



Past, Present & Future
BIG DATA

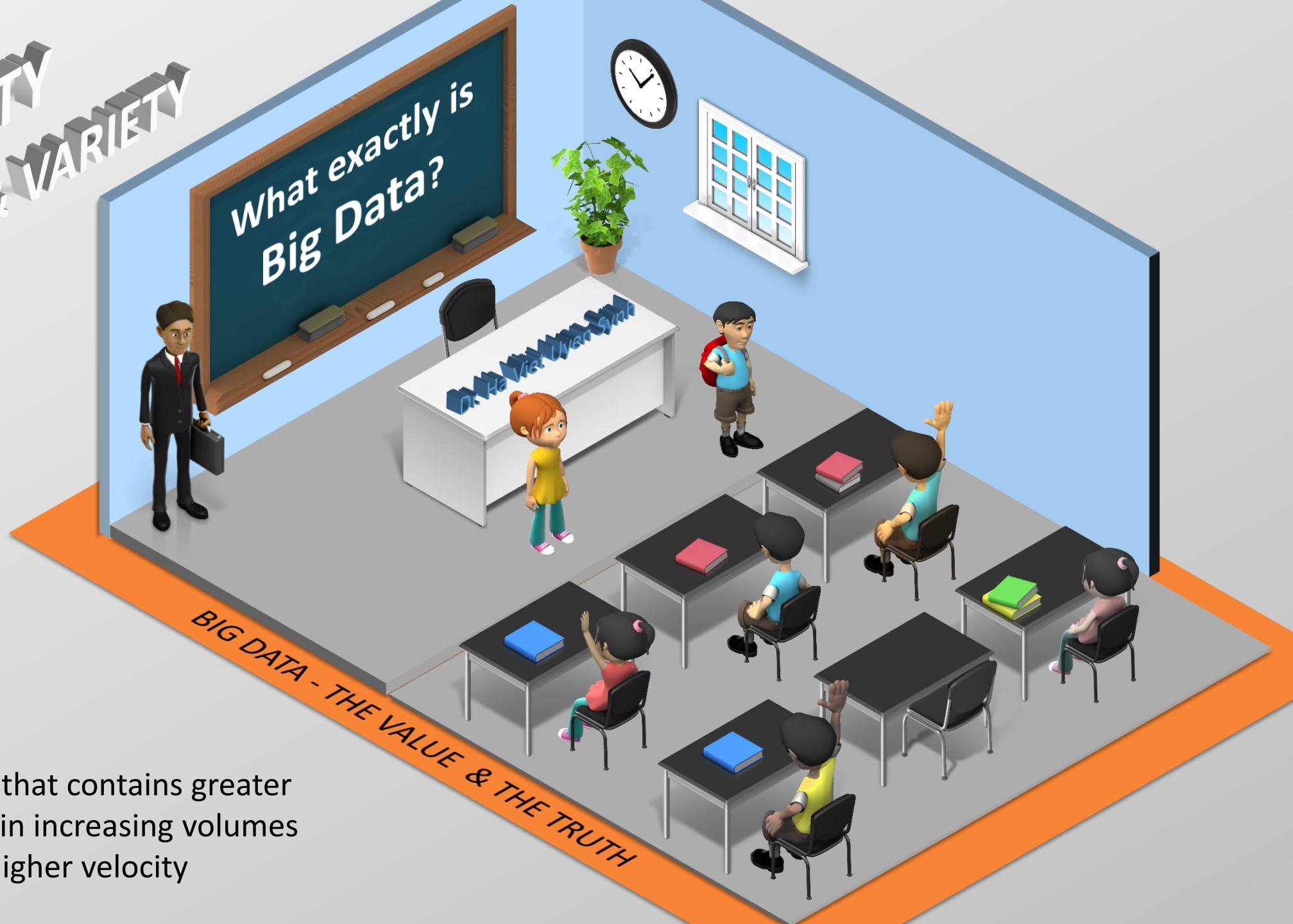
VELOCITY
VOLUME & VARIETY

Big data is larger,
more complex data
sets, especially
from new data
sources

Big data is data that contains greater
variety arriving in increasing volumes
and with ever-higher velocity

What exactly is
Big Data?

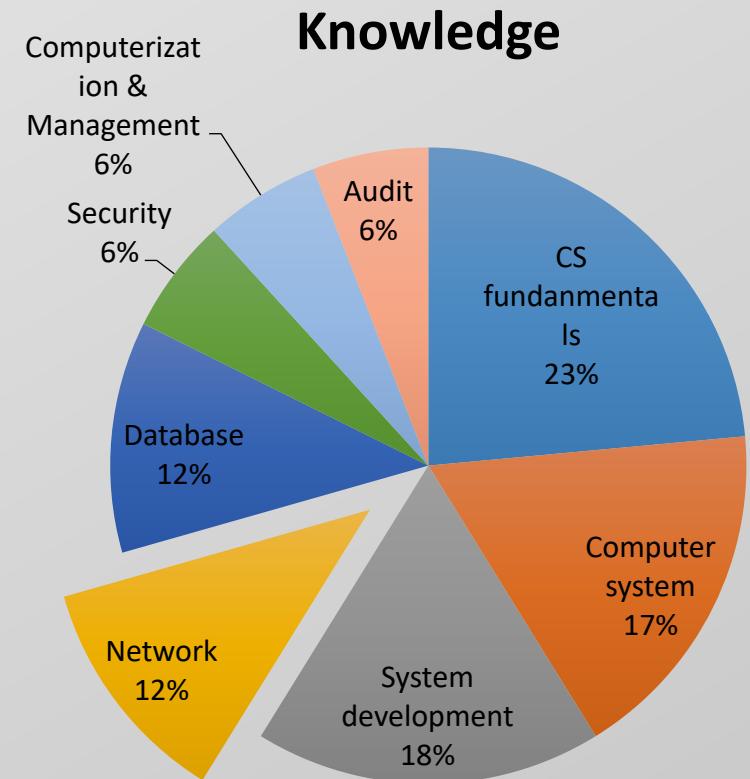
BIG DATA - THE VALUE & THE TRUTH



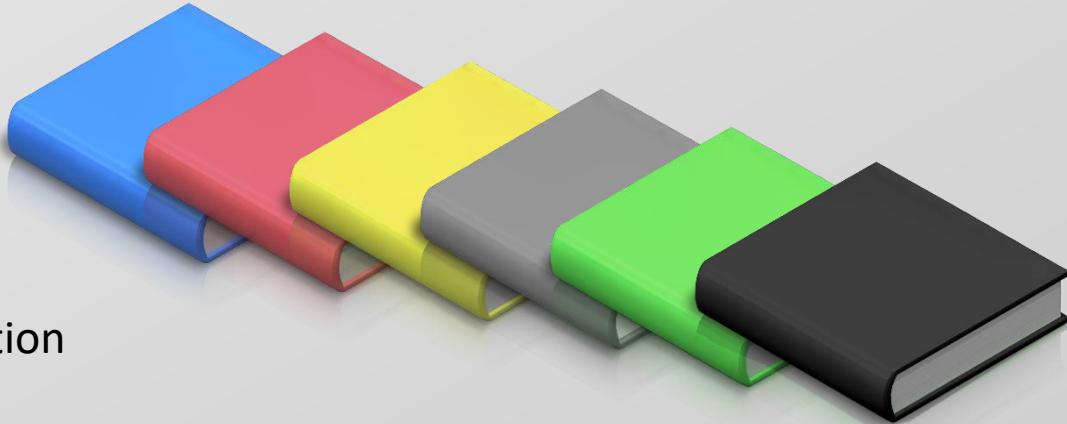
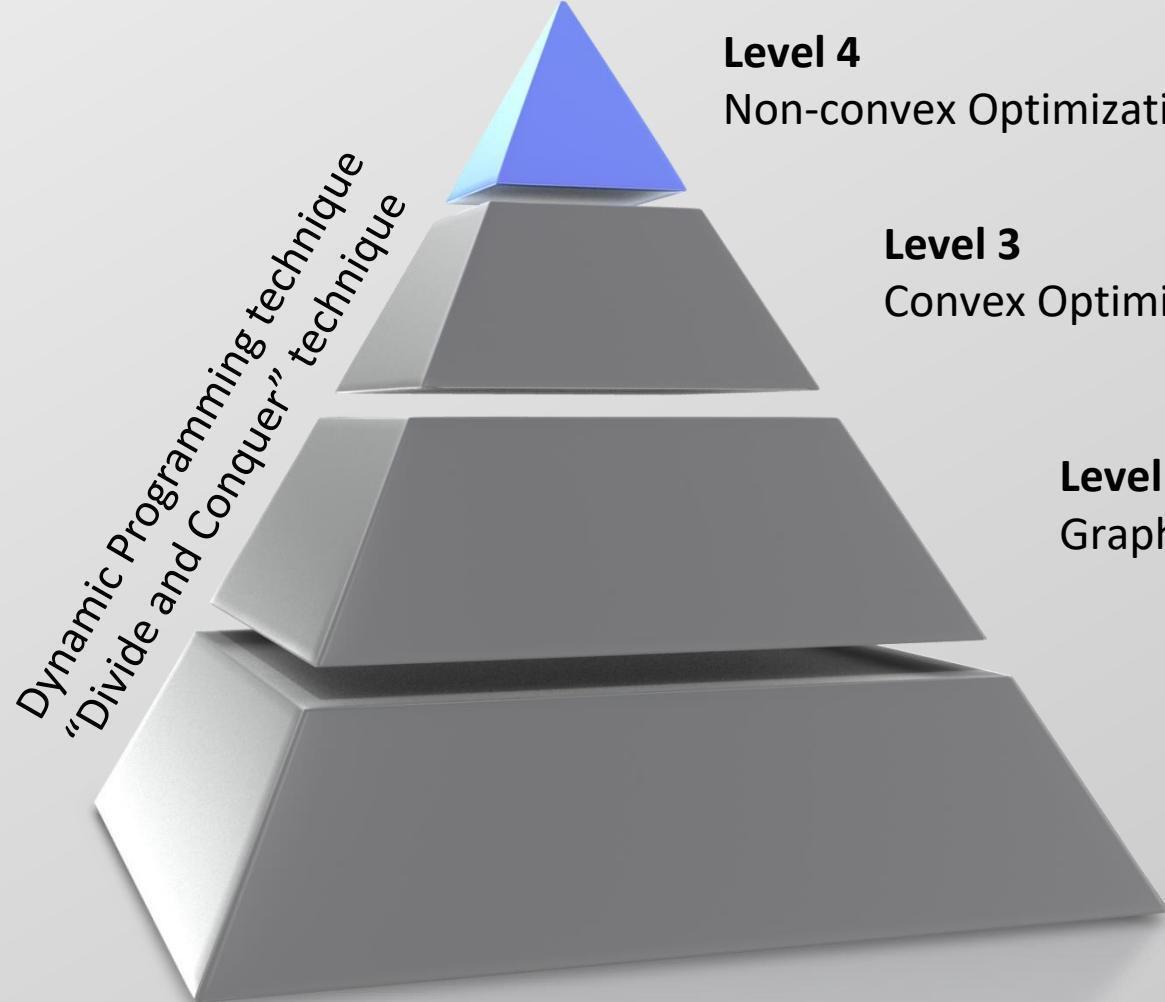
The Knowledge of IT Engineers



