**Computational Thinking**

IS103

**Section**

G3

**Team Id**

21

**Members**

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**Question 1**

# This code works under the following assumptions:

# 1/ Every column of pixel in the fill area must be continuous.

# That means if two to-be-filled vertically continuous set of pixels

# in the same column is separated by a vertically continuous set of

# not-to-be-filled pixels then that two set of pixels are treated as

# two columns of pixel in the fill area

# 2/ The area outside of the canvas/fill area (x>x\_max || x<0 || y>y\_max || y<0)

# always has different color compared to the color of the canvas

# 3/ Other given assumption from the question:

# a. original filling point is inside the canvas with height of y\_max and width of x\_max

# b. fill color is always different from original color

def fill\_area(x,y,fill\_color, ori\_color)

points = []

# nearest up point

points[0] = [x, y-1]

# nearest down point

points[1] = [x, y+1]

# nearest left point

points[2] = [x-1, y]

# nearest right point

points[3] = [x+1, y]

for i in 0..points.length-1

# get coordinate of the surrounding point

surround\_x = points[i][0]

surround\_y = points[i][1]

# get the color of the surrounding point with color() method

surround\_color = color(surround\_x, surround\_y)

# get the color of the current point

current\_color = color(x,y)

# compare if color of the surrounding point is different

# from that of current point

# if true, the surrounding point is a boundary point

# if false, call the recursive method

if surround\_color != current\_color

# check to fill current point

if current\_color == fill\_color

# do nothing

else

# fill the current's cell with the set\_color() method

set\_color(x,y,fill\_color)

end

else

fill\_area(surround\_x,surround\_y,fill\_color,ori\_color)

end

end

end

**Question 2**

(a)

Number of alphabetic letters (a-z, A-Z): 52

Number of numeric characters (0-9): 10

Number of special symbol: 28

Number of combinations for all passwords without arrangement: 52\*52\*10\*10\*28 = 7,571,200

Suppose that we pick the positions for 2 alphabetic characters 1st, there is 5C2 ways to choose. Hence, if we are to choose positions for 2 numeric characters next, there’re only 3 slots left and thus the number of ways is 3C2. Apply the same logic, if we are to pick position for the special character, there’s 1C1 or 1 way to do that.

Hence, the number of combinations for all passwords with arrangement will be:

7,571,200 \* 5C2 \* 3C2 \* 1 = 227,136,000

The result holds true regardless of the order in which we pick the character (e.g numeric 1st => special character 2nd => alphabetical 3rd)

Number of possible unique passwords: **227,136,000**

(bi)

Let R be the group of reviewers and S be the group of staffs. Since they must sit together, there’re only 2 ways to arrange the 2 groups: either RS or SR.

Within each group, the number of ways to arrange the 4 people is: 4!

Hence, the total number of ways to arrange 4 reviewers and 4 staffs so that they can sit together in a group is: 4!\*4!\*2 = **1,152**

(bii)

Let R represents a reviewer and \_ represent a staff. There’re only 2 ways to arrange reviewers and staffs so that they sit alternately: either R\_R\_R\_R\_ or \_R\_R\_R\_R

Within each group, the number of ways to arrange the 4 people is: 4!

Hence, the total number of ways to arrange 4 reviewers and 4 staffs so that they can sit alternately is: 4!\*4!\*2 = **1,152**

(ci)

We will apply the same logic as (bi) with the slight modification of arranging people within each group.

Since we need to pick 4 staffs from a pool of 10, the number of ways to pick them with arrangement is 10P4.

For reviewers, the number of ways to pick them with arrangement will thus be 20P4

Hence, the total number of ways to arrange 4 reviewers and 4 staffs so that they can sit together in a group is: **10P4\*20P4\*2**

(cii)

The numbers of ways to arrange reviewers and staffs are similar to (ci) and thus are 20P4 and 10P4 respectively. The number of ways to arrange them to sit alternately is similar to (bii) and thus is 2.

Hence, the total number of ways to arrange 4 reviewers and 4 staffs so that they can sit alternately is: **10P4\*20P4\*2**