

Evaluation of Rolling Surveillance Methods in Context of Prior Aberrations

A Simulation Study with Routine Data from Low- and Middle-Income Countries

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Background

- ▶ Infectious disease surveillance enables early detection of outbreaks, aiding timely public health responses [Buehler et al., 2004, Wagner et al., 2001].
- ▶ Syndromic surveillance leverages health symptoms as outbreak proxies, critical in settings with limited testing [Pearce et al., 2020, Fulcher et al., 2021].
- ▶ Focus on low- and middle-income countries (LMICs), where health management information systems (HMIS) offer routine, aggregated data [Lal et al., 2020, AbouZahr and Boerma, 2005].

Syndromic Surveillance in LMICs

- ▶ HMIS data provides a basis for syndromic surveillance in LMICs, supporting infectious disease tracking in limited-resource settings [World Health Organization, 2021, Hussain et al., 2016].
- ▶ Example: Acute respiratory infections (ARI) monitoring for COVID-19 in Liberia [Fulcher et al., 2021].

Rolling Surveillance vs Event Surveillance

- ▶ Rolling surveillance accumulates baseline data over time, allowing continuous comparison of observed data to historical expectations [Noufaily et al., 2013].
- ▶ Event surveillance, by contrast, assesses spikes relative to a fixed baseline period.

Defining Aberrations and Outbreaks

- ▶ **Aberrations**: Retrospective anomalies, such as historical disease events, that distort baseline data.
- ▶ **Outbreaks**: Significant new deviations from the expected baseline, identified prospectively.
- ▶ Challenge: Unaccounted aberrations may bias baseline models, compromising outbreak detection [Farrington et al., 1996].

Outbreak Detection Algorithms Overview

- ▶ Evaluated five outbreak detection algorithms:
 1. Early Aberration Reporting System (EARS)
 2. Farrington Detection Model
 3. Holt-Winters Predictive Models
 4. Weinberger-Fulcher Negative Binomial (WF NB)
 5. Weinberger-Fulcher Quasi-Poisson (WF QP)
- ▶ Each algorithm offers unique sensitivity and specificity characteristics [Farrington et al., 1996, Weinberger et al., 2020].

Method 1: Early Aberration Reporting System (EARS)

- ▶ Utilizes a seven-month baseline period preceding the evaluation point.
- ▶ Calculates expected count and prediction intervals for detection:

$$E[Y_t] = \frac{1}{7} \sum_{i=t-7}^{t-1} Y_i,$$

$$\text{Var}(Y_t) = \frac{1}{6} \sum_{i=t-7}^{t-1} (Y_i - E[Y_t])^2.$$

- ▶ Observations outside the 95% prediction interval are flagged as potential outbreaks [Hutwagner et al., 2005].

Method 2: Farrington Detection Model

- ▶ A log-linear Poisson regression model with quasi-likelihood adjustment:

$$\log(E[Y_t]) = \alpha + \beta t.$$

- ▶ Uses residual-based weights to account for aberrations in baseline data.
- ▶ Flags deviations from the upper prediction interval as outbreaks [Farrington et al., 1996].

Method 3: Holt-Winters Predictive Models

- ▶ Applies exponential smoothing, accounting for level, trend, and seasonality:

$$\hat{Y}_{t+h|t} = l_t + h b_t + s_{t+h-m}.$$

- ▶ Components include level (l_t), trend (b_t), and seasonal adjustments (s_t) [Chatfield, 1978].
- ▶ Flags values outside the 95% interval for outbreak detection.

Methods 4 and 5: Weinberger-Fulcher Models

- Adapted for COVID-19 surveillance using a baseline model with a negative binomial (NB) or quasi-Poisson (QP) approach:

$$\log(E[Y_t]) = \beta_0 + \beta_1 \text{year}_t + \sum_{k=1}^K [\beta_{3k} \cos(2\pi kt/12) + \beta_{4k} \sin(2\pi kt/12)]$$

- Long-term trends and seasonal harmonics capture variation; flags facilities outside prediction intervals [Weinberger et al., 2020].

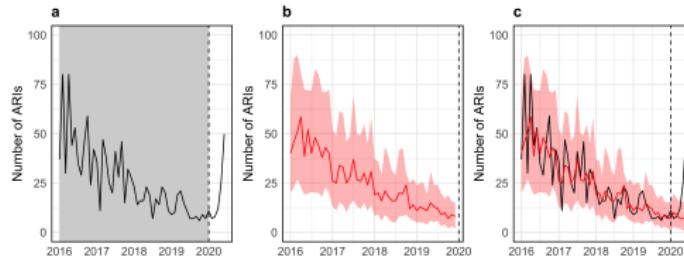


Figure: Steps in the Weinberger-Fulcher approach for outbreak detection.

