-x) lo8 (1-x)			•	
				- lock - v: 1 - 1/201 1 - 200 1 - 1 - 1 - 1/20 1 - 1 - 1				
•				-logx -x: 1/x:ln2 / (CI) log (1-x) + (1-x) (CI)				
			. F.	$-198x - \frac{1}{\ln 2} + \log (1-x) + \frac{1}{1+2}$				
•		٠					,	
			٠ د	= -1052 × + 1052 (1-x).				
		•					•	
			) <u>.</u> y					
			ð¥ .	$\frac{1}{x \cdot \ln 2}$ $\frac{1}{(1-x) \ln 2}$ $\frac{1}{(1-x) \ln 2}$			•	
		•					•	
	. i		· · · ;	$(0x) = 2x(1-x) = -2x^2+1x$			,	
	(v)	. '						
				dr = -4 60 therfore one				· ·
			. ,	8x2 = -4 60 therefore orene				
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## PROBLEM 6 ON HW 3

(a)

```
close all;
stat = readtable("UCLA EE grad 2030.csv");
x = [ones(1, size(stat, 1)); stat{:,1:2}'];
y = (stat\{:,3\} + 1) / 2;
w = zeros(3, 1);
marks = [5, 100, 500, 1000, 5000, 10000];
figure(1);
hold on;
GPA = stat\{:,1\};
GRE = stat\{:,2\};
scatter(GPA(y == 0), GRE(y == 0), 'blue');
scatter(GPA(y == 1), GRE(y == 1), 'red');
x1 = (0:0.1:4);
for iters = 1:10000
    hw = 1 . / (1 + exp(-(w' * x)));
    del = sum((hw - y') .* x, 2);
    w = w - 0.01 * del;
    if any(marks(:) == iters)
        x2 = (-w(1) - x1 * w(2)) / w(3);
        plot(x1, x2);
        fprintf("Iteration %d:\n", iters);
        fprintf(" Weights: [%.4f %.4f %.4f]\n", w');
        J = -sum(y' .* log(hw) + (1 - y)' .* log(1 - hw));
        fprintf(" Loss J(w): %.4f\n", J);
        errors = 0;
        for point = 1:100
            if w' * x(:, point) * (y(point) * 2 - 1) < 0
                errors = errors + 1;
            end
        end
        fprintf(" Accuracy: %d%%\n", 100 - errors);
    end
end
Iteration 5:
   Weights: [-0.6077 -0.1788 -0.4186]
   Loss J(w): 62.1028
   Accuracy: 79%
Iteration 100:
   Weights: [-5.0591 1.2546 0.5597]
   Loss J(w): 31.5298
   Accuracy: 89%
Iteration 500:
   Weights: [-9.6026 2.1187 1.2261]
   Loss J(w): 23.3780
```

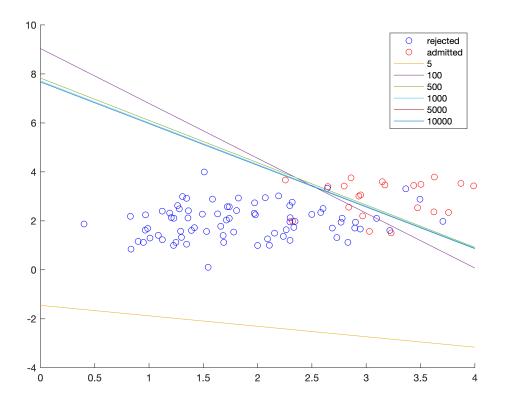
```
Accuracy: 90%

Iteration 1000:
    Weights: [-11.2396 2.4857 1.4577]
    Loss J(w): 22.7539
    Accuracy: 90%

Iteration 5000:
    Weights: [-12.5365 2.7815 1.6341]
    Loss J(w): 22.6232
    Accuracy: 90%

Iteration 10000:
    Weights: [-12.5426 2.7829 1.6349]
    Loss J(w): 22.6232
    Accuracy: 90%
```

```
legend('rejected', 'admitted', '5', '100', '500', '1000', '5000', '10000');
```



