

PROBLEM 1 ON HW 4

```
close all;
stat30 = readtable("UCLA_EE_grad_2030.csv");
stat31 = readtable("UCLA_EE_grad_2031.csv");
data = [stat30; stat31];
tes = table2array(data(1:40,:));
tra = table2array(data(41:end,:));
```

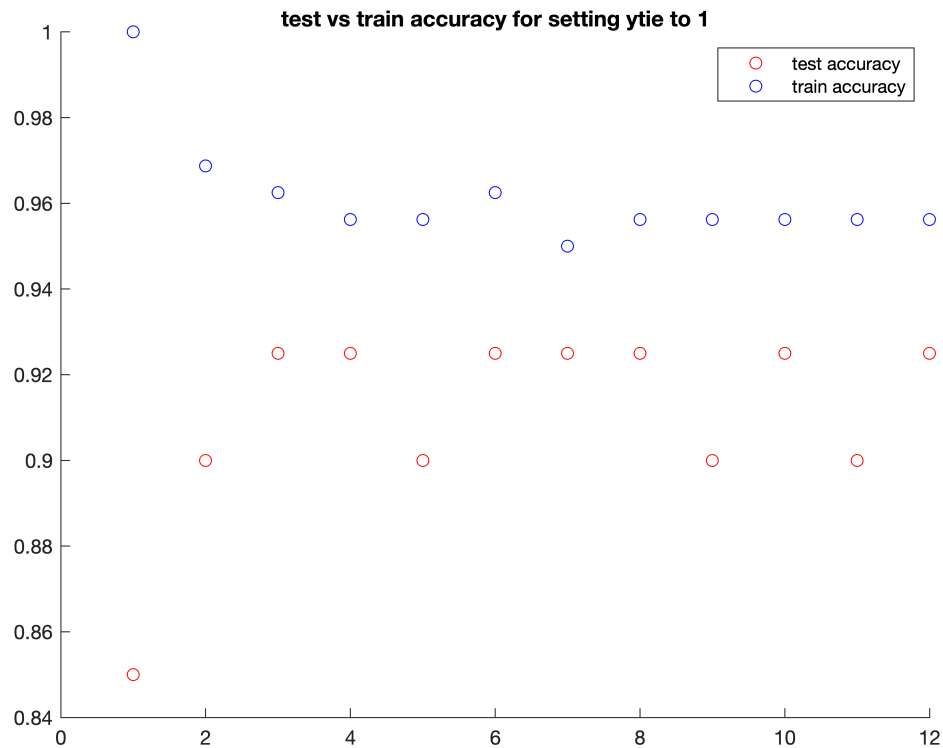
(a) $y_{tie} = 1$: implement k-NN algorithm and plot the training/testing accuracy for $k = 1, 2, \dots, 12$.

```
testacc = zeros(2, 12);
traiaacc = zeros(2, 12);
for k = 1:12
    testyay = [0;0];
    traiyay = [0;0];
    for i = 1:40
        d = sortrows([(tra(:,1)-tes(i,1)).^2+(tra(:,2)-tes(i,2)).^2 tra(:,3)]);
        y1 = sum(d(1:k,2));
        y2 = y1;
        if y1==0, y1 = 1; end
        if y2==0, y2 = -1; end
        y1 = y1 / abs(y1);
        y2 = y2 / abs(y2);
        if y1 == tes(i, 3)
            testyay(1) = testyay(1) + 1;
        end
        if y2 == tes(i, 3)
            testyay(2) = testyay(2) + 1;
        end
    end
    for i = 1:160
        d = sortrows([(tra(:,1)-tra(i,1)).^2+(tra(:,2)-tra(i,2)).^2 tra(:,3)]);
        y1 = sum(d(1:k,2));
        y2 = y1;
        if y1==0, y1 = 1; end
        if y2==0, y2 = -1; end
        y1 = y1 / abs(y1);
        y2 = y2 / abs(y2);
        if y1 == tra(i, 3)
            traiyay(1) = traiyay(1) + 1;
        end
        if y2 == tra(i, 3)
            traiyay(2) = traiyay(2) + 1;
        end
    end
    testacc(1,k) = testyay(1) / 40;
    testacc(2,k) = testyay(2) / 40;
    traiaacc(1,k) = traiyay(1) / 160;