Simulation Study Framework

- General steps in the simulation framework (detailed in Figure 4):
 1. Generate baseline data and outbreaks under multiple scenarios to reflect diverse data-generating models (DGMs).
 2. Evaluate each rolling surveillance approach's sensitivity and specificity in a new month without baseline aberrations.
 3. Induce aberrations in the baseline data, refit models, and re-evaluate sensitivity and specificity.

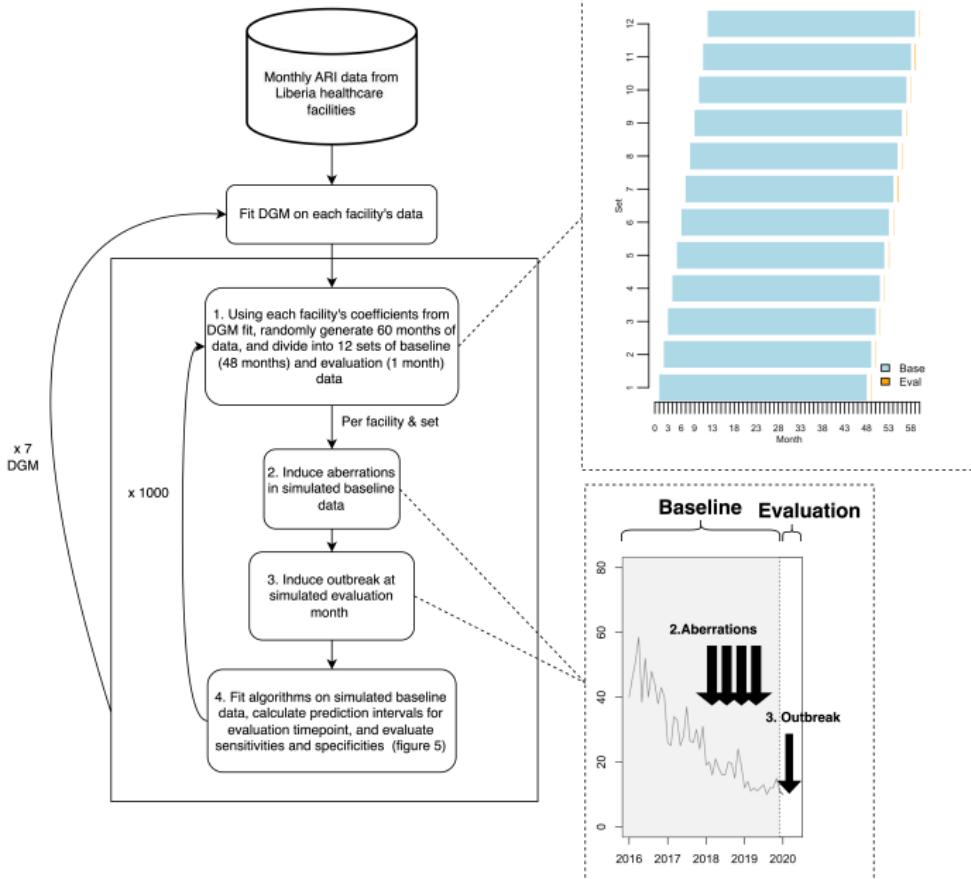


Figure: Simulation study framework steps.

