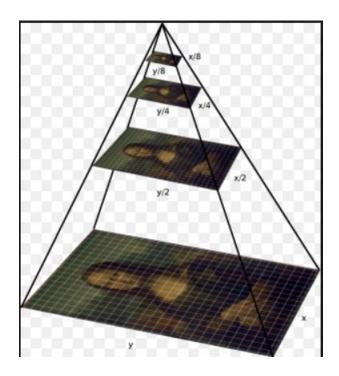
MULTI RESOLUTION PYRAMIDS

https://www.youtube.com/watch?v=bk_VV_E4m-Y

It is the one way to do this multi resolution processing and constructing a pyramid of images.

First we start from original image say size nxn and then shrink it to half so, $n/2 \times n/2$ and shrink again with same factor and so finally we will get up a single pixel size image at the very top of the pyramid, so it is a pyramid of images each one is progressively sub samples or approximate version of the original image.



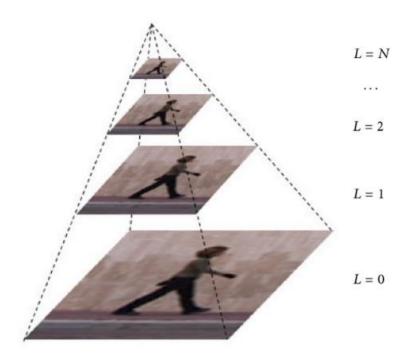


Image Pyramids

7.1 Background

- 7.2 Multi Resolution Expansions
- 7.3 Wavelet Transform in One Dimension
- 4 The Fast Wavelet Transform
- .5 Wavelet Transform in Two Dimensions
 - 7.6 Wavelet Packets

What is an image pyramid?

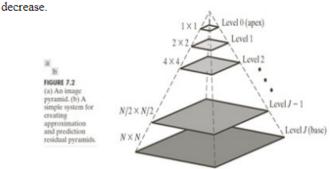
A powerful, simple structure for representing images at more than one resolution.

an image pyramid is a collection of decreasing resolution images arranged in the shape of a pyramid .

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 (a) : The base of the pyramid contains a high-resolution representation of the image being
Processed; the apex contains a low-resolution approximation .
As you move up the pyramid, both size and resolution



(J. Shanbehzadeh M.Gholizadeh)

Subband Coding

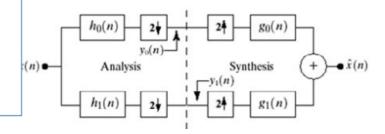
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Definition:

in subband coding :an image is decomposed into a set of band limited components, called subbands. The decomposition is performed so that the subbands can be reassembled to reconstruct the original image without error.

* A filter bank is a collection of two or more filters.



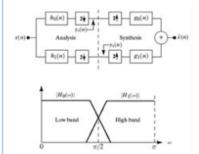
(J.Shanbehzadeh M.Gholizadeh)

Subband Coding

The goal in subband coding is to select h0(n), h1(n), g0(n), g1(n) so that x(n) = x'(n)

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filters go(n) and g1(n) combine y0(n) and y1 (n) to produce $x^{2}(n)$.