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Airborne Infection Risk Estimator for Indoor Environments

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The global pandemic of COVID-19 has demonstrated the exceptional transmissibility of the SARS-CoV-2 virus and has highlighted the vulnerability of the built environment to airborne pathogens. As buildings today reopen it is important to understand the risk of airborne infection based on building and occupant features, for not only the current pandemic, but for future ones as well. One method that has been developed to address this problem is the infection risk calculator. These calculators allow users to input variables such as the number of occupants, room dimensions, air change per hour (ACH), masks/no masks, etc., in order to determine the risk of infected person(s) transmitting a virus to susceptible people the room Lelieveld et al. 2020.

While these calculators may be convenient in some cases, they are "black box" algorithms, meaning the underlying code is not accessible or transparent to users. With a large amount of skepticism surrounding the academic literature regarding this virus and its transmission [Scheirer 2020], we believe it is important infection risk calculators are as transparent as possible. So we have placed all of our assumptions and their sources in assumptions.py, which can be accessed on the user interface website.

In this notebook we describe our methods for developing our own infection risk algorithm for the SARS-CoV-2 virus, compiling room data from the UC San Diego campus, and compiling it into a website.

```
imports
import matplotlib.pyplot as plt
import numpy as np
import sys
import os
sys_path = os.path.dirname(os.getcwd())
src_path = sys_path + "/src"

sys.path.insert(1, src_path)
from calculator import *
assumptions = var
src_path = sys_path + "/notebook"

sys.path.insert(1, src_path)
```

0.1 Airborne Infection Risk Estimator

0.1.1 How does it Work?

To calculate the risk of infection in a given room, the emmission rate of quanta is needed. A quantum is defined as the viral load i.e. the dose of contaminated airborne droplet nuclei required to cause infection in 63% of persons. The emmission rate of quanta is calculated with the following

$$ER_{q,j} = c_{v} \cdot c_{i} \cdot IR \cdot \sum_{i=1}^{4} (N_{i,j} \cdot V_{i})$$

formula:

Morawska et al. 2020

Ni is the droplet concentrations by diameter in particles per cubic centimeter. The droplet concentrations are dependent on the expiratory activity of the infected person. Droplet concentrations by diameter were taken from Morawska et al. 2009. "Speaking" was considered to be the average of "singing" and "counting."

[2]: pd.DataFrame(assumptions['droplet_conc'])

[2]:		speaking	counting	whispering	singing	breathing
	.8 m	0.4935	0.236	0.110	0.751	0.084
	1.8 m	0.1035	0.068	0.014	0.139	0.009
	$3.5\mathrm{m}$	0.0730	0.007	0.004	0.139	0.003
	5.5 m	0.0350	0.011	0.002	0.059	0.002

cv corresponds to the viral load in the sputum (i.e. infectious mucus) of the infected person, expressed in RNA copies per mililiter. The viral load in sputum of an infected person varies and is dependent on the stage of infection [Yu et al. 2020]. A range of 1e5 - 1e9 RNA copies per mililiter for viral load in the sputum is determined but for this experiment we will choose the maximum viral load to simulate the worst case scenario for infection spread [Walsh et al. 2020].

ci is a conversion factor defined as the ratio between one infectious quantum and the infectious dose expressed in viral RNA copies, expressed in quanta per RNA copies. A survey of ci's indicates a range of .01 to .1 but finally a ci of .02 was selected to reflect the average value of the infectious doses reported in Watanabe et al. 2010. The study covers SARS-CoV (not to be confused with SARS-CoV-2, the virus that causes COVID-19) but was selected because it provides a more well-studied report of the infectivity of coronaviruses, which has not possible for SARS-CoV-2 due to its very recent development.

