Random Forest Classifiers Weber Constant

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1 Temporal Metrics: Quantifying Human Time Perception

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2 Purpose Statement: Quantifying Human Time Perception

Objective: To introduce an innovative approach to understanding and quantifying human time perception, bridging the realms of neurology, physics, and psychology to offer new insights into a long-standing question: How do humans perceive the passage of time?

The Importance of Understanding Human Time Perception: The way humans perceive time has far-reaching implications not only for individual subjective experiences but also for broader social and functional contexts. Our perception of time shapes our reactions, decisions, memories, and future anticipations. It influences our emotional state, the rhythm of our daily activities, and even our cultural narratives. From waiting for a bus to recollecting past experiences, our sense of time pervades every aspect of our lives. Thus, understanding it is pivotal for both enhancing personal well-being and addressing societal challenges.

A Novel Framework: The Distance = Rate x Time Paradigm in Time Perception: At first glance, the formula "distance = rate x time" seems exclusive to the physical realm, typically associated with motion. However, we postulate that it can be metaphorically applied to human time perception. Here, 'distance' doesn't signify a physical journey but represents the cognitive journey our brains undertake in a 24-hour span, as they process myriad stimuli and experiences.

Distance: The theoretical "distance" our brains travel is a cumulative representation of all brainwave activities in a typical day. This cognitive journey can vary significantly among individuals, especially when considering conditions or disorders that impact time perception.

Rate: This is characterized by the wavelengths and frequencies of standard brainwaves - delta, theta, alpha, low beta, mid beta, high beta, and gamma. Each type of wave represents different cognitive states and functions, from deep sleep to heightened alertness.

Time: Time, in this context, refers to the duration one experiences a particular brainwave activity within 24 hours.

The Weber-Fechner law, or Weber's law: A principle in experimental psychology proposed by Ernst Heinrich Weber in 1834. It states that the just-noticeable difference between two stimuli is proportional to the magnitude of the stimuli. That is, if you increase a stimulus (like brightness, weight, loudness, etc.), the amount of change required for us to notice this change becomes larger as the stimulus itself becomes larger. In the context of time perception, applying Weber's law would

mean that our ability to distinguish between two durations would be based on a ratio or proportion rather than a fixed quantity.

Incorporating Weber's Time Constant and Myelination: The Weber time constant, derived by calculating the difference between the 'distance' covered by an average brain compared to those with altered time perception, offers a scalar measure of time perception variations. Furthermore, factoring in changes in myelination, which can influence the speed and efficiency of neural transmissions, adds depth to our understanding. An increase in myelination can speed up neural processes, possibly leading to altered time perception, while a decrease might have the opposite effect.

3 Data Description

Methodology: Harnessing AI-Powered Insights for Understanding Human Time Perception

Data Acquisition:

Theoretical Judgements: Our research began by tapping into the theoretical frameworks of neuroscience, psychology, and time perception. By leveraging these well-established theories, we constructed a foundational understanding upon which more specific and nuanced data points could be built.

Rapid Fire Questioning with AI ChatGPT-4: To delve deeper into the complexities of time perception, we engaged in extensive interactions with OpenAI's ChatGPT-4. This state-of-the-art AI model, trained on vast amounts of data, provided us with nuanced insights and knowledge gaps in existing research.

Why ChatGPT-4?

Access to Comprehensive Data: ChatGPT-4 has been trained on a multitude of research papers, articles, and databases. Its knowledge spans a wide array of fields, allowing us to extract valuable information on brainwave activity, associated tasks, and conditions influencing time perception.

Efficient Interaction: Rapid-fire questioning with ChatGPT-4 ensured that our data acquisition process was both thorough and efficient. By posing sequential questions and building upon the AI's responses, we were able to derive detailed and interconnected insights within a short time frame.

Dynamic Learning Approach: ChatGPT-4's ability to understand and respond contextually enabled a more organic, conversational approach to data gathering. This dynamic interaction often led to the revelation of unexpected but valuable insights.

Data Analysis:

Brainwave Activity and Associated Tasks: With the data acquired, we charted out a comprehensive mapping of different brainwave types (delta, theta, alpha, beta, gamma) against their associated cognitive tasks. This provided a clear picture of how various activities or states of being could influence time perception.

Alterations in Human Time Perception: Further, we analyzed the factors leading to alterations in time perception. Data indicated a range of influences from biological (e.g., neurochemical changes, myelination variations) to psychological (e.g., trauma, mindfulness practices).

Conclusion:

By adopting this multifaceted approach, we aim to shed light on the intricate mosaic of human time perception. Unveiling its mysteries could lead to therapeutic breakthroughs for disorders affecting time perception and offer everyone deeper insights into their own experiences of the world. Our methodology, which combined theoretical judgments with advanced AI-powered interactions, led to a rich dataset on human time perception. By leveraging the power of ChatGPT-4 and its extensive training, we have gathered insights that push the boundaries of existing knowledge and pave the way for future research in this intriguing field.

4 Feature Descriptions

Analyzed Conditions: ADHD, Aging 18-29, Aging 30-49, Aging 50-69, Aging 70-89, Aging 90+, Alcohol, Alzheimer's Disease, Anxiety, Autism Type 1, Autism Type 2, Average, Bipolar Depressive, Bipolar Manic, Brain Damage, Brain Lesions, Caffeine, Chronic Pail disorder, Cocaine, Concentration Meditation, Depression (MDD), Dissociative Disorders, Elite Athlete, Emregency Event, Epilepsy, Fentanyl, Flow State, Graduate Student, Heroin, High IQ, Insomnia, Ketamione, Learrning Problems, Low IQ, LSD, Marijuana, MDMA (Ecstasy), Methamphetamine, Migraine, Morphine, MS, Musician, Nicotine, Oxycodone, Parkinson's Disease, Percription Antidepressants, Perscription Sleep Aids, Perscription Stimulants, Psilocybin, Psychosis, PTSD, Savant Type 1, Savant Type 2, Schizophrenia, Severe Cognitive Disability, Stress, TBI, Tibetyan Meditation, Transcendental Meditation. Condition Features: Time Feels Faster or Slower (0 Average, 1 Both, 2 Faster, 3 Slower); Myelin Increase or Decrease (100% is Average); Speed (average speed associated with adequate myelination (75 meters per second); Speed with Myelination Increase or Decrease applied; Wavelength in meters = velocity divided by frequency; Number of Cycles = frequency times time; Total Distance (Delta waves) = wavelength times the number of cycles in kilometers; Delta Time (time in hours in an average day that a person with a given condition spends in that brainwave activity); Delta Frequency (the average frequency of delta waves); Items 4-9 repeat for theta waves, alpha waves, low beta waves, mid beta waves, high beta waves, and gamma waves; Total Time (24 hours); Cumulative Distance in kilometers; Calculated percent increase/decrease based on average person total distance; Rate = kilometers divided by hours; Weber's Constant (altered perception of time).

Feature names:

feature_names = 'Target', 'Myelin', 'Speed', 'Speed_M', 'D_WL', 'D_Cycle', 'D_Dist', 'D_Time', 'D_Freq', 'T_WL', 'T_Cycle', 'T_Dist', 'T_Time', 'T_Freq', 'A_WL', 'A_Cycle', 'A_Dist', 'A_Time', 'A_Freq', 'BL_WL', 'BL_Cycle', 'BL_Dist', 'BL_Time', 'BL_Freq', 'BM_WL', 'BM_Cycle', 'BM_Dist', 'BM_Time', 'BM_Freq', 'BH_WL', 'BH_Cycle', 'BH_Dist', 'BH_Time', 'BH_Freq', 'G_WL', 'G_Freq', 'G_Dist', 'G_Time', 'G_Freq.1', 'Total_Time', 'Total_Distance', 'Percent_Increase', 'Total_Rate', 'Weber_k'

Cumulative Time and Initial Speed features are dropped because they are constants.

5 Machine Learning Approach

The utilization of Random Forest models in this research project stems from their inherent advantages in addressing the complexities of our multiclass classification problem. Random Forest models offer a robust and insightful approach to gaining a deeper understanding of the factors influencing classification accuracy. Their applicability was chosen based on the recognition that

they provide a unique opportunity to unravel the importance of specific features, thereby informing subsequent feature selection and engineering efforts for the development of a deep learning neural network (NN).

Another compelling reason for embracing Random Forest models is their transparency in interpreting complex datasets. This transparency facilitates a clear comprehension of feature interactions and their contributions to overall accuracy. Beyond interpretability, these models serve as effective benchmarking tools, allowing for the establishment of performance baselines that aid in assessing the value of more intricate deep learning models. Moreover, their adeptness at handling class imbalances, often encountered in multiclass classification tasks, adds to their appeal, equipping us with the expertise needed to address real-world data scenarios effectively.

In summary, the choice to employ Random Forest models is a strategic one, driven by their capacity to provide critical insights into feature importance, enhance data interpretability, support model benchmarking, and tackle class imbalances. These models lay the groundwork for informing the design of a deep learning NN model capable of excelling in real-world scenarios with larger and more representative datasets.

