7.5 4.  $\int \frac{\sin^3 x}{\cos x} \, dx$   $\int \frac{\sin^3 x}{\cos x} \, dx$   $\int \frac{\sin^3 x}{\cos x} \, dx$ Isin'x tanxdx I (1-cos2x) tanxdx Itanx-cosxsinxdx  $\int t_{\text{an}} \times - \int s_{\text{in}} \times cos \times dx \qquad - \ln cos \times - \frac{2 \ln^2 x}{2} + ($   $4 + s_{\text{in}} \times dx = \cos x dx \qquad dx = \frac{du}{\cos x} \qquad \int u du \Rightarrow \frac{u^2}{u}$   $18. \int_{1}^{4} \frac{e^{\sqrt{t}}}{\sqrt{t}} dt \qquad u = \sqrt{t} \Rightarrow t^{1/2} \qquad du = \frac{1}{2} t^{-\frac{1}{2}} dt \qquad dt = 2\sqrt{t} du$ 38.  $\int_{\frac{\pi}{2}}^{\pi} \frac{2e^{-2}e^{-2$ 7.8 28.  $\int_{0}^{5} \sqrt[3]{5-x} dx \qquad u=5-x \qquad du=-1dx \qquad dx=-du$   $\int_{0}^{\frac{1}{3}+\frac{3}{3}-\frac{3}{3}} du -\int_{0}^{\frac{1}{3}+\frac{3}{3}-\frac{3}{3}} \frac{-3}{2}(5-x)^{\frac{3}{3}} \int_{0}^{5} dx \frac{2}{3} \sqrt[3]{5}$ 30.  $\int_{-1}^{2} \frac{x}{(x+1)^{2}} dx \int_{x^{2}+2x+1}^{2} dx \int_{x^{2}+2x+1}^{2} dx \int_{x^{2}+2x+2}^{2} dx \int_{x^{2}$ 34. 

So w-2 du 

du= 1 du

du= 1 du

f u du + f u - f u du

f u du + f u - f u du

(3-2ln3) + (+2+ln2) 3-2ln3+2+lln men 2

1-2(ln3+ln2)

## MATH 426

38.  $\int_{0}^{\frac{\pi}{2}} \frac{\cos \theta}{\sqrt{\sin \theta}} d\theta \qquad \text{uzsin} \theta du = \cos \theta d\theta \qquad dx = \frac{du}{\cos \theta}$   $= \frac{1}{2} + \frac{2}{3} = \frac{1}{2}$   $\int_{\sqrt{\ln \theta}} \frac{du}{du} \Rightarrow \int_{0}^{\frac{\pi}{2}} \frac{du}{du} \qquad \qquad 2u^{\frac{1}{2}} = 2\sqrt{\sin \theta} = 0$ 40.  $\int_{-\frac{e^{x}}{x^{3}}}^{x} dx$   $u = \frac{1}{x} du = -\frac{1}{x^{2}} dx$   $dx = -\frac{x^{2}}{x^{4}} du$   $\int_{-\frac{e^{x}}{x^{3}}}^{x} dx$   $u = \frac{1}{x} du = -\frac{e^{x}}{x^{4}} du = -\frac{e^{x}}{x^{4}} du$  u = xu  $v = e^{u}$   $u = -\frac{e^{u}}{x^{4}} - \frac{e^{u}}{x^{4}} du$  du = 1  $dv = e^{u}$   $(e - e) - (\frac{e^{x_{0}}}{x^{4}} - e^{x_{0}})$  DNESO. JO HARTÍ SINZ DE SINZ PLI

LI T Z SINZ PLI

Xº VX diverges 54. Jo 521124 dx lim 2VTI-2VE converges

+>0+ 2VTT converges