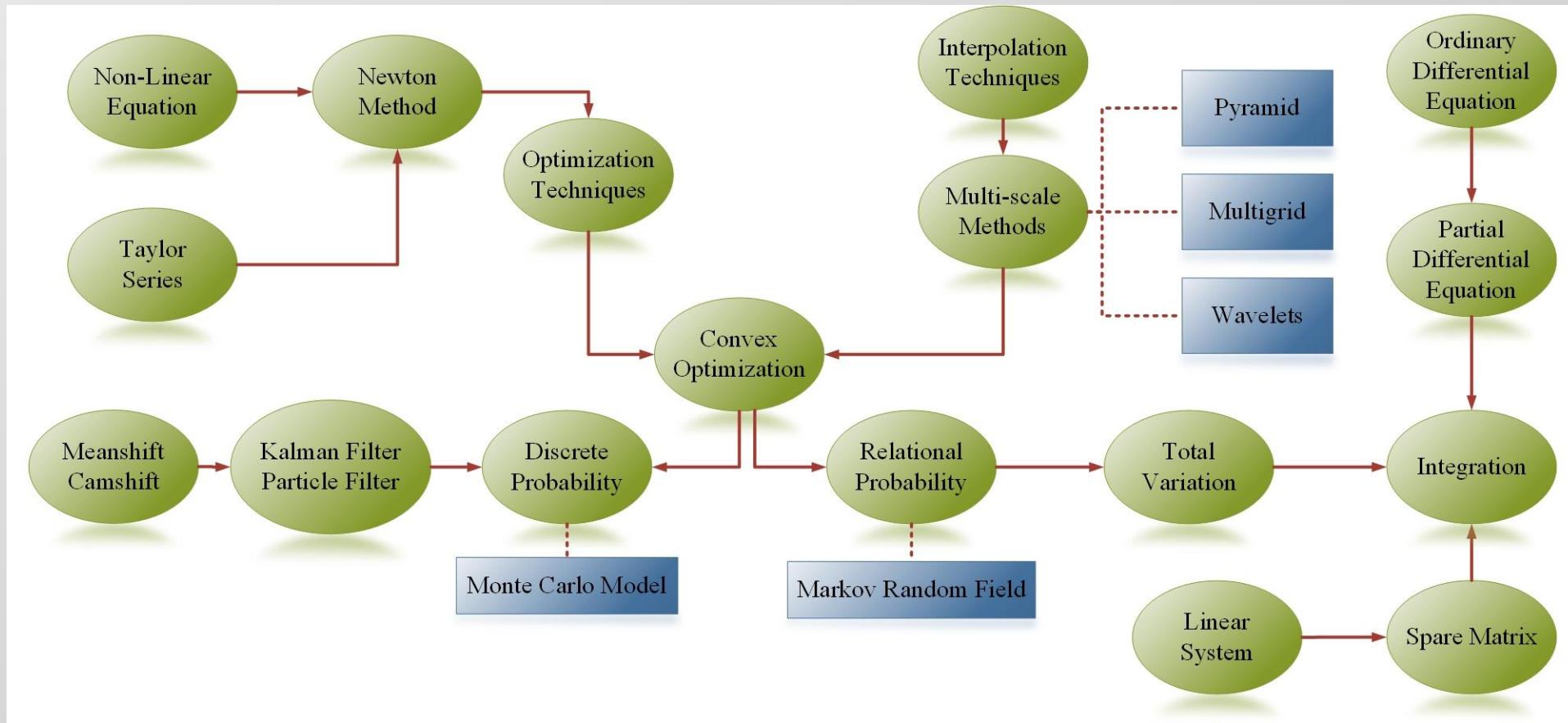
- The knowledge of Computer Engineer deals with the **theoretical foundations** of information and computation, and with **practical techniques** for their implementation and application.



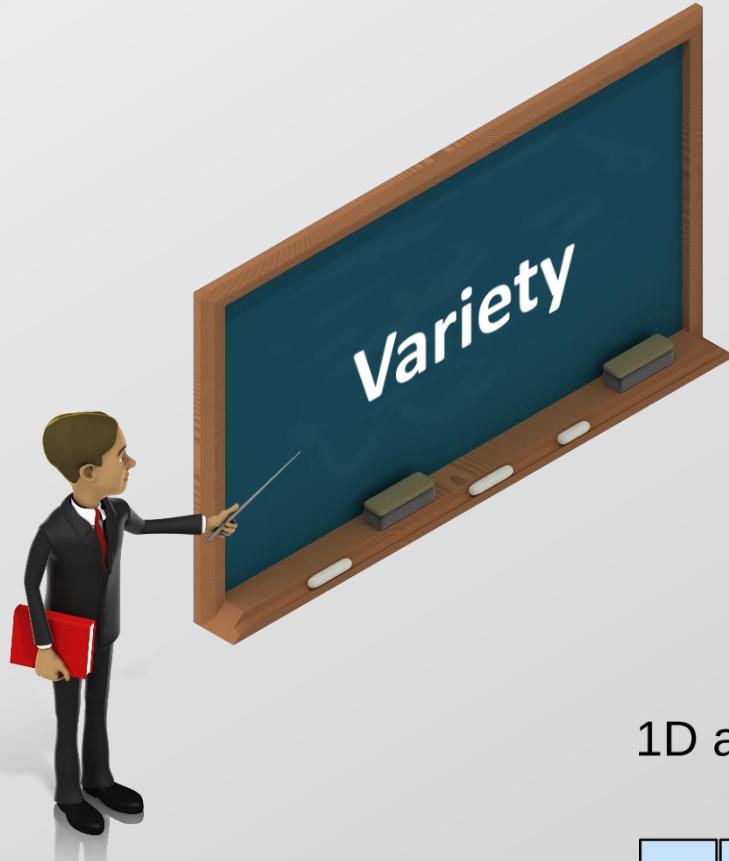
How to solve a problem in computer science?