6 Import packages and load data

```
[1]: #qeneral
     import pandas as pd
     import matplotlib
     import matplotlib.pyplot as plt
     import numpy as np
     import random as rnd
     # visualization
     import seaborn as sns
     import matplotlib.pyplot as plt
     import graphviz
     %matplotlib inline
     sns.set()
     # sklearn packages
     from sklearn.model_selection import train_test_split
     from sklearn.metrics import confusion_matrix
     from sklearn.metrics import accuracy_score
     from sklearn.metrics import classification_report
     from sklearn.preprocessing import LabelEncoder
     from sklearn.preprocessing import MinMaxScaler
     from sklearn.linear model import LogisticRegression
     from sklearn.svm import SVC, LinearSVC
     from sklearn.ensemble import RandomForestClassifier, VotingClassifier
     from sklearn.neighbors import KNeighborsClassifier
     from sklearn.naive_bayes import GaussianNB
     from sklearn.linear_model import Perceptron
     from sklearn.linear_model import SGDClassifier
```

```
from sklearn.tree import DecisionTreeClassifier, export_graphviz
     from sklearn.model_selection import GridSearchCV, cross_val_score
     from sklearn.preprocessing import StandardScaler
     from sklearn.ensemble import GradientBoostingClassifier
     # imbalanced-learn
     from imblearn.over_sampling import SMOTE
     import warnings
     warnings.filterwarnings("ignore")
[2]: # Load the data
     df = pd.read_csv('Temporal_Metrics.csv')
     df['Condition'] = df['Condition'].astype('str')
     # Initial data exploration
     print(df.head())
     print(df.info())
     print(df.describe())
     # Check for missing values
     print(df.isnull().sum())
                   Target Myelin
                                    Speed
                                           Speed_M D_WL D_Cycle D_Dist
                                                                           D Time
         Condition
    0
                              0.90
                                     75.0
                                             67.50
                                                    25.0 43200.0 1080.0
                                                                               4.0
              ADHD
                         1
                              1.00
                                     75.0
                                             75.00 25.0 43200.0 1080.0
                                                                               4.0
    1 Aging 18-29
                         0
    2 Aging 30-49
                         0
                              0.98
                                     75.0
                                             73.50 25.0 48600.0 1215.0
                                                                               4.5
                              0.94
    3 Aging 50-69
                         3
                                     75.0
                                             70.50 25.0 54000.0 1350.0
                                                                               5.0
                              0.85
    4 Aging 70-89
                                     75.0
                                             63.75 30.0 40500.0 1215.0
                                                                               4.5
                          G_Freq G_Dist G_Time G_Freq.1 Total_Time \
       D_Freq ... G_WL
                                                      40.0
    0
          3.0
                  1.69
                        144000.0
                                   243.0
                                             1.0
                                                                  24.0
    1
          3.0 ... 1.88
                        144000.0
                                   270.0
                                             1.0
                                                      40.0
                                                                  24.0
    2
          3.0 ... 2.10
                         63000.0
                                   132.3
                                             0.5
                                                      35.0
                                                                  24.0
          3.0 ... 2.35
                                                      30.0
    3
                         54000.0
                                   126.9
                                             0.5
                                                                  24.0
          2.5 ... 2.28
                             0.0
                                     0.0
                                             0.0
                                                      28.0
                                                                  24.0
       Total_Distance
                        Percent_Increase Total_Rate
                                                      Weber_k
    0
                                              257.06
              6169.50
                                   -0.05
                                                        -1.21
    1
              6480.00
                                    0.00
                                              270.00
                                                         0.00
    2
                                              267.41
                                                        -0.23
              6417.90
                                   -0.01
    3
              6293.70
                                   -0.03
                                              262.24
                                                        -0.71
    4
              6014.25
                                   -0.08
                                              250.59
                                                        -1.86
    [5 rows x 45 columns]
    <class 'pandas.core.frame.DataFrame'>
    RangeIndex: 59 entries, 0 to 58
```

Data columns (total 45 colu	$\mathtt{umns}):$:
-----------------------------	-------------------	---

#	Column	Non-Null Count	Dtype
0	Condition	59 non-null	object
1	Target	59 non-null	int64
2	Myelin	59 non-null	float64
3	Speed	59 non-null	float64
4	Speed_M	59 non-null	float64
5	D_WL	59 non-null	float64
6	D_Cycle	59 non-null	float64
7	D_Dist	59 non-null	float64
8	D_Time	59 non-null	float64
9	D_Freq	59 non-null	float64
10	T_WL	59 non-null	float64
11	T_Cycle	59 non-null	float64
12	T_Dist	59 non-null	float64
13	T_Time	59 non-null	float64
14	T_Freq	59 non-null	float64
15	A_WL	59 non-null	float64
16	A_Cycle	59 non-null	float64
17	A_Dist	59 non-null	float64
18	A_Time	59 non-null	float64
19	A_Freq	59 non-null	float64
20	BL_WL	59 non-null	float64
21	BL_Cycle	59 non-null	float64
22	BL_Dist	59 non-null	float64
23	BL_Time	59 non-null	float64
24	BL_Freq	59 non-null	float64
25	BM_WL	59 non-null	float64
26	BM_Cycle	59 non-null	float64
27	BM_Dist	59 non-null	float64
28	BM_Time	59 non-null	float64
29	BM_Freq	59 non-null	float64
30	BH_WL	59 non-null	float64
31	BH_Cycle	59 non-null	float64
32	BH_Dist	59 non-null	float64
33	BH_Time	59 non-null	float64
34	BH_Freq	59 non-null	float64
35	G_WL	59 non-null	float64
36	G_Freq	59 non-null	float64
37	G_Dist	59 non-null	float64
38	G_Time	59 non-null	float64
39	G_Freq.1	59 non-null	float64
40	Total_Time	59 non-null	float64
41	Total_Distance	59 non-null	float64
42	Percent_Increase	59 non-null	float64
43	Total_Rate	59 non-null	float64
44	Weber_k	59 non-null	float64

dtypes: float64(43), int64(1), object(1)
memory usage: 20.9+ KB

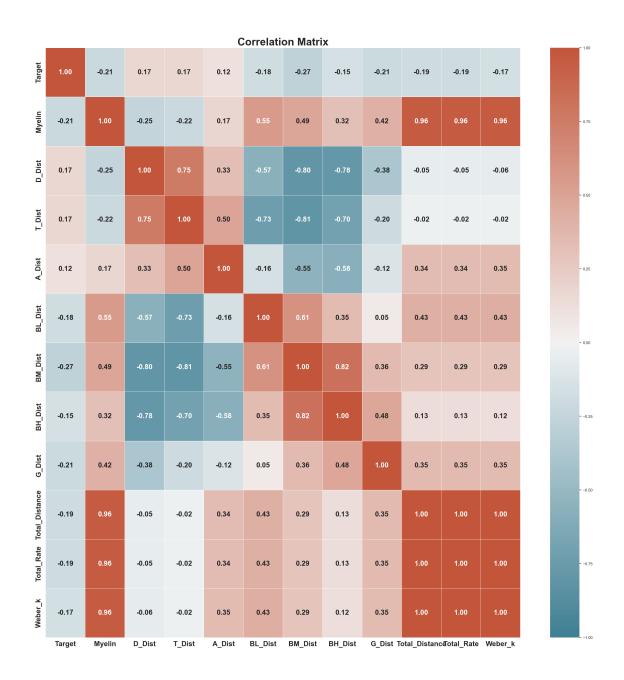
None

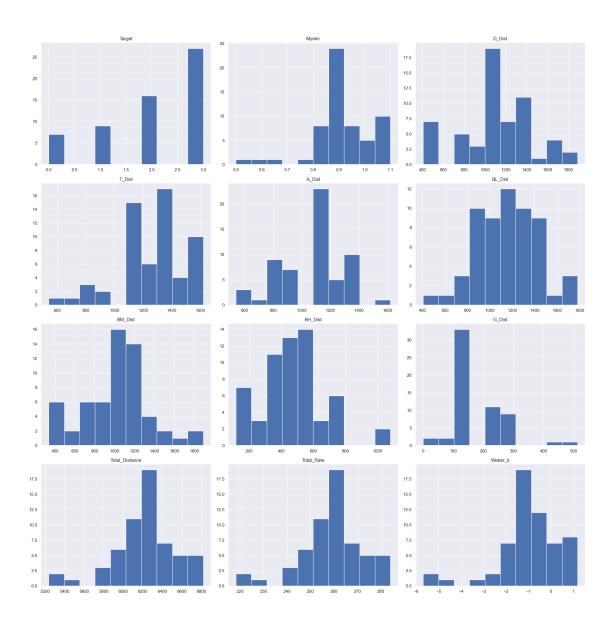
иопе									
	Target	Myelin	Speed	Spee	ed_M	D_	_WL D_	Cycle	\
count	59.000000	59.000000	59.0	59.000	0000	59.0000	59.0	00000	
mean	2.067797	0.914746	75.0	68.605	5932	25.5147	746 45289.8	30508	
std	1.048224	0.112593	0.0	8.444	1444	3.4561	182 16243.4	25141	
min	0.000000	0.500000	75.0	37.500	0000	21.4300	000 10800.0	00000	
25%	1.000000	0.880000	75.0	66.000	0000	25.0000	000 37800.0	00000	
50%	2.000000	0.900000	75.0	67.500	0000	25.0000	000 43200.0	00000	
75%	3.000000	0.990000	75.0	74.250	0000	25.0000	000 54000.0	00000	
max	3.000000	1.100000	75.0	82.500		37.5000			
			,						
	D_Dist	D_Tim	e D	_Freq		T_WL	G_WL	\	
count	59.000000			00000	59 00	00000			
mean	1116.610169			83051			. 1.786441		
std	323.796766			34330			. 0.320537		
	405.000000			00000					
min									
25%	1012.500000			00000		40000			
50%	1080.000000			00000			. 1.780000		
75%	1350.000000			00000		00000			
max	1890.000000	7.00000	0 3.5	00000	16.67	70000	. 2.360000		
	G_F1		Dist	G_Tin		G_Freq.1	-		
count	59.0000			9.0000		9.000000			
mean	105955.9322			0.70339		9.457627			
std	67695.1999	930 90.85	5849	0.33629	91 7	7.728858	0.	0	
min	0.0000	0.00	0000	0.00000	00 25	5.000000	24.	0	
25%	63000.0000	000 121.50	0000	0.50000	00 35	5.000000	24.	0	
50%	72000.0000	000 132.30	0000	0.50000	00 40	0.00000	24.	0	
75%	144000.0000	000 243.00	0000	1.00000	00 41	1.000000	24.	0	
max	360000.0000	000 513.00	0000	2.00000	00 60	0.00000	24.	0	
	Total_Dista	ance Perc	ent_Inc	rease	Total	l_Rate	Weber_k		
count	59.000	0000	59.0	00000	59.0	000000	59.000000		
mean	6230.684	1746	-0.0	42881	259.6	512373	-1.031017		
std	324.993	3176	0.0	57237	13.5	541432	1.375004		
min	5238.000	0000	-0.2	40000	218.2	250000	-5.690000		
25%	6102.000			60000		250000	-1.490000		
50%	6234.300			40000		760000	-0.950000		
75%	6448.950			05000		705000	-0.115000		
max	6817.500			50000		060000	1.190000		
max	0017.500	0000	0.0	30000	204.0	300000	1.190000		
[8 row	s x 44 colum	nnsl							
Condit		0							
Target		0							
Myelin		0							
Speed		0							
pheed		J							

Speed_M	0
D_WL	0
D_Cycle	0
D_Dist	0
D_Time	0
D_Freq	0
T_WL	0
T_Cycle	0
T_Dist	0
T_Time	0
T_Freq	0
A_WL	0
_ A_Cycle	0
A_Dist	0
A_Time	0
A_Freq	0
BL_WL	0
BL_Cycle	0
BL_Dist	0
BL_Time	0
BL_Freq	0
BM_WL	0
BM_Cycle	0
BM_Dist	0
BM_Time	0
BM_Freq	0
BH_WL	0
BH_Cycle	0
BH_Dist	0
BH_Time	0
BH_Freq	0
G_WL	0
G_Freq	0
G_Dist	0
G_Time	0
G_Freq.1	0
Total_Time	0
Total_Distance	0
Percent_Increase	0
Total_Rate	0
_	0
Weber_k	U
dtype: int64	

7 Exploratory Data Analysis

```
[3]: # Correlation matrix
     corr_matrix = df[['Target', 'Myelin', 'D_Dist', __
     ⇔'T_Dist','A_Dist','BL_Dist','BM_Dist','BH_Dist','G_Dist','Total_Distance','Total_Rate','Web
      ⇔corr(numeric_only=True)
     # Plotting
     plt.figure(figsize=(30,30))
     sns.heatmap(
         corr_matrix,
         annot=True,
         fmt=".2f",
         cmap=sns.diverging_palette(220, 20, as_cmap=True),
         vmin=-1,
         vmax=1,
         annot_kws={"size": 20, "weight": "bold"}, # Adjust font size and weight_
      ⇔for the annotations
         linewidths=0.5 # Adjusts line width for gridlines
     plt.xticks(fontsize=20, weight='bold') # Adjust x-tick label font size and_
      \rightarrow weight
    plt.yticks(fontsize=20, weight='bold') # Adjust y-tick label font size and_
    plt.title('Correlation Matrix', fontsize=30, weight='bold')
    plt.show()
```





```
[5]: # Boxplot for all features to identify outliers
for column in df[['Target', 'Myelin', 'D_Dist',

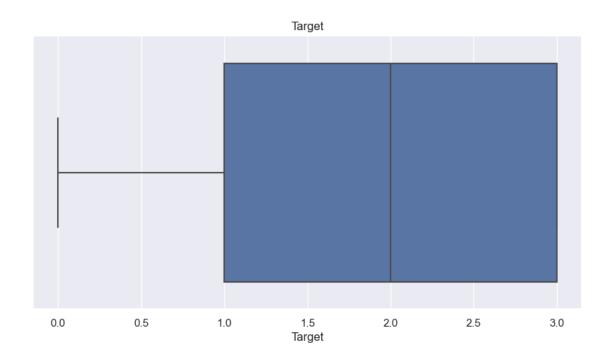
'T_Dist','A_Dist','BL_Dist','BM_Dist','BH_Dist','G_Dist','Total_Distance','Total_Rate','Web

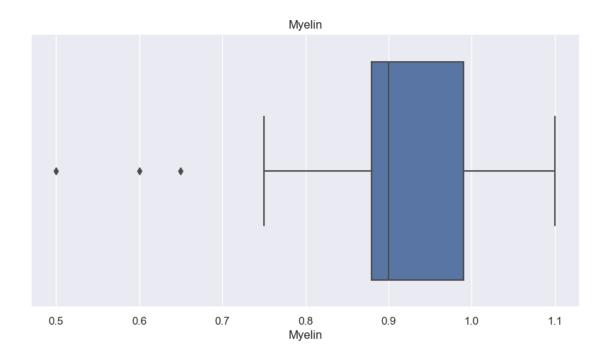
columns:

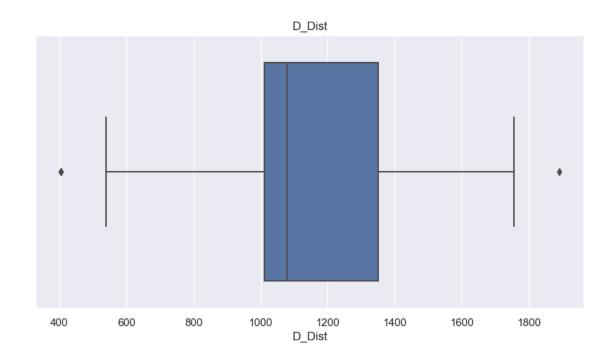
if df[column].dtype in ['float64', 'int64']: # only plot for numeric

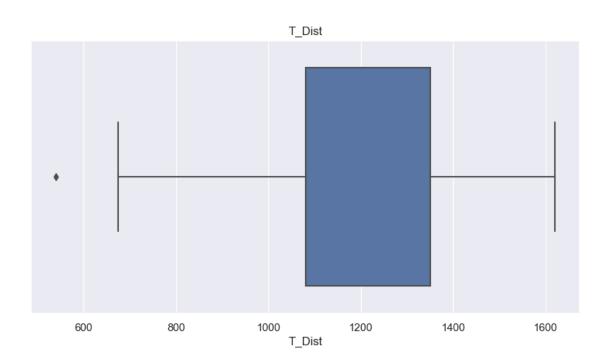
plt.figure(figsize=(10, 5))

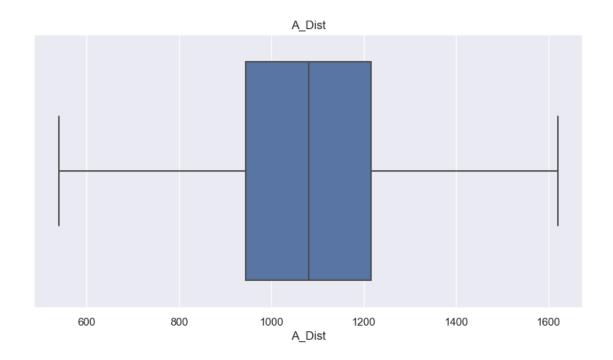
sns.boxplot(x=column, data=df)
plt.title(column)
plt.show()
```