Generating Baseline Data

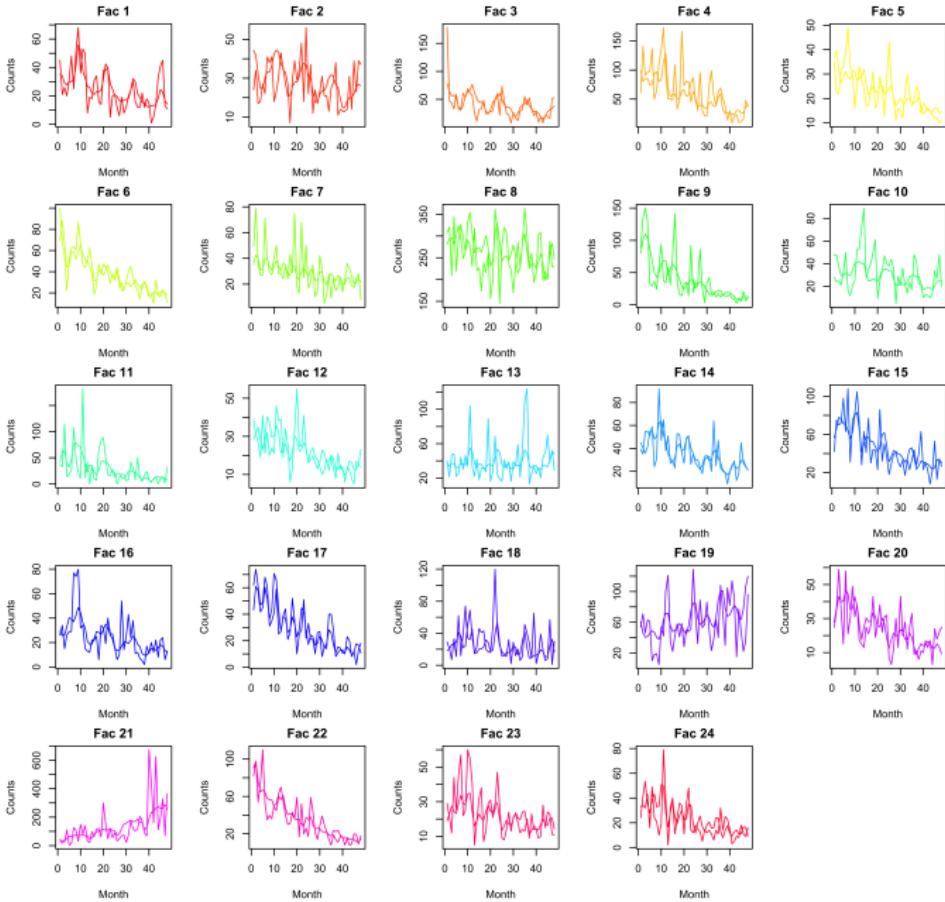
- Baseline data generated using a negative binomial model with trend and seasonality components, inspired by prior studies [Zareie et al., 2023, Unkel et al., 2012, Noufaily et al., 2013].
- Model form:

$$\log(E[Y_t]) = \beta_0 + \beta_1 \text{year}_t + \sum_{k=1}^K \left[\beta_{3k} \cos\left(\frac{2\pi kt}{12}\right) + \beta_{4k} \sin\left(\frac{2\pi kt}{12}\right) \right],$$

where K represents seasonality (triannual, biannual, annual), and β_1 captures trend.

- Seven distinct Data Generating Models (DGMs) considered, combining presence/absence of trend and different seasonality levels. DGM 1 corresponds to the WF model.
- Baseline data generated for 24 facilities, each with unique parameter sets, replicated 1,000 times per DGM for robust simulation.

DGM 1 Example Data



Inducing Outbreaks

- ▶ Outbreaks introduced in the 49th month with varying sizes:

$$E(Y_{49}) + k_O \cdot \text{SD}(E(Y_{49})),$$

where k_O controls outbreak magnitude.

- ▶ Given the negative binomial distribution, the outbreak form becomes:

$$E(Y_{49}) + k_O \cdot \sqrt{E(Y_{49}) + \frac{E(Y_{49})^2}{\phi}}.$$

- ▶ Explored factors: outbreak size (k_O : 1-20) and timing (months 49 to 60).

Inducing Aberrations

- ▶ Retrospective aberrations induced in the baseline data.
- ▶ Factors:
 1. Aberration size (k_A), modeled as:

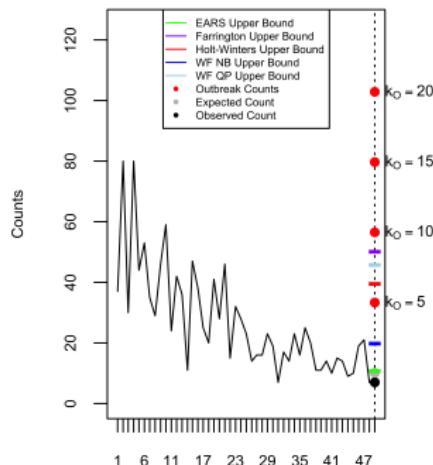
$$E(Y_t) + k_A \cdot \sqrt{E(Y_t) + \frac{E(Y_t)^2}{\phi}},$$

- with k_A values of 5, 10, 15, and 20.
- 2. Length (l): single month ($l = 1$) or four consecutive months ($l = 4$).
 - 3. Timing: unrestricted or restricted to past year.

