Distilation column grapical method

Using maccabe theile method to find the no of stages for a distilation column

values required

```
feed composition      =xf
relative volatality   =rv
q value               =q
```

In [23]:
```
import numpy as np
from matplotlib import pyplot as plt
from matplotlib import axes
%matplotlib inline
```

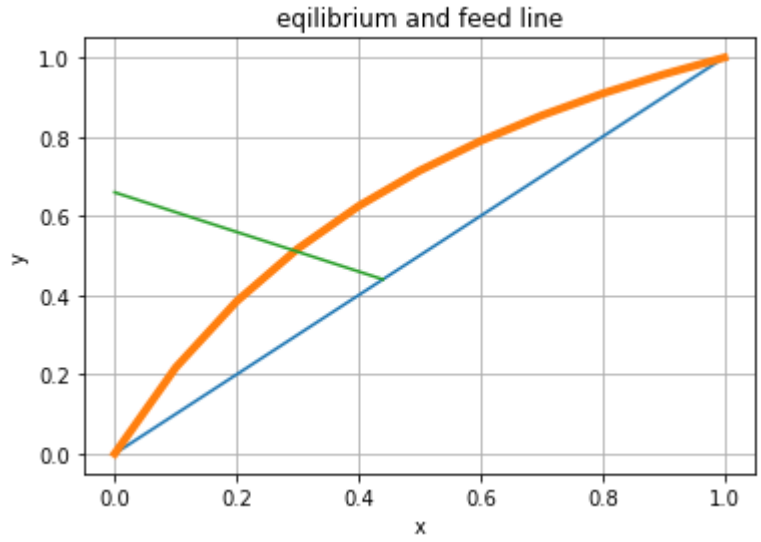
In [24]:
```
print("Enter feed composition , relative volatality and q value")
def nib(xf,rv,q):                              #xf=feed composition    rv=relativ
e volatality
    global x
    global y
    global xe
    global ye
    global xfe
    global yfe
    global cr
    cr=xf
    xe=np.linspace(0,1,11)            # datas for plotting the equilibrium cur
ve
    ye=(rv*xe)/(1+(rv-1)*xe)

    x=np.linspace(0,1,11)
    y=np.linspace(0,1,11)             #45 degree line

    plt.plot(x,y)                     #plotting the 45 degree line
    plt.plot(xe,ye,linewidth=4)       #plotting the equilibrium curve
    xfe=np.linspace(0,xf,11)
    yfe=((-q/(1-q))*(xfe-xf))+xf      #feed line equation
    plt.plot(xfe,yfe)
    plt.grid()
    plt.xlabel('x')
    plt.ylabel('y')
    plt.title('eqilibrium and feed line')
```

```
Enter feed composition , relative volatality and q value
```

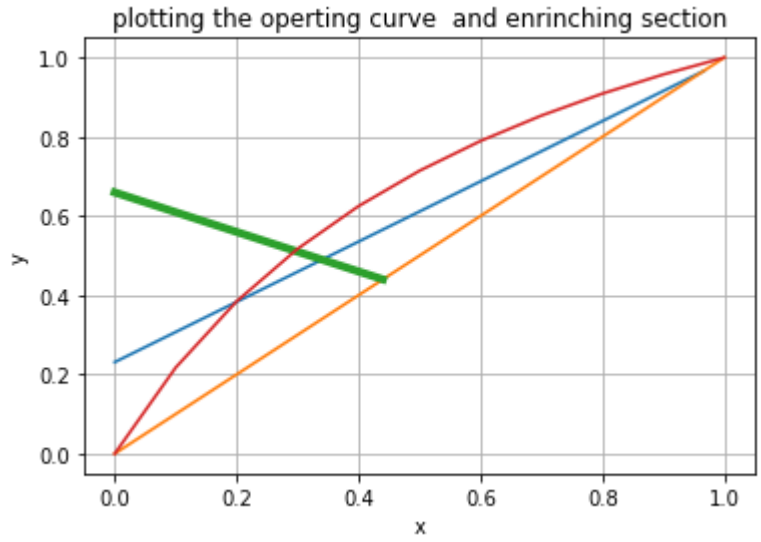
In [25]:
```
nib(.44,2.5,.333)
```



enter the datas by observing the graph

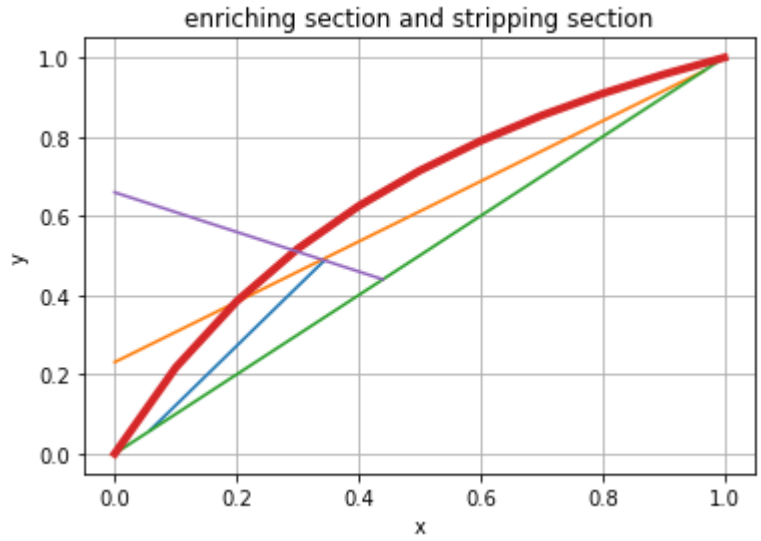
In [26]:
```
def full(xd,x1,y1,multiple):
    global xo,yoi,yo
    xf=cr                                          # rm =r minimum
    rm=(xd-y1)/(y1-x1)                             # xd =top product concentr
atin
    R=multiple*rm
    x=np.linspace(0,1,11)                          #x1  =x prime ie,x ordinat
e at the point of intersection btw equil and feed line
    y=np.linspace(0,1,11)                          #y1  =y prime ie,y ordinat
e at the point of intersection btw equil and feed line
    yoi=xd/(R+1)
    xo=np.linspace(0,xd,11)
    yo=((xd-yoi)/xd)*xo+yoi                        #multipe =how many times r
minimum
    plt.plot(xo,yo)
    plt.plot(x,y)
    plt.plot(xfe,yfe,linewidth=4)
    plt.plot(xe,ye)
    plt.grid()
    plt.xlabel('x')
    plt.ylabel('y')
    plt.title('plotting the operting curve  and enrinching section')
```

In [27]:
```
full(.966,.295,.51,1.5)
```



In [28]:
```
def final(xfi,yfi,xn,yn):           # xfi= coordinate at the intersection of
    xf=cr
    xs=np.linspace(xn,xfi,5)
    ys=((yfi-yn)/(xfi-xn))*xs-.028
    plt.plot(xs,ys)
    plt.plot(xo,yo)
    plt.plot(x,y)
    plt.plot(xe,ye,linewidth=4)
    plt.plot(xfe,yfe)
    plt.grid()
    plt.xlabel('x')
    plt.ylabel('y')
    plt.title('enriching section and stripping section')
```

In [29]:
```
final(.346,.49,.058,.058)
```



In [ ]: