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import java.awt.geom.Line2D;
import java.io.BufferedReader;
import java.io.FileInputStream;
import java.io.IOException;
import java.io.InputStreamReader;
import java.util.ArrayList;
import java.util.Arrays;
import java.util.List;

public class Monster {

    ////////// Geometry Library //////////

    private static final double EPS = 1e-10;

    private static int cmp(double x, double y) {
        return (x <= y + EPS) ? (x + EPS < y) ? -1 : 0 : 1;
    }

    // Immutable Point Class.
    private static class Point implements Comparable<Point> {
        public double x;
        public double y;
        public Point(double x, double y) {
            this.x = x;
            this.y = y;
        }
        public Point() {
            this.x = 0.0;
            this.y = 0.0;
        }
        public double dotProduct(Point o) {
            return this.x * o.x + this.y * o.y;
        }
        public double crossProduct(Point o) {
            return this.x * o.y - this.y * o.x;
        }
        public Point add(Point o) {
            return new Point(this.x + o.x, this.y + o.y);
        }
        public Point subtract(Point o) {
            return new Point(this.x - o.x, this.y - o.y);
        }
        public Point multiply(double m) {
            return new Point(this.x * m, this.y * m);
        }
        public Point divide(double m) {
            return new Point(this.x / m, this.y / m);
        }
        @Override
        public int compareTo(Point o) {
            if (this.x < o.x) return -1;
            if (this.x > o.x) return 1;
            if (this.y < o.y) return -1;
            if (this.y > o.y) return 1;
            return 0;
        }
        // Euclidean distance between two points;
        double distance(Point o) {
            double d1 = x - o.x, d2 = y - o.y;
            return Math.sqrt(d1 * d1 + d2 * d2);
        }
    }
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}

// Calculates the angle between the two vectors defined by p - r and q - r.
// The formula comes from the definition of the dot and the cross product:
//
//  $A \cdot B = |A||B|\cos(c)$ 
//  $A \times B = |A||B|\sin(c)$ 
//
//  $\frac{\sin(c)}{\cos(c)} = \frac{A \times B}{A \cdot B} = \tan(c)$ 
private static double angle(Point p, Point q, Point r) {
    Point u = p.subtract(r), v = q.subtract(r);
    return Math.atan2(u.crossProduct(v), u.dotProduct(v));
}

// Calculates sign of the turn between the two vectors defined by <p-r> and
// <q-r>.
//
// Just to remember, the cross product is defined by  $(x1 * y2) - (x2 * y1)$  and
// is negative if it is a right turn and positive if it is a left turn. e.g.
//
//      .p3
//      ^
//      /
// .p2 /
// ^ /
// | /
// .p1
// The cross product between the vectors <p2-p1> and <p3-p1> is negative, that
// means it is a right turn.
private static int turn(Point p, Point q, Point r) {
    return cmp((p.subtract(r)).crossProduct(q.subtract(r)), 0.0);
}

// Decides if the point r is inside the segment defined by the points p and q.
// To do this, we have to check two conditions:
// 1. That the turn between the two vectors formed by p - q and r - q is zero
// (that means they are parallel).
// 2. That the dot product between the vector formed by p - r and q - r (that
// means the testing point as the initial point for both vectors) is less than
// or equal to zero (that means that the two vectors have opposite direction).
private static boolean between(Point p, Point q, Point r) {
    return turn(p, r, q) == 0 && cmp((p.subtract(r)).dotProduct(q.subtract(r)), 0.0) <= 0;
}

// Returns 0, -1 or 1 depending if p is in the exterior, the frontier or the
// interior of the given polygon respectively, the polygon must be in clockwise
// or counterclockwise order [MANDATORY!!].
// The idea is to iterate over each of the points in the polygon and consider
// the segment formed by two adjacent points, if the test points is inside that
// segment, the point is in the frontier, if not, we add the angles inside the
// vectors formed by the two points of the polygon and the test point. For a
// point outside the polygon this sum is zero because the angles cancel
// themselves.
private static int inPolygon(Point p, Point[] polygon, int polygonSize) {
    double a = 0; int N = polygonSize;
    for (int i = 0; i < N; ++i) {
        if (between(polygon[i], polygon[(i + 1) % N], p)) return -1;
        a += angle(polygon[i], polygon[(i + 1) % N], p);
    }

