

In[172]:=

```
input = ;
```

In[173]:=

```
hands = <|"card" → StringTake[#, {1, 5}],  
        "bid" → (StringCases[#, RegularExpression["\\s\\d+$"]] // First //  
        ToExpression)> & /@ StringSplit[input, "\\n"];
```

In[174]:=

```
hands // Short
```

Out[174]//Short=

```
{<|card → T6782, bid → 898|>, <|card → 26T7A, bid → 345|>,  
 <<996>>, <|card → 2J848, bid → 655|>, <|card → 93K65, bid → 966|>}
```

Now we apply 2 layer of parse, first layer will grouping those hands to 7 difference groups base on what kind of cards they have. Second layer will sort them by compare each character. Seem easy, let's see. We have at least 3 functions relative to "Grouping" a collections of element here. SplitBy, GroupBy, GatherBy \mathfrak{z} . If I checked the document correctly, they nearly the same about input, the difference is SplitBy only apply compare to adj elements, GroupBy produce the result as a association with the key as f[x] (with f is conditional function), values is group of results. Gather will only produce the list of group result.

Every hand is exactly one type. From strongest to weakest, they are:

- Five of a kind, where all five cards have the same label: **AAAAA**
- Four of a kind, where four cards have the same label and one card has a different label: **AA8AA**
- Full house, where three cards have the same label, and the remaining two cards share a different label: **23332**
- Three of a kind, where three cards have the same label, and the remaining two cards are each different from any other card in the hand: **TTT98**
- Two pair, where two cards share one label, two other cards share a second label, and the remaining card has a third label: **23432**
- One pair, where two cards share one label, and the other three cards have a different label from the pair and each other: **A23A4**
- High card, where all cards' labels are distinct: **23456**

In[175]:=

```
handGroupingFunction[hand_Association] := Module[{
  c = StringSplit[hand["card"], ""],
},
  {
    7 (Counts[c] // Values) == {5}
    6 (Counts[c] // Sort // Values) == {1, 4}
    5 (Counts[c] // Sort // Values) == {2, 3}
    4 (Counts[c] // Sort // Values) == {1, 1, 3}
    3 (Counts[c] // Sort // Values) == {1, 2, 2}
    2 (Counts[c] // Sort // Values) == {1, 1, 1, 2}
    1 (Counts[c] // Sort // Values) == {1, 1, 1, 1, 1}
  }
]
```

In[176]:=

```
handsGroup = SortBy[GroupBy[hands, hand  $\mapsto$  handGroupingFunction[hand]], Keys[#][[1]] &];
```

In[177]:=

```
handsGroup // Keys
```

Out[177]=

```
{1, 2, 3, 4, 5, 6, 7}
```

In[178]:=

```
MapThread[<|"number of hands"  $\rightarrow$  #1, "type"  $\rightarrow$  #2|> &,
  {Length[handsGroup[#]] & /@ Keys[handsGroup], Keys[handsGroup]} ]
```

Out[178]=

```
{<|number of hands  $\rightarrow$  214, type  $\rightarrow$  1|>,
 <|number of hands  $\rightarrow$  260, type  $\rightarrow$  2|>, <|number of hands  $\rightarrow$  160, type  $\rightarrow$  3|>,
 <|number of hands  $\rightarrow$  175, type  $\rightarrow$  4|>, <|number of hands  $\rightarrow$  89, type  $\rightarrow$  5|>,
 <|number of hands  $\rightarrow$  101, type  $\rightarrow$  6|>, <|number of hands  $\rightarrow$  1, type  $\rightarrow$  7|>}
```

Now sort each group by character

Oh sorry, so we have a rule here, we not simply comparing by alphabet value of them

In[8]:=

In Camel Cards, you get a list of **hands**, and your goal is to order them based on the **strength** of each hand. A hand consists of **five cards** labeled one of **A**, **K**, **Q**, **J**, **T**, **9**, **8**, **7**, **6**, **5**, **4**, **3**, or **2**. The relative strength of each card follows this order, where **A** is the highest and **2** is the lowest.

