FYS2150 Lab Report: Elasticity

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A study on different methods to determine the Young's modulus of a brass rod.

I. INTRODUCTION

II. THEORY

III. EXPERIMENTAL PROCEDURE

IV. RESULTS

V. DISCUSSION

VI. CONCLUSION

CODE

All of the code used to produce this report. Anything noteworthy should already be mentioned in the main body of the paper.

scripts/lab_data.py

```
from numpy import *
  import FYS2150lib as fys
3
4
  def weights():
5
6
       # Mass of weights measured with balance
7
       m_abalance = 500.1e-3
8
       m_b_balance = 1000.3e-3
9
       m_c_balance = 2000.5e-3
10
       # Mass of reference weights
11
       m_reference = array([0.5, 1.0, 2.0])
12
       m_reference_balance = array([500.0e-3, 999.9e-3, 2000.1e-3]) # Weighed
13
14
       a, b, da, db = fys.linfit(m_reference, m_reference_balance)
15
16
       m_a = (m_a\_balance - b) / a
17
       m_b = (m_b_balance - b) / a

m_c = (m_c_balance - b) / a
18
19
20
21
       return m_a, m_b, m_c
```

scripts/FYS2150lib.py

```
#!/usr/bin/env python
# -*- coding: utf-8 -*-
"""
A collection of commonly used functions in FYS2150.
author: Nicholas Karlsen
"""
import numpy as np
```

```
10
     def stddev(x):
11
12
             Finds the standard deviation, and standard deviation of
13
             a 1D array of data x.
             See. Eqn D. Page 24 squires
14
15
16
             n = len(x)
17
             sigma = np. sqrt((np.sum(x**2) - 1.0 / n * np.sum(x)**2) / (n - 1))
18
             sigma_m = np. sqrt((np.sum(x**2) - 1.0 / n * np.sum(x)**2) / (n * (n - 1)))
19
20
             return sigma, sigma_m
21
22
     \mathbf{def} linfit (x, y):
23
24
             Finds the line of best-fit in the form y=mx+c given two
25
26
             1D \ arrays \ x \ and \ y .
27
28
             n = np. size(y)
            \begin{array}{lll} & \text{ In } P.\,\, \text{ SIZE}\,(y) \\ D & = & \text{ np }. \text{ sum}(x**2) - (1.0 \ / \ n) \ * \ \text{ np }. \text{ sum}(x) **2 \\ E & = & \text{ np }. \text{ sum}(x * y) - (1.0 \ / \ n) \ * \ \text{ np }. \text{ sum}(x) \ * \ \text{ np }. \text{ sum}(y) \\ F & = & \text{ np }. \text{ sum}(y**2) - (1.0 \ / \ n) \ * \ \text{ np }. \text{ sum}(y) **2 \end{array}
29
30
31
32
            \begin{array}{l} dm = np.\,sqrt\,(1.0 \ / \ (n-2) \ * \ (D \ * \ F - E**2) \ / \ D**2) \\ dc = np.\,sqrt\,(1.0 \ / \ (n-2) \ * \ (\textbf{float}\,(D) \ / \ n + np.\,mean\,(x)) \ * \\ & \quad (D \ * \ F - E**2) \ / \ (D**2))) \end{array}
33
34
35
36
            m = float(E) / D
37
             c = np.mean(y) - m * np.mean(x)
38
39
             \mathbf{return}\ \mathbf{m},\ \mathbf{c}\ ,\ \mathbf{dm},\ \mathbf{dc}
```