Evaluation Metrics

- ▶ **Sensitivity:** Probability an outbreak in the 49th count is flagged. An algorithm is sensitive if the induced outbreak is above the upper bound of its 95% prediction interval.
- ▶ **Specificity:** Probability a non-outbreak count in the 49th month is not flagged, independent of outbreak size.
- ▶ Figure 5 illustrates an example simulation run and evaluation metrics.

Simulation Example: DGM 1, No Aberrations



Pseudo-Receiver Operating Characteristics Curves (ROCs)

- ▶ To compare algorithms, we varied prediction intervals by adjusting α levels (0.000000001 to 0.75), achieving specificities for each method.
- ▶ For each α , calculated method sensitivity, constructing pseudo-ROC curves to compare sensitivity and specificity jointly.

Results Overview

- ▶ **Data Generating Models (DGMs):** Results shown for DGMs 1 and 2; additional DGMs in appendix. DGM 1 includes time trend and seasonality, DGM 2 includes seasonality only.
- ▶ **Outbreak Sizes:** Results for $k_O = 5, 10, 20$ presented.
- ▶ **Aberrations:** Focused on length $l = 4$ and size $k_A = 10$; other configurations are in the appendix.
- ▶ **Outbreak Month:** Examines effect of outbreak timing, then results are averaged across timepoints.
- ▶ **Facility:** Results shown as boxplots across facilities and per-facility pseudo-ROC curves.

Results for DGM 1: Time Trend and Triannual Seasonality

- ▶ **Effect of Outbreak Timing on Sensitivity and Specificity:**
 - ▶ Next figure, for outbreak size $k_O = 10$, aberration size $k_A = 10$, length $l = 4$, shows median specificity and sensitivity.
 - ▶ Consistent relative performance across timepoints; thus, results were aggregated across all timepoints.
- ▶ **Effect of Facility-Level Parameters and Outbreak Size:**
 - ▶ Following Figure: Sensitivity and specificity across no aberrations, aberrations anytime, and last year, as boxplots.
 - ▶ Larger outbreaks generally increase sensitivity; WF NB, EARS most sensitive for smaller outbreaks.

Outbreak Timepoint vs. Sens and Spec, $k_O = 10$, Aberrations $I = 4$, $k_A = 10$

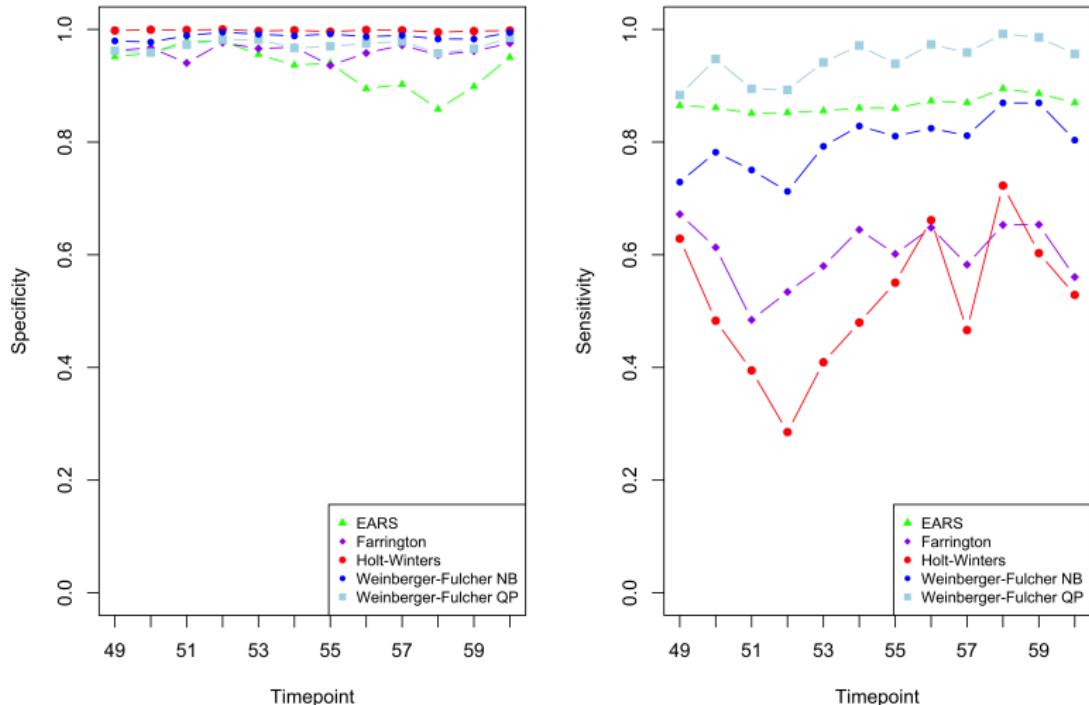


Figure: Effect of outbreak timing on sensitivity and specificity (DGM 1).

Range of specificity and sensitivity across 24 sets of coefficients under DGM 1

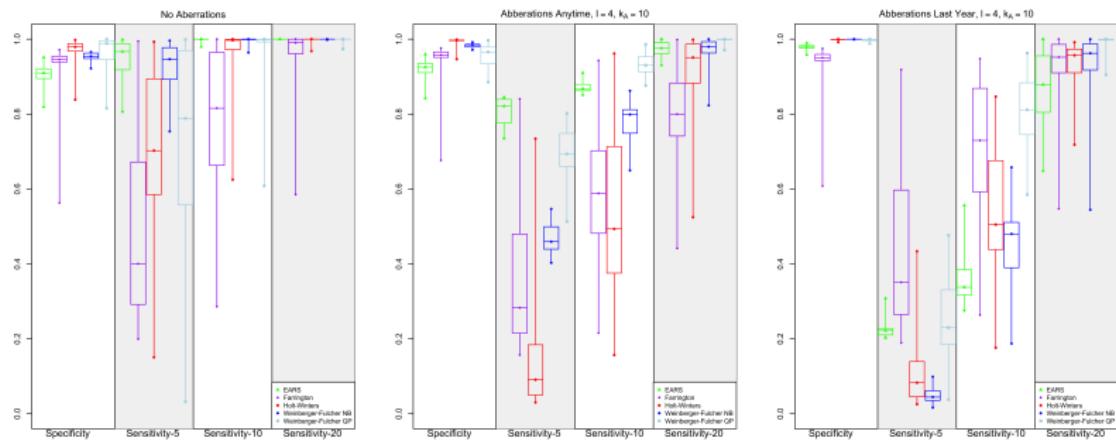


Figure: Sensitivity and specificity by outbreak size and aberration timing (DGM 1).

Effect of Outbreak Sizes and Aberration Timing

- ▶ **Outbreak Sizes:**

- ▶ Sensitivities increase with outbreak size.
- ▶ For $k_O = 5$, EARS and WF NB most sensitive (median sensitivity = 0.97, 0.95); larger outbreaks show high sensitivity across methods.

