# Stat 153 - HW02

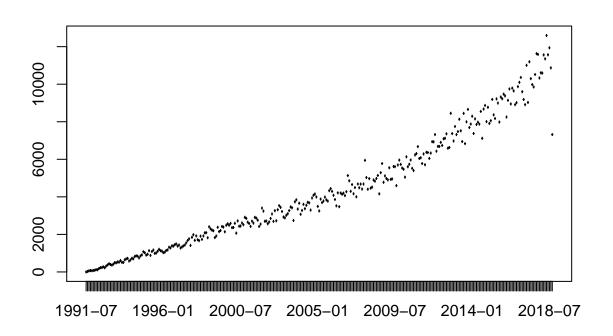
# Nicholas Lai

### September 19, 2018

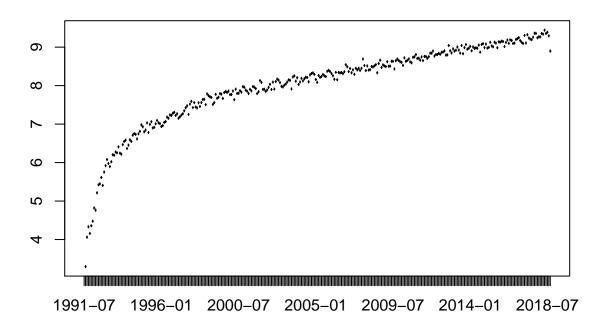
### Computer Exercises

#### Question 1

```
dat <- read.csv('get_monthly_submissions')</pre>
head(dat)
       month submissions historical_delta
##
## 1 1991-07
## 2 1991-08
                       27
                                         -1
## 3 1991-09
                       58
## 4 1991-10
                       76
                                          0
## 5 1991-11
                       64
                                          0
## 6 1991-12
                       78
plot(dat$month, dat$submissions)
```



```
plot(dat$month, log(dat$submissions))
```



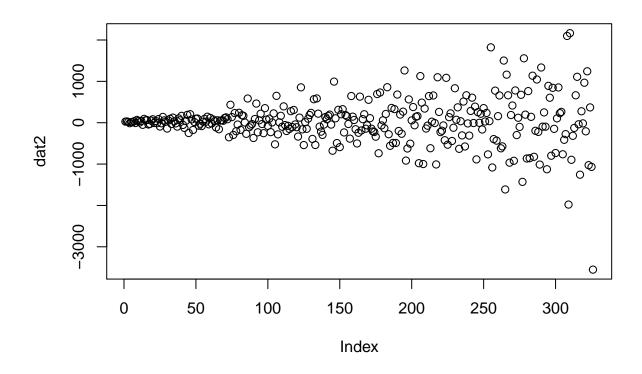
(a)

We should not expect the variance of submissions to remain constant over time, as even if the variance of individual contributers remained constant over time, growth in the number of contributors would increase variance overall.

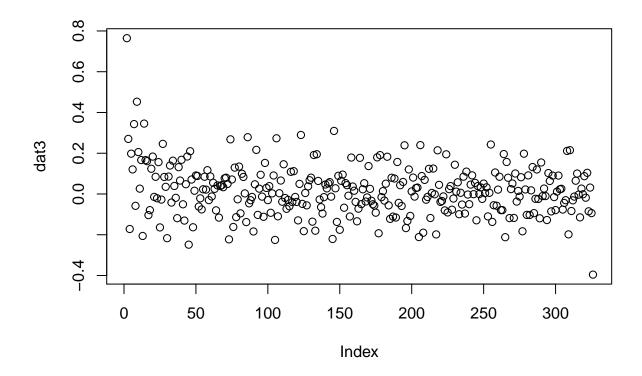
Since the variance of iid observations should increase by a function of expectation squared, a log transform should be a variance stabilizing transform of the data.

(b)

```
dat2 <- diff(dat$submissions)
dat3 <- diff(log(dat$submissions))
plot(dat2)</pre>
```



plot(dat3)



As we can see, the first order differenced data of the transformed series is much more like white noise than the difference of the untransformed data.

(c)

By standard differencing prediction,

$$x_{n+1} = e^{\bar{y} + \log(x_n)}$$

```
tail(dat$submissions)
## [1] 11352 12595 11568 11938 10870 7318

log <- log(10870)
log

## [1] 9.293762

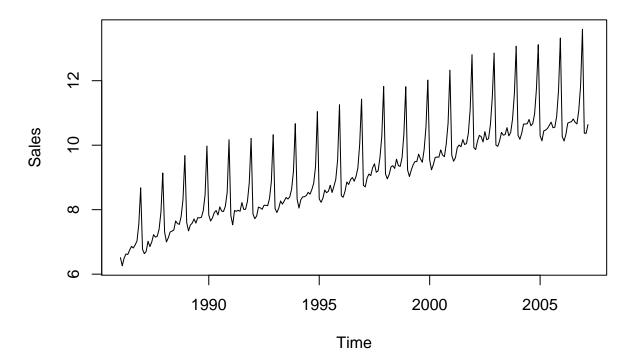
dat3 <- dat3[-1]
log+mean(dat3)

## [1] 9.311
exp(1)^(log+mean(dat3))</pre>
```

## [1] 11059

#### Question 2

```
data(retail)
sqrt_retail <- (sqrt(retail))
plot(sqrt_retail)</pre>
```

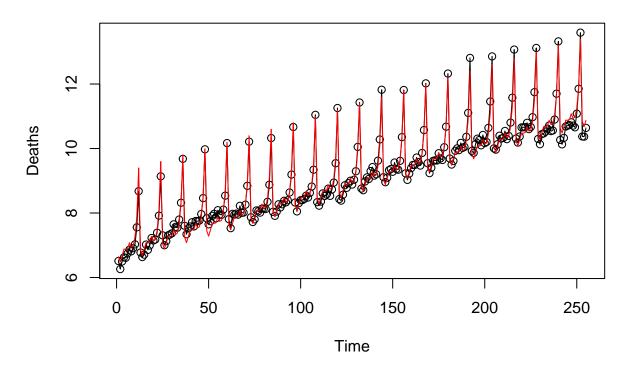


There is a very strong seasonal trend in the data, as well as a seemingly linear trend as well.

```
t = 1: length(sqrt_retail)
f1 = 1
f2 = 2
f3 = 3
f4 = 4
f5 = 5
f6 = 6
d = 12
v1 = \cos(2*pi*f1*t/d)
v2 = sin(2*pi*f1*t/d)
v3 = \cos(2*pi*f2*t/d)
v4 = \sin(2*pi*f2*t/d)
v5 = \cos(2*pi*f3*t/d)
v6 = sin(2*pi*f3*t/d)
v7 = \cos(2*pi*f4*t/d)
v8 = sin(2*pi*f4*t/d)
v9 = \cos(2*pi*f5*t/d)
```

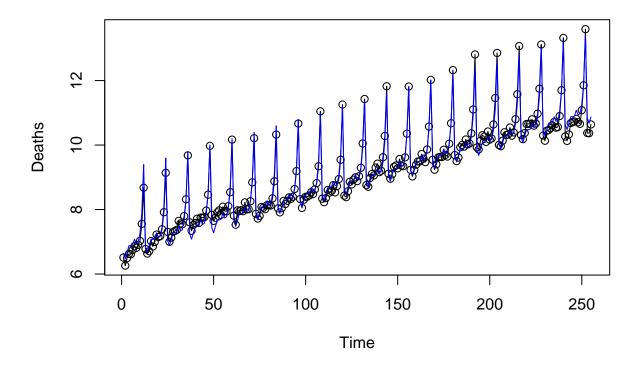
```
v10 = sin(2*pi*f5*t/d)
v11 = cos(2*pi*f6*t/d)
lin.mod = lm(sqrt_retail ~ 1 + t + v1 + v2 + v3 + v4 + v5 + v6 + v7 + v8 + v9 + v10 +v11)
plot(t, sqrt_retail, type = "o", xlab = "Time", ylab = "Deaths", main = "Monthly Totals of Accidental D points(t, lin.mod$fitted, type = "l", col = "red")
```

### Monthly Totals of Accidental Deaths in the US 1973-1978

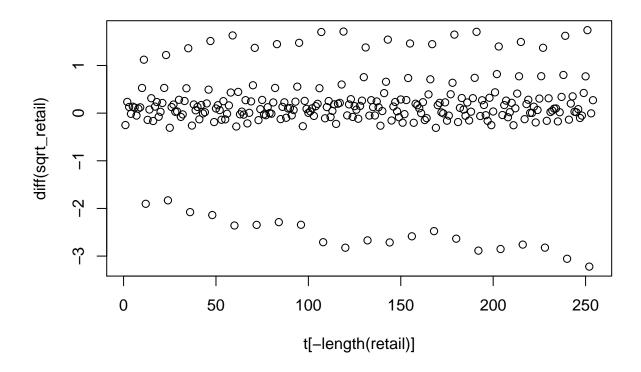


```
month <- seasonaldummy(sqrt_retail)
lin.mod2 = lm(sqrt_retail ~ month + t)
plot(t, sqrt_retail, type = "o", xlab = "Time", ylab = "Deaths", main = "Monthly Totals of Accidental D
points(t, lin.mod2$fitted, type = "l", col = "blue")</pre>
```

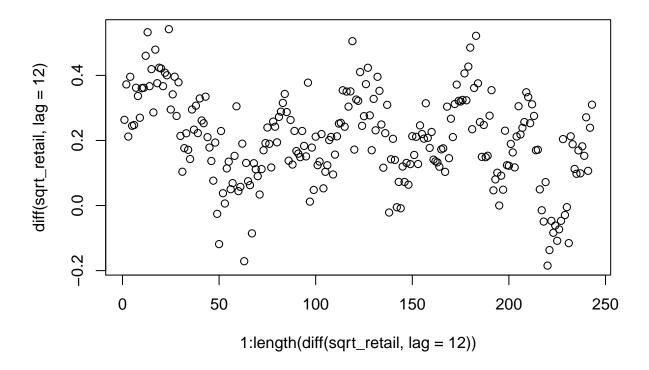
# Monthly Totals of Accidental Deaths in the US 1973-1978



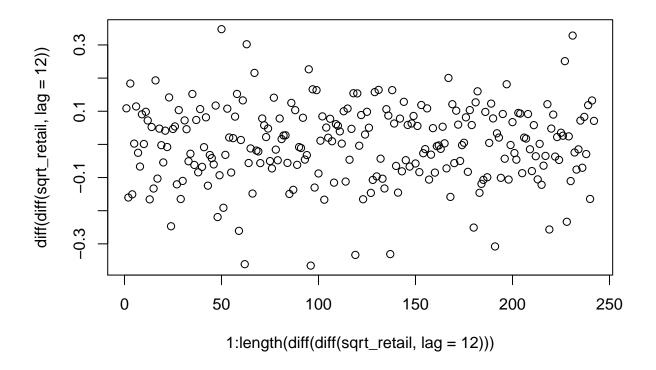
plot(x = t[-length(retail)], y = diff(sqrt\_retail))



plot(x = 1:length(diff(sqrt\_retail, lag = 12)), y = diff(sqrt\_retail, lag = 12))



plot(x = 1:length(diff(diff(sqrt\_retail, lag = 12))), y = diff(diff(sqrt\_retail, lag = 12)))



iii. looks the most like white noise