The Mind map of Engineering Mathematics



1. How to find a right solution in Big Data?

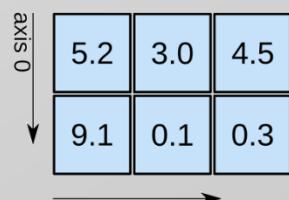


1D array



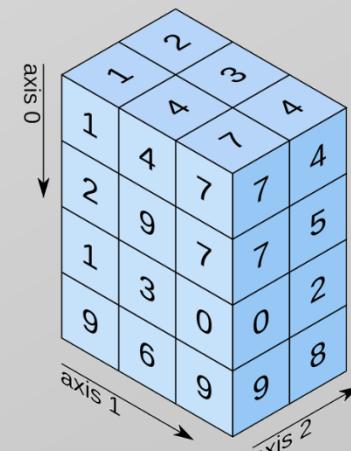
shape: (4,)

2D array

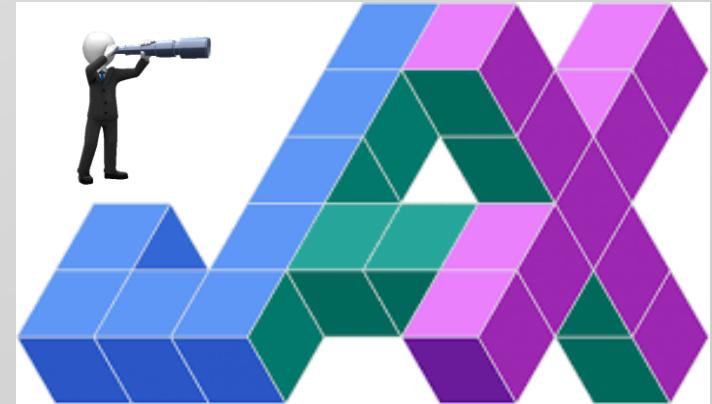


shape: (2, 3)

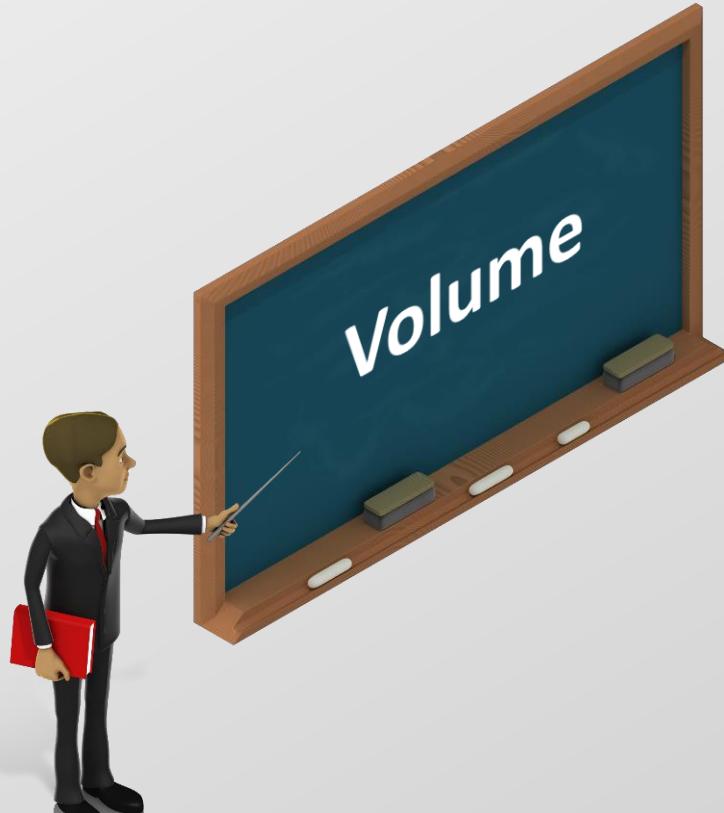
3D array



shape: (4, 3, 2)

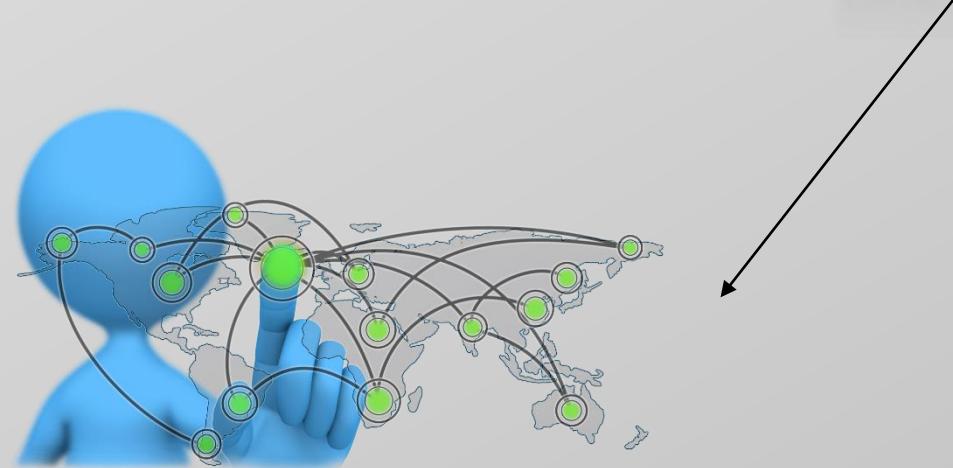


2. How to debug a program in Big Data?



Nobody writes perfect code!

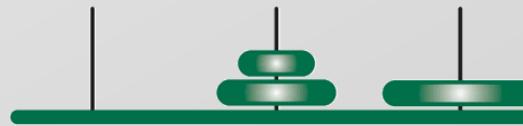
How to debug a program in Big Data?



Example: A solution to the three-disk Towers of Hanoi puzzle



Original Configuration



Fourth Move



First Move



Fifth Move



Second Move



Sixth Move



Third Move



Seventh and Last Move

C/C++

```
void main () {  
    moveTower(4, 1,3,2);  
}  
  
void moveTower (int numDisks, int start, int end, int temp) {  
    if (numDisks == 1)  
        moveOneDisk (start, end);  
    else {  
        moveTower (numDisks-1, start, temp, end);  
        moveOneDisk (start, end);  
        moveTower (numDisks-1, temp, end, start);  
    }  
}  
  
void moveOneDisk (int start, int end) {  
    printf ("Move one disk from " + start + " to " + end);  
}
```

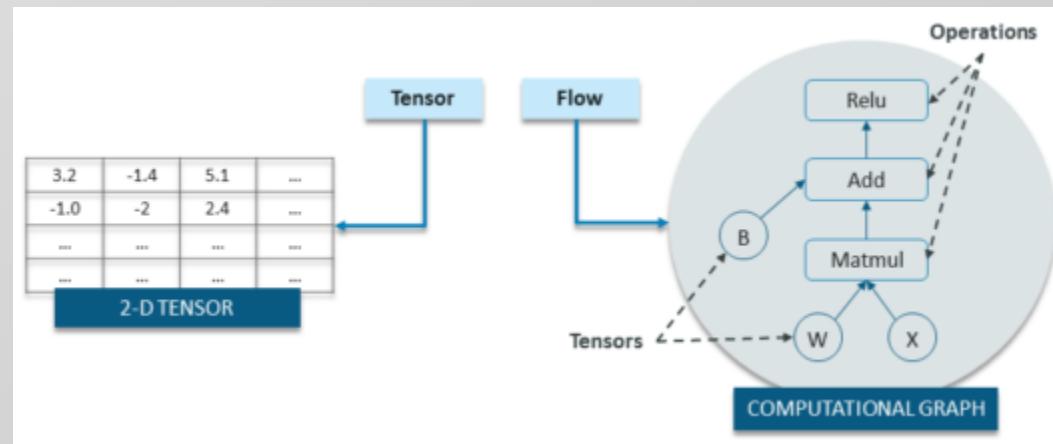
Prolog

```
move(1,X,Y,_) :-  
    write('Move top disk from '),
    write(X),
    write(' to '),
    write(Y),
    nl.  
  
move(N,X,Y,Z) :-  
    N>1,
    M is N-1,
    move(M,X,Z,Y),
    move(1,X,Y,_),
    move(M,Z,Y,X).  
  
?- move(3, left, right, center).
```