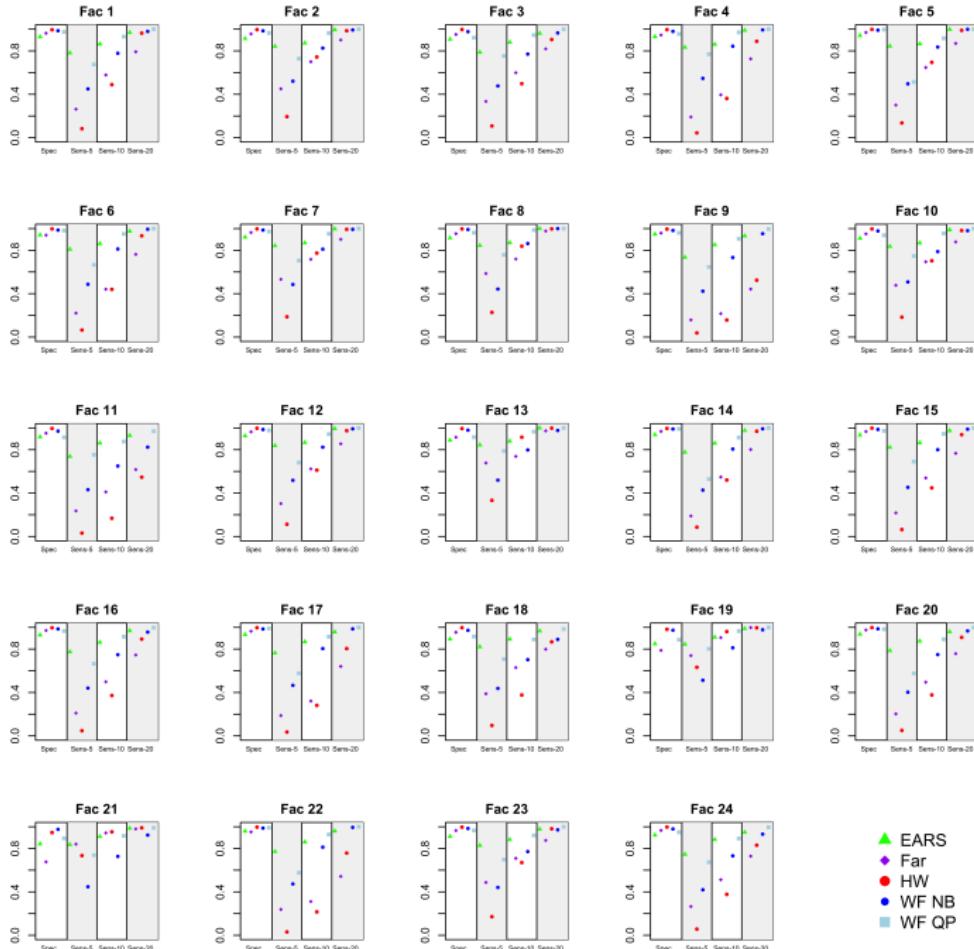
- ▶ **Aberration Timing:**

- ▶ WF QP and EARS most sensitive for $k_O = 10$ when aberrations can occur anytime; HW, WF NB most specific.
- ▶ EARS sensitivity reduced when aberrations restricted to last year, WF QP and Farrington remain sensitive.

Effect of Facility-Level Parameter Sizes

- ▶ Variability in specificity and sensitivity across facility parameters:
 - ▶ No aberrations: EARS and WF NB have low variability (e.g., IQR = (0.92, 0.99)).
 - ▶ With aberrations: EARS, WF NB, and WF QP maintain lower variability.
- ▶ Next figure: Facility-specific sensitivity and specificity results for aberrations anytime and restricted to last year.

Sensitivity and Specificity by facility coefficients under DGM 1, Abberations Anytime, l = 4, k_A = 10