Inhalation Rate (IR) is the product of breathing rate and tidal volume, expressed in cubic meters per hour. IR is dependent on the activity of the infected subject. The following values were chosen from Adams 1993

Next we must calculate the quanta concentration as a function of time using the following equa-

$$n(t) = \frac{ER_q \cdot I}{IVRR \cdot V} + \left(n_0 + \frac{ER_q \cdot I}{IVRR}\right) \cdot \frac{e^{-IVRR \cdot t}}{V} \quad \text{(quanta m}^{-3}\text{)}$$

tion:

Gammaitoni, Nucci 1997

where IVRR (hr—1) represents the infectious virus removal rate in the space investigated. The infectious virus removal rate (IVRR) is the sum of three parameters (Yang and Marr, 2011): the air change per hour (ACH) via ventilation, the particle deposition on surfaces via gravitational settling, and the viral inactivation rate (i.e. how long the virus remains contagious in aerosol).

n0 represents the initial number of quanta in the space

I is the number of infectious subjects,

V is the volume of the indoor environment considered,

and ERq is the abovementioned quanta emission rate (quanta h-1)

This model was selected because it has been used in previous papers to estimate infection risk of other airborne diseases in indoor environments. For example Wagner et al. 2009

The viral inactivation rate of SARS-CoV2 was determined to be .63 by Doremalen et al. 2020.

Deposition rate is determined by the ratio of the settling velocity of the micrometric particles (1e-4 m/s) and assuming the height of the emmission source. Given the average height of a person is 1.5 m, the deposition_rate is assumed to be .24 per hour (Chatoutsidou and Lazaridis, 2019)

ACH is dependent on room conditions. Is a window open? Is the air conditioning pushing in new air? In order to determine the ACH we use the flow rate of the VAV inside of the room. VAV flow rates were determined using VAV spec sheets.

n0 or initial quanta is assumed to be zero in our experiment. This is because there doesn't seem to be an accurate way of determining this value. Assuming a natural ventilation ACH of .2, the IVRR would be 1.02(hr-1) meaning that in a little under an hour any viral particles would be inactive. So for the sake of this experiment we will assume the room has been empty for about an hour beforehand.

of predicted susceptible people infected af-Finally. to determine the the number ter the exposure time, we must find the product of the infection risk R and the number of susceptible people. То find R, we use the function below

$$R = \begin{pmatrix} 1 - e^{-IR} \int_{0}^{T} n(t)dt \\ 1 - e^{-0} \end{pmatrix}$$
 (%)

0.1.2 Let's Try Out Some Estimations

```
[3]: #Emmission Rates based on activity using the Morawska et al. equation

ERq1 = get_quanta_emmission_rate('heavy_exercise', 'singing',assumptions)

ERq2 = get_quanta_emmission_rate('resting', 'whispering', assumptions)

print('Emission rate in quanta per hour for an infected singer exercising

→heavily: ' + str(ERq1))

print(' for an infected resting person

→whispering: ' + str(ERq2))
```

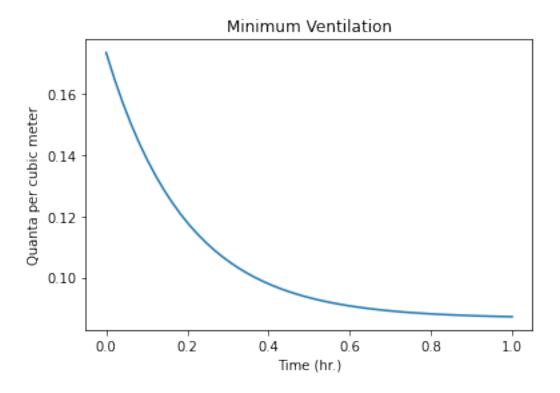
Emission rate in quanta per hour for an infected singer exercising heavily: 429.40479084296925

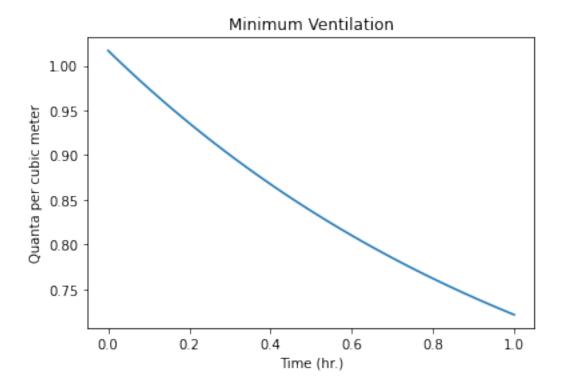
for an infected resting person whispering:

2.207333975988981

Below is the quanta concentration over time using the recomended airflow from ASHRAE for Center 115, and no ventilation.

```
[14]: #Now lets estimate quanta concentration
      room_dic = get_room_data(sys_path + '/data/masterBuildingData.csv', 'Centeru
       →Hall', '101')
      ach = get_air_changes_per_hour(room_dic['ASHRAE_Airflow'], room_dic['Volume'])
      #IVRR is the sum of the deposition rate, inactivation rate, and the Air change,
       \rightarrow rate
      ivrr = .63 + .24 + ach
      t = 1
      def quanta concentration(t, I = 1, ERq = ERq1, V = room_dic['room_volume_m'],__
       \rightarrown0 = 0, IVRR = ivrr):
          return ((ERq * I) / (IVRR * V)) + (n0 + ((ERq * I) / IVRR)) * ((np.
       \rightarrow e^{**}(-IVRR * t)) / V)
      fig = plt.figure()
      ax = plt.axes()
      plt.xlabel('Time (hr.)')
      plt.ylabel('Quanta per cubic meter')
      plt.title('Minimum Ventilation')
      f2 = np.vectorize(quanta concentration)
      x = np.linspace(0, t)
      ax.plot(x, f2(x));
```





As we can see ventilation versus no ventilation is the difference between exponential decay of pathogenic material in the air and more linear decay

With our infection_risk function, calculating the infection_risk can be done simply by inputing the duration of the event, the building, room id, number of occupants, activity, and mask wearing (True or False). The average of two risks can be used to get the risk associated with doing both sets of activities.

It is estimated that an individual has 1.7540425442991503% chance to be infected It is estimated that $0.017540425442991503 \times 50 = 0$ susceptible occupants will be infected

It is estimated that an individual has 0.014605772984221943% chance to be infected

It is estimated that $0.00014605772984221943 \times 50 = 0$ susceptible occupants will be infected

[17]: average_risk

[17]: 0.008843241586416861

Now we can estimate the relative risks associated with difference activities, shown below

```
[18]: sitting_talking_risk = infection_risk(t, 'Center Hall', '101', 50, 'resting', __
      standing_talking_risk = infection_risk(t, 'Center Hall', '101', 50, 'standing', |
      walking_talking_risk = infection_risk(t, 'Center Hall', '101', 50, __
      →'light_exercise', 'speaking', False, sys_path + '/data/masterBuildingData.
      ⇔csv')
     running_talking_risk = infection_risk(t, 'Center Hall', '101', 50, U
      → 'moderate_exercise', 'speaking', False, sys_path + '/data/masterBuildingData.
      ⇔csv')
     exercising_talking_risk = infection_risk(t, 'Center Hall', '101', 50, |
      → 'heavy_exercise', 'speaking', False, sys_path + '/data/masterBuildingData.
      ⇔csv')
     fig = plt.figure()
     ax = plt.axes()
     plt.xlabel('Activities')
     plt.ylabel('Infection Risks')
     plt.title('Activities vs. Infection Risks')
     actno = ["sitting", "standing", "walking", "running", "exercising"]
     risks = [sitting_talking_risk, standing_talking_risk, walking_talking_risk,_u
      →running_talking_risk, exercising_talking_risk]
     ax.bar(actno, risks)
```

It is estimated that an individual has 0.22285722611271597% chance to be infected

It is estimated that $0.0022285722611271597 \times 50 = 0$ susceptible occupants will be infected

It is estimated that an individual has 0.27059402794856746% chance to be infected

It is estimated that $0.0027059402794856746 \times 50 = 0$ susceptible occupants will be infected

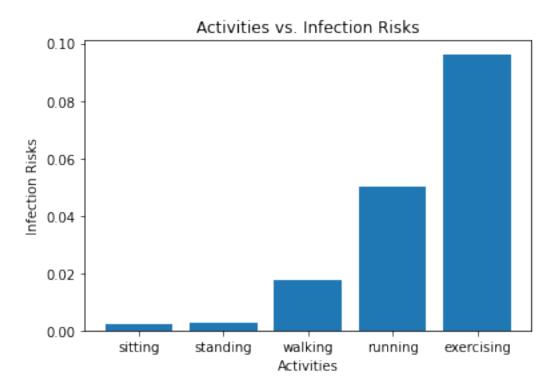
It is estimated that an individual has 1.7540425442991503% chance to be infected. It is estimated that $0.017540425442991503 \times 50 = 0$ susceptible occupants will be infected.

