CPSC 335: Project 1

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Algorithm 1 (Left-to-Right):

Pseudocode:

Given: n

Multiply list * n

Def left_to_right(some_list):

For element in range of some_list length - 1: # avoid error

For i in range of element to some list length - 1:

If (some_list[i] and some_list[next element (element+1)] == "light:):

Set temp to some_list[element]

Set some_list[i] to some_list[element+1]

Set some_list[element+1] to temp

Print the list outside of the loop

Mathematical Analysis:

The overall time complexity of this algorithm is $O(n^2)$. We will prove this using limits: Proof:

T(n) our algorithm, is
$$O(\frac{(n-1)n}{2})$$
 —> step count

We are going to assume the efficiency class for f(n) is $T(n)=O(n^2)$ for this algorithm

$$\lim_{n \to \infty} f(n)/T(n)$$

$$= \lim_{n \to \infty} \frac{\frac{(n-1)n}{2}}{n^2}$$

$$= \lim_{n \to \infty} \frac{n^2 - 2n}{2n^2}$$

$$= \lim_{n \to \infty} \frac{n}{2n^2} - \frac{2n}{2n^2}$$

$$= \lim_{n \to \infty} \frac{1}{2} - \frac{1}{n}$$

$$=\frac{1}{2}-0$$

Since the outcome is $\frac{1}{2}$, which is constant, this satisfies case 2 which f(n) = T(n).

Algorithm 2 (Lawnmower):

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Pseudocode:
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Given: list of 2n size

Def lawnmower(some_list):

Set one pointer called left to 0

Set one pointer called right to 1

Set n to the length of some_list

For element in range(int(n divided by 2)):

For x in range from left to the n size minus right:

If some list at x is equal to "dark" (1) and the next element is "light" (0):

this is switching the two elements to trade places

Set temp to some list at x

Set some_list at x to the next element (light)

Set the next element (light) to the temp

Increment right by 1

Increment left by 1 so that they both move through the loop

For t in range from the size - right to left, reversing the traversal with -1

If some list at t is "light" (0) and the element before it is "dark"(1):

Set temp to some list at t # light

Set some list at j to the previous element # light = dark

Set the previous element to temp # dark = light

Increment right by 1

Increment left by 1

Mathematical Analysis:

The overall time complexity of this algorithm is $O(n^2)$. We will prove this using limits: Proof:

T(n) our algorithm, is
$$O(\frac{n^2-2n}{2})$$
 —> step count

We are going to assume the efficiency class for f(n) is $T(n)=O(n^2)$ for this algorithm

$$\lim_{n\to\infty} f(n)/T(n)$$

$$= \lim_{n \to \infty} \frac{\frac{n^2 - 2n}{2}}{n^2}$$

$$= \lim_{n \to \infty} \frac{n^2 - 2n}{2n^2}$$

$$= \lim_{n \to \infty} \frac{n^2}{2n^2} - \frac{2n}{2n^2}$$

$$= \lim_{n \to \infty} \frac{1}{2} - \frac{1}{n}$$

$$= \frac{1}{2} - 0$$

$$= \frac{1}{2}$$

Since the outcome is $\frac{1}{2}$, which is constant, this satisfies case 2 which f(n) = T(n).