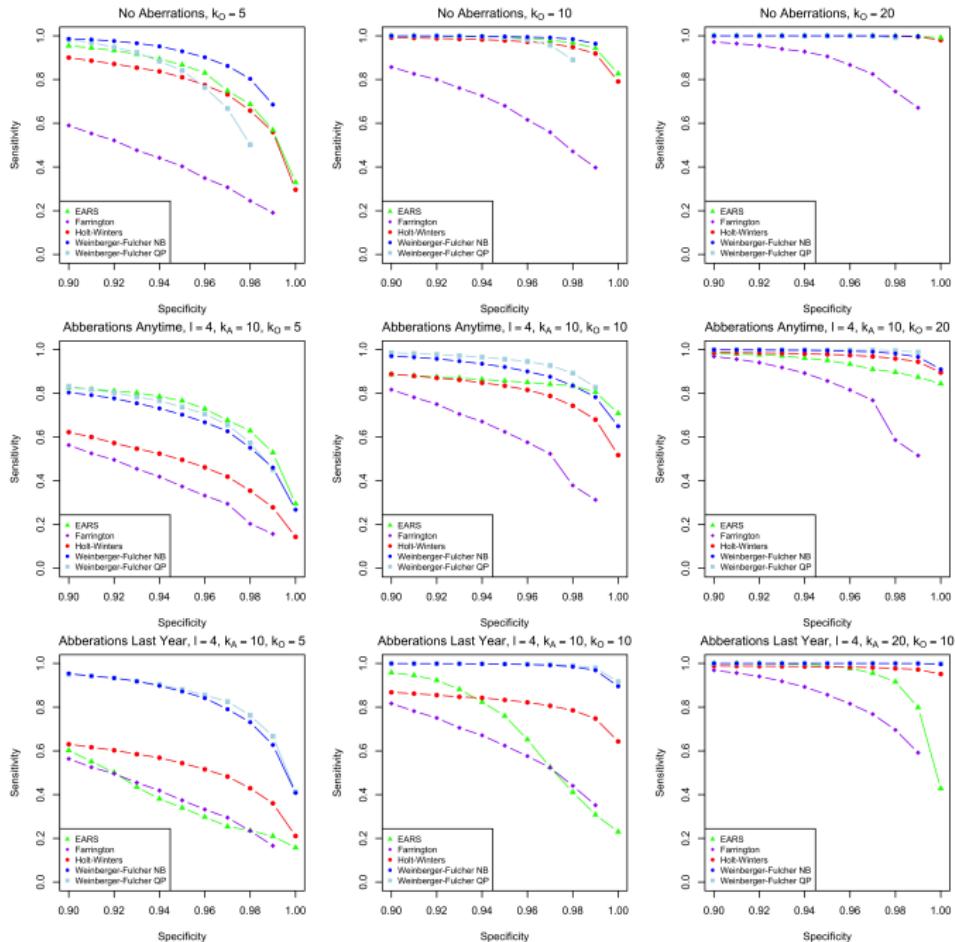
▲ EARS
◆ Far
● HW
■ WF NB
□ WF QP

Pseudo-Receiver Operating Characteristic (ROC) Curves for DGM 1

► Pseudo-ROC Curves:

- For $k_O = 5$, with specificity at 0.95, WF NB and EARS achieve highest sensitivity without aberrations.
- When aberrations are present anytime, EARS, WF QP, and WF NB balance sensitivity and specificity well.
- Aberrations restricted to last year reduce EARS sensitivity.

Pseudo-ROC Curves DGM 1



Results for DGM 2: Triannual Seasonality without Time Trend

- ▶ **Outbreak Sizes:**
 - ▶ Sensitivities increase with outbreak size.
 - ▶ For $k_O = 5$, EARS and WF QP most sensitive (median sensitivity = 0.98); all methods highly sensitive for larger outbreaks.
- ▶ **Aberration Timing:**
 - ▶ WF QP and EARS remain sensitive for $k_O = 10$ when aberrations occur anytime.
 - ▶ Farrington sensitivity highest when aberrations are restricted to last year, though specificity is reduced.

