There are many important principles that can improve a change someone will achieve a considered successful life. But one of most important I think is stable and the ability to keep track of our own project. But to be honest, I am kind of very hot-head and my natural childlike personality keep drag me to new ideas. Let 's see can I bypass myself and finish these aoc challenges or not

## Part 1

```
In[1]:= input = "" +;
```

Well, uhm, the pattern, the first thing I feel when I read this challenge is it directly refer to mathematic, it just like, plot 2 linear vectors on the 2D plane and check if the crossed or not. Well check the full content here https://adventofcode.com/2023/day/24.

We test with the small input first to make clear my explain

```
ln[2]:= smallInput = \binom{n-n}{n};
```

In[3]:= smallInput // StringTrim // StringSplit[#, "\n"] & // TableForm

Out[3]//TableForm=

We will decode how to find the cross point {14.333,15.333} between line 1 and 2 of this example

```
Hailstone A: 19, 13, 30 @ -2, 1, -2
Hailstone B: 18, 19, 22 @ -1, -1, -2
Hailstones' paths will cross inside the test area (at x=14.333, y=15.333).
```

x and y in each line will transform base on the system of linear equations

$$x = x_{init} + x_v^*time$$
  
 $y = y_{init} + y_v^*time$ 

It not hard to see init position, velocity of x and y, I mean in the first hailstone A: {19,13} and {-2,-1} is constants, do some mathematic by divide two linear equation will remove time changing variable and this system will become relation of x and y