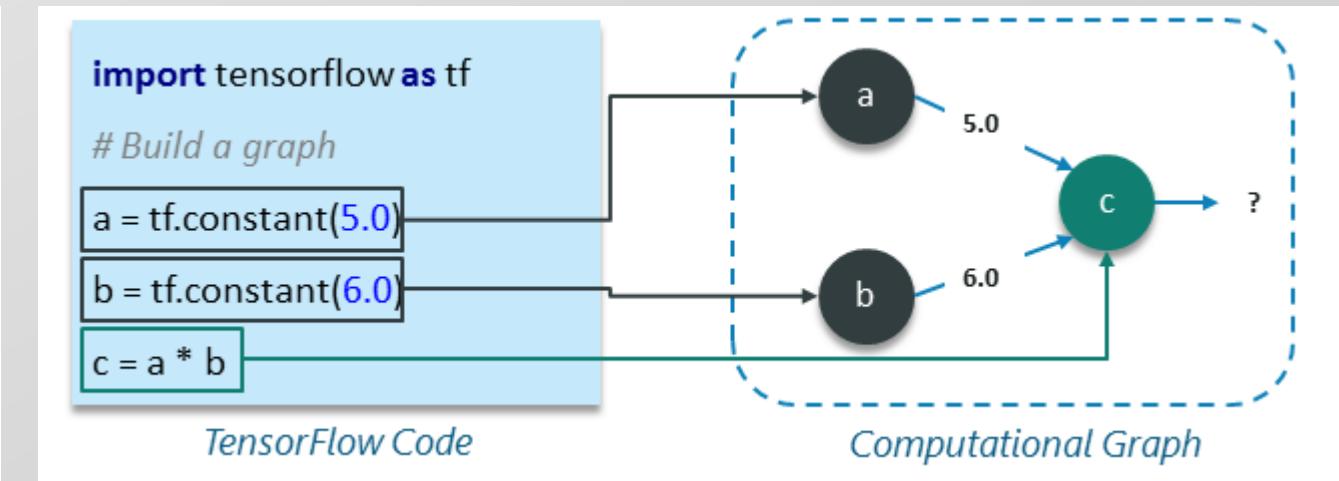
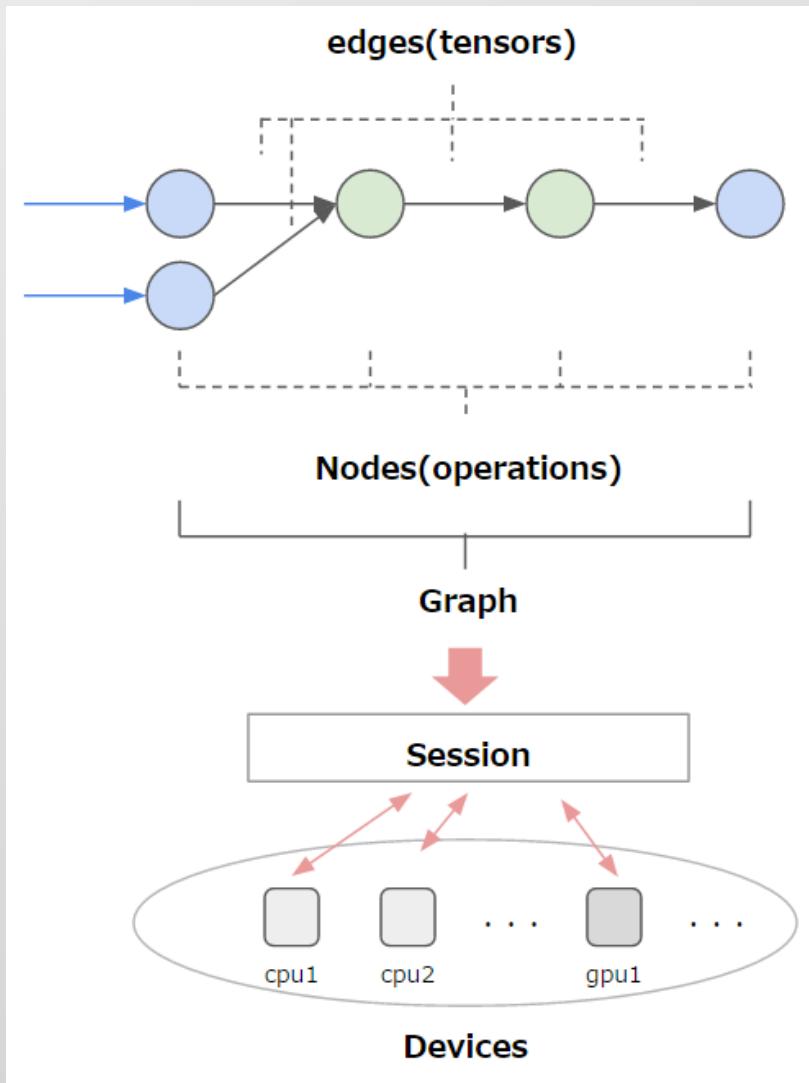


What's TensorFlow™?

- TensorFlow is a library for numerical computation where data flows through the graph.
- The term TensorFlow is made up of two terms – Tensor & Flow
- The term tensor refers to the representation of data as multi-dimensional array whereas the term flow refers to the series of operations that one performs on tensors.

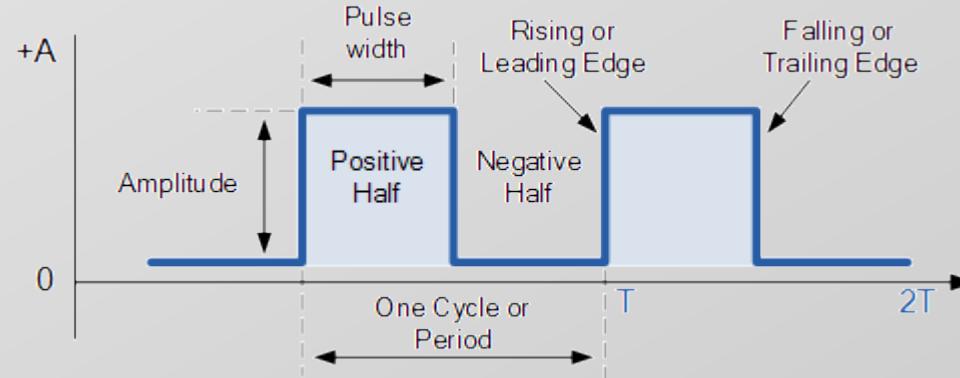
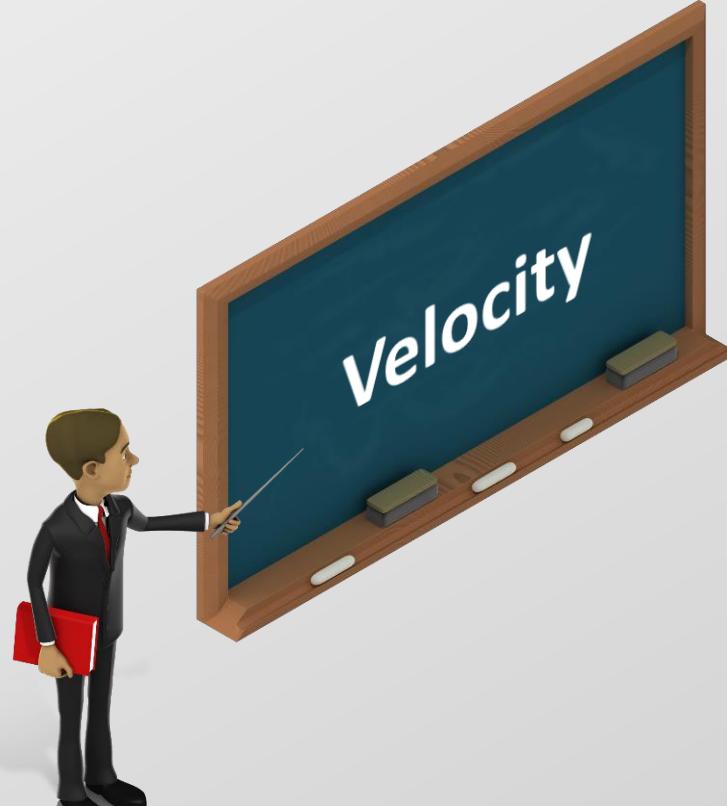


A TensorFlow program



```
# Create the session object
sess = tf.Session()
#Run the graph within a session and store the output to a variable
output_c = sess.run(c)
#print the output of node c
print(output_c)
#Close the session to free up some resources
sess.close()
```

