Introduction to Functional Programming

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Overview

- Introduction
 - Why FP? motivation

- 2 Defining functions
 - Guards and patterns
 - Recursive functions
 - Compositions



Motivation

Functional programming:

- allows programs to be written clearly, concisely
- has a high level of abstraction
- supports reusable software components
- encourages the use of formal verification



What is functional programming?

- the closest programming style to mathematical writing, thinking
- the basic element of the computation is the function

```
f(a) => f a

f(a,b) + cd => f a b + c * d

f(g(b)) => f (g b)

f(a)g(b) => f a * g b
```



Writing functional programs is FUN

- to motivate you to write functional programs
- to get involved in working with FP
- the Clean compiler can be downloaded from: http://wiki.clean.cs.ru.nl/Clean have FUN

```
examples.icl, examples.prj
```

```
module examples
import StdEnv
Start = 42 // 42
```



Getting started

inc x = x + 1

Simple examples of Clean functions:

```
double x = x + x
quadruple x = double (double x)
factorial n = prod [1 .. n]
Using them:
Start = 3+10*2 // 23
Start = sqrt 3.0 // 1.73...
Start = quadruple 2 // 8
```

Start = factorial 5 // 120



Definitions by cases

The cases are guarded by Boolean expressions:

```
abs1 x
| x < 0 = \neg x
| otherwise = x
Start = abs1 - 4 // two cases, the result is 4
// otherwise can be omitted
abs2 x
1 \times 0 = \neg \times
= x
Start = abs2 4 // 4
// more then two guards or cases
signof x
| x > 0 = 1
1 \times = 0 = 0
| x < 0 = -1
Start = signof -8 // -1
```



Definitions by recursion

Examples of recursive functions:

```
fac n
| n = 0 = 1
| n > 0 = n * fac (n - 1)
Start = fac 5 // 120

power x n
| n = 0 = 1
| n > 0 = x * power x (n - 1)
Start = power 2 5 // 32
```



Compositions, function parameters

```
// function composition
twiceof :: (a \rightarrow a) a \rightarrow a
twiceof f \times = f (f \times)
Start = twiceof inc 0 // 2
// Evaluation:
twiceof inc 0
\rightarrow inc (inc 0)
\rightarrow inc (0+1)
\rightarrow inc 1
\rightarrow 1+1
\rightarrow 2
Twice :: (t \rightarrow t) \rightarrow (t \rightarrow t)
Twice f = f \circ f
Start = Twice inc 2 // 4
f = g \circ h \circ i \circ j \circ k is nicer than f \times = g(h(i(j(k \times))))
```