$$\frac{x - x_i}{y - y_i} = \frac{x_v}{y_v}$$

I will anotation init by i and velocity by v for short

$$(x-x_i)$$
  $y_v = x_v (y-y_i)$ 

```
\Rightarrow x y_v - x_i y_v = x_v y - x_v y_i
         \Rightarrow x y_v - y x_v = x_i y_v - y_i x_v
        Okie, so the equation of line 1 is x + 2y = 19*(1) - 13*(-2) = 45 and line 2 is -x + y = -18 + 19 = 1
        Let solve the equation, wolfram lang have built in function
  ln[4] = Solve[x + 2y = 45 \&\& -x + y = 1, \{x, y\}] // N
 Out[4]= \{\{x \rightarrow 14.3333, y \rightarrow 15.3333\}\}
  ln[5] = N[\{\{x \rightarrow \frac{43}{3}, y \rightarrow \frac{46}{3}\}\}]
 Out[5]= \{\{x \rightarrow 14.3333, y \rightarrow 15.3333\}\}
        Perfect, exactly like the example
 In[51]:= findCrossPoint[stone1_, stone2_] := Module[{},
           \{x_{i1}, y_{i1}, z_{i1}, x_{v1}, y_{v1}, z_{v1}\} = ToExpression/@ (StringSplit[stone1, {"@", ","}]);
          \{x_{i2}, y_{i2}, z_{i2}, x_{v2}, y_{v2}, z_{v2}\} = ToExpression/@ StringSplit[stone2, {"@", ","}];
          EchoLabel["stone1"]@ \{x_{i1}, y_{i1}, z_{i1}, x_{v1}, y_{v1}, z_{v1}\};
           EchoLabel["stone2"]@ \{x_{i2}, y_{i2}, z_{i2}, x_{v2}, y_{v2}, z_{v2}\};
           res = Solve[x * y_{v1} - y * x_{v1} = x_{i1} * y_{v1} - y_{i1} * x_{v1} & & \\
                X * y_{v2} - y * X_{v2} == X_{i2} * y_{v2} - y_{i2} * X_{v2}, \{X, y\}] // N;
          EchoLabel[res]@res
  In[7]:= smallInputSplit = smallInput // StringTrim // StringSplit[#, "\n"] &
 20, 25, 34 @ -2, -2, -4, 12, 31, 28 @ -1, -2, -1, 20, 19, 15 @ 1, -5, -3
  In[8]:= findCrossPoint[smallInputSplit[[1]], smallInputSplit[[2]]]
     » 19, 13, 30 @ -2, 1, -2 {19, 13, 30, -2, 1, -2}
     » 18, 19, 22 @ -1, -1, -2 {18, 19, 22, -1, -1, -2}
 Out[8]= \{\{x \rightarrow 14.3333, y \rightarrow 15.3333\}\}
        Path 2 and 3 never crossed, let check
  Out[9] = \{14.3333, 15.3333\}
 in[10]:= findCrossPoint[smallInputSplit[2]], smallInputSplit[3]]
     > 18, 19, 22 @ -1, -1, -2 \{18, 19, 22, -1, -1, -2\}
     » 20, 25, 34 @ -2, -2, -4 {20, 25, 34, -2, -2, -4}
Out[10]=
       {}
```

```
We will never have {{}} as a result. It mean the full set solution, because our two init point and two
                                           velocity always different. Let check the real input with 300 lines
          inputSplit = input // StringTrim // StringSplit[#, "\n"] &;
         In[12]:= Counts[{#[1], #[2]} & /@
                                                                           (ToExpression /@ StringSplit[#, {"@", ","}] & /@ inputSplit)] // Values // Counts
Out[12]=
                                              <|1 → 300|>
         In[13]:= Counts[{#[4], #[5]} & /@
                                                                           (ToExpression /@ StringSplit[#, {"@", ","}] & /@ inputSplit)] // Values // Counts
Out[13]=
                                              <|1 → 300|>
                                            Okie, now I need to apply findCrossPoint to all pair in the input. Oh, in mathematic ways, we
                                             don't loop them, instead that we generate all the possible pair first and apply the function later
                                             on each pair. The pair must be unordered, that mean if we have {a,b} we don't need {b,a}
         In[14]:= Subsets[inputSplit, {2}]
Out[14]=
                                                        {{251454256616722, 382438634889004, 18645302082228 @ 43, -207, 371,
                                                                   289124150762025, 364325878532733, 278169080781801 @ -73, -158, -13},
                                                             \{251454256616722\,,\ 382438634889004\,,\ 18645302082228\ @\ 43\,,\ -207\,,\ 371\,,
                                                                   268852221227649, 10710819924145, 258969710792682 @ 41, 192, 62},
                                                              {279172409384999, 332554952875949, 532315024821330 @ -19, -122, -394,
                                                                   245968014205034, 384015060139844, 157918607855134 @ -79, -167, 300},
                                                             245968014205034, 384015060139844, 157918607855134 @ -79, -167, 300}}
                                                                                                                                                                                                                                       crossPoints = findCrossPoint @@@ Subsets[inputSplit, {2}] // QuietEcho
Out[15]=
                                                        \{\{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 3.13699 \times 10^{14}\}\}, \{\{x \rightarrow 2.99175 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}, \{\{x \rightarrow 2.65733 \times 10^{14}, y \rightarrow 1.52712 \times 10^{14}\}\}\}
                                                            \{\{x \rightarrow 2.78127 \times 10^{14}, \ y \rightarrow 2.54039 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}, \ \{\{x \rightarrow 2.60744 \times 10^{14}, \ y \rightarrow 3.3772 \times 10^{14}\}\}\}\}
                                                            \{\{x \rightarrow 2.74191 \times 10^{14} \text{, } y \rightarrow 2.72983 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{\{x \rightarrow 2.80388 \times 10^{14} \text{, } y \rightarrow 2.43155 \times 10^{14}\}\} \text{, } \{x \rightarrow
                                                               \underbrace{ \{ x \to 2.67643 \times 10^{14}, \ y \to 2.58525 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \}, \ \{ \{ x \to 2.68483 \times 10^{14}, \ y \to 2.85903 \times 10^{14} \} \} \}
                                                             \{\{x \rightarrow 2.73262 \times 10^{14}, y \rightarrow 4.41713 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.73262 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.73262 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.73262 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}, \{\{x \rightarrow 2.71683 \times 10^{14}, y \rightarrow 2.84466 \times 10^{14}\}\}\}
                                                              \{\{x \rightarrow 3.07417 \times 10^{14}, y \rightarrow 5.13913 \times 10^{14}\}\}, \{\{x \rightarrow 2.11633 \times 10^{14}, y \rightarrow 3.11434 \times 10^{14}\}\}\}
                                                                                                                                                                                                                                                                                                    ··· Iconize ▼
                                                                                                                                                                                                                                                                                                                                                                            Store full expression in notebook
```

Good.

```
In[16]:= Module[{ val = \{x, y\} /. \#[1]] \}, 2*10^{14} \le val[1] \le 4*10^{14} \&\& 2*10^{14} \le val[2] \le 4*10^{14}  ] \& /@ Select[crossPoints, Length[#] <math>\neq 0 \&] // Counts Out[16]:= \langle |True \rightarrow 21817, False \rightarrow 23026| \rangle
```

Oops, oh my gosh, what wrong, something I was missing here.

