Introduction to Functional Programming

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Overview

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 - Why FP? motivation
- 2 Content
- Oefining functions
 - Guards and patterns
 - Recursive functions



Motivation

Functional programming:

- allows programs to be written clearly, concisely
- has a high level of abstraction
- supports reusable software components
- encourages the use of formal verification
- permits rapid prototyping
- has inherent parallel features



What is functional programming?

- the closest programming style to mathematical writing, thinking
- which one should be the first programming language?
- the basic element of the computation is the function
- basically function compositions are applied
- running a program is called evaluation



Syntax

Introduction

The syntax of a programming language is the set of rules applied to describe a problem.

$$f(a) => f a$$

 $f(a,b) + cd => f a b + c * d$
 $f(g(b)) => f (g b)$
 $f(a)g(b) => f a * g b$



FP outline

Course content:

- how to write functions definition, guards, recursive functions
- datastructures lists, tuple, record, array, class
- higher order functions map, fold, iterate
- types simple types, algebraic types, composite types, trees
- algorithms search, sort, traverse



History

- Lisp list processor, in early 60s John McCarthy
- operates on lists, functions can be arguments to other functions
- type checking, ability to check programs before running them
- ML, Miranda, Haskell, Clean
- lazy functional programming



Writing functional programs is FUN

- to motivate you to write functional programs
- to get involved in working with FP
- the Clean compiler can be downloaded from: http://wiki.clean.cs.ru.nl/Clean have FUN

```
examples.icl, examples.prj
```

```
module examples
import StdEnv
Start = 42 // 42
```



Clean - Start

• Some start expressions:

$$Start = 4*6+8$$

$$Start = sqrt 2.0$$

$$Start = sin x$$

$$\mathsf{Start} = \mathsf{sum} \ [1..10]$$

• constants pi = 3.1415926



Program evaluation

- reduction steps
- redex
- normal form

$$f x = (x + 8) * x$$

$$Start = f 2$$

Start

$$\rightarrow$$
 f 2

$$\rightarrow$$
 (2 + 8) * 2

$$\rightarrow$$
 10 * 2

$$\rightarrow \ 20$$



Reduction steps, redex

- the process of evaluation is called reduction
- replacing a part of expression which matches a function definition is called reduction step
- *redex* = reducible expression
- when a function contains no redexes is called normal form



- lazy = the expression is not evaluated until is not needed
- opposite is eager evaluation = all arguments are evaluated before the function's result
- Clean is pure, lazy functional language
- advantages of lazy evaluation: infinite lists, less evaluations



Standard functions

- StdEnv contains all
- the name of your own functions should start with letter then zero or more letters, digits, symbols
- upper and lower case allowed but treated differently
- funny symbols, built-in function names can not be used



Some predefined operators / functions on numbers

- integers 18, 0, -23 and floating-point numbers 1.5, 0.0, 4.765, 1.2e3 1200.0
- addition +, subtraction -, multiplication *, division /
- for Int some standard functions abs, gcd, sign
- for Real sqrt, sin, exp
- for Bool type True, False (George Boole eng.math. 1815-1864)
- boolean operators>, <=, == (equal), <> (not equal), && (and), || (or)
- comments // or /* ... */



Getting started

Simple examples of Clean functions:

```
inc x = x + 1
double x = x + x
quadruple x = double (double x)
factorial n = prod [1 .. n]
Their usage:
```

```
Start = 3+10*2 // 23
Start = sqrt 3.0 // 1.73...
Start = quadruple 2 // 8
Start = factorial 5 // 120
```



Definitions by cases

The cases are guarded by Boolean expressions:

```
abs1 x
| x < 0 = \neg x
| otherwise = x
Start = abs1 - 4 // two cases, the result is 4
// otherwise can be omitted
abs2 x
1 \times 0 = \neg \times
= x
Start = abs2 4 // 4
// more then two guards or cases
signof x
| x > 0 = 1
| x = 0 = 0
| x < 0 = -1
Start = signof -8 // -1
```



Definitions by recursion

Examples of recursive functions:

```
fac n
| n = 0 = 1
| n > 0 = n * fac (n - 1)

Start = fac 5 // 120

power x n
| n = 0 = 1
| n > 0 = x * power x (n - 1)

Start = power 2 5 // 32
```



Summary

- function evaluations, evaluation strategies, expressions
- basic types, operations, Start expressions
- definition of function by guards, basic recursions

