

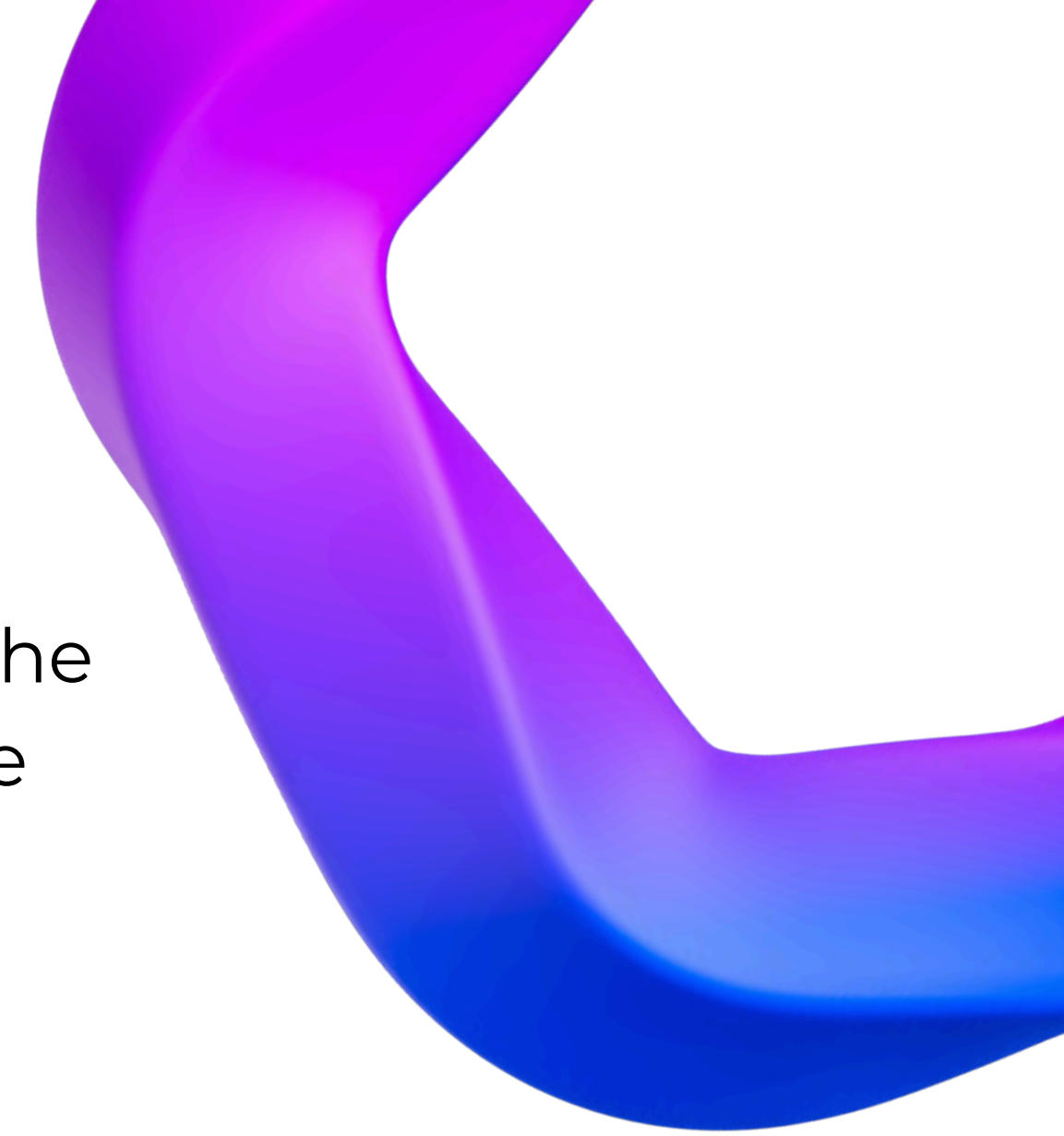


# introduce



This article will provide an overview of the basic concepts in the field of Data Structures and Algorithms (DSA). We will explore the various types of Abstract Data Structures (ADTs), namely Stacks and Queues, and compare the differences between them.

We will also discuss how to implement Stacks and Queues, using different approaches such as using arrays and linked lists.



# 1. Stack and Queue

What is DSA?

DSA (Data Structures and Algorithms) is a term that refers to data structures and algorithms used to process and manage data.


Data structures help organize and store data efficiently, while algorithms are procedures for manipulating that data.



# What is ADT?

ADT (Abstract Data Type) is an abstract data type that defines the behavior of a data type without specifying how to implement it.

For example, the Stack ADT defines operations such as push, pop, without knowing how it is performed.






# Compare different between Stack and Queue

## Stack

A stack is a data structure that stores elements in a Last In, First Out (LIFO) manner. This means that the element that is added last is removed first.

Example:

You can think of a stack as a stack of disks. You can only add or remove a disk from the top. If you add a new disk, it will be on top of the existing disk, and if you want to remove a disk, you must remove the top disk first.





# Queue

A queue is a data structure that stores elements in a First In, First Out (FIFO) manner.

This means that the element that is added first is removed first.

Example:

You can think of a queue as a line of people waiting to buy tickets. The person at the front of the queue is the first to be served, and new arrivals stand at the end of the line.

# Basic Operations

## Queue Operations

- Enqueue: Add an element to the back of the queue.
- Dequeue: Remove the element from the front of the queue.
- Front/Ppeek: View the front element without removing it.





A modern office interior with large windows, desks, and people working. The image is overlaid with a blue gradient and a white text box.

**How many ways are there to  
implement Stack and Queue?**




# Implementations of Stack

## 1 Array-Based Implementation:

- Use a fixed-size array to store stack elements.
- Keep an index to track the top element.
- Pros: Simple and fast ( $O(1)$  operations).
- Cons: Fixed size; can lead to stack overflow if the limit is exceeded.

