
```

% MAE488_Nicholas_Hawse_HW1
% MAE 488 03 Analisis of ANALY ENGINEERING SYSTEMS
% Homework 1
% Nicholas Hawse
% 1/20/2025
% This code finds and plots solutions to the problems in HW 1

clear
clc
close all

fprintf('=====\\
n')
fprintf('MAE 488, Homework # 1, Spring 2025\\n')
fprintf('=====\\
n')
fprintf('\\n\\n')

%
=====
% Problem 2
%
=====
% Plot the function y(x) and its first and second derivatives as a function
% of time
%
fprintf('=====\\n')
fprintf('Problem 2 Part h\\n')
fprintf('=====\\n')
fprintf('This code plots the function of displacement Y(x) = A sin( Bt +
PHI) and\\n')
fprintf('also plots the velocity function and acceleration function
coresponding\\n')
fprintf('to the displacement function.\\n')
fprintf('see the figure below\\n\\n\\n\\n\\n')

% Y(t) = A sin( Bt + PHI)

A = 4; % 4 ft amplitude
B = pi/2; % radian frequency
PHI = 1/2; % phase offset rad
time = 0:0.001:10; % a vector that discatizes time

YOft = @(t) A*sin(B*t + PHI); % the function of displacement
VOft = @(t) B*A*cos(B*t + PHI); % the function of velocity
AOft = @(t) -B*B*A*cos(B*t + PHI); % the function of acc.

subplot(3,1,1) % puts a plot in the first of 3 subplots
y1 = YOft(time); % finds the function output as a vector
plot(time,y1,'r') %plots the function in red
xlabel('time [s]') % lables

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ylabel('Displacement [ft]')

title('MAE 488, Homework 1, Problem 2, Part h') %title

subplot(3,1,2)% puts a plot in the 2 of 3 subplots
y2 = VOfT(time);% finds the function output as a vector
plot(time,y2,'g--')%plots the function in green dashes
xlabel('time [s]')
ylabel('Velocity [ft/s]')

subplot(3,1,3)% puts a plot in the 3 of 3 subplots
y3 = AOftT(time);% finds the function output as a vector
plot(time,y3,'b:')%plots the function in blue dots
xlabel('time [s]')
ylabel('Acceleration [ft/s^2]')

%
=====
% Problem 3
%
=====
% Plot the function y(x) two of its talor approximations
%
fprintf('=====\n')
fprintf('Problem 3 Part d\n')
fprintf('=====\n')
fprintf('This code plots the function f(x) = sqrt(x)*sin(x) and also two of\n')
fprintf('its\n')
fprintf('first order taylor series aproximations at x = 2 and x = 6.36 in\n')
fprintf('radians\n')
fprintf('see the figure below\n\n\n\n\n')

% f(x) = sqrt(x)cos(x)
% f'(x) = -sqrt(x)sin(x) + 1/2*1/sqrt(x)*cos(x)

FOfX = @(x) sqrt(x).*cos(x); % the function of x

FPrimeOfX = @(x) -sqrt(x)*sin(x) + 0.5*x^(-0.5)*cos(x); %the derivative

TaylorOne = @(x) FPrimeOfX(2)*x +(FOfX(2)-2*FPrimeOfX(2)); % the first order
taylor at a = 2

TaylorTwo = @(x) FPrimeOfX(6.36)*x +(FOfX(6.36)-6.36*FPrimeOfX(6.36));% the
first order taylor at a = 6.36

figure(2) % start a new figure

fplot(FOfX,[0,8],'b') % plot the orignal function
hold on;
fplot(TaylorOne,[1,3],'m') % plot the first talor aprox at a = 2

plot(2,FOfX(2),'r*') % plot the point that the taylor comes from

fplot(TaylorTwo,[5.36,7.36],'c')% plot the first talor aprox at a = 6.36

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plot(6.36,FOfX(6.36),'b*')% plot the point that the taylor comes from

title('MAE 488, Homework 1, Problem 3, Part d') %lables
xlabel('x')
ylabel('f(x)')
ylim([-2.2,3])
legend('f(x) = sqrt(x)*cos(x)', 'Linearized f(x) at x = 2'...
      , 'The Point (2,1.41)', 'Linearized f(x) at x = 6.36' ...
      , 'The Point (6.36,2.5)', 'Location', 'northwest')

%
=====
% Problem 4 part a \n
%
=====
% Plot a table on linear exponetial and power axes to see where it is linear
%

fprintf('=====\n')
fprintf('Problem 4 Part a \n')
fprintf('=====\n')
fprintf('This code plots a set of data on three plots: Linear, LogY and Log-Log\n')
fprintf('Given:\n')
fprintf('x= 10 14.2 18.4 22.6 26.8 31 35.2\n')
fprintf('y= 10 22.6 35.2 47.8 60.4 73 85.6\n')
fprintf('see the figure below\n\n\n\n\n')

ax = [10 14.2 18.4 22.6 26.8 31 35.2];
ay = [10 22.6 35.2 47.8 60.4 73 85.6];

figure(3) % creates a new figure

subplot(3,1,1) % first of 3 subplots
plot(ax,ay)
title('MAE 488, Homework 1, Problem 4, Part a')
ylabel('y linear')

subplot(3,1,2) % first of 3 subplots
semilogy(ax,ay)
ylabel('y exponential')

subplot(3,1,3) % first of 3 subplots
loglog(ax,ay)
ylabel('y power')
xlabel('x')

