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package se.kth.castor;

import org.apache.commons.math3.fraction.BigFraction;

public class NoteG {
    BigFraction[] v;
    int n;
    Printer p;

    public NoteG(int numberVar, int n, Printer p) {
        this.p = p;
        v = new BigFraction[numberVar];
        this.n = n;
        for (int i = 0; i < numberVar; i++) {
            v[i] = new BigFraction(0);
        }
        v[1] = new BigFraction(1);
        v[2] = new BigFraction(2);
        v[3] = new BigFraction(1);
    }

    public Number run() {
        double r = 0;
        int i = 0;
        // outer loop (compute  $B[2n - 1]$ )
        while (true) {

            // pseudo-block to permit "break"
            while (true) {

                // 0: set index register
                i = 1;

                // 1:  $v_4 = v_5 = v_6 = 2n$ 
                v[4] = v[2].multiply(v[3]);
                v[5] = v[2].multiply(v[3]);
                v[6] = v[2].multiply(v[3]);
                p.print(v);
                // 2:  $v_4 = 2n - 1$ 
                v[4] = v[4].subtract(v[1]);
                p.print(v);
                // 3:  $v_5 = 2n + 1$ 
                v[5] = v[5].add(v[1]);
                p.print(v);
                // 4:  $v_{11} = (2n - 1)/(2n + 1)$  (the diagram seems to say  $v[5] / v[4]$ ) [FIX]
                v[11] = v[4].divide(v[5]);
                p.print(v);
                // 5:  $v_{11} = (1/2) (2n - 1)/(2n + 1)$ 
                v[11] = v[11].divide(v[2]);
            }
        }
    }
}

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p.print(v);
// 6:  $v_{13} = -(1/2) (2n - 1)/(2n + 1) = A_0$ 
v[13] = v[13].subtract(v[11]);
p.print(v);
// 7:  $v_{10} = n - 1$ 
v[10] = v[3].subtract(v[1]);
p.print(v);

// branch if zero to operation 24
if (v[10].longValue() != 0) {

    // 8:  $v_7 = 2$ 
    v[7] = v[2].add(v[7]);
    p.print(v);
    // 9:  $v_{11} = (2n)/2 = A_1$  [why not just set v[11] = v[3] instead of 8 & 9]
    v[11] = v[6].divide(v[7]);
    p.print(v);
    // 10:  $v_{12} = A_1 * B_1$ 
    v[12] = v[20 + i].multiply(v[11]);
    p.print(v);
    i = i + 1;
    // 11:  $v_{13} = A_0 + A_1 * B_1$ 
    v[13] = v[12].add(v[13]);
    p.print(v);
    // 12:  $v_{10} = n - 2$ 
    v[10] = v[10].subtract(v[1]);
    p.print(v);

    // for each computed result,  $B = B_3 [1], B_5 [2], \dots$ 
    while (v[10].longValue() != 0) {
        // 13:  $v_6 = 2n - 1 [1], 2n - 3 [2], \dots$ 
        v[6] = v[6].subtract(v[1]);
        p.print(v);
        // 14:  $v_7 = 3 [1], 5 [2], \dots$ 
        v[7] = v[1].add(v[7]);
        p.print(v);
        // 15:  $v_8 = (2n - 1)/3 [1], (2n - 3)/5 [2], \dots$ 
        v[8] = v[6].divide(v[7]);
        p.print(v);
        // 16:  $v_{11} = (2n)/2 * (2n - 1)/3 [1], (2n)/2 * (2n - 1)/3 * (2n - 3)/5 [2], \dots$ 
        v[11] = v[8].multiply(v[11]);
        p.print(v);
        // 17:  $v_6 = 2n - 2 [1], 2n - 4 [2], \dots$ 
        v[6] = v[6].subtract(v[1]);
        p.print(v);
        // 18:  $v_7 = 4 [1], 6 [2], \dots$ 
        v[7] = v[1].add(v[7]);
        p.print(v);
        // 19:  $v_9 = (2n - 2)/4 [1], (2n - 4)/6$ 

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v[9] = v[6].divide(v[7]);
p.print(v);
// 20: v11 = (2n)/2 * (2n - 1)/3 * (2n - 2)/4 = A3 [1], (2n)/2 * (2n - 1)/3 *
// (2n - 2)/4 * (2n - 3)/5 * (2n - 4)/6 = A5 [2], ...
v[11] = v[9].multiply(v[11]);
p.print(v);
// 21: v12 = A3 * B3 [1], A5 * B5 [2], ...
v[12] = v[20 + i].multiply(v[11]);
p.print(v);
i = i + 1;

// 22: v13 = A0 + A1 * B1 + A3 * B3 [1], A0 + A1 * B1 + A3 * B3 + A5 * B5 [2],
// ...
v[13] = v[12].add(v[13]);
p.print(v);
// 23: v10 = n - 3 [1], n - 4 [2], ...
v[10] = v[10].subtract(v[1]);
p.print(v);
} // while (v[10].longValue() != 0);
// branch if non-zero to operation 13

// terminate the pseudo-block
}
// 24: result (-v13) is copied into the results
v[20 + i] = v[20 + i].subtract(v[13]);
p.print(v);

if (i == n)
    return v[20 + i];

// 25: increase n, and reset working variables
v[3] = v[1].add(v[3]);
v[7] = new BigFraction(0);
v[13] = new BigFraction(0);
p.print(v);
}
}
}
}

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