It is estimated that an individual has 5.002177964381471% chance to be infected It is estimated that 0.05002177964381471 x 50 = 2 susceptible occupants will be infected

It is estimated that an individual has 9.624064015586221% chance to be infected

It is estimated that $0.0962406401558622 \times 50 = 4$ susceptible occupants will be infected

[18]: <BarContainer object of 5 artists>



```
[19]: speaking = infection_risk(t, 'Center Hall', '101', 50, 'standing', 'speaking', '
       →False, sys_path + '/data/masterBuildingData.csv')
      counting = infection_risk(t, 'Center Hall', '101', 50, 'standing', 'counting', |
      →False, sys_path + '/data/masterBuildingData.csv')
      whispering = infection_risk(t, 'Center Hall', '101', 50, 'standing', __
       →'whispering', False, sys_path + '/data/masterBuildingData.csv')
      singing = infection_risk(t, 'Center Hall', '101', 50, 'standing', 'singing', "
      →False, sys_path + '/data/masterBuildingData.csv')
      breathing = infection_risk(t, 'Center Hall', '101', 50, 'standing', __
      →'breathing', False, sys_path + '/data/masterBuildingData.csv')
      fig = plt.figure()
      ax = plt.axes()
      plt.xlabel('Expiratory Activities')
      plt.ylabel('Infection Risks')
      plt.title('Expiratory Activities vs. Infection Risks')
      actno = ["breathing", "whispering", "counting", "speaking", "singing"]
      risks = [breathing, whispering, counting, speaking, singing]
```

ax.bar(actno, risks)

It is estimated that an individual has 0.27059402794856746% chance to be infected

It is estimated that $0.0027059402794856746 \times 50 = 0$ susceptible occupants will be infected

It is estimated that an individual has 0.07310923392100932% chance to be infected

It is estimated that $0.0007310923392100932 \times 50 = 0$ susceptible occupants will be infected

It is estimated that an individual has 0.017738345210016604% chance to be infected

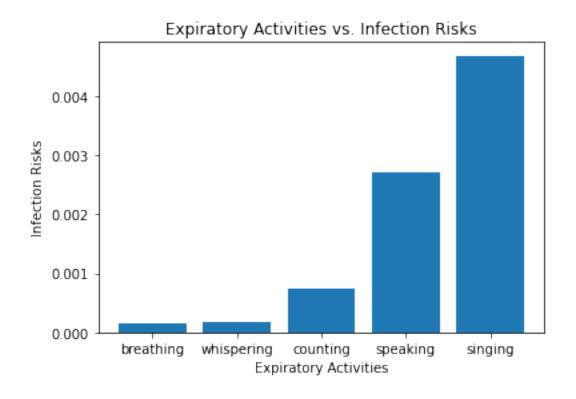
It is estimated that $0.00017738345210016604 \times 50 = 0$ susceptible occupants will be infected

It is estimated that an individual has 0.4676885342010051% chance to be infected It is estimated that 0.004676885342010051 x 50 = 0 susceptible occupants will be infected

It is estimated that an individual has 0.015381204623698963% chance to be infected

It is estimated that $0.00015381204623698963 \times 50 = 0$ susceptible occupants will be infected

[19]: <BarContainer object of 5 artists>

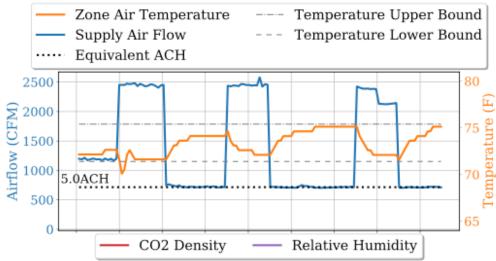


0.1.3 Results and Discussion

The purpose of this calculator is to give building users a better understanding of how infection can be spread. Our findings give insight into effective methods for mitigating infection risk in indoor environments. A significant driver in infection risk is the type of physical activity. Heavier breathing increases risk of infection exponentially. Likewise more intense expiratory activity like speaking loudly or singing would increase risk of infection. A large factor in risk mitigation is ventilation. No ventilation at all, we observed, causes a linear decrease in quanta concentration, while minimal ventilation will produce an exponential decrease.