```

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%
=====
% Problem 4 part b
%
=====
% Plot a table on linear exponential and power axes to see where it is linear
%

fprintf('=====\n')
fprintf('Problem 4 Part b\n')
fprintf('=====\n')
fprintf('This code plots a set of data on three plots: Linear, LogY and Log-
Log\n')
fprintf('Given:\n')
fprintf('x= 1      1.5    2      2.5    3      3.5    4\n')
fprintf('y= 1.218 4.252 14.84 51.8 180.8 631.1 2202.7\n')
fprintf('see the figure below\n\n\n\n\n')

bx = [1 1.5 2 2.5 3 3.5 4];
by = [1.218 4.252 14.84 51.8 180.8 631.1 2202.7];

figure(4)

subplot(3,1,1) % second of 3 subplots
plot(bx,by)
title('MAE 488, Homework 1, Problem 4, Part b')
ylabel('y linear')

subplot(3,1,2) % second of 3 subplots
semilogy(bx,by)
ylabel('y exponential')

subplot(3,1,3) % second of 3 subplots
loglog(bx,by)
ylabel('y power')
xlabel('x')

%
=====
% Problem 4 part c
%
=====
% Plot a table on linear exponential and power axes to see where it is linear
%

fprintf('=====\n')
fprintf('Problem 4 Part c\n')
fprintf('=====\n')
fprintf('This code plots a set of data on three plots: Linear, LogY and Log-
Log\n')
fprintf('Given:\n')

```

```
fprintf('x= 2      5      8      11      14      17      20\n')
fprintf('y= 0.032 1.25 8.19 29.28 76.83 167 320\n')
fprintf('see the figure below\n\n\n\n\n')
```

```
cx = [2 5 8 11 14 17 20];
cy = [0.032 1.25 8.19 29.28 76.83 167 320];
```

```
figure(5)
```

```
subplot(3,1,1) % second of 3 subplots
plot(cx,cy)
title('MAE 488, Homework 1, Problem 4, Part c')
ylabel('y linear')
```

```
subplot(3,1,2) % second of 3 subplots
semilogy(cx,cy)
ylabel('y exponential')
```

```
subplot(3,1,3) % second of 3 subplots
loglog(cx,cy)
ylabel('y power')
xlabel('x')
```

```
=====
MAE 488, Homework # 1, Spring 2025
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```
=====
Problem 2 Part h
=====
```

*This code plots the function of displacement $Y(x) = A \sin(Bt + PHI)$ and also plots the velocity function and acceleration function corresponding to the displacement function.
see the figure below*

```
=====
Problem 3 Part d
=====
```

*This code plots the function $f(x) = \sqrt{x} \sin(x)$ and also two of its first order taylor series aproximations at $x = 2$ and $x = 6.36$ in radiens
see the figure below*