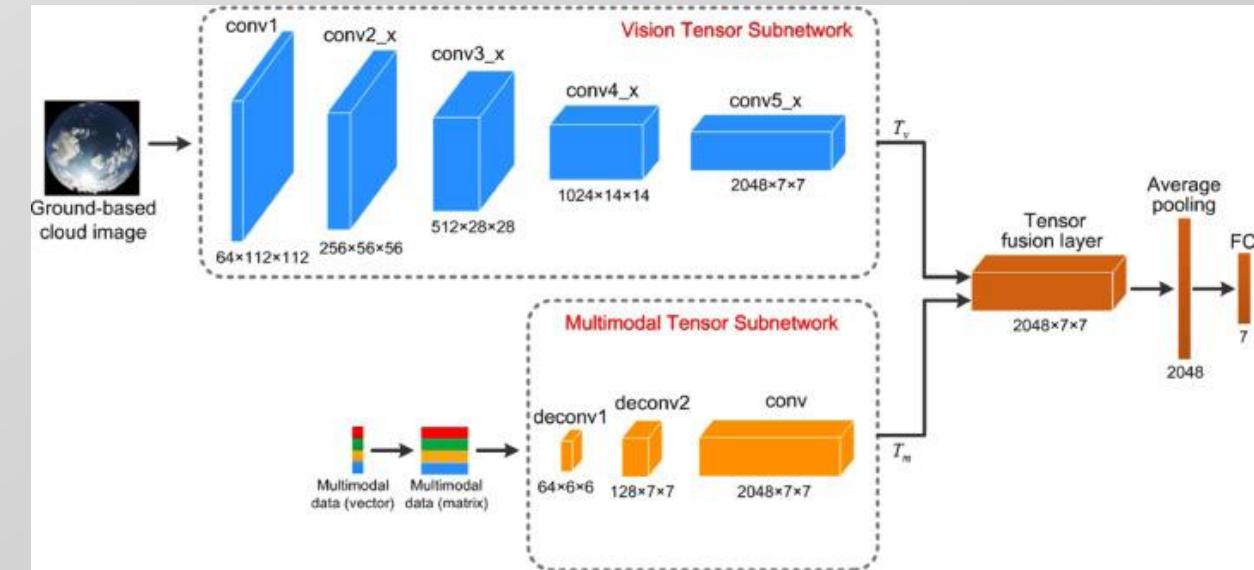
3. How to write a fast-running program in Big Data?



Pseudo Code

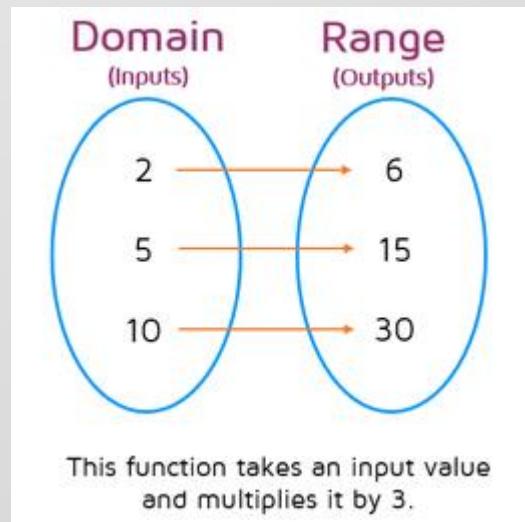
Algorithm 1

```
1. For each vortex filament  $i$  do
2.   For each edge  $j$  of  $i$  do
3.     Update the radius  $\delta_j$ 
4.     Map the vorticity to grid by Peskin function Equation 5
5.   End for
6. End for
7. Solve Poisson Equation 7
8. Add in the velocity change induced by external force
9. For each vortex filament  $i$  do
10.   For each edge  $j$  of  $i$  do
11.     If  $j$  gets overly stretched after advection then
12.       Take middle point as new sampling point
13.     End if
14.   End for
15. End for
16. Advect the vortex filaments
17. Advect the smoke particles
```



Function

- A function assigns only output to each input. The value that is put into a function is the input. The result is the output.



Basic Operators _ Convolution

$$f(x, y) * w(x, y) = \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} f(m, n)w(x - m, y - n)$$

Or

$$g(x, y) = \sum_{m=-a}^a \sum_{n=-b}^b w(m, n)f(x + m, y + n)$$

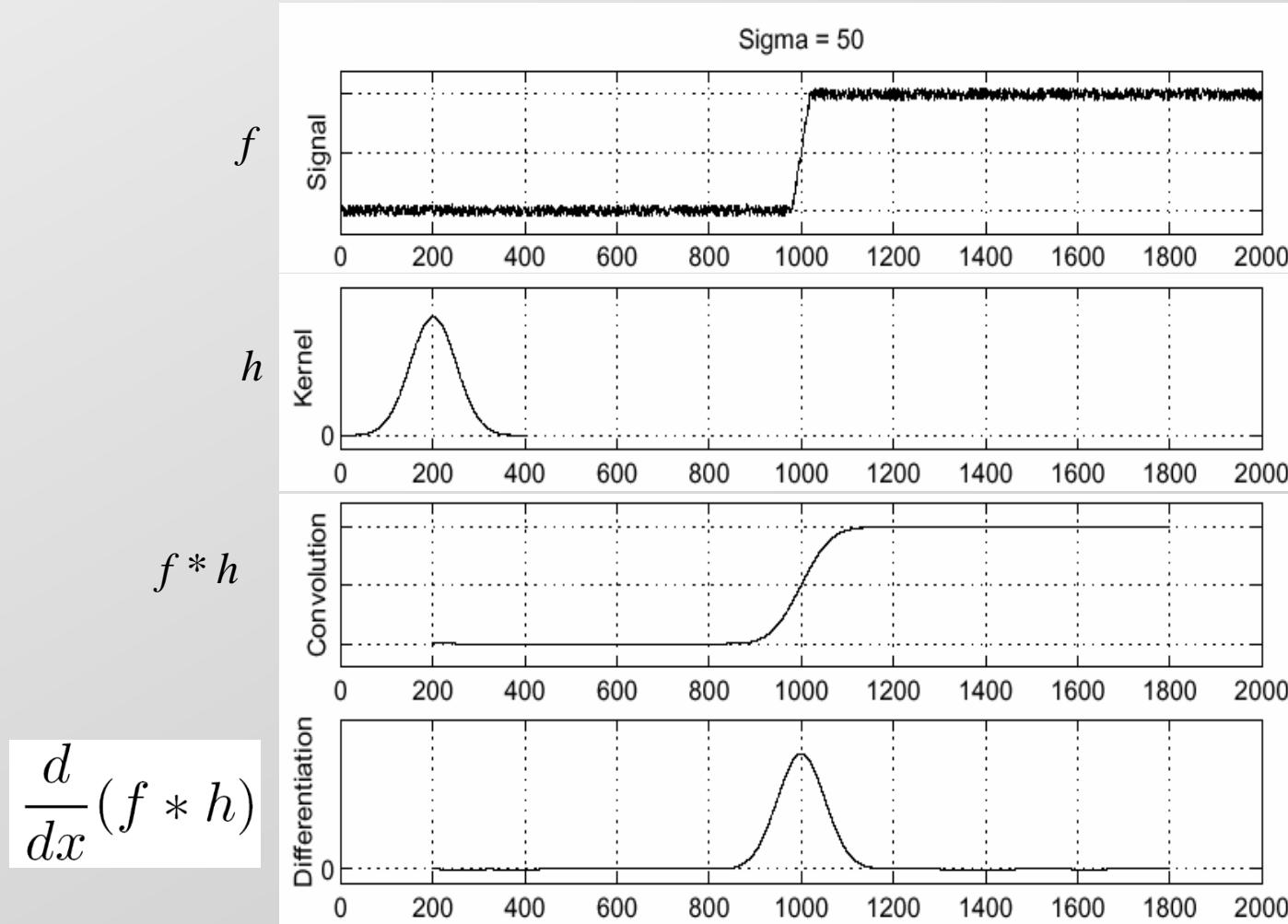
Example:

$$g = f * \begin{bmatrix} 1/2 \\ 0 \\ -1/2 \end{bmatrix}$$

means that

$$g(x, y) = \frac{1}{2}f(x, y + 1) - \frac{1}{2}f(x, y - 1)$$

Associative property of convolution



Associative property of convolution

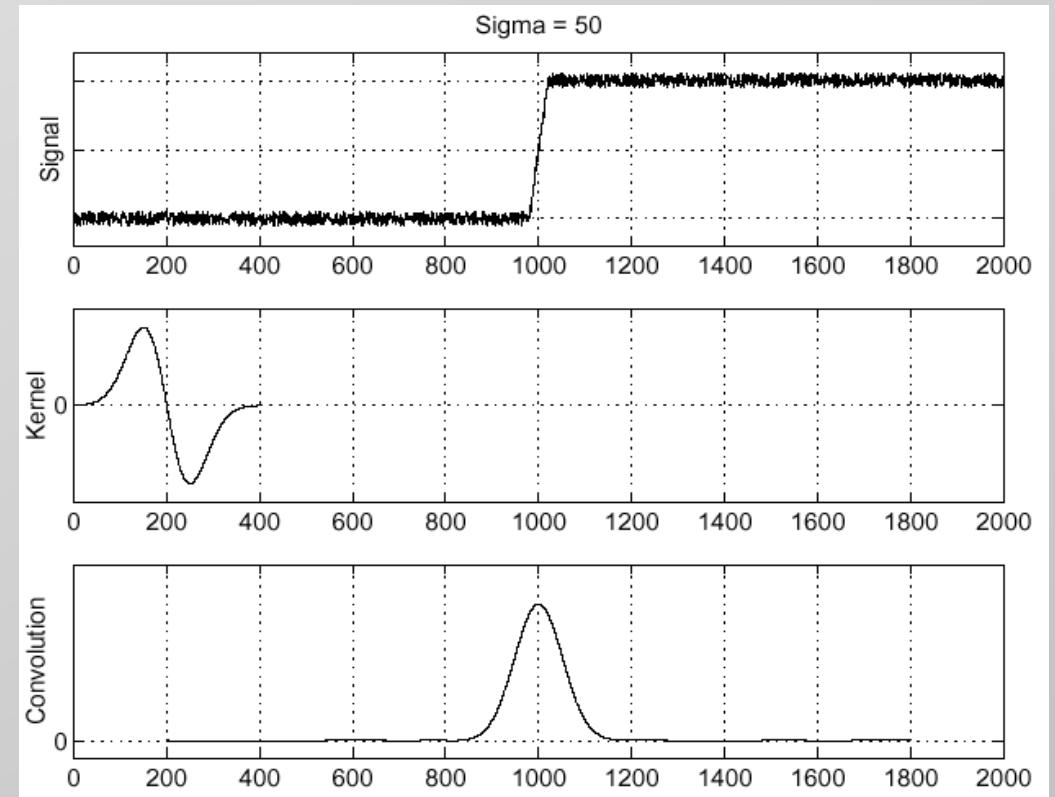
- Differentiation is convolution, and convolution is associative: $\frac{d}{dx}(f * h) = f * \frac{d}{dx}h$

- This saves us one operation:

f

$$\frac{d}{dx}h$$

$$f * \frac{d}{dx}h$$



Linear spatial filtering

Pixels of image

| | | | | |
|--|------------------------|---------------------|-----------------------|--|
| | | | | |
| | w(-1,-1) f(x-1,y-1) | w(-1,0) f(x-1,y) | w(-1,1) f(x-1,y+1) | |
| | w(0,-1) f(x,y-1) | w(0,0) f(x,y) | w(0,1) f(x,y+1) | |
| | w(1,-1) f(x+1,y-1) | w(1,0) f(x+1,y) | w(1,1) f(x+1,y+1) | |
| | | | | |

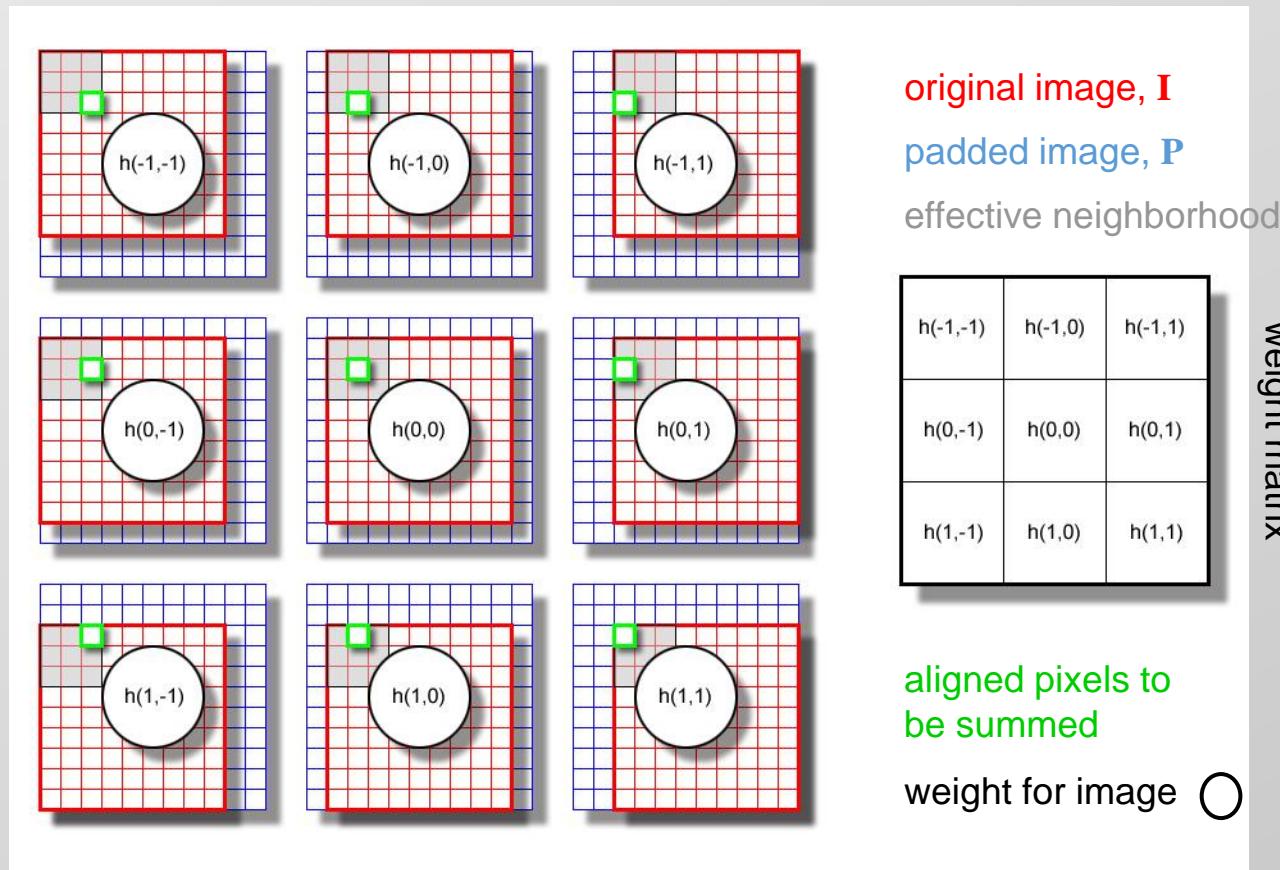
The result is the sum of products of the mask coefficients with the corresponding pixels directly under the mask

Mask coefficients

| | | |
|----------|---------|---------|
| w(-1,-1) | w(-1,0) | w(-1,1) |
| w(0,-1) | w(0,0) | w(0,1) |
| w(1,-1) | w(1,0) | w(1,1) |

$$g(x, y) = w(-1,-1)f(x-1, y-1) + w(-1,0)f(x-1, y) + w(-1,1)f(x-1, y+1) + \\ w(0,-1)f(x, y-1) + w(0,0)f(x, y) + w(0,1)f(x, y+1) + \\ w(1,-1)f(x+1, y-1) + w(1,0)f(x+1, y) + w(1,1)f(x+1, y+1)$$

Convolution by Copying, Multiplying, and Shifting the Image



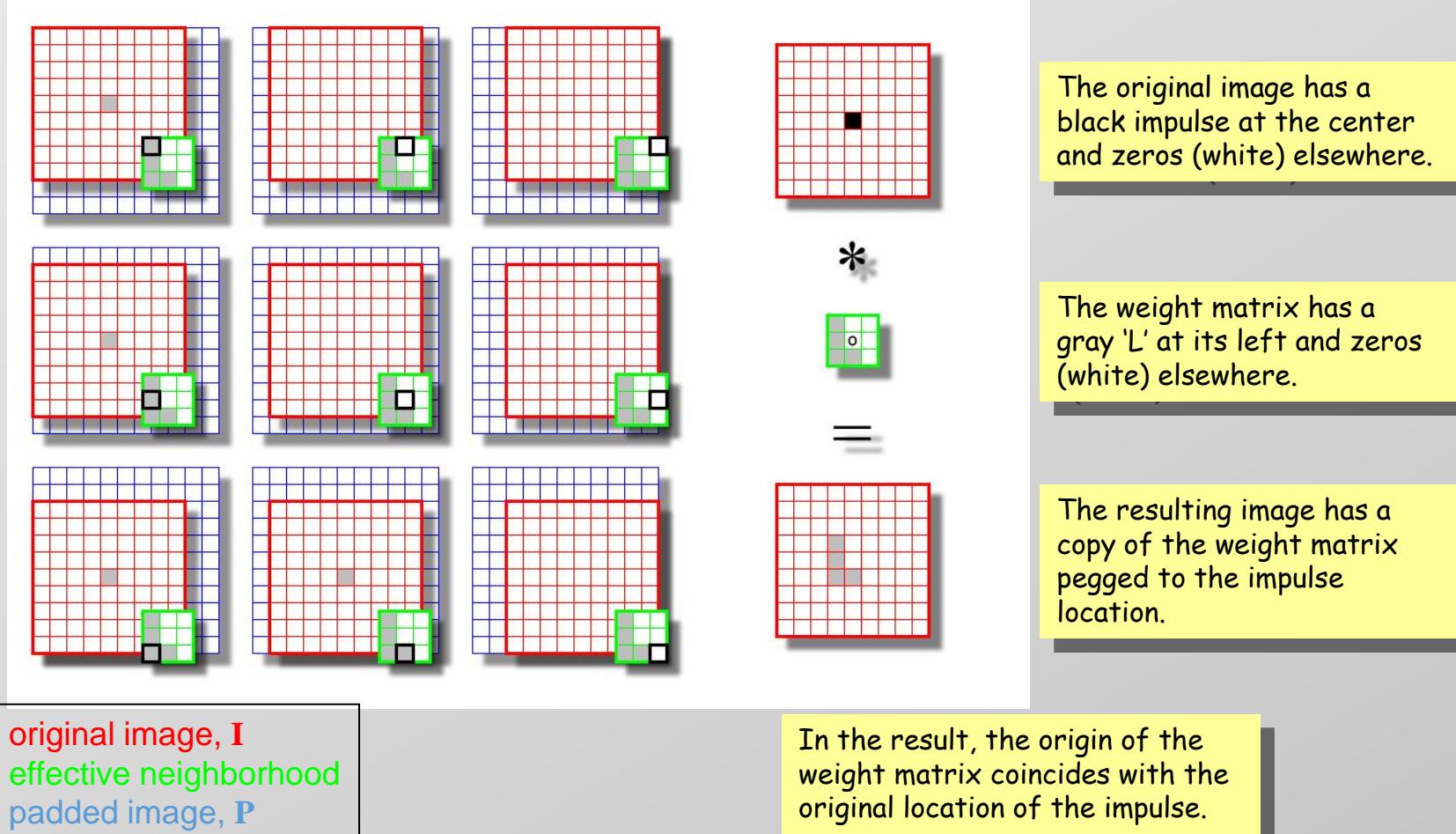
For each element $\mathbf{h}(r_h, c_h)$ in weight matrix, \mathbf{h} , image **I** is copied into a zero-padded image, **P**, starting at (r_h, c_h) .