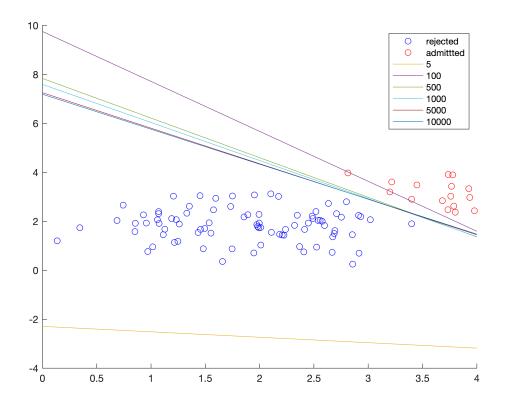
```
stat = readtable("UCLA_EE_grad_2031.csv");

x = [ones(1, size(stat, 1)); stat{:,1:2}'];
y = (stat{:,3} + 1) / 2;
w = zeros(3, 1);

marks = [5, 100, 500, 1000, 5000, 10000];

figure(2);
hold on;
GPA = stat{:,1};
```

```
GRE = stat\{:,2\};
scatter(GPA(y == 0), GRE(y == 0), 'blue');
scatter(GPA(y == 1), GRE(y == 1), 'red');
x1 = (0:0.1:4);
for iters = 1:10000
    hw = 1 . / (1 + exp(-(w' * x)));
    del = sum((hw - y') .* x, 2);
    w = w - 0.01 * del;
    if any(marks(:) == iters)
        x2 = (-w(1) - x1 * w(2)) / w(3);
        plot(x1, x2);
        fprintf("Iteration %d:\n", iters);
        fprintf(" Weights: [%.4f %.4f %.4f]\n", w');
        J = -sum(y' .* log(hw) + (1 - y)' .* log(1 - hw));
                    Loss J(w): %.4f\n", J);
        fprintf("
        errors = 0;
        for point = 1:100
            if w' * x(:, point) * (y(point) * 2 - 1) < 0
                errors = errors + 1;
            end
        end
        fprintf(" Accuracy: %d%%\n", 100 - errors);
    end
end
Iteration 5:
   Weights: [-0.6147 -0.0596 -0.2684]
   Loss J(w): 52.5866
   Accuracy: 84%
Iteration 100:
   Weights: [-5.6729 1.1863 0.5815]
   Loss J(w): 18.4853
   Accuracy: 98%
Iteration 500:
   Weights: [-11.8075 2.4381 1.5066]
   Loss J(w): 7.0009
   Accuracy: 100%
Iteration 1000:
   Weights: [-15.1482 3.1011 1.9950]
   Loss J(w): 4.5682
   Accuracy: 100%
Iteration 5000:
   Weights: [-25.0273 5.0049 3.4495]
   Loss J(w): 1.6140
   Accuracy: 100%
Iteration 10000:
   Weights: [-30.3694 6.0317 4.2228]
   Loss J(w): 0.9940
   Accuracy: 100%
legend('rejected', 'admittted', '5', '100', '500', '1000', '5000', '10000');
```



(b) The linearly non-separable dataset, aka the first graph (graduation class of 2030) converges in the sense that the loss function barely decreases anymore. However, the accuracy is still not perfect, at 90%. The line also barely changes after 10000 iterations

tldr; if we were to run this algorithm until the data was perfectly separable, the algorithm would never converge. however, the value of loss function does seem to converge.

(c) On the other hand, the other graph (graduation class of 2031) aka the linearly separable dataset, seems to not converge with regards to loss function. It i still decreasing even after 10000 iterations. However, the accuracy with regards to testing data is 100%, and will not change from there. The line also is barely changing positions now. I tried running the second dataset with 1000000 iterations (1 million), and the loss function reached all the way down to 0.0203!!. It will just keep decreasing, as a better and better fit for the data will be the perfect minimal value of the loss function even though accuracy is still 100% through all of this. There is an empty space in between the linerally separable data where the point can lie anywhere, and at this point the line is just perfecting its placement.

tldr; if we were to run this algorithm until the data was perfectly separable, the algorithm would converge in under 500 iterations. however, the value of the loss function does not seem to converge even after 1 million iterations.

<u>į.</u>	. (e) .	k = (		
		Ex I:	(0.5,0.4) (0.9,0.5), (0.5,0.1) (0.1,0.5) week. errythy else is worg.	**       ** <td< td=""></td<>
		Ex 2.	(1.5, 2) and (415,2) don't will	
		. k-3 .		E:X1, k=5,7 iminime
		· · · · · · · · · · · · · · · · · · ·	emor = 14-42= 6	Ex2: k=1 minimes
	· · · · · · · · · · · · · · · · · · ·	[6x2	middle 4 points don't week.	bis k: court include yours from anter closes that area diff. class
  			[+offy] [4/14]	Small k: risk a mozedassimi data point nining data
· · · · · · · · · · · · · · · · · · ·	· · · · · · · · · · · · · · · · · · ·		ener: [4/14]	k=13: [14/14] uh oh
		Ex 2;		should be 6. the 2nd -'s from the ctually don't work. 6/14
		k=7.	same & E = 5 14/14	
		Ex·2	- top + bottom blie mor climin 2 outer + poils down 2	46
· ·	· · · ·	· · · · · · · · · · · · · · · · · · ·	(8/ig)	actually should be 12. the same reason i was wrong before.

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