I just check with small input in scratchpad, and what I see here

```
To estimate this, consider only the X and Y axes; ignore the Z axis.

Looking forward in time, how many of the hailstones' paths will intersect within a test area? (The hailstones themselves don't have to collide, just test for intersections between the paths they will trace.)
```

The author give the most confuse description I have ever seen. With example

```
Hailstone A: 19, 13, 30 @ -2, 1, -2
Hailstone B: 18, 19, 22 @ -1, -1, -2
Hailstones' paths will cross inside the test area (at x=14.333, y=15.333).

Hailstone A: 19, 13, 30 @ -2, 1, -2
Hailstone B: 20, 25, 34 @ -2, -2, -4
Hailstones' paths will cross inside the test area (at x=11.667, y=16.667).

Hailstone A: 19, 13, 30 @ -2, 1, -2
Hailstone B: 12, 31, 28 @ -1, -2, -1
Hailstones' paths will cross outside the test area (at x=6.2, y=19.4).

Hailstone A: 19, 13, 30 @ -2, 1, -2
Hailstone B: 20, 19, 15 @ 1, -5, -3
Hailstones' paths crossed in the past for hailstone A.
```

I have no idea what is meaning "crossed in the past of of". Extremely confused, the problems is not yet hard, it took time because he make things so wordy, I try to guess here. The case of  $\{19,13...@-2,1..\}$  and  $\{20,19..@1,-5..\}$ . If you check the result of crossed position, you will see it is  $\{x\rightarrow 21.4444,y\rightarrow 11.7778\}$ . The problem stay at x->21.44 at stone A, because velocity of stone A is negative, why the cross point position is somewhat higher . So he is meaning, the point of cross must suitable with the velocity. The cross point here somewhat stay in the opposite side of movement. Oh yeah, understood, let add some condition, but we must creative a bit, there is no way I do thing like check signs of each velocity and init points etc..... Uhm, let see, the result of (des - src)/veloc always have positive sign

## Part 2

```
Upon further analysis, it doesn't seem like any hailstones will naturally collide. It's up to you to fix that!

You find a rock on the ground nearby. While it seems extremely unlikely, if you throw it just right, you should be able to hit every hailstone in a single throw!

You can use the probably-magical winds to reach any integer position you like and to propel the rock at any integer velocity. Now including the Z axis in your calculations, if you throw the rock at time [0], where do you need to be so that the rock perfectly collides with every hailstone? Due to probably-magical inertia, the rock won't slow down or change direction when it collides with a hailstone.

In the example above, you can achieve this by moving to position [24, 13, 10] and throwing the rock at velocity [-3, 1, 2]. If you do this, you will hit every hailstone as follows:

Hailstone: 19, 13, 30 @ -2, 1, -2
Collision time: 5
Collision position: 9, 18, 20

Hailstone: 18, 19, 22 @ -1, -1, -2
Collision time: 3
Collision position: 15, 16, 16
```