Each **P** is multiplied by the corresponding weight, $\mathbf{h}(r_h, c_h)$.

All the **P** images are summed pixel-wise then divided by the sum of the elements of \mathbf{h} .

The result is cropped out of the center of the accumulated **P**s.

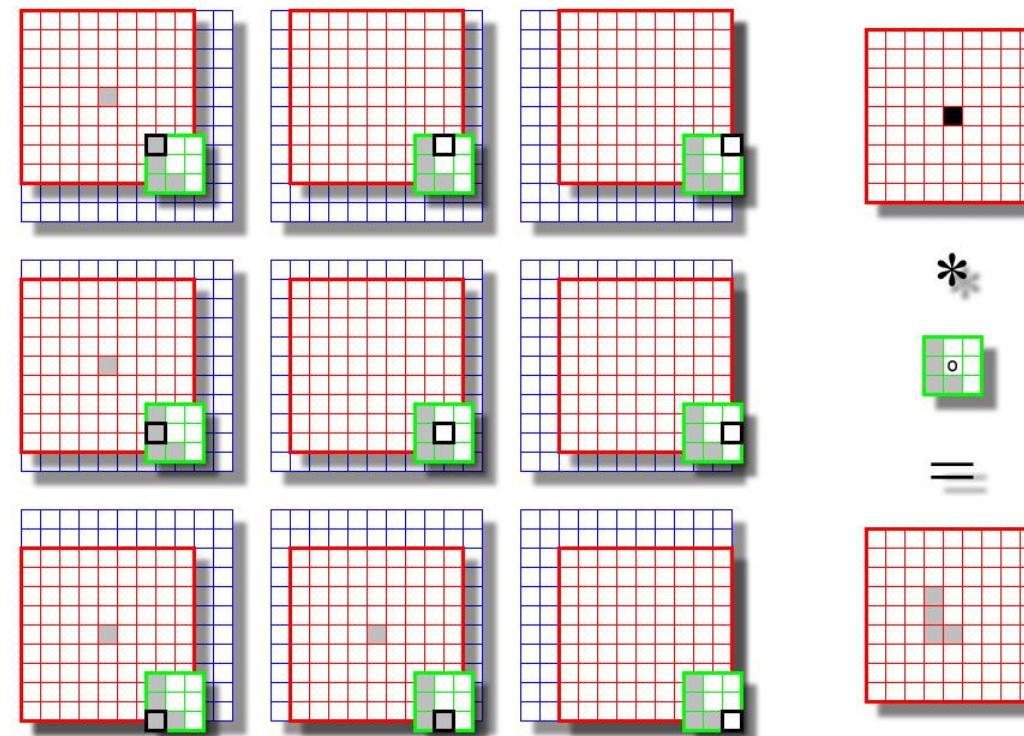
Convolution by Copying, Multiplying, and Shifting the Image



Convolution by Copying, Multiplying, and Shifting the Image

The position of the black square relative the center of the weight matrix indicates the shift of the original image relative to the middle of the padded image.

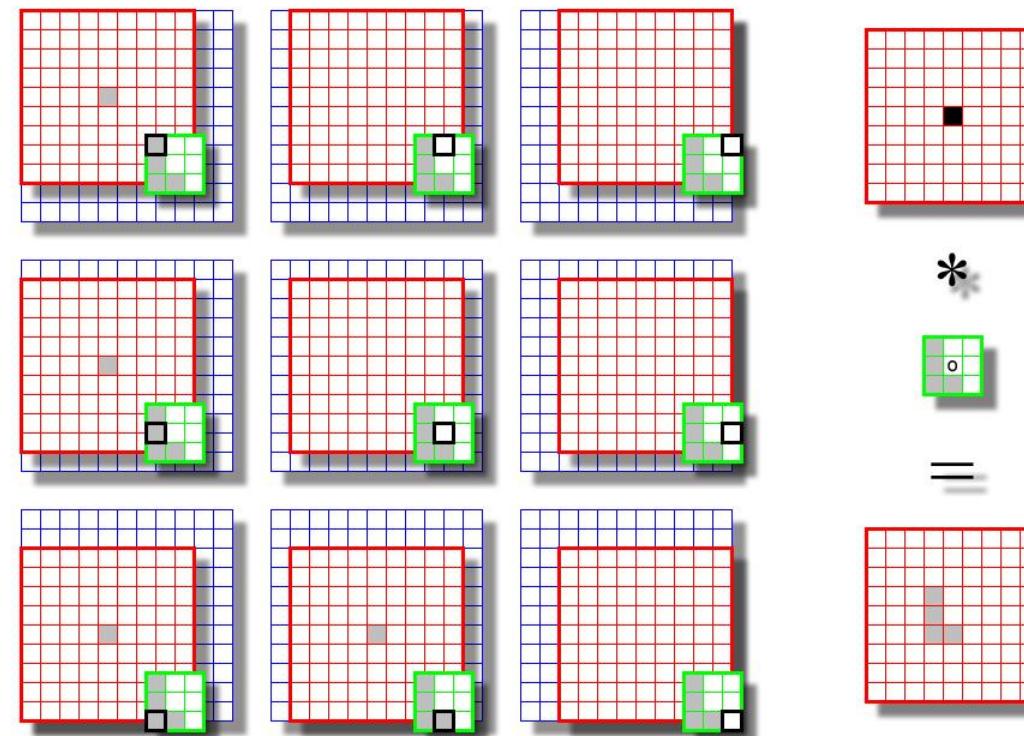
Each copy of the (entire) image is multiplied by the value of the weight matrix in black square (here, white = 0) before being accumulated (pixelwise) in the padded image



Convolution by Copying, Multiplying, and Shifting the Image

The position of the black square relative the center of the weight matrix indicates the shift of the original image relative to the middle of the padded image.

