1/1 point

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Next item →

- 1. A function which maps ___ to ___ is a value function. [Select all that apply]
 - States to expected returns.

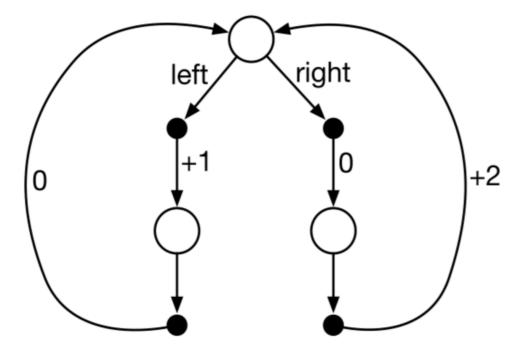
Correct! A function that takes a state and outputs an expected return is a value function.

- ☐ Values to actions.
- ☐ Values to states.
- ✓ State-action pairs to expected returns.

Correct! A function that takes a state-action pair and outputs an expected return is a value function.

2. Consider the continuing Markov decision process shown below. The only decision to be made is in the top state, where two actions are available, left and right. The numbers show the rewards that are received deterministically after each action. There are exactly two deterministic policies, $\pi_{\rm left}$ and $\pi_{\rm right}$. Indicate the optimal policies if $\gamma=0$? If $\gamma=0.9$? If $\gamma=0.5$? [Select all that apply]

1/1 point



- lacksquare For $\gamma=0,\pi_{ ext{right}}$
- lacksquare For $\gamma=0.9,\pi_{ ext{left}}$
- lacksquare For $\gamma=0,\pi_{\mathrm{left}}$

Correct! Since both policies return to the top state every two time steps, to determine the optimal policy, it suffices to consider the reward accumulated over the first two time steps. For the policy left, this is equal to 1; for the policy right, this is equal to 0.

 $lap{loop}$ For $\gamma=0.9,\pi_{
m right}$

Correct! Since both policies return to the top state every two time steps, to determine the optimal policy, it suffices to consider the reward accumulated over the first two time steps. For the policy left, this is equal to 1; for the policy right, this is equal to 1.8.

ightharpoonup For $\gamma=0.5,\pi_{ ext{right}}$

Correct! Since both policies return to the start state every two time steps, to determine the optimal policy, it suffices to consider the reward accumulated over the first two time steps. For the policy left, this is equal to 1; for the policy right, this is equal to 1.

For $\gamma=0.5,\pi_{ ext{left}}$
Correct! Since both policies return to the start state every two time steps, to determine the optimal policy, it suffices to consider the reward accumulated over the first two time steps. For the policy left

3. Every finite Markov decision process has ___. [Select all that apply]

this is equal to 1; for the policy right, this is equal to 1.

1 point

✓ A unique optimal value function

Correct! The Bellman optimality equation is actually a system of equations, one for each state, so if there are N states, then there are N equations in N unknowns. If the dynamics of the environment are known, then in principle one can solve this system of equations for the optimal value function using any one of a variety of methods for solving systems of nonlinear equations. All optimal policies share the same optimal state-value function.

A stochastic optimal policy

Incorrect. Take another look at the lesson: Optimal Policies.

A deterministic optimal policy

Correct! Let's say there is a policy π_1 which does well in some states, while policy π_2 does well in others. We could combine these policies into a third policy π_3 , which always chooses actions according to whichever of policy π_1 and π_2 has the highest value in the current state. π_3 will necessarily have a value greater than or equal to both π_1 and π_2 in every state! So we will never have a situation where doing well in one state requires sacrificing value in another. Because of this, there always exists some policy which is best in every state. This is of course only an informal argument, but there is in fact a rigorous proof showing that there must always exist at least one optimal deterministic policy.

A unique optimal policy

4. The ___ of the reward for each state-action pair, the dynamics function p, and the policy π is ____ to characterize the value function v_π . (Remember that the value of a policy π at state s is $v_\pi(s) = \sum_a \pi(a|s) \sum_{s',r} p(s',r|s,a) [r+\gamma v_\pi(s')]$.)

1/1 point

Mean; sufficient

Correct! If we have the expected reward for each state-action pair, we can compute the expected return under any policy.