\*Oops, i am stuck here\*

## Scratchpad

2In

In[.]:= Quit[]

```
» check ahead of time {{19, 13, -2, 1}, {20, 19, 1, -5}, {21.4444, 11.7778}}
      » stone1 {18, 19, 22, -1, -1, -2}
      » stone2 {20, 25, 34, -2, -2, -4}
      >> res {}
      » stone1 {18, 19, 22, -1, -1, -2}
      » stone2 {12, 31, 28, -1, -2, -1}
      » res \{\{x \to -6., y \to -5.\}\}
      » check ahead of time \{\{18, 19, -1, -1\}, \{12, 31, -1, -2\}, \{-6, -5, -5\}\}
      » stone1 {18, 19, 22, -1, -1, -2}
      » stone2 {20, 19, 15, 1, -5, -3}
      » res \{\{x \rightarrow 19.6667, y \rightarrow 20.6667\}\}
      » check ahead of time {{18, 19, -1, -1}, {20, 19, 1, -5}, {19.6667, 20.6667}}
      » stone1 {20, 25, 34, -2, -2, -4}
      » stone2 {12, 31, 28, -1, -2, -1}
      » res \{\{x \to -2., y \to 3.\}\}
      » check ahead of time {{20, 25, -2, -2}, {12, 31, -1, -2}, {-2, 3.}}
      » stone1 {20, 25, 34, -2, -2, -4}
      » stone2 {20, 19, 15, 1, -5, -3}
      » res \{\{x \to 19., y \to 24.\}\}
      » check ahead of time {{20, 25, -2, -2}, {20, 19, 1, -5}, {19, 24,}}
      » stone1 {12, 31, 28, -1, -2, -1}
      » stone2 {20, 19, 15, 1, -5, -3}
      » res \{\{x \to 16., y \to 39.\}\}
      » check ahead of time {{12, 31, -1, -2}, {20, 19, 1, -5}, {16., 39.}}
  ln[94]:= val = a
Out[94]=
         \{\{\{x \rightarrow 14.3333, y \rightarrow 15.3333\}\}, \{\{x \rightarrow 11.6667, y \rightarrow 16.6667\}\}, \}
          \{\{x\rightarrow 6.2,\ y\rightarrow 19.4\}\},\ \{\},\ \{\{x\rightarrow -6.,\ y\rightarrow -5.\}\},\ \{\},\ \{\{x\rightarrow -2.,\ y\rightarrow 3.\}\},\ \{\},\ \{\}\},\ \{\}\},\ \{\}\},\ \{\}\}
  In[63]:= a = .
  In[64]:= a
Out[64]=
         а
```

```
\{\{x \rightarrow 21.444444444444443^, y \rightarrow 11.77777777777779^\}\}, \{\}, \{\}, \{\}\}
                                                             \{\{x \to -6.^{\circ}, y \to -5.^{\circ}\}\}, \{\{x \to 19.6666666666666668^{\circ}, y \to 20.666666666666668^{\circ}\}\}
                                                             \{\{x \rightarrow -2.\ ,\ y \rightarrow 3.\ \}\},\ \{\{x \rightarrow 19.\ ,\ y \rightarrow 24.\ \}\},\ \{\{x \rightarrow 16.\ ,\ y \rightarrow 39.\ \}\}\}
Out[29]=
                                              \{\{\{x \to 14.3333, \ y \to 15.3333\}\}, \ \{\{x \to 11.6667, \ y \to 16.6667\}\}, \ \{\{x \to 6.2, \ y \to 19.4\}\}, \ \{x \to 6.2, \ y \to 19.4\}\}, \ \{x \to 6.2, \ y \to 19.4\}\}, \ \{x \to 19.4\}\},
                                                     \{\{x \to 21.4444, y \to 11.7778\}\}, \{\}, \{\{x \to -6., y \to -5.\}\}, \{\{x \to 19.6667, y \to 20.6667\}\}, \{\{x \to 21.4444, y \to 21
                                                     \{\{x \rightarrow -2., y \rightarrow 3.\}\}, \{\{x \rightarrow 19., y \rightarrow 24.\}\}, \{\{x \rightarrow 16., y \rightarrow 39.\}\}\}
           In[36]:= {x, y} /.a[1] // Flatten
Out[36]=
                                             {14.3333, 15.3333}
           In[39]:= val
 Out[39]=
                                              val
           In[40]:= X
 Out[40]=
                                              Х
           In[41]:= Y
 Out[41]=
                                               У
           In[47]:= val
 Out[47]=
                                              val
           In[95]:= Module[{
                                                                                     val = \{x, y\} / . \#[1]
                                                                            },
                                                                            EchoLabel["val"]@val;
                                                                            7 \le val[1] \le 27 \&\& 7 \le val[2] \le 27
                                                                     \& /@ Select[a, Length[#] \neq 0 \&] // Counts
                                 » val {14.3333, 15.3333}
                                 » val {11.6667, 16.6667}
                                 » val {6.2, 19.4}
                                 \rightarrow val \{-6., -5.\}
                                 \rightarrow val \{-2., 3.\}
Out[95]=
                                               \langle |\text{True} \rightarrow 2, \text{ False} \rightarrow 3| \rangle
```

```
200 000 000 000 000
 In[21]:=
Out[21]=
        200 000 000 000 000
       400 000 000 000 000
Out[22]=
        400 000 000 000 000
 In[23]:= ScientificForm[N[400 000 000 000 000, 15]]
Out[23]//ScientificForm=
       4.000000000000000000 \times 10^{14}
 In[24]:= ScientificForm[N[200 000 000 000 000, 15]]
Out[24]//ScientificForm=
        2.0000000000000000000 \times 10^{14}
 In[25]:= 2
Out[25]=
       SetDirectory["~/nhannht-projects/aoc2023/"]
 In[26]:=
Out[26]=
       /home/vermin/nhannht-projects/aoc2023
       DictionaryLookup["achi" ~~ __]
 In[27]:=
Out[27]=
        {achier, achiest, achievable, achieve, achieved, achievement,
         achievements, achiever, achievers, achieves, achieving, aching, achingly}
       NotebookSave[EvaluationNotebook[], FileNameJoin[{Directory[], "24.nb"}]]
In[221]:=
        VerminExportKeepSyntaxHighLight[]
In[222]:=
       Export[FileNameJoin[{Directory[], "24.pdf"}], EvaluationNotebook[]]
```