Each copy of the (entire) image is multiplied by the value of the weight matrix in black square (here, white = 0) before being accumulated (pixelwise) in the padded image



In this image, only the pixel in the center is nonzero so only it shows a result when the image is multiplied by a nonzero value

Machine Learning

Concept Learning
and the General-
to-Specific
Ordering

Decision Tree
Learning

Artificial Neural
Networks

Evaluating
Hypotheses

Bayesian Learning

Computational
Learning Theory

Instance-Based
Learning

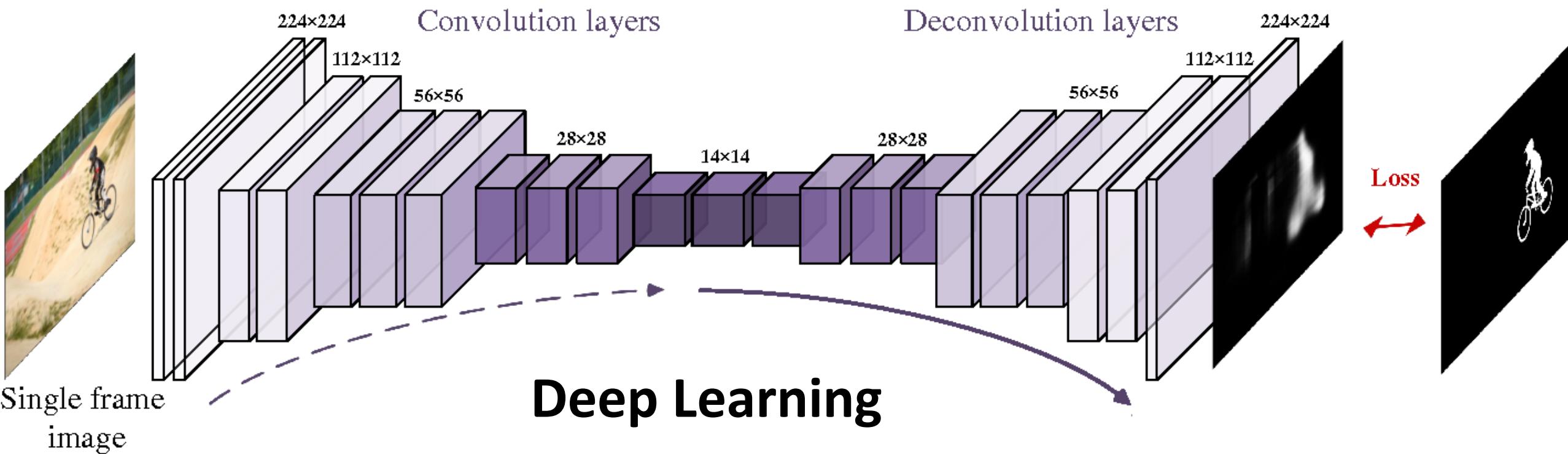
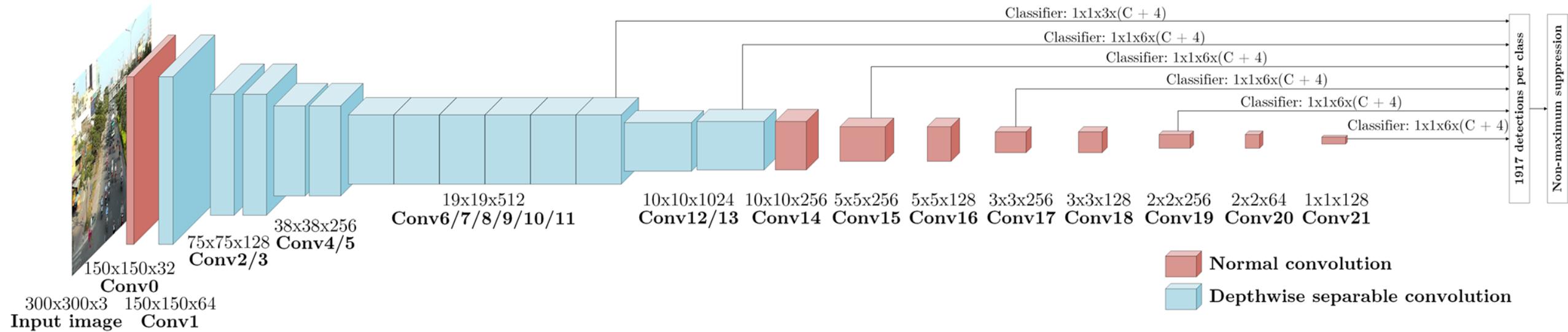
Genetic Algorithms

Learning Sets of
Rules

Analytical Learning

Combining
Inductive and
Analytical Learning

Reinforcement
Learning



Richardson's Extrapolation

$$I = I(h) + E(h)$$

$$h = (b - a) / n$$

$$I(h_1) + E(h_1) = I(h_2) + E(h_2)$$

$$n = (b - a) / h$$

$$E \approx \frac{b-a}{12} h^2 \bar{f}''$$

$$\frac{E(h_1)}{E(h_2)} \approx \frac{h_1^2}{h_2^2}$$

$$E(h_1) \approx E(h_2) \left(\frac{h_1}{h_2} \right)^2$$

I = exact value of integral

$I(h)$ = the approximation from an n segment application of trapezoidal rule with step size h

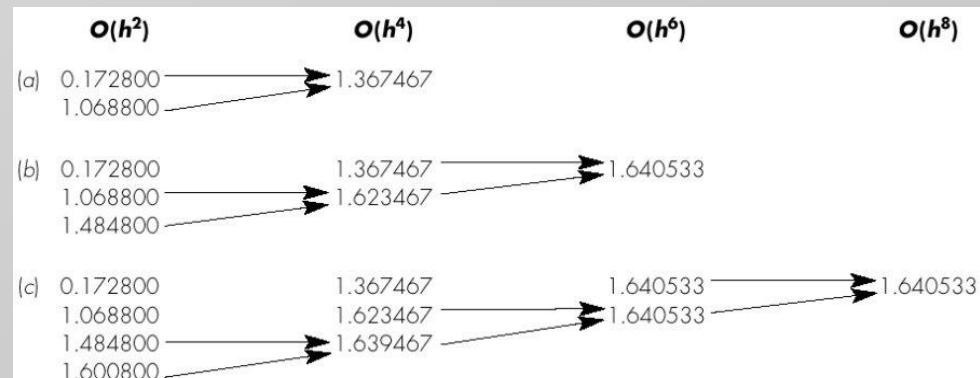
$E(h)$ = the truncation error

$$I(h_1) + E(h_2) \left(\frac{h_1}{h_2} \right)^2 \approx I(h_2) + E(h_2)$$

$$E(h_2) \approx \frac{I(h_1) - I(h_2)}{1 - \left(\frac{h_1}{h_2} \right)^2}$$

$$I = I(h_2) + E(h_2)$$

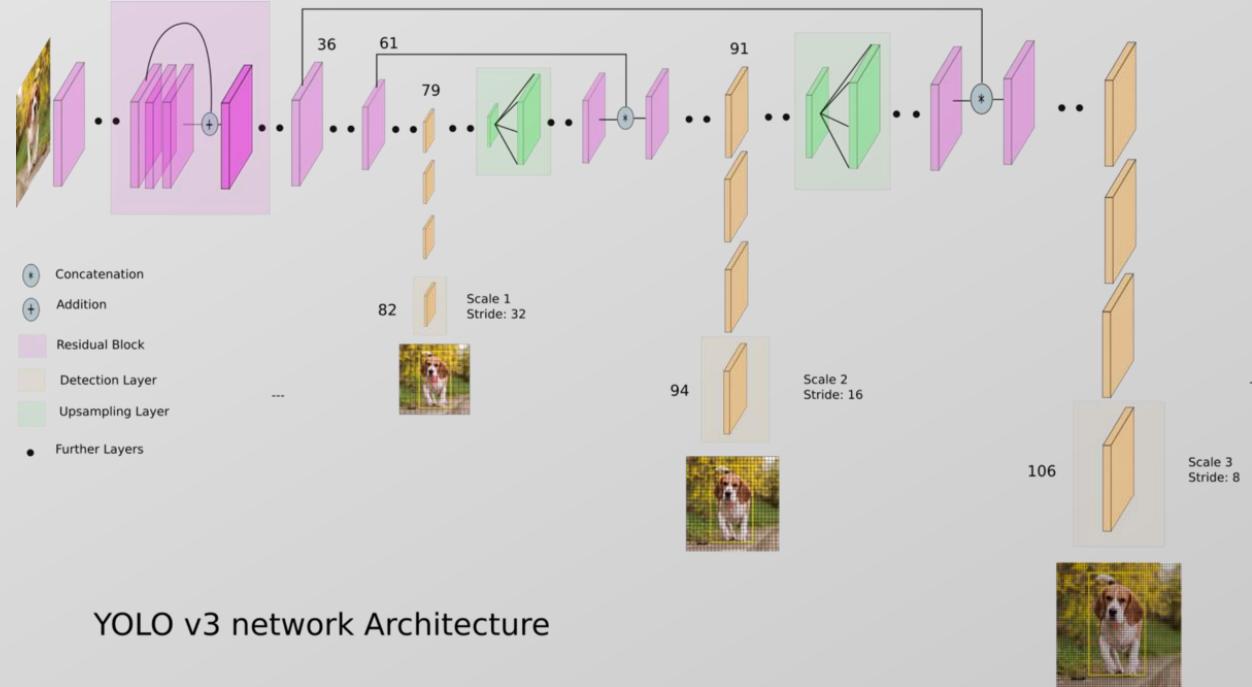
$$I \approx I(h_2) + \frac{1}{\left(\frac{h_1}{h_2} \right)^2 - 1} [I(h_2) - I(h_1)]$$



YOLO is magic?

In theory,

- CNN is a statistical filter.
- Training data must be complete.



But

- The environment is always changing.
- Actual training data is incomplete.

Summary

