

1.
 lw \$t6 -24(\$sp)
 Binary: 100011 11101 01110 1111111111101000
 Hex: 0x8FAEFFE8

Field	remarks	value
RegDst	I type instruction	0
MemRead	true	1
Branch	false	0
MemtoReg	Read data	1
MemWrite	false	0
ALUSrc	Use immediate	1
RegWrite	true	1
Instr[31-26]	lw	0x23
Instr[25-21]	\$t6	29
Instr[20-16]	\$sp	14
Instr[15-11]	-24 in hex is FFE8	0b11111
1	Value in \$sp + (-24)	0x7FFFEFDC
2	Value in \$t6	0x00006200
3		0b101000
4	-24, sign extended	0xFFFFFFE8
5	PC+4-24*4	108

2.
 a.
 $A.B'.E.L'.O.P'.T'.W.H' + A.L + A.L'.T'$
 $= A.L'.T'.B'.E.O.P'.W.H' + A.L + A.L'.T'$ (commutative law)
 $= A.L'.T'.B'.E.O.P'.W.H' + A.L'.T' + A.L$ (commutative law)
 $= A.L'.T' + A.L$ (absorption 1)
 $= A.(L'.T' + L)$ (distributive law)
 $= A.(T' + L)$ (absorption 2)
 $= A.T' + A.L$ (distributive law)

b.
 Number of PIs: 6
 Number of EPIs: 1

f		c,d			
		00	01	11	10
a,b	00	1	1	0	1
	01	-	0	0	0
	11	-	1	0	-
	10	0	-	0	0

1

Simplest SOP: $a'.b'.d' + a'.b'.c' + a.b.c'$

Simplest POS: $(c' + d').(a + b').(a' + b)$

c.

Minterms are 1,7,9,12,13,14

f		c,d			
		00	01	11	10
a,b	00	-	1	0	-
	01	0	0	1	0
	11	1	1	0	1
	10	-	1	0	-

Number of Pls: 4

Number of EPls: 4

Simplest SOP: $b'.c' + a'.b.c.d + a.c' + a.d'$

Simplest POS: $(b + c').(a + b' + c).(a + d).(a' + c' + d')$

3.

74LS83 4-Bit Binary Adder with Fast Carry.

It takes in two 4-bit numbers A and B, and carry-in C_0 , and outputs a 5-bit number VWXYZ, which can be treated as a 4-bit number WXYZ and a carry-out V. A and B are represented by $A_4A_3A_2A_1$ and $B_4B_3B_2B_1$ respectively.

4.

a.

Relevant prime numbers: 2,3,5,7,11,13,17,19,23

Don't care:

0,1,2,3,4,5,6,7

Minterms: 10,11,13,15,19,21,25,27,31

Map

	$\overline{D}.\overline{E}$	$\overline{D}.E$	$D.E$	$D.\overline{E}$
$\overline{A}.\overline{B}.\overline{C}$	x	x	x	x
$\overline{A}.\overline{B}.C$	x	x	x	x
$\overline{A}.B.\overline{C}$	0	1	1	0
$\overline{A}.B.C$	0	0	1	1
$A.\overline{B}.\overline{C}$	0	0	1	0
$A.\overline{B}.C$	0	1	0	0
$A.B.\overline{C}$	0	0	1	0
$A.B.C$	0	1	1	0

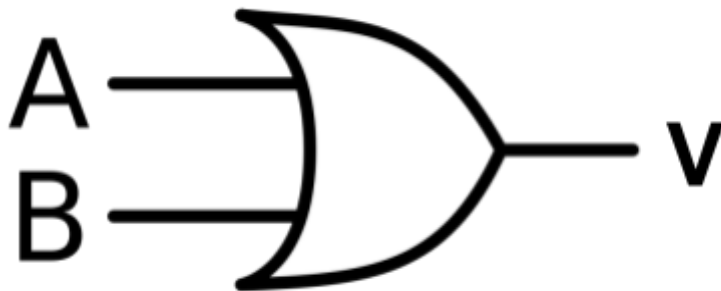
2

b.

$$B.D.E + A'.C'.D + C'.D.E + A'.C.E + A.B.C'.E + B'.C.D'.E$$

c.

To be valid, the decimal equivalent of the raw input must be greater than or equal to 8. It is sufficient to check that $A=1$ or $B=1$. Hence we use a single OR gate.



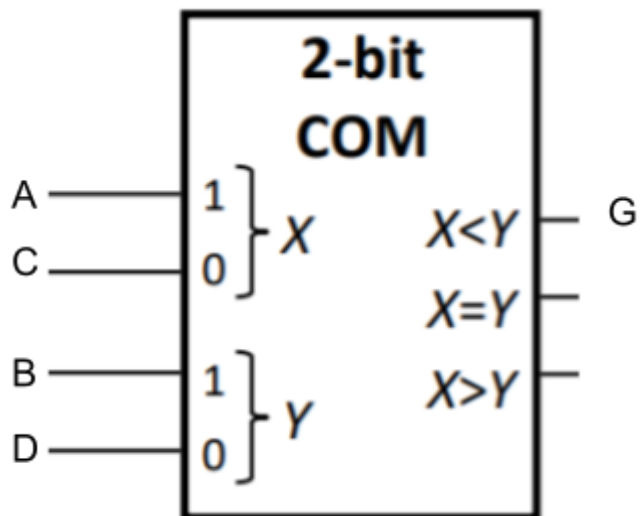
5.

a.

K-map of G:

<i>f</i>		<i>c,d</i>			
		00	01	11	10
<i>a,b</i>	00	0	1	0	0
	01	1	1	1	1
	11	0	1	0	0
	10	0	0	0	0

Let $X_1=A$, $X_0=C$, $Y_1=B$, $Y_0=D$, then G is the $X<Y$ output



b.