Another question rose here, what is the definition of bigger, equal and less than, how Sorting actually work . There is no official document to teach me about how to write a comparing function in Wolfram language . If I remember correctly, in Python, a custom comparing function will return $\{-1, 0, 1\}$ when compare 2 element. But in Wolfram, think is not like this. Base on this document.

- `Sort` by default orders integers, rational, and approximate real numbers by their numerical values.
- `Sort` orders complex numbers by their real parts, and in the event of a tie, by the absolute values of their imaginary parts. If a tie persists, they are ordered by their imaginary parts.
- `Sort` orders symbols by their names, and in the event of a tie, by their contexts.
- `Sort` usually orders expressions by putting shorter ones first, and then comparing parts in a depth-first manner.
- `Sort` treats powers and products specially, ordering them to correspond to terms in a polynomial.
- `Sort` orders strings as in a dictionary, with uppercase versions of letters coming after lowercase ones. `Sort` places ordinary letters first, followed in order by script, Gothic, double-struck, Greek, and Hebrew. Mathematical operators appear in order of decreasing precedence.
- `Sort[list, p]` applies the ordering function p to pairs of elements in $list$ to determine whether they are in order. The default function p is `Order`.

Wolfram compare thing in the context of numerical, the custom function p , if apply, its job is like a converter, not a compare-one. It didn't return True or False, 0 or 1. But return a numerical value which used to pick suitable position on the sort result.

In[179]:=

```
convertHandToValue[hand_String] := Module[{
  card = StringSplit[hand, ""],
  cardValues = {"A" → 13, "K" → 12, "Q" → 11, "J" → 10, "T" → 9,
    "9" → 8, "8" → 7, "7" → 6, "6" → 5, "5" → 4, "4" → 3, "3" → 2, "2" → 1}
},
  cardNumbers = card /. cardValues;
  (#[1] * 10^4 + #[2] * 10^3 + #[3] * 10^2 + #[4] * 10^1 + #[5]) & @ cardNumbers
]
```

In[180]:=

```
SortBy[handsGroup[1], hand ↦ convertHandToValue[hand["card"]]] // Short[#, 10] &
```

Out[180]//Short=

```
{<|card → 23Q7A, bid → 878|>, <|card → 25Q47, bid → 739|>, <|card → 26T7A, bid → 345|>,
  <|card → 27T34, bid → 134|>, <|card → 2897K, bid → 321|>, <|card → 2935K, bid → 543|>,
  <|card → 2T476, bid → 90|>, <|card → 2T6Q5, bid → 559|>, <|card → 2J4KA, bid → 43|>,
  <|card → 2J876, bid → 713|>, <|card → 2JT9K, bid → 136|>, <|card → 2Q695, bid → 273|>,
  <|card → 2Q93J, bid → 755|>, <|card → 3298A, bid → 325|>, <|card → 32KJT, bid → 733|>,
  <|card → 2K597, bid → 742|>, <<182>>, <|card → KAQ25, bid → 927|>,
  <|card → A568Q, bid → 98|>, <|card → A5TQ9, bid → 805|>, <|card → A6K78, bid → 160|>,
  <|card → A75T9, bid → 425|>, <|card → A7Q8T, bid → 983|>, <|card → A7KJT, bid → 309|>,
  <|card → A83K4, bid → 905|>, <|card → A937J, bid → 37|>, <|card → A96Q2, bid → 302|>,
  <|card → A984Q, bid → 821|>, <|card → ATKJ5, bid → 82|>, <|card → AJ482, bid → 255|>,
  <|card → AQ2T6, bid → 99|>, <|card → AK26J, bid → 964|>, <|card → AKT86, bid → 936|>}
```

Nice.