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    }
    return (cmp(a, 0.0) == 0) ? 0 : 1;
}

private static Point GetIntersection(Line2D.Double l1, Line2D.Double l2) {
    double A1 = l1.y2 - l1.y1;
    double B1 = l1.x1 - l1.x2;
    double C1 = A1 * l1.x1 + B1 * l1.y1;
    double A2 = l2.y2 - l2.y1;
    double B2 = l2.x1 - l2.x2;
    double C2 = A2 * l2.x1 + B2 * l2.y1;
    double det = A1*B2 - A2*B1;
    if(det == 0){
        // Lines are parallel, check if they are on the same line.
        double m1 = A1 / B1;
        double m2 = A2 / B2;
        // Check whether their slopes are the same or not, or if they are vertical.
        if (cmp(m1, m2) == 0 || (B1 == 0 && B2 == 0)) {
            if ((l1.x1 == l2.x1 && l1.y1 == l2.y1) ||
                (l1.x1 == l2.x2 && l1.y1 == l2.y2)) return new Point(l1.x1, l1.y1);
            if ((l1.x2 == l2.x1 && l1.y2 == l2.y1) ||
                (l1.x2 == l2.x2 && l1.y2 == l2.y2)) return new Point(l1.x2, l1.y2);
        }
        return null;
    }
    double x = (B2*C1 - B1*C2) / det;
    double y = (A1*C2 - A2*C1) / det;
    return new Point(x, y);
}

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private static Line2D.Double[] lines;
private static List<Integer>[] graph;
private static int[] marked;
private static int[] stack;
private static int[] cycle;
private static int stackLen;
private static int cycleLen;
private static boolean res;

private static void FindCycle(int node) {
    cycleLen = 0;
    cycle[cycleLen++] = node;
    int k = stackLen - 1;
    while (stack[k] != node) {
        cycle[cycleLen++] = stack[k];
        --k;
    }
    cycle[cycleLen++] = stack[k];
    Point[] points = new Point[cycleLen];
    for (int i = 0; i < cycleLen - 1; ++i) {
        points[i] = GetIntersection(lines[cycle[i]], lines[cycle[i + 1]]);
    }
    if (inPolygon(new Point(), points, cycleLen - 1) != 0) res = true;
}

private static void DoIt(int act, int last) {
    marked[act] = 1;
    stack[stackLen++] = act;
    for (Integer i : graph[act]) {

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        if (marked[i] == 1 && i != last) {
            FindCycle(i);
        } else if (marked[i] == 0) {
            DoIt(i, act);
        }
    }
    --stackLen;
    marked[act] = 2;
}

@SuppressWarnings("unchecked")
public static void main(String[] args) throws IOException {
    System.setIn(new FileInputStream("monster.in"));
    BufferedReader reader = new BufferedReader(new InputStreamReader(System.in));
    String[] parts;
    while (true) {
        int num = Integer.parseInt(reader.readLine());
        if (num == 0) break;
        lines = new Line2D.Double[num];
        for (int i = 0; i < num; ++i) {
            parts = reader.readLine().split("[ ]+");
            lines[i] = new Line2D.Double(Integer.parseInt(parts[0]),
                Integer.parseInt(parts[1]), Integer.parseInt(parts[2]),
                Integer.parseInt(parts[3]));
        }
        graph = (List<Integer>[]) new List[num];
        for (int i = 0; i < num; ++i) {
            graph[i] = new ArrayList<Integer>();
        }
        for (int i = 0; i < num; ++i) {
            for (int j = i + 1; j < num; ++j) {
                if (lines[i].intersectsLine(lines[j])) {
                    graph[i].add(j);
                    graph[j].add(i);
                }
            }
        }
        res = false;
        marked = new int[num];
        stack = new int[num];
        cycle = new int[num + 1];
        stackLen = 0;
        Arrays.fill(marked, 0);
        for (int i = 0; i < num; ++i) {
            if (marked[i] != 0) continue;
            DoIt(i, -1);
        }

        if (res) System.out.println("yes");
        else System.out.println("no");
    }
}
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