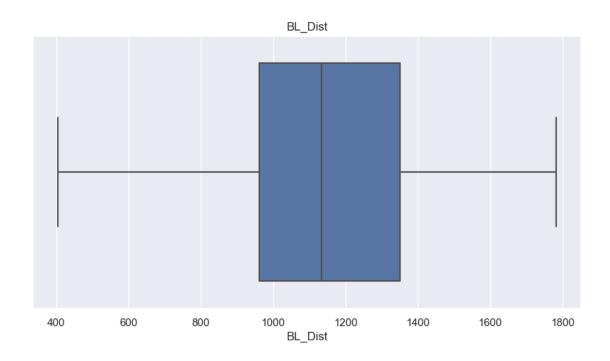


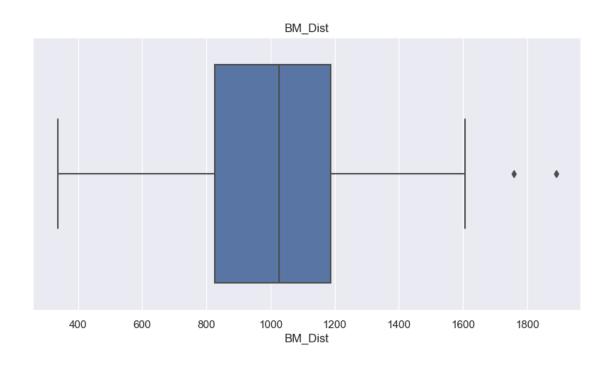


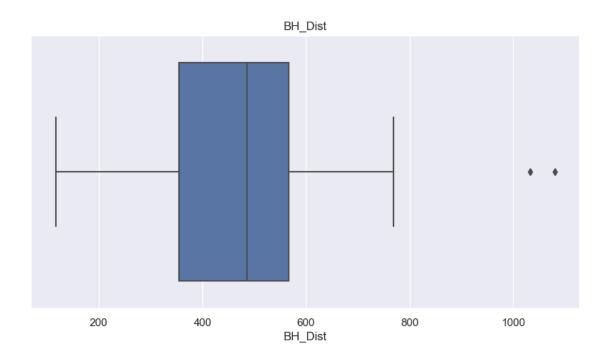


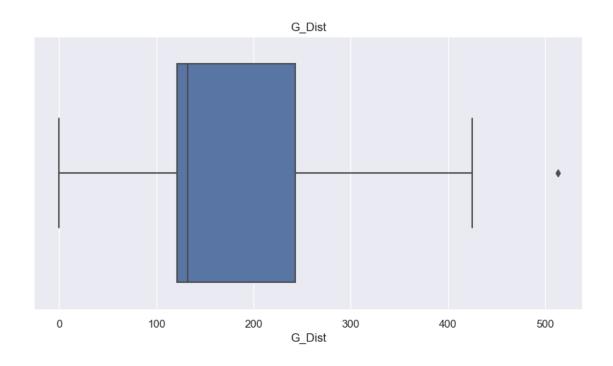


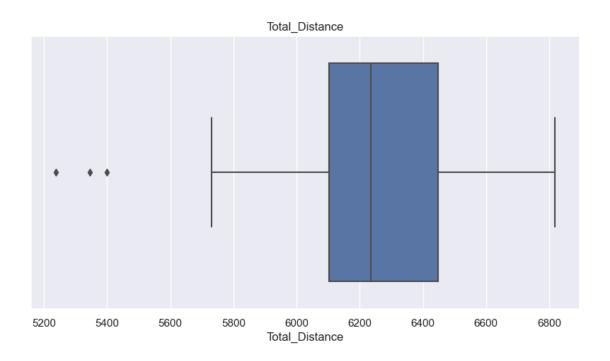


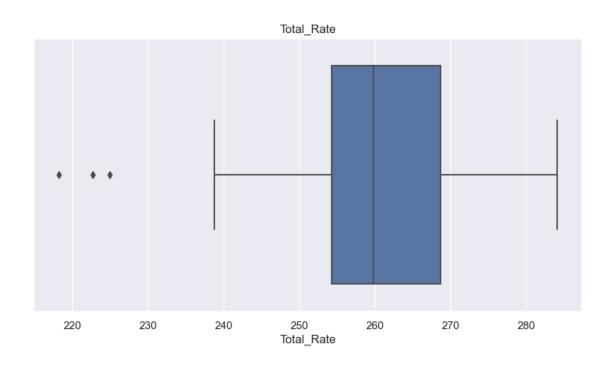


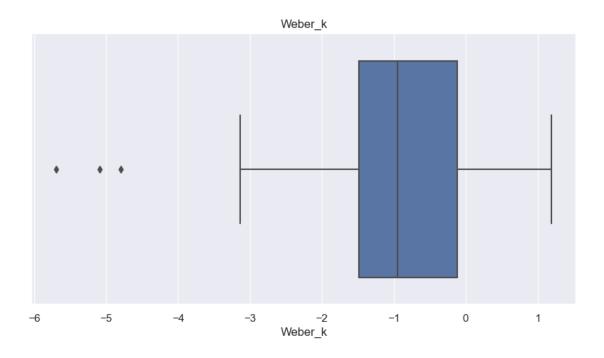




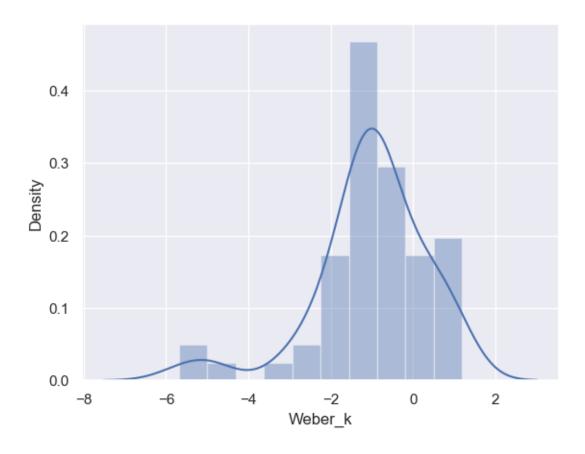








```
[6]: # Distribution of Weber constant
_ = sns.distplot(df.Weber_k)
```



```
[7]: # Select features and define a subset
selected_columns = ['Target', 'Myelin', 'D_Dist', 'T_Dist', 'A_Dist',

'BL_Dist', 'BM_Dist', 'BH_Dist', 'G_Dist', 'Total_Distance', 'Total_Rate',

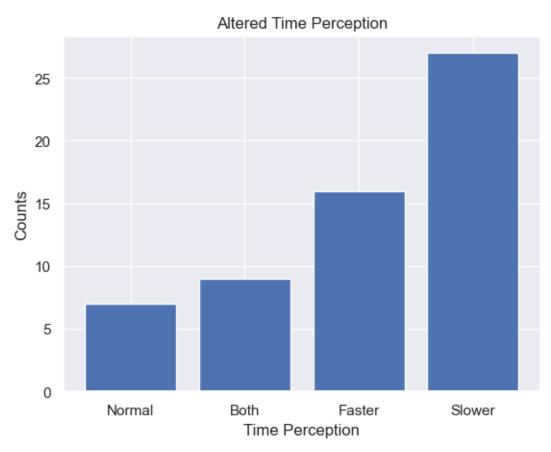
'Weber_k']
subset_df = df[selected_columns]
```

```
[8]: # Label Mapping
label_mapping = {
        3: 'Slower',
        2: 'Faster',
        1: 'Both',
        0: 'Normal'
}

# Get value counts
counts = df['Target'].value_counts().sort_index()

# Use the labels from label_mapping for plotting
labels = [label_mapping[key] for key in counts.index]
```

```
# Plot the value counts
plt.bar(labels, counts)
plt.title('Altered Time Perception')
plt.xlabel('Time Perception')
plt.ylabel('Counts')
plt.show()
```



8 Subset Models

A Decision Tree classifier is a versatile machine learning algorithm that offers high interpretability by visualizing decision-making pathways. It can handle both numerical and categorical data, capture non-linear relationships, and requires no feature scaling.

```
[10]: # Split the data into training and test sets
      X = subset_df.drop('Target', axis=1)
      y = subset_df['Target']
      X train, X test, y train, y test = train_test_split(X, y, test_size=0.3,_
       →random_state=42)
      # Initialize a Decision Tree classifier.
      # Decision Trees are a non-parametric supervised learning method used for both
      # classification and regression. It works by partitioning the source set into
      # subsets based on the values of input attributes.
      clf = DecisionTreeClassifier()
      # Train the Decision Tree classifier on the training data.
      # The fit method will construct a tree from the training data, trying to split
      # on features and make decisions in a way that accurately predicts the target
      # variable.
      clf.fit(X_train, y_train)
      # Once the model is trained, use it to predict the target variable for the test \Box
       \hookrightarrow data.
      # The predict method traverses the trained decision tree to produce au
       \hookrightarrowprediction
      # for each test sample.
      y_pred = clf.predict(X_test)
      # Defining mapping of numeric labels to their corresponding word labels
      numeric labels = [0, 1, 2, 3]
      word_labels = ["Average", "Both", "Faster", "Slower"]
      # Check accuracy
      accuracy = accuracy_score(y_test, y_pred)*100
      print()
      print(f"Accuracy: {accuracy:.2f}%")
      print(classification report(y_test, y_pred, target_names=word_labels))
      # Feature names
      feature_names = [
          'Myelin', 'D_Dist', 'T_Dist', 'A_Dist', 'BL_Dist',
          'BM_Dist', 'BH_Dist', 'G_Dist', 'Total_Distance', 'Total_Rate', 'Weber_k'
      ]
```

```
# Extracting feature importances from the Decision Tree model
feature_importances = clf.feature_importances_
# Pairing feature names with their importances and sorting them
sorted_importances = sorted(zip(feature_names, feature_importances), key=lambda_
 # Display
print("\nFeature Importances:")
print()
for feature, importance in sorted_importances:
   print(f"{feature}: {importance:.4f}")
# Define numeric labels and corresponding word labels
numeric_labels = [0, 1, 2, 3]
word_labels = ["Average", "Both", "Faster", "Slower"]
# Create a confusion matrix
cm = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
       for j in range(cm.shape[1]):
           if i == j:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
           else:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
```

plot_confusion_matrix(cm, word_labels)

Accuracy: 55.56%

	precision	recall	f1-score	support
Average	0.33	1.00	0.50	1
Both	1.00	0.25	0.40	4
Faster	0.50	0.60	0.55	5
Slower	0.62	0.62	0.62	8
accuracy			0.56	18
macro avg	0.61	0.62	0.52	18
weighted avg	0.66	0.56	0.55	18

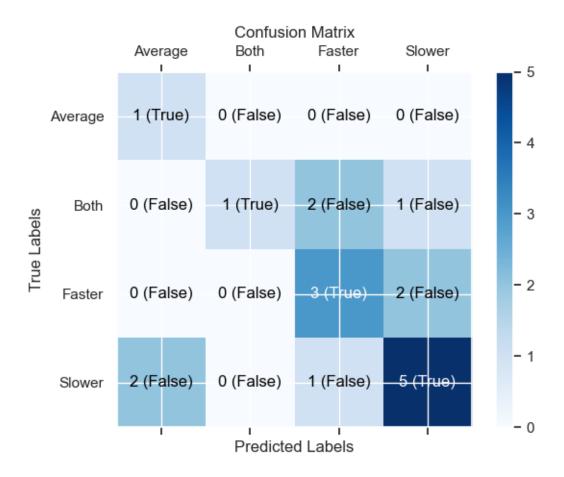
Feature Importances:

BM_Dist: 0.3252 BL_Dist: 0.2101

Total_Distance: 0.1249

D_Dist: 0.1201
BH_Dist: 0.0902
G_Dist: 0.0576
Total_Rate: 0.0480
A_Dist: 0.0238
Myelin: 0.0000

T_Dist: 0.0000
Weber_k: 0.0000



```
graph.render(filename="C:/Users/newmy/Desktop/Temporal_Metrics/DT3", useformat='pdf', cleanup=True)
```

[11]: 'C:\\Users\\newmy\\Desktop\\Temporal_Metrics\\DT3.pdf'

The following code is setting up and training a Random Forest classifier. A Random Forest is an ensemble learning method that creates a 'forest' of decision trees during training and outputs the class that is the mode of the classes (classification) or mean/average prediction (regression) of the individual trees for a given input.

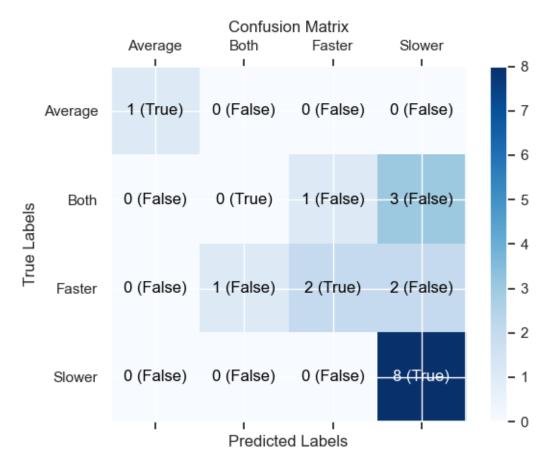
```
[12]: # Extracting features and target variable from the dataset
      X = subset df.drop('Target', axis=1) # Features (excluding the target variable)
      y = subset_df['Target'] # Target variable
      # Splitting the data into training and testing sets, with 30% of the data being
       ⇔used for testing
      X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,_
       →random_state=42)
      # Initializing a Random Forest classifier with 100 trees
      clf = RandomForestClassifier(n_estimators=100, random_state=42)
      # Training the Random Forest classifier on the training data
      clf.fit(X_train, y_train)
      # Predicting the target variable for the testing set
      y_pred = clf.predict(X_test)
      # Defining mapping of numeric labels to their corresponding word labels
      numeric_labels = [0, 1, 2, 3]
      word_labels = ["Average", "Both", "Faster", "Slower"]
      accuracy_percentage = accuracy_score(y_test, y_pred) * 100
      print(f"Accuracy: {accuracy_percentage:.2f}%")
      print()
      print(classification_report(y_test, y_pred, target_names=word_labels))
      # Extract the feature importances
      feature_importances = clf.feature_importances_
      # Combine feature names and their importance scores
      features_df = pd.DataFrame({
          'Feature': X_train.columns,
          'Importance': feature_importances
      })
      # Sort by importance
```

```
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
       for j in range(cm.shape[1]):
           if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Accuracy: 61.11%

	precision	recall	f1-score	support
Average	1.00	1.00	1.00	1
Both Faster	0.00 0.67	0.00	0.00 0.50	4 5
Slower	0.62	1.00	0.76	8
accuracy			0.61	18
macro avg	0.57	0.60	0.57	18
weighted avg	0.51	0.61	0.53	18

Feature	${\tt Importance}$
${ t BM_Dist}$	0.148675
$\mathtt{BL}_\mathtt{Dist}$	0.143355
Weber_k	0.101638
Total_Rate	0.092264
$\mathtt{BH}_\mathtt{Dist}$	0.091719
Total_Distance	0.087851
$ exttt{D_Dist}$	0.076627
Myelin	0.070906
${ t G_Dist}$	0.063853
${ t A_Dist}$	0.061914
${\tt T_Dist}$	0.061196



The following code is setting up and training a Random Forest classifier. However, unlike the previous code, it also includes a preprocessing step for standardizing features and uses a grid search to optimize hyperparameters for the Random Forest model.