In[181]:=

In[182]:=

```
handsWithRank = MapThread[<|"card" → #1|"card"|, "bid" → #1|"bid"|, "rank" → #2|> & ,
  {Values[SortBy[#, (hand ↦ convertHandToValue[hand["card"]])] & /@ handsGroup] //
    Flatten, Range[Length[hands]]}]
```

Out[182]=

```
{<|card → 23Q7A, bid → 878, rank → 1|>, <|card → 25Q47, bid → 739, rank → 2|>, <|card → 26T7A, bid → 345, rank → 3|>,
 <|card → 27T34, bid → 134, rank → 4|>, <|card → 2897K, bid → 321, rank → 5|>,
 <|card → 2935K, bid → 543, rank → 6|>, <|card → 2T476, bid → 90, rank → 7|>, <|card → 2T6Q5, bid → 559, rank → 8|>,
 <|card → 2J4KA, bid → 43, rank → 9|>, ... 982 ... , <|card → KKKK7, bid → 773, rank → 992|>,
 <|card → KKAKK, bid → 579, rank → 993|>, <|card → A3AAA, bid → 216, rank → 994|>,
 <|card → AA7AA, bid → 157, rank → 995|>, <|card → AAAA4, bid → 488, rank → 996|>,
 <|card → AAAKA, bid → 673, rank → 997|>, <|card → AAAA9, bid → 387, rank → 998|>,
 <|card → AAAAJ, bid → 738, rank → 999|>, <|card → JJJJJ, bid → 440, rank → 1000|>}
```

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In[183]:=

```
#[ "rank" ] * #[ "bid" ] & /@ handsWithRank // Total
```

Out[183]=

247839006

Wow, wow, wow, surprise, I think everything work perfectly, but the results is wrong. t

It took me 45 minutes just to realize apply the weight of 10^n to each card is wrong. Because it will get corrupted. It just my feeling, I still not sure the mathematic reason about it. Actually, we can only obtain correct result when $n \geq 13$. 13 is the number of type of card from A down to 2. But what is reason that why only ≥ 13 the right way?

In[184]:=

```
convertHandToValue[hand_String] := Module[{
  card = StringSplit[hand, ""],
  cardValues = {"A" → 13, "K" → 12, "Q" → 11, "J" → 10, "T" → 9,
    "9" → 8, "8" → 7, "7" → 6, "6" → 5, "5" → 4, "4" → 3, "3" → 2, "2" → 1}
},
  cardNumbers = card /. cardValues;
  (#[1] * 13^4 + #[2] * 13^3 + #[3] * 13^2 + #[4] * 13^1 + #[5]) & @ cardNumbers
]
```

In[185]:=

```
handsWithRank = MapThread[<|"card" → #1|"card"|, "bid" → #1|"bid"|, "rank" → #2|> & ,
  {Values[SortBy[#, (hand ↦ convertHandToValue[hand["card"]])] & /@ handsGroup] //
    Flatten, Range[Length[hands]]}]
```

Out[185]=

```
{<|card → 23Q7A, bid → 878, rank → 1|>, <|card → 25Q47, bid → 739, rank → 2|>, <|card → 26T7A, bid → 345, rank → 3|>,
 <|card → 27T34, bid → 134, rank → 4|>, <|card → 2897K, bid → 321, rank → 5|>,
 <|card → 2935K, bid → 543, rank → 6|>, <|card → 2T476, bid → 90, rank → 7|>, <|card → 2T6Q5, bid → 559, rank → 8|>,
 <|card → 2J4KA, bid → 43, rank → 9|>, ... 982 ... , <|card → KKAKK, bid → 579, rank → 992|>,
 <|card → A2AAA, bid → 219, rank → 993|>, <|card → A3AAA, bid → 216, rank → 994|>,
 <|card → AA7AA, bid → 157, rank → 995|>, <|card → AAACA, bid → 673, rank → 996|>,
 <|card → AAAA4, bid → 488, rank → 997|>, <|card → AAAA9, bid → 387, rank → 998|>,
 <|card → AAAAJ, bid → 738, rank → 999|>, <|card → JJJJJ, bid → 440, rank → 1000|>}
```

Size in memory: 0.6 MB

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In[186]:=

```
#[ "rank" ] * #[ "bid" ] & /@ handsWithRank // Total
```