```
=====
Problem 4 Part a
=====
```

This code plots a set of data on three plots: Linear, LogY and Log-Log

Given:

x= 10 14.2 18.4 22.6 26.8 31 35.2

y= 10 22.6 35.2 47.8 60.4 73 85.6

see the figure below

=====

Problem 4 Part b

=====

This code plots a set of data on three plots: Linear, LogY and Log-Log

Given:

x= 1 1.5 2 2.5 3 3.5 4

y= 1.218 4.252 14.84 51.8 180.8 631.1 2202.7

see the figure below

=====

Problem 4 Part c

=====

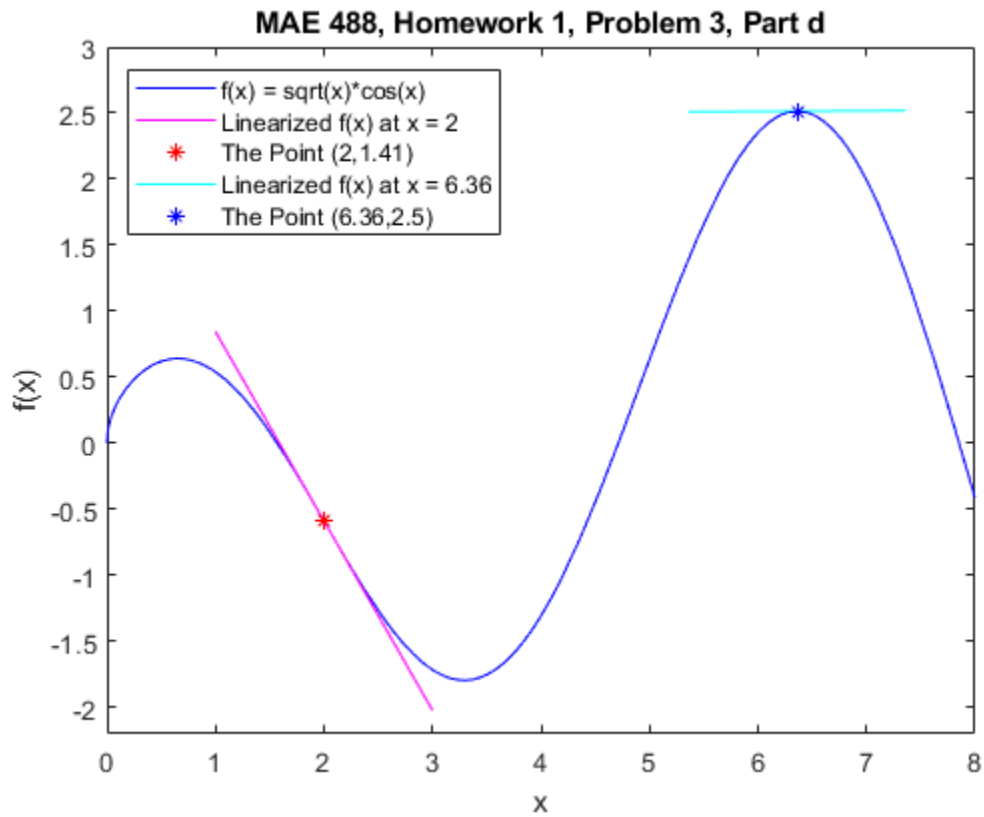
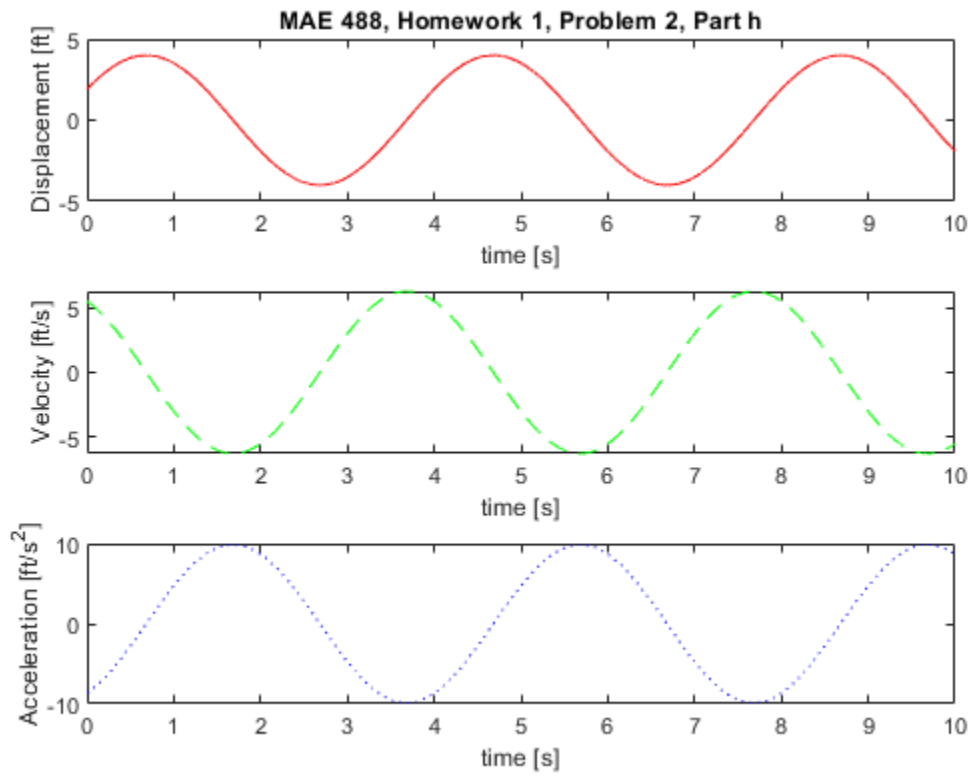
This code plots a set of data on three plots: Linear, LogY and Log-Log