Unfortunately the effect of social distancing and mask wearing was not directly addressed by this model. Social distancing was indirectly addressed by the assumed 1.5m (>6ft) distance from the emission source in calculating deposition rate. In other words, the deposition rate does not account for pathogenic material depositing on another person in the final risk estimation.

It is important to note that our model of quanta concentration assumes that the air change will begin at t=0 so the quanta concentration will continue to decrease over time. This implies the building HVAC system would ventilate in a constant fashion. In reality, HVAC systems tend to work in a cyclical fashion, providing short spurts of air to maintain stable temperatures. Below is an figure from Gupta et al. "Zonal Air Handling in Commercial Buildings" depicting this behav-



ior.
model does not yet reflect this cyclical nature.

Additionally, the assumptions used to produce this model are limited to the existing academic literature regarding the novel coronavirus. For example, the quanta per RNA copy assumed in our model was taken from literature regarding SARS-CoV-1, not SARS-CoV2, because such information does not currently exist.

This

Also, the infection rate is a constantly changing value, and is not currently up to date in our assumptions.

0.2 Room Data

In order to provide an easy to use application for users at UC San Diego we decided to provide room information so it does not have to be imputed by the user. The process for getting the room data involved pulling it from the university's building database, selecting areas that would be used commonly by building occupants (e.g. offices, classrooms, laboratories, etc.), and imputing room information based on the use.

Below is the data in its raw form:

:		Building	Floor	Suite	Room	Space	Pct	Area	Stations	\
0	Biology	Building	Basement	NaN	(C)B030A	NaN	100%	1007	NaN	
1	Biology	Building	Basement	NaN	(C)B030B	NaN	100%	559	NaN	
2	Biology	Building	Basement	NaN	(CE)B040	NaN	100%	152	NaN	
3	Biology	Building	Basement	NaN	(CS)B030C	NaN	100%	100	NaN	
4	Biology	Building	Basement	NaN	(J)B036	NaN	100%	32	NaN	
		Cat	egory Desc	ription	Room Use ((S) CPE	C Code	Depart	tment \	
0	C - Pub	lic Circul	ation	NaN	I	NaN	NaN		NaN	
1	C - Pub	lic Circul	ation	NaN	N	NaN	NaN		NaN	
2	C - Pub	- Public Circulation		NaN	N	NaN	NaN		NaN	
3	C - Public Circulation			NaN	NaN NaN NaN NaN NaN NaN		NaN NaN			
4	J - Custodial Support		NaN							
	Program	System (S/	′C/R) Cost	Codes	PI/Manager	Occupa	nts Ut:	ilizati	ion \	
0	NaN		NaN	NaN	NaN		NaN	1	NaN	
1	NaN		NaN	NaN	NaN		NaN	1	NaN	
2	NaN		NaN	NaN	NaN		NaN	1	NaN	
3	NaN		NaN	NaN	NaN		NaN	1	NaN	
4	NaN		NaN	NaN	NaN		NaN	1	NaN	

Home Page

- 0 https://facilities.ucsd.edu/Buildings/Rooms/Ho...
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- 3 https://facilities.ucsd.edu/Buildings/Rooms/Ho...
- 4 https://facilities.ucsd.edu/Buildings/Rooms/Ho...

To process the data, relevant rooms were selected and placed into ASHRAE categories based on room use. From there the occupancy was imputed if not already provided, then the room area and room occupancy are used to determine the ASHRAE standard airflow rate. An average height of 10 ft. is currently imputed for all rooms.

Below is the processed data

[31]: pd.read_csv(sys_path + '/data/masterBuildingData.csv').head() [31]: Unnamed: 0 Building Room heightImputed Occupancy \ Area Mandeville Center B202 15.35 0 3070 10 1 Mandeville Center B206 1959 10 40.00 1 2 2 Mandeville Center B210 3091 10 158.00 3 Mandeville Center B104 864 42.00 10

4	4 Mandevil	le Center B108	864	10	6.00
	occupancyImputed_TF	ASHRAE_Airflow	maxAirflow		
0	True	260.95	NaN		
1	False	417.54	NaN		
2	False	1370.46	NaN		
3	False	366.84	NaN		
4	False	96.84	NaN		