O Distribution; necessary

5. The Bellman equation for a given a policy π : [Select all that apply]

1/1 point

Holds only when the policy is greedy with respect to the value function.

 \checkmark Expresses state values v(s) in terms of state values of successor states.

Correct!

Expresses the improved policy in terms of the existing policy.

6. An optimal policy:

1/1 point

Is not guaranteed to be unique, even in finite Markov decision processes.

Correct! For example, imagine a Markov decision process with one state and two actions. If both actions receive the same reward, then any policy is an optimal policy.

O Is unique in every Markov decision process.

_

7.	The	e Bellman optimality equation for v_st : [Select all that apply]	1 point	
		Expresses the improved policy in terms of the existing policy.		
	\square Holds for v_π , the value function of an arbitrary policy π .			
	<	Holds when the policy is greedy with respect to the value function.		
		Incorrect. Take another look at the lesson: Optimal Value Functions & Bellman Optimality Equation.		
		Holds for the optimal state value function.		
Correct!		Correct!		
	>	Expresses state values $v_st(s)$ in terms of state values of successor states.		
		Correct!		
8.		e an equation for v_π in terms of q_π and π .	1/1 point	
		$v_{\pi}(s) = \sum_{a} \gamma \pi(a s) q_{\pi}(s,a)$		
	•	$v_\pi(s) = \sum_a \pi(a s) q_\pi(s,a)$		
		Correct!		
	0	$v_\pi(s) = \max_a \gamma \pi(a s) q_\pi(s,a)$		
	0	$v_\pi(s) = \max_a \pi(a s) q_\pi(s,a)$		
9.	Give	e an equation for q_π in terms of v_π and the four-argument p .	1/1 point	
	0	$q_\pi(s,a) = \max_{s',r} p(s',r s,a)[r+v_\pi(s')]$		
	•	$q_{\pi}(s,a) = \sum_{s^{\prime}} \sum_{r} p(s^{\prime},r s,a) [r + \gamma v_{\pi}(s^{\prime})]$		
		Correct!		
	0	$q_\pi(s,a) = \max_{s',r} p(s',r s,a) \gamma[r+v_\pi(s')]$		
	$igcup_{q_\pi(s,a)} = \sum_{s'} \sum_r p(s',r s,a) \gamma[r+v_\pi(s')] \ Q_\pi(s,a) = \sum_{s'} \sum_r p(s',r s,a)[r+v_\pi(s')]$			
	0	$q_\pi(s,a) = \max_{s',r} p(s',r s,a)[r+\gamma v_\pi(s')]$		
10.		r(s,a) be the expected reward for taking action a in state s , as defined in equation 3.5 of the textbook. ich of the following are valid ways to re-express the Bellman equations, using this expected reward	1/1 point	
		ction? [Select all that apply]		
	~	$v_*(s) = ext{max}_a[r(s,a) + \gamma \sum_{s'} p(s' s,a) v_*(s')]$		
		Correct!		
	✓	$q_*(s,a) = r(s,a) + \gamma \sum_{s'} p(s' s,a) \max_{a'} q_*(s',a')$		
	$q_*(v, w) = r(v, w) + r \sum_{s} p(v \mid v, w) \operatorname{max}_{d} q_*(v, w)$ Correct!			
	~	$q_\pi(s,a) = r(s,a) + \gamma \sum_{s^\prime} \sum_{a^\prime} p(s^\prime s,a) \pi(a^\prime s^\prime) q_\pi(s^\prime,a^\prime)$		
		Correct!		
	~	$v_\pi(s) = \sum_a \pi(a s)[r(s,a) + \gamma \sum_{s'} p(s' s,a) v_\pi(s')]$		

O Is unique in every finite Markov decision process.

11. Consider an episodic MDP with one state and two actions (left and right). The left action has stochastic reward 1 with probability p and q with probability q and q with probability q and q with probability q and q makes the actions equally optimal?

1/1 point

- $\bigcirc \ 13+2p=-10q$
- $\bigcirc 13 + 2p = 10q$
- $\bigcirc 13 + 3p = -10q$
- $\bigcirc 7+2p=-10q$
- $\bigcirc \ 7 + 3p = -10q$
- $\bigcirc \ 13 + 3p = 10q$
- $\bigcirc \ 7 + 3p = 10q$

Correct!



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