```
[13]: # Extracting features and target variable from the dataset
      X = subset_df.drop('Target', axis=1) # Features (excluding the target variable)
      y = subset_df['Target'] # Target variable
      # Splitting the data into training and testing sets. We use stratify to ensure
      # the training and test datasets have similar proportion of target classes.
      X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,_
       →random_state=42, stratify=y)
      # Standardizing the features. This step is optional for Random Forests since
       ⇔they are
      # scale invariant, but is included for demonstration purposes.
      scaler = StandardScaler()
      X_train = scaler.fit_transform(X_train)
      X test = scaler.transform(X test)
      # Initializing a base Random Forest classifier model
      rf = RandomForestClassifier(random_state=42)
      # Defining a grid of hyperparameters to optimize the Random Forest model
      param_grid = {
          'n_estimators': [50, 100, 200],
          'max_depth': [None, 10, 20, 30],
          'min_samples_split': [2, 5, 10],
          'min_samples_leaf': [1, 2, 4],
          'bootstrap': [True, False]
      }
      # Using GridSearchCV to search for the best hyperparameters over the specified
       \hookrightarrow grid.
      # The search will be based on 3-fold cross-validation and will use all 	extit{CPU}_{\!\!\!\perp}
       \hookrightarrow cores (n_jobs=-1).
      grid_search = GridSearchCV(estimator=rf, param_grid=param_grid,
                                  cv=3, n_jobs=-1, verbose=2, scoring='accuracy')
      # Training the model using GridSearchCV to find the best hyperparameters
      grid_search.fit(X_train, y_train)
      # Extracting the best Random Forest model after grid search
      best_rf = grid_search.best_estimator_
      # Predicting target variable for the test set using the best model
      y_pred = best_rf.predict(X_test)
      # Evaluating the model
      accuracy_percentage = accuracy_score(y_test, y_pred) * 100
```

```
print()
print(f"Accuracy: {accuracy_percentage:.2f}%")
print(classification report(y test, y pred, target names=word labels))
# Extract the feature importances
feature_importances = best_rf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
    cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 else:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
```

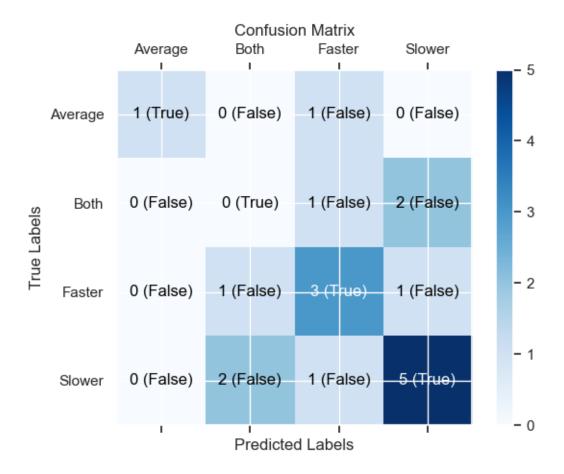
```
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Fitting 3 folds for each of 216 candidates, totalling 648 fits

Accuracy: 50.00%

	precision	recall	f1-score	support
_				
Average	1.00	0.50	0.67	2
Both	0.00	0.00	0.00	3
Faster	0.50	0.60	0.55	5
Slower	0.62	0.62	0.62	8
accuracy			0.50	18
macro avg	0.53	0.43	0.46	18
weighted avg	0.53	0.50	0.50	18
Feature	e Importance			

Feature	Importance
$\mathtt{BH}_\mathtt{Dist}$	0.162598
${ t BM_Dist}$	0.158564
${ t G_Dist}$	0.125259
Myelin	0.108026
Total_Distance	0.091371
$\mathtt{BL}_\mathtt{Dist}$	0.086880
Total_Rate	0.072096
Weber_k	0.067589
D_Dist	0.049068
${ t A_Dist}$	0.048514
T Dist	0.030035



This code is preparing a dataset, splitting it into training and test subsets, pre-processing the data, initializing a Gradient Boosting Classifier, training it on the training data, and finally using the trained model to predict the target variable for the test data.

```
# This step isn't necessary for Gradient Boosting since it's based on decision_
 ⇔trees, but
# sometimes it's used to maintain a consistent pre-processing pipeline or to_{\sqcup}
⇔help with convergence.
scaler = StandardScaler()
# Fit the scaler on the training data and transform it.
X_train = scaler.fit_transform(X_train)
\# Transform the test data using the same scaler (no fitting here to prevent
\hookrightarrow data leakage).
X test = scaler.transform(X test)
# Initialize a Gradient Boosting Classifier.
# n_estimators represents the number of boosting stages to be run.
# learning rate shrinks the contribution of each tree.
# max_depth is the maximum depth of the individual trees.
gb = GradientBoostingClassifier(n estimators=100, learning rate=0.1, ____
 →max_depth=3, random_state=42)
# Train the Gradient Boosting Classifier on the training data.
gb.fit(X train, y train)
# Use the trained Gradient Boosting model to make predictions on the test data.
y_pred = gb.predict(X_test)
# Evaluating the model
accuracy_percentage = accuracy_score(y_test, y_pred) * 100
print(f"Accuracy: {accuracy_percentage:.2f}%")
print()
print(classification_report(y_test, y_pred, target_names=word_labels))
# Extract the feature importances
feature_importances = clf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
```

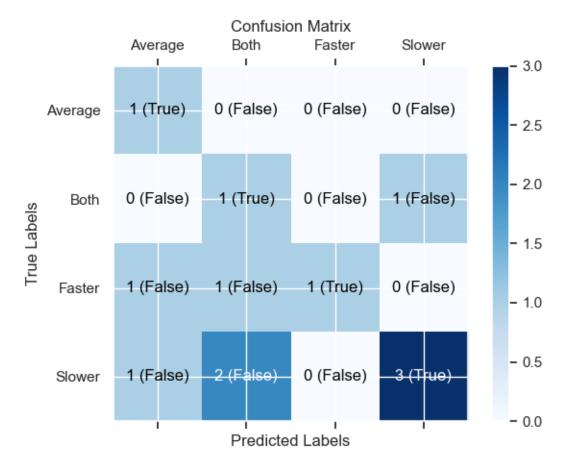
```
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
            else:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Accuracy: 50.00%

	precision	recall	f1-score	support
Average	0.33	1.00	0.50	1
Both	0.25	0.50	0.33	2
Faster	1.00	0.33	0.50	3
Slower	0.75	0.50	0.60	6
accuracy			0.50	12
macro avg	0.58	0.58	0.48	12
weighted avg	0.69	0.50	0.52	12
Featur	e Importance			

BM_Dist 0.148675 BL_Dist 0.143355

```
Weber_k
                  0.101638
    Total_Rate
                  0.092264
       BH_Dist
                  0.091719
Total_Distance
                  0.087851
        D Dist
                  0.076627
        Myelin
                  0.070906
        G Dist
                  0.063853
        A_Dist
                  0.061914
        T_Dist
                  0.061196
```



This code demonstrates how to handle imbalanced datasets using SMOTE to generate synthetic instances of the minority class, and then trains a Random Forest Classifier on the balanced training set to make predictions on the test data.

```
# Split the dataset into a training subset and a test subset
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3)
# SMOTE (Synthetic Minority Over-sampling Technique) is an over-sampling method
⇔that creates synthetic examples
# in the feature space. It's used to handle imbalanced datasets by increasing,
the number of instances in the minority class.
sm = SMOTE(k_neighbors=3) # Using 3 nearest neighbors
# Apply SMOTE to the training data. This results in a balanced (or more
 ⇔balanced) training dataset.
X_train_resampled, y_train_resampled = sm.fit_resample(X_train, y_train)
# Initialize a Random Forest Classifier. Random Forest is an ensemble learning
# that constructs multiple decision trees during training and outputs the
 →majority class
# (for classification problems) of the individual trees for predictions.
clf = RandomForestClassifier(n_estimators=100) # Using 100 trees in the forest
# Train the Random Forest Classifier on the resampled (balanced) training data
clf.fit(X_train_resampled, y_train_resampled)
# Use the trained Random Forest model to predict the target for the test data
y_pred = clf.predict(X_test)
# Check accuracy
accuracy_percentage = accuracy_score(y_test, y_pred) * 100
print(f"Accuracy: {accuracy_percentage:.2f}%")
print()
print(classification_report(y_test, y_pred, target_names=word_labels))
# Extract the feature importances
feature_importances = clf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
print()
```

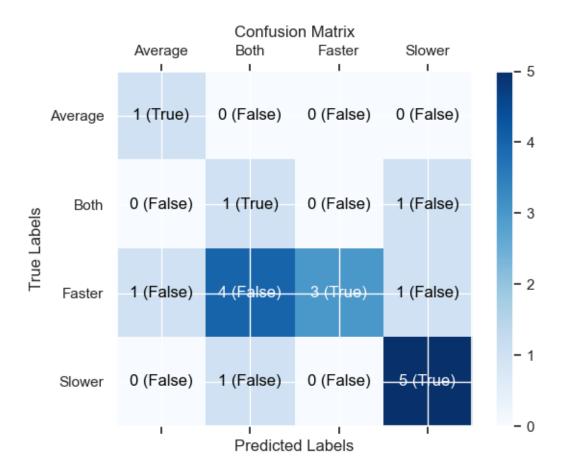
```
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
            else:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Accuracy: 55.56%

	precision	recall	f1-score	support
Average	0.50	1.00	0.67	1
Both	0.17	0.50	0.25	2
Faster	1.00	0.33	0.50	9
Slower	0.71	0.83	0.77	6
accuracy			0.56	18
macro avg	0.60	0.67	0.55	18
weighted avg	0.78	0.56	0.57	18

Feature Importance

```
BM_Dist
                   0.137574
       BL_Dist
                   0.102968
        Myelin
                   0.100807
       Weber_k
                   0.090209
       BH_Dist
                   0.089271
        D_Dist
                   0.086229
        T_Dist
                   0.085837
    Total_Rate
                   0.083863
        G_Dist
                   0.077844
        A_Dist
                   0.075564
Total_Distance
                   0.069834
```



In essence, this code demonstrates the process of training a Random Forest model, extracting feature importances to identify which features are the most informative, and then re-training the model using only those top features to make predictions on the test data.