Out[186]=

```
247815719
```

Corrected

I still counted as losing in this problem, because I didn't understand why ≥ 13 give me correct result 3. I will back to check it later

Side note

It took me a while after finish part 2 and go back, try to make my head clear why $n \geq 13$ work. From the start, I pick $n = 10$ and entire function $\text{firstNum} * 10^4 + \dots + \text{firstNum}$ is simple... unconscious. I just have a feeling that this path will yield the results, my logic is that each will give weight to each card/position. but it simply not enough, why I pick 10. This is the problem, why not pick 2 or anything else. Now I remembered, this pattern did came from the method that convert a binary to decimal form. 2

Example:

Convert 10111_2 to decimal.

Solution:

In[62]:=

10111 has five digits. So the righter most digit (fifth digit) will be multiplied by 2 to the power of 0. The second right to the right (fourth digit) will be multiplied by 2 to the power of 1, and so on.

$$1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$

Not hard to understand why we pick $n = 13$ (I think $n > 13$ worked is simply random in our case, But $n = 13$ is surely work). Because our problem actually is convert a value in form of 13 digit systems to decimal (10 digits system)

To go deeper a bit, anyone used to learn some 101 course about computer science in university (hum, not me). Or read text book (I actually obtain this experience from the text book, I remember that book name “Code:...”, it here, we will know that human have way to convert the between two type of numbers, binary and decimal. 2 questions will rose here:

1. Why these methods work?
2. More important, why we need these methods?

Well, I still not know the answer of the first, so I will focus on the second. Most of the answers will be... because computer using binary, not decimal form of number, ... hum, seem acceptable, but bold, because I am human, why I need to care about computer.

I try to go more generalize, human perspective always recognize the definition of values, even before they invent number system, we always try to give “something” a value on its own. But the problems is, different people, and context, and culture, civilizations will have difference way to “value” every-thing. That why we need, always need, try to find ways to convert a values from “context A” to a value in “context B”. I think, even the sins humanity have no boundary, at least these method will help us lower the percent of... ah, uh, dumb-ism actions.

In[187]:=

Part 2

To make things a little more interesting, the Elf introduces one additional rule. Now, `J` cards are **jokers** – wildcards that can act like whatever card would make the hand the strongest type possible.

To balance this, `J` cards are now the **weakest** individual cards, weaker even than `2`. The other cards stay in the same order: `A`, `K`, `Q`, `T`, `9`, `8`, `7`, `6`, `5`, `4`, `3`, `2`, `J`.

`J` cards can pretend to be whatever card is best for the purpose of determining hand type; for example, `QJJQ2` is now considered **four of a kind**. However, for the purpose of breaking ties between two hands of the same type, `J` is always treated as `J`, not the card it's pretending to be: `JKKK2` is weaker than `QQQQ2` because `J` is weaker than `Q`.

2 . god, he know how to make thing more messy. Let we write the rule out here to make clear of our mind. We have 2 new rules:

First, in grouping phase, if `J` cards exist will “count themselves as” other type of card (character) how try make hands that holding them increase to highest rank as much as possible. The only exception as `JJJJJ`. Like the tree of logic we implement in Part1 will growing more branches

Second, in ranking phase . "`J`" is itself, and act as lowest value card. This is easier.

Let's implements. I actually rewrote the below code 2 times, change the way to implement the logic from checking number of `J` first -> split the branch based on the init cards count