Range of specificity and sensitivity across 24 sets of coefficients under DGM 2

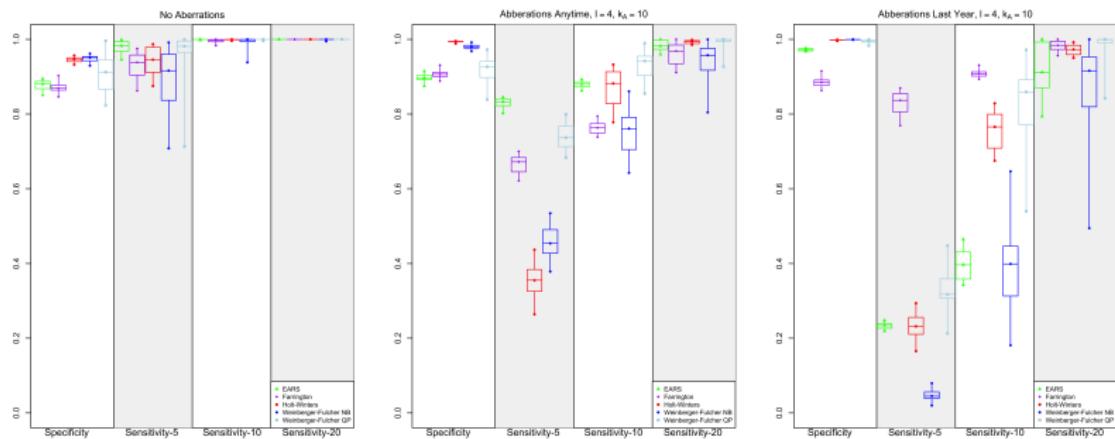


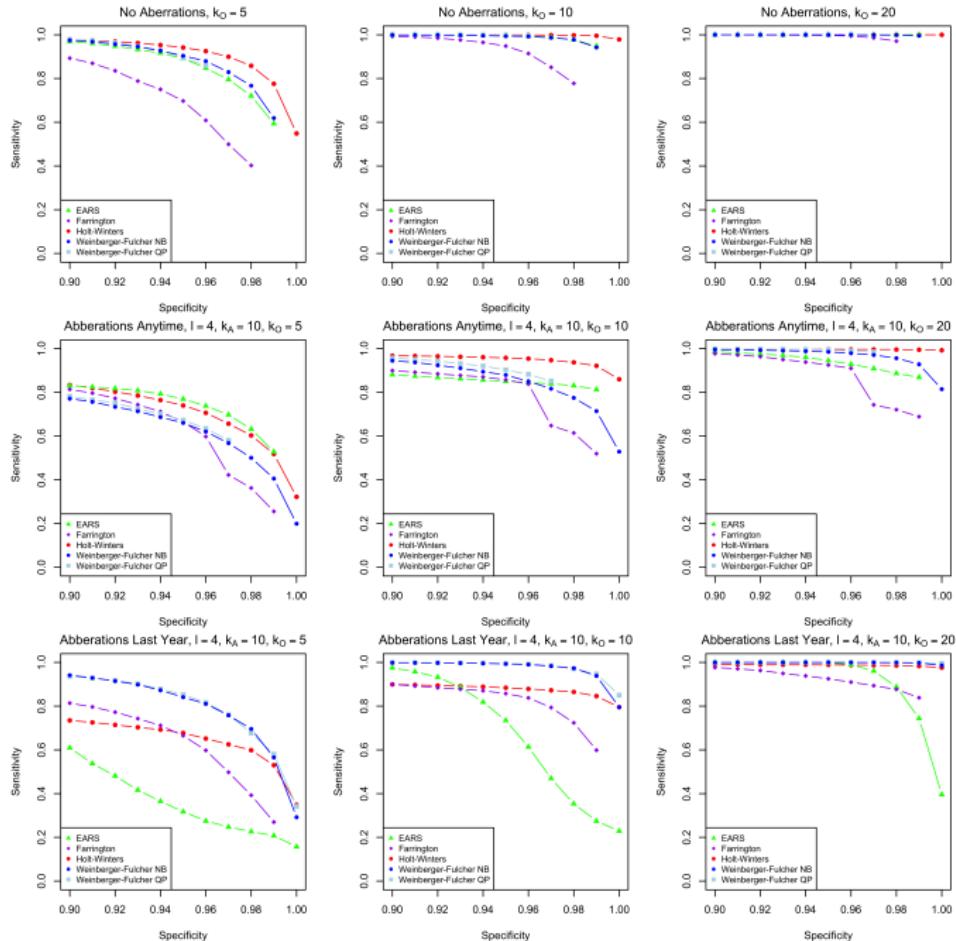
Figure: Sensitivity and specificity results for DGM 2 by outbreak size and aberration timing.

Pseudo-ROC Curves for DGM 2

► Pseudo-ROC Analysis:

- Without aberrations, HW and EARS offer best balance for smaller outbreaks.
- With aberrations restricted to last year, WF QP and WF NB provide the best balance.

Pseudo-ROC Curves DGM 2



Discussion

- ▶ **Study Focus:** Examined rolling surveillance accuracy with baseline aberrations, using HMIS-derived simulation parameters.
- ▶ **Key Observations:** All algorithms' sensitivity decreased with longer or larger aberrations; specificity slightly increased due to wider prediction intervals from baseline variability.

Discussion (Continued)

- ▶ **Algorithm Performance Summary:**
 - ▶ **EARS:** Strong performance, minimal baseline requirements, but sensitive to recent data disruptions.
 - ▶ **Farrington:** Useful for small outbreak detection, but lower specificity, especially in weak seasonality.
 - ▶ **WF QP:** Balanced sensitivity and specificity in recent aberrations; suitable for operational use.
 - ▶ **Holt-Winters:** Promising for large outbreaks with minimal time trend but sensitive to recent aberrations.

Discussion (Limitations)

- ▶ Focused on five algorithms; future work could explore additional approaches like CUSUM and spatial Bayesian models.
- ▶ Specific aberration types evaluated; future work could consider varied aberration patterns (e.g., non-consecutive, spatial).
- ▶ Considered sensitivity and specificity; future assessments could include timeliness, predictive value, and practical trade-offs.

Discussion (Broader Context)

- ▶ Real-world applications: All algorithms implemented in various settings [Weinberger et al., 2020, Zareie et al., 2023].
- ▶ Emerging challenge: Detecting new outbreaks amidst historical aberrations, especially relevant post-COVID-19.
- ▶ Suggested future focus: Evaluations across timepoints, balancing sensitivity and specificity rigorously.

Conclusion

- ▶ Rolling surveillance of ARI in Liberia was used to assess five common strategies.
- ▶ **Algorithm Choice:** Depends on data availability, recent outbreaks, and accuracy needs.
- ▶ **Impact of Aberrations:** All algorithms struggle with smaller outbreaks when recent aberrations are present.
- ▶ Informing best approaches for HMIS-based rolling surveillance in LMICs.

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