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Find the Normal Forms: Exercises

- \square R(ABCDE), FD: {CE \rightarrow D, D \rightarrow B, C \rightarrow A}
 - ✓ CE is candidate key
 - ✓ It is in 1NF. Because $\mathbb{C} \to A$ is a partial dependency.
- \square R(ABCDEF), FD: {AB \rightarrow C, DC \rightarrow AE, E \rightarrow F}
 - ✓ ABD, BCD are candidate keys
 - ✓ It is in 1NF. $DC \rightarrow AE \{DC \rightarrow A, DC \rightarrow E\}$, Because $DC \rightarrow E$ is a partial dependency
- \square R(ABCDE), FD: {AB \rightarrow CD, D \rightarrow A, BC \rightarrow DE}
 - ✓ AB, BD, BC are candidate keys
 - ✓ It is in 3NF. Because all LHS are not super key, as well as no partial or transitive FD's.

Introduction: 1-2

Find the Normal Forms: Exercises

- - ✓ BC, CD are candidate keys
 - ✓ It is in 3NF. Because all LHS are not super key, as well as no partial or transitive FD's.
- \square R(ABCDEGHI), FD: {AB \rightarrow C, BD \rightarrow EF, AD \rightarrow GH, A \rightarrow I}
 - ✓ ABD is candidate key
 - ✓ It is in 1NF. Because $AB \rightarrow C$ is a partial dependency.
- \square R(VWXYZ), FD: {X \rightarrow YV, Y \rightarrow Z, Z \rightarrow Y, VW \rightarrow X}
 - ✓ VW, XW are candidate keys
 - ✓ It is in 1NF. Because in $X \to YV$, $\{X \to Y\}$ is a partial dependency.

Introduction: 1-3

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Find the Normal Forms: Exercises

- \square R(ABCDEF), FD: {ABC \rightarrow D, ABD \rightarrow E, CD \rightarrow F, CDF \rightarrow B, BF \rightarrow D}
 - ✓ ABC, ACD are candidate keys
 - ✓ It is in 1NF. Because $CD \rightarrow F$ is a partial dependency.
- \square R(ABC), FD: {A \rightarrow B, B \rightarrow C, C \rightarrow A}
 - ✓ A, B, C are candidate keys
 - ✓ It is in BCNF. Because all FD's LHS is a super key.

Introduction: 1-4

Find the Normal Forms: Exercises

- \square R(ABCDEF), FD: {A \rightarrow BCDEF, BC \rightarrow ADEF, DEF \rightarrow ABC}
- $\label{eq:rate} \ \ \, \square \ \ \, R(ABC), \qquad \qquad FD: \{AB \to C, C \to A\}$
- \square R(ABCDE), FD: {A \rightarrow B, BC \rightarrow E, DE \rightarrow A}
- \square R(ABCDE), FD: {AB \rightarrow CD, D \rightarrow A, BC \rightarrow DE}
- $\square R(WXYZ), \qquad FD: \{Z \to W, Y \to XZ, XW \to Y\}$
- \square R(ABCDE), FD: {A \rightarrow B, B \rightarrow E, C \rightarrow D}
- \square R(ABCDEF), FD: {AB \rightarrow C, DC \rightarrow AE, E \rightarrow F}

Introduction: 1-5

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