## 2 Linked List Implementation:

- Use a linked list where the head of the list represents the top of the stack.
  - Pros: No fixed size; can grow and shrink as needed.
  - Cons: Slightly more memory overhead per element due to pointers.
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# Implementations of Queue

## 1 Array-Based Implementation:

- Use a fixed-size array and two indices (front and rear) to manage the queue.
- Pros: Simple and fast ( $O(1)$  operations).
- Cons: Fixed size; can lead to overflow or wasted space.

## Linked List Implementation:

- Use a linked list where the head represents the front of the queue and the tail represents the rear.
- Pros: No fixed size; can grow and shrink as needed.
- Cons: More memory overhead due to pointers.



A modern office interior with large windows and people working at desks. The image is overlaid with a blue gradient and a white rectangular frame containing the text.

**sorting algorithms.**



# Introduction to Sorting Algorithms

A sorting algorithm is a set of methods used to arrange a set of elements (usually numbers or strings) in a certain order, usually ascending or descending.

There are many different sorting algorithms, each with a different approach and complexity.

**(Bubble Sort)**

**(Selection Sort)**

**(Insertion Sort)**

**(Quick Sort)**

**(Merge Sort)**





**Compare Quick Sort and Merge Sort.**

# Quick Sort

## Working principle

- 1 Select an element as the "pivot".
- 2 Split the list into two parts: one containing elements smaller than the pivot and one containing elements larger than the pivot.
- 3 Recursively sort each part.

# Merge Sort

## Working principle

- 1 Split the list into two parts until each part has only one element left.
- 2 Merge the sorted parts together.



# Time complexity

## Quick Sort

### **Space complexity:**

$O(\log n)$  (due to recursion)

Average case:  $O(n \log n)$

Worst case:  $O(n^2)$  (when list is sorted or nearly sorted and pivot is chosen poorly)

Best case:  $O(n \log n)$



## **Time complexity**

### **Merge Sort**

#### **Space complexity:**

$O(n)$  (additional space needed for merging)

Average case:  $O(n \log n)$

Worst case:  $O(n^2)$  (when list is sorted or nearly sorted and pivot is chosen poorly)

Best case:  $O(n \log n)$



# Conclusion Quick Sort and Merge Sort



**Quick Sort** is often faster in practice due to optimizations and less additional space requirements, but can suffer from worst-case scenarios.

**Merge Sort** has stable time complexity and is better in large or immutable data cases, but requires more memory.



A modern office interior with large windows, desks, and people working. The image is overlaid with a blue gradient and a white rectangular frame containing the title text.

# Shortest Path Algorithm



# Introduction to Shortest Paths

Stack Definition: A shortest path is the path between two vertices in a graph such that the sum of the weights of the edges is minimized.

## Applications:

- Network routing (Internet, mobile networks)
- GPS systems and mapping
- Logistics and transportation management
- Optimization of manufacturing processes

# Dijkstra's Algorithm

Definition: Dijkstra's algorithm finds the shortest path from a starting vertex to all other vertices in a graph with non-negative weights.

## How It Works:

1. Initialize distances from the start vertex to all others as infinity, except for the start vertex, which is set to zero.
2. Use a priority queue to explore the nearest unvisited vertex.
3. Update distances for neighboring vertices.
4. Repeat until all vertices are processed.





# Complexity Analysis of Dijkstra

- **Time Complexity:**
- $O((V + E) \log V)$  using a priority queue, where  $V$  is the number of vertices and  $E$  is the number of edges.
- **Space Complexity:**
- $O(V)$  for storing distances and priority queue.

# Example Illustration of Dijkstra

- Specific Example:
- Given a graph with vertices A, B, C, and edges with weights, demonstrate how Dijkstra's algorithm finds the shortest path from A to all other vertices step by step.




# Bellman-Ford Algorithm

- **Definition:** The Bellman-Ford algorithm finds the shortest paths from a single source vertex to all other vertices in a graph, handling negative weights.
- **How It Works:**
  1. Initialize distances from the source vertex as zero and all others as infinity.
  2. Relax all edges up to  $V-1$  times.
  3. Check for negative-weight cycles.





# Complexity Analysis of Bellman-Ford

- Time Complexity:
  - $O(VE)$ , where  $V$  is the number of vertices and  $E$  is the number of edges.
  - Space Complexity:
  - $O(V)$  for storing distances.
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# Comparing Dijkstra and Bellman-Ford

- **Comparison:**
- **Dijkstra:**
  - Works only with non-negative weights.
  - Faster for dense graphs.
- **Bellman-Ford:**
  - Can handle negative weights.
  - Slower, but can detect negative cycles.
- **Applications:**
- Dijkstra is preferred for routing, while Bellman-Ford is used in scenarios with potential negative weights.

# Applications of Shortest Path Algorithms

Fields of Use:


- Telecommunications (network design)
- Transportation (routing vehicles)
- Robotics (pathfinding for autonomous robots)
- Game development (AI navigation)







# Summary

- Shortest path algorithms are crucial for various applications.
  - Dijkstra's algorithm is efficient for non-negative weights.
  - Bellman-Ford is versatile for graphs with negative weights.
  - Understanding the complexity and use cases is essential for selecting the right algorithm.
- 



# Conclusion



**In summary,** we have delved into several fundamental concepts within the realm of data structures and algorithms (DSA).

We began by discussing the Stack ADT and the Queue ADT. A stack operates on a Last In First Out (LIFO) principle, making it ideal for scenarios such as function call management and backtracking algorithms. In contrast, a queue adheres to a First In First Out (FIFO) principle, which is essential for task scheduling and managing resources in real-time systems.