    traiaacc(2,k) = traiyay(2) / 160;
end
figure(1);
hold on;
```

```

scatter((1:1:12), testacc(1,:) ', 'red');
scatter((1:1:12), traiacc(1,:) ', 'blue');
legend('test accuracy', 'train accuracy');
title('test vs train accuracy for setting ytie to 1');

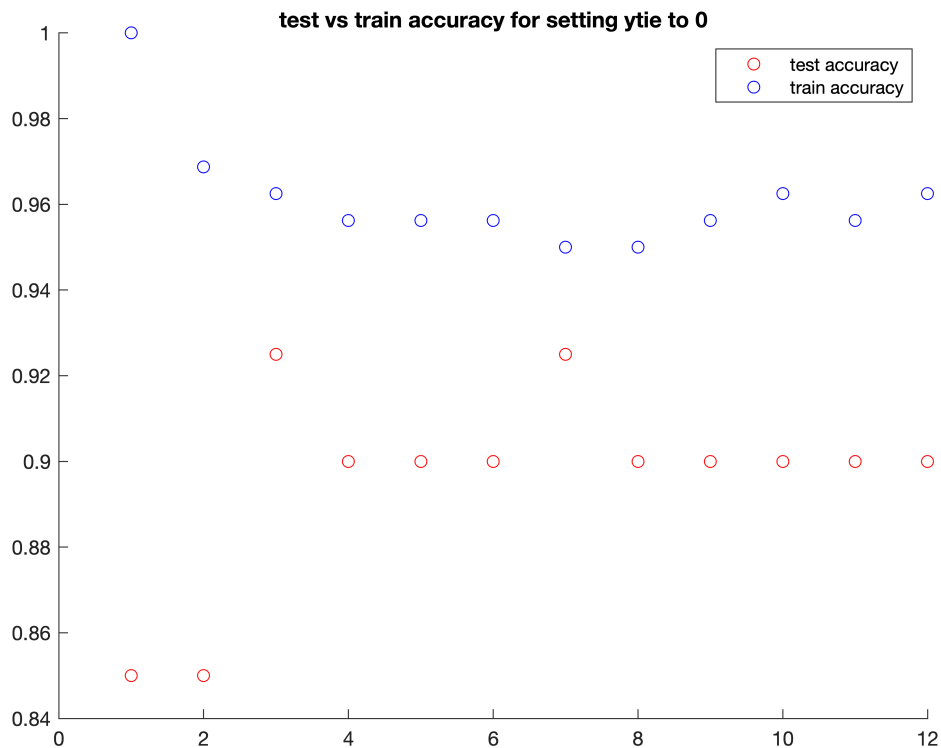
```



```

figure(2);
hold on;
scatter((1:1:12), testacc(2,:) ', 'red');
scatter((1:1:12), traiacc(2,:) ', 'blue');
legend('test accuracy', 'train accuracy');
title('test vs train accuracy for setting ytie to 0');

```



(c) The accuracy against training and testing data is actually fairly good! As k increases the training accuracy drops quite a bit in the beginning but levels out at around 0.96 or 96%. As k increases the testing data accuracy increases by quite a lot in the beginning but levels out at around 0.9 or 90%. A larger k shouldn't make a big difference after 3 or 4. Looking at the graph for $y_{tie} = 1$ an interesting pattern results. When k is even, the accuracy is noticeably higher than when k is odd. For the $y_{tie} = 0$ though it doesn't really make a difference. Odd and even make a big difference, though, because when the two classes appear equally. Deciding comes down to your choice. They aren't contradictory to each other. It seems that when y_{tie} is set to 0, even values of k do better, meaning that it is more likely that it is a 1. Setting y_{tie} to 0 should not make it do better when it is even, and so it's the same odd vs even.