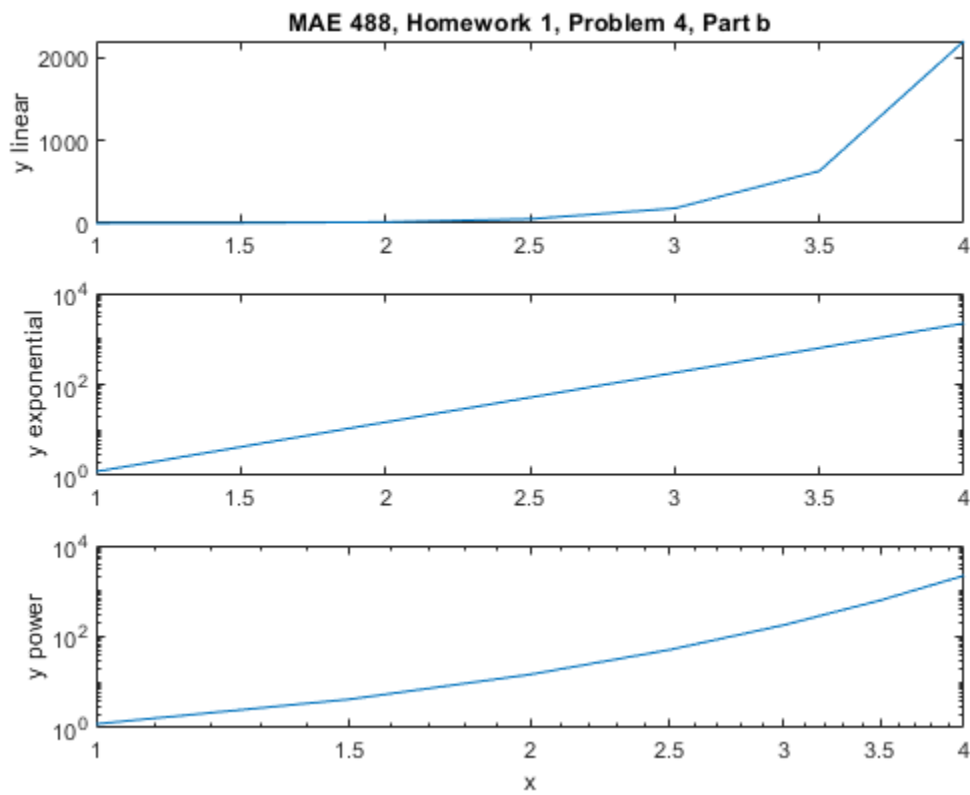
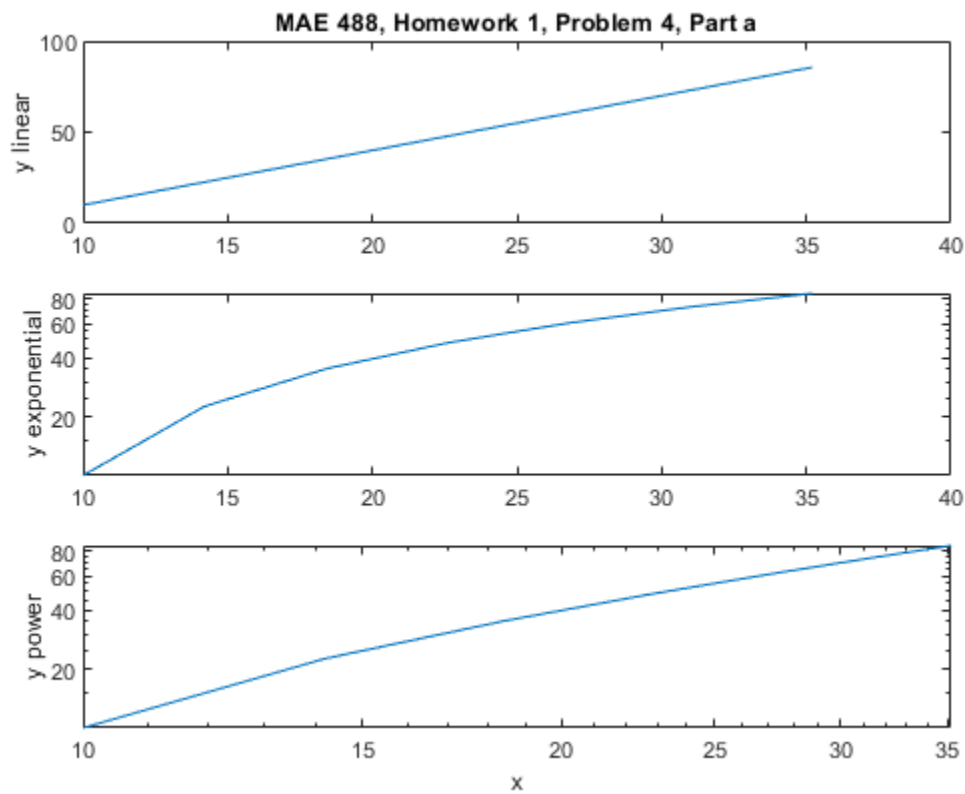
Given:

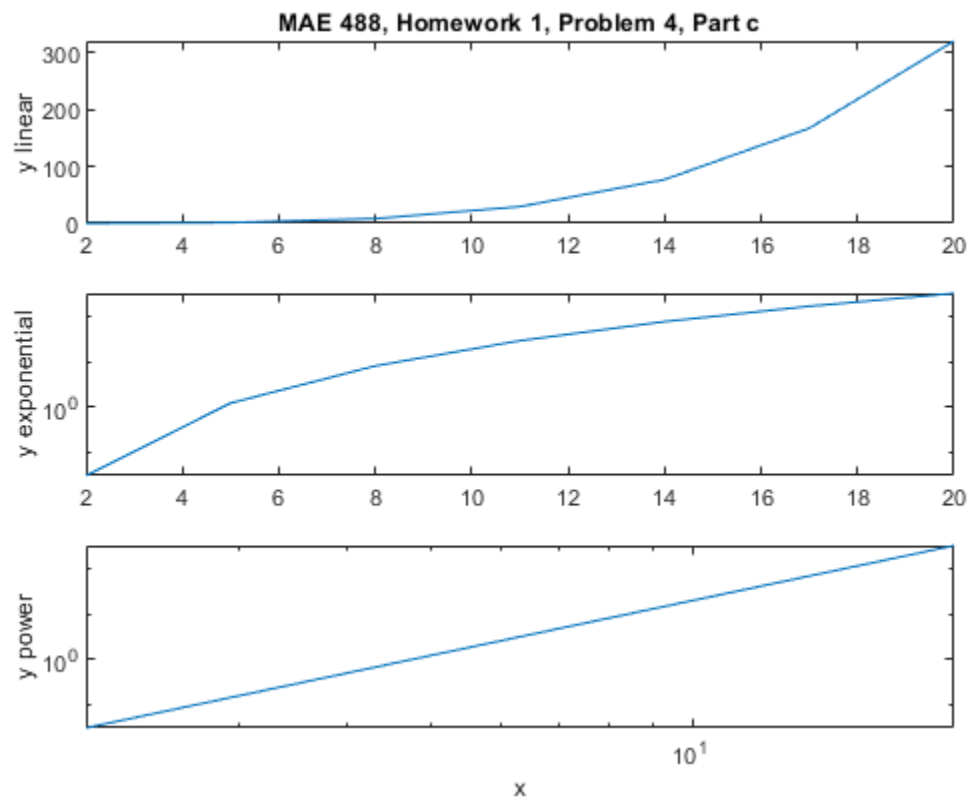
x= 2 5 8 11 14 17 20

y= 0.032 1.25 8.19 29.28 76.83 167 320

see the figure below







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