# MAS223, Feedback on Assignment 1

### Q8: discrete random variables

- In part (a), several people who showed that  $F(x) = 1 \frac{1}{x+1}$ , for  $x \in \mathbb{N}$ , also claimed that F(x) = 0 otherwise. This forgets the case when x > 0 and  $x \notin \mathbb{N}$  in this case F(x) = F(n) where n is given by  $n \le x < n+1$ .
- In part (b), it's important to remember that  $\mathbb{P}[X \ge x] = 1 \mathbb{P}[X < x]$ , which is not  $= 1 \mathbb{P}[X \le x]$ , in general. This mistake results in getting x = 99 instead of the correct answer x = 100.

### Q9: continuous random variables

- I accepted non-rigorous arguments for limits (this is not an analysis course!) but it is still important to avoid writing equations that don't make sense, such as  $\frac{\infty}{\infty} = 1$ .
- A small number of people tried checking special cases to show that F is increasing (e.g. that f(1) < f(2)), but this doesn't answer the question. One good strategy is to show that  $F'(x) \ge 0$ , another way is to assume x < y and simplify  $F(x) \le F(y)$  down to something true.

### Q11: continuous random variables

• Some people forgot the limits of integration in the formula  $F_X(x) = \int_{-\infty}^x f_X(u) du$ , and got the wrong answer as a result.

# Q15: the Gamma distribution

• This question was very well done, in general. Some people forgot to calculate skewness.