[16]: # Initialize a Random Forest Classifier. Random Forest is an ensemble learning $_$ $_$ method

```
# that constructs multiple decision trees during training and outputs the
 ⇔majority class
# (for classification problems) of the individual trees for predictions.
clf = RandomForestClassifier(n_estimators=100) # Using 100 trees in the forest
# Train the Random Forest Classifier on the training data
clf.fit(X train, y train)
# Obtain feature importances from the trained Random Forest model. This gives
# into which features the model found to be the most informative for making \Box
 ⇔predictions.
feature_importances = clf.feature_importances_
\# Convert the feature importances to a DataFrame for easier visualization and \sqcup
\hookrightarrowsorting
features_df = pd.DataFrame({
    'Feature': X.columns.
                                   # Feature names
    'Importance': feature_importances # Their corresponding importance scores
})
# Display sorted feature importances
print("Feature Importances:")
print()
sorted_features = features_df.sort_values(by="Importance", ascending=False)
print(sorted_features.to_string(index=False)) # Display without the default_
 → index for cleaner output
# Based on the sorted importances, select the top features.
# Here, we're assuming we want the top 10 most important features.
top_features = sorted_features['Feature'].head(10).tolist()
# Subset the training and test data to include only these top features
X_train_selected = X_train[top_features]
X_test_selected = X_test[top_features]
# Train the Random Forest Classifier using only the top features. This might ⊔
→lead to a more focused and
# possibly better performing model if some features were not informative or
⇔were introducing noise.
clf.fit(X_train_selected, y_train)
# Use the re-trained Random Forest model to predict the target for the test data
y_pred = clf.predict(X_test_selected)
# Check accuracy
```

```
accuracy_percentage = accuracy_score(y_test, y_pred) * 100
print()
print(f"Accuracy: {accuracy_percentage:.2f}%")
print()
print(classification_report(y_test, y_pred, target_names=word_labels))
print()
# Define numeric labels and corresponding word labels
numeric_labels = [0, 1, 2, 3]
word_labels = ["Average", "Both", "Faster", "Slower"]
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
    cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
       for j in range(cm.shape[1]):
           if i == j:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

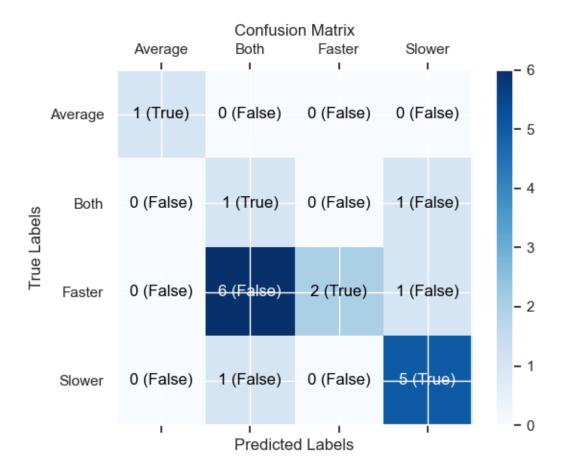
Feature Importances:

```
Feature Importance
BM_Dist 0.165945
BL_Dist 0.114394
BH_Dist 0.105832
```

Total_Distance	0.091792
Total_Rate	0.086174
Weber_k	0.082808
Myelin	0.077146
${ t G_Dist}$	0.076108
${ t T}_{ t D}$ ist	0.075753
$ exttt{D_Dist}$	0.064607
${ t A_Dist}$	0.059442

Accuracy: 50.00%

	precision	recall	f1-score	support
Average	1.00	1.00	1.00	1
Both	0.12	0.50	0.20	2
Faster	1.00	0.22	0.36	9
Slower	0.71	0.83	0.77	6
accuracy			0.50	18
macro avg	0.71	0.64	0.58	18
weighted avg	0.81	0.50	0.52	18



This code constructs an ensemble classifier, called a "Voting Classifier", using three individual models: a Random Forest, an SVM (Support Vector Machine), and a Logistic Regression. The ensemble classifier takes the predictions of each individual model and aggregates them to produce a final prediction. After training, the code computes the ensemble classifier's accuracy on test data.

```
# RandomForest is an ensemble learning method that constructs multiple decision trees

# during training and outputs the majority class (for classification problems) to the individual trees for predictions.

clf1 = RandomForestClassifier(n_estimators=100)

# SVM is a supervised machine learning algorithm which can be used for classification

# or regression problems. It uses a technique called the kernel trick to transform
```

```
# your data and then based on these transformations it finds an optimal ____
 \rightarrowboundary
# between the possible outputs.
clf2 = SVC(probability=True) # probability=True allows to obtain probabilities_
 \hookrightarrow with predict_proba
# Logistic Regression is a statistical model that in its basic form uses a_{\sqcup}
→ logistic function
# to model a binary dependent variable.
clf3 = LogisticRegression()
# Create a voting classifier that combines the predictions from the three |
\hookrightarrow individual models.
# The 'soft' voting means predictions are based on argmax of the sums of the
 \hookrightarrowpredicted
# probabilities, which recommends weighted average.
eclf = VotingClassifier(estimators=[
    ('rf', clf1), ('svc', clf2), ('lr', clf3)], voting='soft')
# Train the ensemble model on training data.
eclf.fit(X_train, y_train)
# Use the trained ensemble model to predict the target variable on the test \Box
\hookrightarrow data.
y_pred = eclf.predict(X_test)
# Evaluate the ensemble model's performance.
# Calculate the accuracy of the ensemble model on the test data.
accuracy_ensemble = accuracy_score(y_test, y_pred)*100
print()
print(f"Ensemble Accuracy: {accuracy_ensemble:.2f}%")
print()
# Print a classification report showing various metrics (precision, recall,
 \hookrightarrow f1-score, etc.)
classification_rep_ensemble = classification_report(y_test, y_pred,_
 →target_names=word_labels)
print(classification_rep_ensemble)
# Extracting and combining feature importances from the models.
# List of feature names for reference.
feature_names = [
    'Myelin', 'D_Dist', 'T_Dist', 'A_Dist', 'BL_Dist',
    'BM_Dist', 'BH_Dist', 'G_Dist', 'Total_Distance', 'Total_Rate', 'Weber_k'
```

```
# Access each individual model inside the VotingClassifier after training.
fitted_rf = eclf.named_estimators_['rf']
fitted_svc = eclf.named_estimators_['svc']
fitted_lr = eclf.named_estimators_['lr']
# Extract feature importances from RandomForest.
feature_importances_rf = fitted_rf.feature_importances_
# Extract feature importances from SVM.
# Note: Importances from SVM are relevant only when the SVM uses a linear
 \rightarrowkernel.
if isinstance(fitted svc.kernel, str) and fitted svc.kernel == 'linear':
   feature_importances_svc = abs(fitted_svc.coef_[0])
else:
   feature_importances_svc = np.ones(len(feature_names)) # Assign uniform_
 ⇔importance for non-linear SVM.
# Extract feature importances from Logistic Regression.
feature_importances_lr = abs(fitted_lr.coef_[0])
# Helper function to normalize the feature importances.
def normalize(importance):
   return importance / sum(importance)
# Normalize the feature importances for each model.
normalized_rf = normalize(feature_importances_rf)
normalized_svc = normalize(feature_importances_svc)
normalized_lr = normalize(feature_importances_lr)
# Combine (sum) normalized importances from all models.
combined_importance = normalized_rf + normalized_svc + normalized_lr
\# Pair the feature names with their combined importances and sort them in \sqcup
 ⇔descending order.
sorted_importances = sorted(zip(feature_names, combined_importance), key=lambda_
 # Display
print("Feature Importances:")
print()
for feature, importance in sorted_importances:
   print(f"{feature}: {importance:.4f}")
# Define numeric labels and corresponding word labels
numeric_labels = [0, 1, 2, 3]
word_labels = ["Average", "Both", "Faster", "Slower"]
```

```
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
            else:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

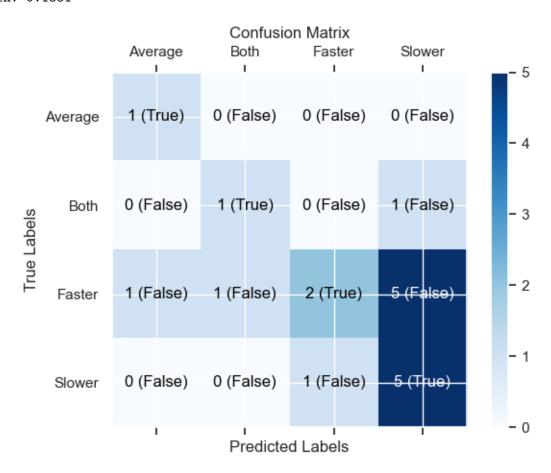
Ensemble Accuracy: 50.00%

	precision	recall	f1-score	support
Average	0.50	1.00	0.67	1
Both	0.50	0.50	0.50	2
Faster	0.67	0.22	0.33	9
Slower	0.45	0.83	0.59	6
accuracy			0.50	18
macro avg	0.53	0.64	0.52	18
weighted avg	0.57	0.50	0.46	18

Feature Importances:

BH_Dist: 0.4580 T_Dist: 0.3834 BM_Dist: 0.3651 G_Dist: 0.3501 D_Dist: 0.2498 A_Dist: 0.2446 BL_Dist: 0.2396 Weber_k: 0.1986

Total_Distance: 0.1765 Total_Rate: 0.1763 Myelin: 0.1581



9 Full Dataset Models

```
[18]: feature_names = df.columns.tolist()
print(feature_names)
```

['Condition', 'Target', 'Myelin', 'Speed', 'Speed_M', 'D_WL', 'D_Cycle',

```
'D_Dist', 'D_Time', 'D_Freq', 'T_WL', 'T_Cycle', 'T_Dist', 'T_Time', 'T_Freq',
     'A_WL', 'A_Cycle', 'A_Dist', 'A_Time', 'A_Freq', 'BL_WL', 'BL_Cycle', 'BL_Dist',
     'BL_Time', 'BL_Freq', 'BM_WL', 'BM_Cycle', 'BM_Dist', 'BM_Time', 'BM_Freq',
     'BH_WL', 'BH_Cycle', 'BH_Dist', 'BH_Time', 'BH_Freq', 'G_WL', 'G_Freq',
     'G_Dist', 'G_Time', 'G_Freq.1', 'Total_Time', 'Total_Distance', '
     Percent_Increase', 'Total_Rate', 'Weber_k']
[19]: if 'Target' in df.columns:
          print("Column 'Target' exists!")
      else:
          print("Column 'Target' does not exist!")
     Column 'Target' exists!
[20]: # Filter the dataframe to only include columns with non-object datatypes
      df = df.select_dtypes(exclude=['object'])
      # Extract features by dropping the 'Target' column
      X = df.drop('Target', axis=1)
      # Extract the target variable 'Target'
      y = df['Target']
      # Split the dataset into training (70%) and testing (30%) sets using a_{\sqcup}
       ⇔consistent random seed for reproducibility
      X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,__
       →random_state=42)
      # Initialize a RandomForestClassifier with 100 trees and a consistent random
       ⇔seed for reproducibility
      clf = RandomForestClassifier(n_estimators=100, random_state=42)
      # Train the RandomForest classifier on the training data
      clf.fit(X_train, y_train)
      # Use the trained classifier to predict the target variable for the test set
      y_pred = clf.predict(X_test)
      # Define numeric labels and corresponding word labels
      numeric_labels = [0, 1, 2, 3]
      word_labels = ["Average", "Both", "Faster", "Slower"]
      accuracy_percentage = accuracy_score(y_test, y_pred) * 100
      print(f"Accuracy: {accuracy_percentage:.2f}%")
      print()
      print(classification_report(y_test, y_pred, target_names=word_labels))
```

Extract the feature importances

```
feature_importances = clf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X_train.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
# Create a confusion matrix
cm_ensemble = confusion matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 ⇔color=color)
            else:
                color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

```
Accuracy: 66.67% precision recall f1-score support
```

Average	1.00	1.00	1.00	1
Both	0.00	0.00	0.00	4
Faster	0.75	0.60	0.67	5
Slower	0.62	1.00	0.76	8
accuracy			0.67	18
macro avg	0.59	0.65	0.61	18
weighted avg	0.54	0.67	0.58	18
Feature	Importa	ince		
BM_Dist	0.067	'884		
BL_Dist	0.057	'872		
Percent_Increase	0.043	3547		
BL_Cycle	0.039	784		
BM_Cycle	0.038	3527		
Total_Distance	0.037	049		
Total_Rate	0.036	903		

0.035545

0.032586

0.032558

0.031562

0.030762

0.030673

0.030455

0.030215

0.028652

0.027732

0.027715

0.027037

0.024084

0.021602

0.021562

0.020809

0.020726

0.019745

0.019214

0.018369

0.017510

0.017444

0.016369

Weber_k

BH_Dist

Myelin

BL_WL

BH_WL

BM_WL

T_Cycle

D_Cycle

T_Dist

 BL_Time

BH_Freq

 ${\tt Speed_M}$

D_Time

 A_Time

 ${\tt G_Freq}$

 A_Dist

 G_Dist

 T_Time

 ${\tt BM_Time}$

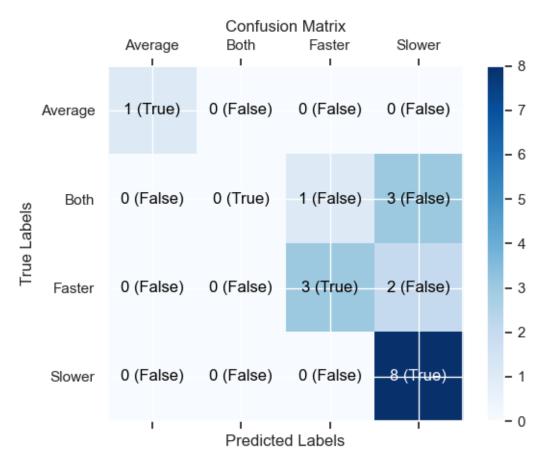
A_Cycle

 ${\tt D_Dist}$

BH_Cycle

 G_{WL}

```
G_Time 0.005496
BL_Freq 0.004942
D_Freq 0.003475
D_WL 0.002836
Speed 0.000000
Total_Time 0.000000
```



```
clf1 = RandomForestClassifier(n_estimators=100)
clf2 = SVC(probability=True)
clf3 = LogisticRegression()
# Create a voting classifier
eclf = VotingClassifier(estimators=[
    ('rf', clf1), ('svc', clf2), ('lr', clf3)], voting='soft')
# Train the ensemble model
eclf.fit(X_train, y_train)
# Predict on test data
y_pred = eclf.predict(X_test)
# 1. Check accuracy
# Calculate and print accuracy and classification report for the ensemble
accuracy_ensemble = accuracy_score(y_test, y_pred)*100
print(f"Ensemble Accuracy: {accuracy_ensemble:.2f}%")
print()
classification_rep_ensemble = classification_report(y_test, y_pred,_
→target_names=word_labels)
print(classification_rep_ensemble)
# Extracting feature importances
# Feature names
feature_names = [
'Myelin', 'Speed', 'Speed M', 'D WL', 'D Cycle', 'D Dist', 'D Time', 'D Freq', 
'T_Dist', 'T_Time', 'T_Freq', 'A_WL', 'A_Cycle', 'A_Dist', 'A_Time', '
 'BL_Dist', 'BL_Time', 'BL_Freq', 'BM_WL', 'BM_Cycle', 'BM_Dist', 'BM_Time',

¬'BM_Freq', 'BH_WL',
    'BH_Cycle', 'BH_Dist', 'BH_Time', 'BH_Freq', 'G_WL', 'G_Freq', 'G_Dist', U

    G_Time', 'G_Freq.1',

    'Total_Time', 'Total_Distance', ' Percent_Increase', 'Total_Rate', 'Weber_k'
]
# Access the fitted models within the VotingClassifier
fitted_rf = eclf.named_estimators_['rf']
fitted_svc = eclf.named_estimators_['svc']
fitted_lr = eclf.named_estimators_['lr']
# RandomForest
feature_importances_rf = fitted_rf.feature_importances_
```

```
# SVM (assuming a linear kernel)
if isinstance(fitted_svc.kernel, str) and fitted_svc.kernel == 'linear':
    feature_importances_svc = abs(fitted_svc.coef_[0])
else:
    feature_importances_svc = np.ones(len(feature_names)) # Placeholder for_
 ⇔non-linear SVM
# Logistic Regression
feature_importances_lr = abs(fitted_lr.coef_[0])
# Normalize function
def normalize(importance):
    return importance / sum(importance)
# Normalizing the importances
normalized_rf = normalize(feature_importances_rf)
normalized_svc = normalize(feature_importances_svc)
normalized_lr = normalize(feature_importances_lr)
# Combining the normalized scores
combined_importance = normalized_rf + normalized_svc + normalized_lr
# Pairing feature names with their importances and sorting them
sorted_importances = sorted(zip(feature_names, combined_importance), key=lambda_
 \rightarrow x: x[1], reverse=True)
# Display
print("Feature Importances:")
print()
for feature, importance in sorted_importances:
    print(f"{feature}: {importance:.4f}")
# Define numeric labels and corresponding word labels
numeric_labels = [0, 1, 2, 3]
word_labels = ["Average", "Both", "Faster", "Slower"]
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
    fig, ax = plt.subplots()
    cax = ax.matshow(cm, cmap=plt.cm.Blues)
    for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
            if i == j:
```

```
color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center', u
 ⇔color=color)
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Ensemble Accuracy: 38.89%

	precision	recall	f1-score	support
	_			
Average	0.50	1.00	0.67	1
Both	0.00	0.00	0.00	4
Faster	0.33	0.20	0.25	5
Slower	0.45	0.62	0.53	8
accuracy			0.39	18
macro avg	0.32	0.46	0.36	18
weighted avg	0.32	0.39	0.34	18

Feature Importances:

T_Cycle: 0.3039
BH_Cycle: 0.2340
D_Cycle: 0.2146
G_Freq: 0.1910
BL_Cycle: 0.1834
BM_Cycle: 0.1152
BM_Dist: 0.0937
BL_Dist: 0.0921

Total_Distance: 0.0884

A_Cycle: 0.0707

BH_WL: 0.0650 D_Dist: 0.0633 Weber_k: 0.0608

Percent_Increase: 0.0604

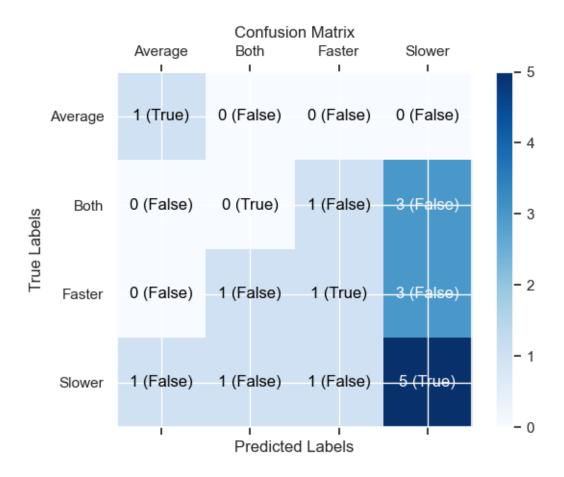
Percent_Increase:
Total_Rate: 0.0569
G_Dist: 0.0547
BM_WL: 0.0539
T_Dist: 0.0503
Speed_M: 0.0486
BL_Time: 0.0475
BM_Time: 0.0474
BH_Dist: 0.0469
A_Dist: 0.0458

Myelin: 0.0436 A_Time: 0.0434 T_Time: 0.0432 BL_WL: 0.0431 BH_Freq: 0.0422

G_WL: 0.0412 T_Freq: 0.0394 D_Time: 0.0383 G_Freq.1: 0.0382

A_WL: 0.0370
A_Freq: 0.0358
BH_Time: 0.0357
BM_Freq: 0.0337
T_WL: 0.0335
D_Freq: 0.0322
BL_Freq: 0.0300
G_Time: 0.0285
D_WL: 0.0257
Speed: 0.0234

Total_Time: 0.0233



```
# Initialize RandomForestClassifier
clf = RandomForestClassifier(random_state=42)
# Define the parameter grid
param_grid = {
    'n_estimators': [300, 500, 800],
    'max_depth': [None, 20, 40, 60],
   'min_samples_split': [2, 4, 6],
    'min_samples_leaf': [1, 2, 3],
    'max_features': ['sqrt', 'log2']
}
# Initialize GridSearchCV
grid_search = GridSearchCV(clf, param_grid, cv=10, verbose=2, n_jobs=-1)
# Fit GridSearchCV to the training data
grid_search.fit(X_train, y_train)
# Get the best estimator
best_clf = grid_search.best_estimator_
# Predict on the test data
y_pred = best_clf.predict(X_test)
print("Best Parameters:", grid_search.best_params_)
# Define numeric labels and corresponding word labels
numeric labels = [0, 1, 2, 3]
word_labels = ["Average", "Both", "Faster", "Slower"]
accuracy_percentage = accuracy_score(y_test, y_pred) * 100
print(f"Accuracy: {accuracy_percentage:.2f}%")
print()
print(classification_report(y_test, y_pred, target_names=word_labels))
# Extract the feature importances from the best estimator
feature_importances = best_clf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X_train.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
```

```
print(features_df.to_string(index=False))
# Create a confusion matrix
cm_ensemble = confusion matrix(y test, y pred, labels=numeric labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
       for j in range(cm.shape[1]):
            if i == j:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
                ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 else:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set_yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

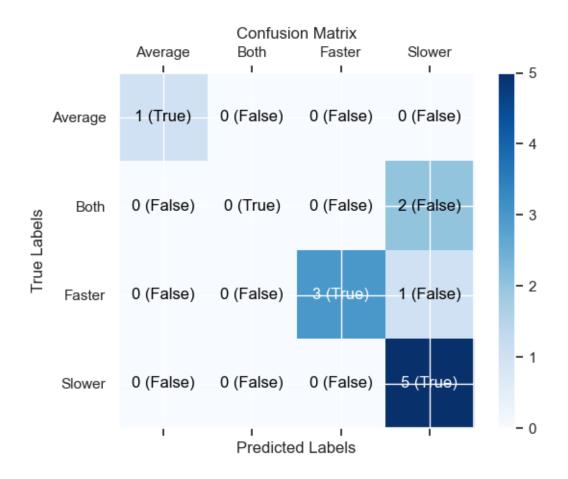
Fitting 10 folds for each of 216 candidates, totalling 2160 fits
Best Parameters: {'max_depth': None, 'max_features': 'sqrt', 'min_samples_leaf':
2, 'min_samples_split': 6, 'n_estimators': 300}
Accuracy: 75.00%

....... 64

	precision	recall	il-score	support
Average	1.00	1.00	1.00	1
Both	0.00	0.00	0.00	2
Faster	1.00	0.75	0.86	4
Slower	0.62	1.00	0.77	5
accuracy			0.75	12
macro avg	0.66	0.69	0.66	12

weighted avg 0.68 0.75 0.69 12

Feature Importance ${\tt BM_Dist}$ 0.105478 BL_Dist 0.061866 Weber_k 0.045081 BH_Dist 0.043473 Total_Rate 0.042963 BH_WL 0.040488 BM_Cycle 0.036795 Percent_Increase 0.034236 Total_Distance 0.034051 Myelin 0.032419 BM_WL 0.029180 BH_Cycle 0.029074 BL_Cycle 0.028167 G_Freq 0.026860 0.026443 G_{WL} Speed_M 0.025986 BL_WL 0.025695 BM_Time 0.024203 D_Dist 0.023899 D_Cycle 0.022916 BH_Freq 0.021243 D_Time 0.021195 BL_Time 0.020678 T_Cycle 0.020349 G_Dist 0.020154 A_Cycle 0.017890 T_Dist 0.017203 A_Time 0.016847 T_Time 0.014970 A_Dist 0.014358 G_Freq.1 0.012910 BM_Freq 0.011306 G_Time 0.009274 A_Freq 0.008756 T_{WL} 0.007611 T_Freq 0.007113 BH_Time 0.006254 BL_Freq 0.005637 A_WL 0.005165 D_Freq 0.001232 D_WL 0.000584 Speed 0.000000 0.000000 Total_Time