In[188]:=

```

groupinPhaseFunction[hand_Association] := Module[{
  cards = StringSplit[hand["card"], ""],
},
  c = Counts[cards];
  j = c["J"];

  { 7 (c // Values) == {5}
    { 7 MemberQ[{1, 4}, j] (c // Sort // Values) == {1, 4}
      { 6 True
        { 7 MemberQ[{2, 3}, j] (c // Sort // Values) == {2, 3}
          { 5 True
            { 6 MemberQ[{1, 3}, j] (c // Sort // Values) == {1, 1, 3}
              { 4 True (*7 xxxxx,
                { 6 MemberQ[{2}, j]
                  { 5 MemberQ[{1}, j] (c // Sort // Values) == {1, 2, 2}
                    { 3 True
                      { 4 MemberQ[{1, 2}, j] (c // Sort // Values) == {1, 1, 1, 2}
                        { 2 True
                          { 2 MemberQ[{1}, j] (c // Sort // Values) == {1, 1, 1, 1, 1}
                            { 1 True
                              -1 True

6 xxxxy, 5 xxxyy, 4 xxxyz, 3 xxyyz , 2 xxyzt, 1 poor hand *}
]

```

In[189]:=

```

handsGroupWithJoker =
  SortBy[GroupBy[hands, hand ↦ groupinPhaseFunction[hand]], Keys[#[[1]] &];

```

In[190]:=

```

convertHandToValueWithJoker[hand_String] := Module[{
  card = StringSplit[hand, ""],
  cardValues = MapThread[#1 → #2 &, {{"A", "K", "Q", "T",
    "9", "8", "7", "6", "5", "4", "3", "2", "J"}, Range[13, 1, -1]}]
},
  cardNumbers = card /. cardValues;
  (#[[1]] * 13^4 + #[[2]] * 13^3 + #[[3]] * 13^2 + #[[4]] * 13^1 + #[[5]]) & @ cardNumbers
]

```


In[191]:=

```
handsWithRank2 = MapThread[<|"card" → #1|"card"|, "bid" → #1|"bid"|, "rank" → #2|> & ,
  {Values[SortBy[#, (hand ↦ convertHandToValueWithJoker[hand["card"]])]] & /@
    handsGroupWithJoker ] // Flatten, Range[Length[hands]]}]
```

Out[191]=

```
{<|card → 23Q7A, bid → 878, rank → 1|>, <|card → 25Q47, bid → 739, rank → 2|>, <|card → 26T7A, bid → 345, rank → 3|>,
 <|card → 27T34, bid → 134, rank → 4|>, <|card → 2897K, bid → 321, rank → 5|>,
 <|card → 2935K, bid → 543, rank → 6|>, <|card → 2T476, bid → 90, rank → 7|>, <|card → 2T6Q5, bid → 559, rank → 8|>,
 <|card → 2Q695, bid → 273, rank → 9|>, ... 982 ... , <|card → 99J99, bid → 69, rank → 992|>,
 <|card → TTTJJ, bid → 693, rank → 993|>, <|card → TTTTJ, bid → 399, rank → 994|>,
 <|card → QJQQJ, bid → 918, rank → 995|>, <|card → QJQQQ, bid → 434, rank → 996|>,
 <|card → KJJKK, bid → 611, rank → 997|>, <|card → KJKKK, bid → 190, rank → 998|>,
 <|card → AJJJA, bid → 697, rank → 999|>, <|card → AAAAJ, bid → 738, rank → 1000|>}
```

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In[192]:=

```
##["rank"] * ##["bid"] & /@ handsWithRank2 // Total
```

Out[192]=

```
248 747 492
```

Scratchpad

In[193]:=

```
SetDirectory["~/nhannht-projects/aoc2023"]
```

Out[193]=

```
/home/vermin/nhannht-projects/aoc2023
```

In[194]:=

```
Select[<|"B" → 1, "A" → 2, "J" → 2|>, # == Max[<|"B" → 1, "A" → 2, "J" → 2|>] &]
```

Out[194]=

```
<|A → 2, J → 2|>
```

In[195]:=

```
(KeySelect[<|"A" → 2|>, # == "J" &] // Length) == 0
```

Out[195]=

```
True
```

In[196]:=

```
<|"B" → 1, "A" → 2, "J" → 2|>
```

Out[196]=

```
<|B → 1, A → 2, J → 2|>
```

In[197]:=

```
j = <|"B" → 1, "A" → 2|>["J"]
```

Out[197]=

```
Missing[KeyAbsent, J]
```

```

In[198]:=
MissingQ[j]
Out[198]=
True

In[199]:=
<|"B" → 1, "A" → 2|>["J"]
Out[199]=
Missing[KeyAbsent, J]

In[200]:=
MissingQ[Missing["KeyAbsent", "J"]]
Out[200]=
True

In[201]:=
<|"B" → 1, "A" → 2, "J" → 2|>["B"] = 2
Set: Association[B → 1, A → 2, J → 2] in the part assignment is not a symbol. ⓘ
Out[201]=
2

In[202]:=
KeySelect[<|"B" → 1, "A" → 2, "J" → 2|>, # == "J" &]
Out[202]=
<|J → 2|>

In[203]:=
<|"B" → 1, "A" → 2, "J" → 2|> // Keys
Out[203]=
{B, A, J}

In[204]:=

In[205]:=
inputExample = "32T3K 765
T55J5 684
KK677 28
KTJJT 220
QQQJA 483";

In[206]:=
handExample = <|"card" → StringTake[#, {1, 5}],
  "bid" → (StringCases[#, RegularExpression["\\s\\d+$"]] // First //
    ToExpression)> & /@ StringSplit[inputExample, "\\n"]
Out[206]=
{<|card → 32T3K, bid → 765|>, <|card → T55J5, bid → 684|>,
  <|card → KK677, bid → 28|>, <|card → KTJJT, bid → 220|>, <|card → QQQJA, bid → 483|>}

```

In[207]:=

```
handsGroupExample =
  SortBy[GroupBy[handExample, hand ↦ handGroupingFunction[hand]], Keys]
```

Out[207]=

```
<|2 → {<|card → 32T3K, bid → 765|>},
 3 → {<|card → KK677, bid → 28|>, <|card → KTJJT, bid → 220|>},
 4 → {<|card → T55J5, bid → 684|>, <|card → QQQJA, bid → 483|>}}>
```

In[208]:=

```
handsGroupExampleWithJoker =
  SortBy[GroupBy[handExample, hand ↦ groupinPhaseFunction[hand]], Keys]
```

Out[208]=

```
<|2 → {<|card → 32T3K, bid → 765|>}, 3 → {<|card → KK677, bid → 28|>},
 6 → {<|card → T55J5, bid → 684|>, <|card → KTJJT, bid → 220|>, <|card → QQQJA, bid → 483|>}}>
```

In[209]:=

```
handsWithRankExample =
  MapThread[<|"card" → #1["card"], "bid" → #1["bid"], "rank" → #2|> & ,
    {Values[SortBy[#, (hand ↦ convertHandToValue[hand["card"]])] & /@ handsGroupExample ] //
      Flatten, Range[Length[handExample]]}]
```

Out[209]=

```
<|card → 32T3K, bid → 765, rank → 1|>,
 <|card → KTJJT, bid → 220, rank → 2|>, <|card → KK677, bid → 28, rank → 3|>,
 <|card → T55J5, bid → 684, rank → 4|>, <|card → QQQJA, bid → 483, rank → 5|>}
```

In[210]:=

```
handsWithRankExampleWithJoker =
  MapThread[<|"card" → #1["card"], "bid" → #1["bid"], "rank" → #2|> & ,
    {Values[SortBy[#, (hand ↦ convertHandToValueWithJoker[hand["card"]])] & /@
      handsGroupExampleWithJoker ] // Flatten, Range[Length[handExample]]}]
```

Out[210]=

```
<|card → 32T3K, bid → 765, rank → 1|>,
 <|card → KK677, bid → 28, rank → 2|>, <|card → T55J5, bid → 684, rank → 3|>,
 <|card → QQQJA, bid → 483, rank → 4|>, <|card → KTJJT, bid → 220, rank → 5|>}
```

In[211]:=

```
##["rank"] * ##["bid"] & /@ handsWithRankExample // Total
```

Out[211]=

```
6440
```

In[212]:=

```
##["rank"] * ##["bid"] & /@ handsWithRankExampleWithJoker // Total
```

Out[212]=

```
5905
```