Lab 3 Assignment — Harvest Models Due before Tuesday

Answer each of the following questions and upload your completed Excel file and R script to ELC. Be sure to show your calculations. Undergraduates only need to do Exercise I in R.

Exercise I

The Excel sheet shows (fake) data on Burmese python abundance in South Florida.

- 1. What growth model best describes these data, geometric or logistic? Hint: calculate $\lambda_t = N_t/N_{t-1}$ to assess if growth rates change over time.
- 2. What is the growth rate (r)?
- 3. If you determine that the per-capita birth rate (b) is 2.0, what must be the per-capita mortality rate (d)?
- 4. What harvest rate (h) would result in a sustainable yield?
- 5. Use the sustainable harvest rate (h) from part (4) to project the population forward from 2012 to 2024. You will need to compute the number of individuals removed (H_t) each year using the equation $H_t = N_t h$ (Note that H_t can be greater than N_t because harvest is assumed to occur at the end of the year, after the population has grown). Create a graph of python abundance from 2005–2024.

Here's some R code to get you started on Exercise I:

```
years1 <- 2005:2024
                                                      ## All years
nYears1 <- length(years1)
                                                      ## Number of years
                                                      ## nYears with data
nYearsWithData <- 8
nYearsWithoutData <- nYears1-nYearsWithData
                                                      ## nYears without data
pythons <- c(10, 25, 63, 156, 391, 977, 2441, 6104, ## Python counts
             rep(NA, nYears1-nYearsWithData))
## Question 1 hint: you can compute the first lambda like this:
lambda <- rep(NA, nYears1-1)</pre>
lambda[1] <- pythons[2]/pythons[1]</pre>
## You could use a 'for loop' to compute lambda in each year
## For question 5, you will want a loop like this:
for(t in (nYearsWithData+1):nYears) {
   ## PUT CODE HERE
```

Exercise II

Imagine a population of northern bobwhite (*Colinus virginianus*) that is experiencing logistic growth with $r_{\text{max}} = 0.32$, K = 2000, and an initial population size of 100 individuals.

- 1. Project the population for 40 years, and plot abundance over time. Add axis labels as always.
- 2. Compute the number of individuals that *could be* sustainably harvested each year. Plot abundance on the x-axis and sustainable harvest on the y-axis.
- 3. At what value of abundance (N) would maximum sustainable yield (MSY) occur?
- 4. What is the value of MSY in this case?
- 5. Using the same values of r_{max} , K, and N_0 , project the population forward again, but include harvest (H_t) . Choose values of H_t that allow for the greatest number of years at MSY. Hint: You can let harvest be zero in some years.

Exercise III

Suppose that annual survival of sitka deer (*Odocoileus hemionus sitkensis*) decreases as abundance increases according to the equation: $S = \beta_0 - \beta_1 \times N$.

- 1. Compute survival probability for each value of N provided in the spreadsheet with $\beta_0 = 0.95$ and $\beta_1 = 0.003$. Create a graph with survival probability on the y-axis and abundance on the x-axis.
- 2. A manager is trying to decide how many deer to harvest, and is considering removing anywhere from 10 to 150 individuals from a population of 200. Use the equation above to determine how many deer will remain one year after harvest for each of the harvest options. To accomplish this:
 - Compute how many individuals will be alive immediately after harvest
 - Compute survival probability for these remaining individuals using the survival equation
 - Compute how many will be alive at the end of the year.
- 3. Create a graph with final abundance (N) on the y-axis and harvest (H) of the x-axis.
- 4. Determine how many deer will be alive if no harvest occurs. Are there any levels of harvest that can result in a larger population than the no harvest scenario? If so, how can this be?
- 5. If the manager's objective is to maximize harvest, while maintaining a herd size greater than it would be without harvest, how many deer should be taken?

R tips

Here's an example of a logistic growth model.

Here's an example of a logistic growth model with harvest