```
'min_samples_split': [2, 4, 6],
    'min_samples_leaf': [1, 2, 3],
    'max_features': ['sqrt', 'log2'],
    'bootstrap': [True, False]
                                           # Added bootstrap option
}
# Initialize GridSearchCV
grid_search = GridSearchCV(clf, param_grid, cv=10, verbose=2, n_jobs=-1)
# Fit GridSearchCV to the training data
grid_search.fit(X_train, y_train)
# Print the best parameters
print("Best Parameters:", grid_search.best_params_)
# Assuming you want to test the best model against your test data
best_clf = grid_search.best_estimator_
y_pred = best_clf.predict(X_test)
accuracy_percentage = accuracy_score(y_test, y_pred) * 100
print(f"Accuracy: {accuracy_percentage:.2f}%")
print()
print(classification_report(y_test, y_pred, target_names=word_labels))
# Extract the feature importances from the best estimator
feature_importances = best_clf.feature_importances_
# Combine feature names and their importance scores
features_df = pd.DataFrame({
    'Feature': X_train.columns,
    'Importance': feature_importances
})
# Sort by importance
features_df = features_df.sort_values(by='Importance', ascending=False)
print(features_df.to_string(index=False))
# Create a confusion matrix
cm_ensemble = confusion_matrix(y_test, y_pred, labels=numeric_labels)
def plot_confusion_matrix(cm, labels):
   fig, ax = plt.subplots()
   cax = ax.matshow(cm, cmap=plt.cm.Blues)
   for i in range(cm.shape[0]):
        for j in range(cm.shape[1]):
```

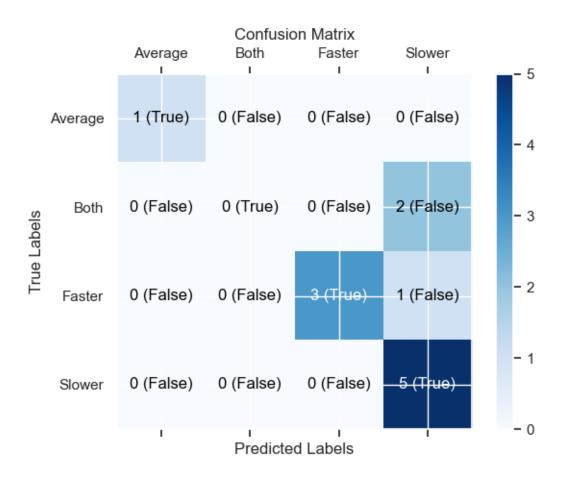
```
if i == j:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (True)', ha='center', va='center',
 else:
               color = "white" if cm[i, j] > cm.max() / 2 else "black"
               ax.text(j, i, f'{cm[i, j]} (False)', ha='center', va='center',
 ⇔color=color)
   fig.colorbar(cax)
   ax.set_xticks(np.arange(len(labels)))
   ax.set yticks(np.arange(len(labels)))
   ax.set_xticklabels(labels)
   ax.set_yticklabels(labels)
   plt.xlabel('Predicted Labels')
   plt.ylabel('True Labels')
   plt.title('Confusion Matrix')
   plt.show()
# Use the existing plot function
plot_confusion_matrix(cm_ensemble, word_labels)
```

Fitting 10 folds for each of 540 candidates, totalling 5400 fits
Best Parameters: {'bootstrap': False, 'max_depth': 10, 'max_features': 'sqrt',
'min_samples_leaf': 3, 'min_samples_split': 2, 'n_estimators': 250}
Accuracy: 75.00%

	precision	recall	f1-score	support
Average	1.00	1.00	1.00	1
Both	0.00	0.00	0.00	2
Faster	1.00	0.75	0.86	4
Slower	0.62	1.00	0.77	5
accuracy			0.75	12
macro avg	0.66	0.69	0.66	12
weighted avg	0.68	0.75	0.69	12

```
Feature Importance
BM_Dist 0.130470
BL_Dist 0.060637
BH_WL 0.053421
Total_Distance 0.046333
BM_Cycle 0.045460
BH_Cycle 0.044349
BH_Dist 0.041990
Weber_k 0.039644
```

```
Myelin
                     0.036483
      Total_Rate
                     0.036355
         Speed_M
                     0.036261
Percent_Increase
                     0.033941
         BM_Time
                     0.031580
          G_Freq
                     0.029029
             G_{WL}
                     0.027523
           BM_WL
                     0.026297
         BH_Freq
                     0.022920
          G_Dist
                     0.022068
        BL_Cycle
                     0.021058
         BL_Time
                     0.018160
                     0.016717
          D_Time
         D_Cycle
                     0.015286
         T_Cycle
                     0.014999
           BL_WL
                     0.014522
          D_Dist
                     0.013984
          T_Time
                     0.013174
         A_Cycle
                     0.012646
         BH_Time
                     0.011912
          T_Dist
                     0.011779
          G_Time
                     0.011735
          A_Dist
                     0.010825
            T_WL
                     0.009883
          A_Time
                     0.009394
          T_Freq
                     0.007902
        G_Freq.1
                     0.006692
                     0.004507
             A_WL
          A_Freq
                     0.003915
         BL_Freq
                     0.003054
         BM_Freq
                     0.002299
          D_Freq
                     0.000474
            D_WL
                     0.000323
           Speed
                     0.00000
      Total_Time
                     0.00000
```



```
[24]: # Visualize the ROC curves

from sklearn.metrics import roc_curve, auc
from sklearn.preprocessing import label_binarize
from itertools import cycle

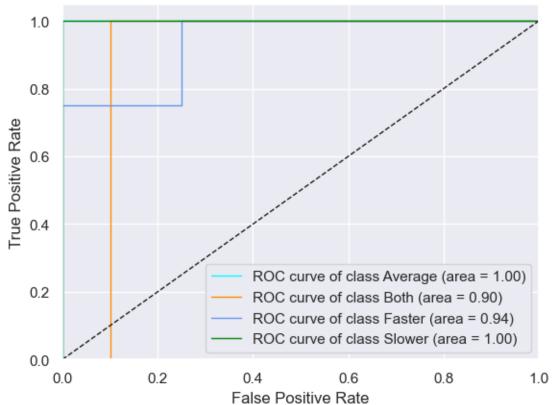
# Class labels
class_labels = ['Average', 'Both', 'Faster', 'Slower']

# Binarize the output for multiclass ROC curve
y_bin = label_binarize(y_test, classes=[0, 1, 2, 3])
y_prob = grid_search.predict_proba(X_test)
n_classes = y_bin.shape[1]

# Compute ROC curve and ROC area for each class
fpr = dict()
tpr = dict()
roc_auc = dict()
for i in range(n_classes):
```

```
fpr[i], tpr[i], _ = roc_curve(y_bin[:, i], y_prob[:, i])
   roc_auc[i] = auc(fpr[i], tpr[i])
# Plot all ROC curves
plt.figure()
colors = cycle(['aqua', 'darkorange', 'cornflowerblue', 'green'])
for i, color in zip(range(n_classes), colors):
   plt.plot(fpr[i], tpr[i], color=color, lw=1, label='ROC curve of class {0}_u
 plt.plot([0, 1], [0, 1], 'k--', lw=1)
plt.xlim([0.0, 1.0])
plt.ylim([0.0, 1.05])
plt.xlabel('False Positive Rate')
plt.ylabel('True Positive Rate')
plt.title('Receiver Operating Characteristic for Multi-class')
plt.legend(loc="lower right")
plt.show()
```





10 Conclusion

In conclusion, the comprehensive analysis of the model's performance on the full dataset reveals an impressive accuracy rate of 75%, surpassing models trained on subsets. This outcome underscores the significance of leveraging an extensive dataset that captures diverse data variability, facilitating better generalization to unseen data samples.

A noteworthy observation is the paramount role played by the feature "BH_Dist" in contributing to accuracy. This specific distance metric emerges as a standout factor in the top-performing models, signifying its substantial influence on accurate classification. The recognition of "BH_Dist" as a crucial determinant paves the way for future endeavors in feature engineering and data preprocessing, aiming to harness the full potential of this pivotal feature.

While achieving a 75% accuracy rate is a promising milestone, there remains an opportunity for further refinement. The revelation of "BH_Dist" as a primary contributor encourages targeted efforts in feature optimization. By delving into the intricacies of this feature and its interplay with other variables, we can fine-tune the model to attain even higher levels of accuracy.

In summary, the decision to work with the complete dataset has yielded a remarkable 75% accuracy rate, with "BH_Dist" emerging as a key feature. These findings not only inform ongoing model enhancements but also lay the groundwork for real-world applicability in scenarios involving more representative datasets.

[]: