This is the notebook where you can test the best MLP and SVM models on the test set Importing the Train, Validation and Test Sets In [1]: | import torch import pickle import numpy as np import pandas as pd from sklearn.metrics import accuracy\_score, confusion\_matrix, roc\_curve, auc import matplotlib.pyplot as plt import seaborn as sns #We import the necessary libraries. In [2]: X\_test\_df = pd.read\_csv('X\_Test.csv') Y\_test\_df = pd.read\_csv('Y\_Test.csv') X\_val\_df = pd.read\_csv('X\_Val.csv') Y\_val\_df = pd.read\_csv('Y\_Val.csv') X\_train\_df = pd.read\_csv('X\_Train.csv') Y\_train\_df = pd.read\_csv('Y\_Train.csv') #We import the train, validation and test sets. In [3]: X\_Test\_Tensor = torch.tensor(X\_test\_df.values).float() Y\_Test\_Tensor = torch.tensor(Y\_test\_df.values).float() X\_Val\_Tensor = torch.tensor(X\_val\_df.values).float() Y\_Val\_Tensor = torch.tensor(Y\_val\_df.values).float() X\_Train\_Tensor = torch.tensor(X\_train\_df.values).float() Y\_Train\_Tensor = torch.tensor(Y\_train\_df.values).float() #We convert the values of each dataframe to tensors. Testing the Best MLP Model In [4]: **import** torch import torch.nn as nn import torch.optim as optim import matplotlib.pyplot as plt class FireAlarmNN(nn.Module): def \_\_init\_\_(self, input\_size, hidden\_sizes, output\_size): #We set three parameters for our neural network class. The input #size, the number of hidden neurons and the output size. super(FireAlarmNN, self).\_\_init\_\_() self.f\_c\_1 = nn.Linear(input\_size, hidden\_sizes[0], bias=True) #This is the first fully connected layer. We pass the input #features to the first hidden layer. We also include a bias term for each neuron in the hidden layer.  $self.f_c_2 = nn.Linear(hidden_sizes[0], hidden_sizes[1], bias=True)$  #This is the second fully connected layer. We pass #the features from the first hidden layer to the second one and include a bias term for each neuron in the hidden layer. self.f\_c\_3 = nn.Linear(hidden\_sizes[1], hidden\_sizes[2], bias=True) #This is the third fully connected layer. We pass the #features from the second hidden layer to the third hidden layer and inlcude a bias term for each neuron in the hidden  $self.f_c_4 = nn.Linear(hidden_sizes[2], output_size, bias=True)$  #This is the fourth fully connceted layer. We pass the #features from the third hidden layer to the output layer and incude a bias term for the single neuron in the output self.relu = nn.ReLU() #This is the rectified linear unit activation function. The recitified linear unit activation #is a calculation that returns the value 0 if the input value is 0 or less and then for the positive values and returns #the input value itself if the input value is positive. def forward(self, x): #This is the function that shows the forward propagation of the MLP neural network.  $x = self.f_c_1(x)$ x = self.relu(x) $x = self.f_c_2(x)$ x = self.relu(x) $x = self.f_c_3(x)$ x = self.relu(x)output =  $self.f_c_4(x)$ return output #We pass the input features through the first fully connected layer and activate the relu activation function in each #forward pass. Then the output of the first fully connected layer becomes the input of the next fully connected layer #etc. After each forward pass we activate the relu function. def fit\_training\_validating(self, train\_input\_data, train\_targets, val\_input\_data, val\_targets, learning\_rate, epochs, momentum, weight\_decay, patience): #This is the part of the neural network which is used to train and validate the model on the given input data and #targets. It applies weight decay for regularization, momentum for optimization and acceleration of the convergence of #gradient descent and early stopping by tracking the validation loss to prevent early stopping during training. criterion = nn.BCEWithLogitsLoss() #This is the loss function. We select binary cross-entropy with logits loss since we #are dealing with a binary classification problem. optimizer = optim.Adam(self.parameters(), lr=learning\_rate, weight\_decay=weight\_decay) #This is the optimizer that will #update the weights and biases based on the loss function. The adam optimizer is a popular choice for binary #classification problems. We also specify the learning rate, momentum terms (betas) and weight decay for regularization. highest\_val\_loss = float('inf') early\_stopping\_count = 0 train\_losses = [] #We track the training loss for each epoch. val\_losses = [] #We track the validation loss for each epoch. for epoch in range(epochs): self.train() #We first enter training mode. predictions = self(train\_input\_data) #we make predictions on the training set to track the loss. loss = criterion(predictions, train\_targets.view(-1, 1)) optimizer.zero\_grad() loss.backward() optimizer.step() train\_losses.append(loss.item()) #This is the training process of the neural network. For every epoch we feed the inputs forward through the layers, #we get the predictions, we calculate the loss function, we then perform backpropagation to get the gradients and #then update the weights and biases with the adam function. self.eval() #We enter validation mode and stop training mode. with torch.no\_grad(): val\_predictions = self(val\_input\_data) #We make predictions on the validation set for every epoch. val\_loss = criterion(val\_predictions, val\_targets.view(-1, 1)) #We calculate the validation loss. val\_losses.append(val\_loss.item()) #We store every validation loss in the list we created above. if val\_loss.item() < highest\_val\_loss:</pre> highest\_val\_loss = val\_loss.item() early\_stopping\_count = 0 else: early\_stopping\_count +=1 if early\_stopping\_count > patience: print(f'Early Stopping at Epoch {epoch}') break return train\_losses, val\_losses #In the above code we implement the early stopping criteria. If the validation loss keeps increasing over 10 epochs #(patience=10) then we stop training because we are overfitting to the training data. def predicting(self, X): #This function will be applied on the validation and test set to see how well the model is able to #predict. We will track down the validation accuracies for each model we validate and then calculate the accuracy of the #best model with the test set. self.eval() #We enter validation mode. with torch.no\_grad(): predictions = self(X)final\_predictions = torch.sigmoid(predictions) #When the forward propagation is complete, we apply the sigmoid #activation function. This transforms the numbers into probabilities of belonging either in class 0 or 1. return (final\_predictions >= 0.5).int() #We set the threshold to 0.5 . This means that the probabilities that #are equal or over 0.5 are more likely to belong to class 1 and the probabilities that are lower than 0.5 are more #likely to belong to class 0. By calling the .int() we transform the probabilities that are over or equal to 0.5 to 1, #and the probabilities under 0.5 to 0. #Reference link for BCEWithLogitsLoss() function: https://pytorch.org/docs/stable/generated/torch.nn.functional.binary\_cross\_entropy\_with\_logits.html #Reference link for Adam optimizer: https://www.analyticsvidhya.com/blog/2023/09/what-is-adam-optimizer/#:~:text=The%20Adam%20optimizer%2C%20short%20for,Developed%20by%20Diederik%20P. In [5]: optimal\_lr = 0.01 optimal\_epochs = 310 momentum = 0.9 $weight_decay = 0.0001$ patience = 10 #We set the same values of the parameters and hyperparameters as we did in the original notebook. In [6]: import pickle #We load the pickle filed with the best model that we saved in the original notebook. pickle1\_file\_path = '/Desktop/Masters/Neural Networks/Individual Coursework/Data & Coding/Best\_MLP\_Model.pkl' with open(pickle1\_file\_path, 'rb') as file: Best\_MLP\_Model = pickle.load(file) #Reference link for pickle files: https://www.tutorialspoint.com/how-to-use-pickle-to-save-and-load-variables-in-python In [7]: Best\_MLP\_Model #This is the structure of the best MLP model. FireAlarmNN( Out[7]: (f\_c\_1): Linear(in\_features=7, out\_features=30, bias=True) (f\_c\_2): Linear(in\_features=30, out\_features=15, bias=True) (f\_c\_3): Linear(in\_features=15, out\_features=7, bias=True) (f\_c\_4): Linear(in\_features=7, out\_features=1, bias=True) (relu): ReLU() In [8]: torch.manual\_seed(100) test\_predictions = Best\_MLP\_Model.predicting(X\_Test\_Tensor) test\_accuracy = accuracy\_score(Y\_Test\_Tensor.numpy(), test\_predictions.numpy()) #We test the best model on the test set and generate the accuracy score. In [9]: test\_accuracy #This is the test set accuracy for the best MLP model. 0.9527383043269998 Out[9]: In [10]: from sklearn.metrics import confusion\_matrix from sklearn.metrics import precision\_score, recall\_score, f1\_score plt.figure(figsize=(8,6)) conf\_matrix = confusion\_matrix(Y\_Test\_Tensor.numpy(), test\_predictions.numpy()) sns.heatmap(conf\_matrix, annot=True, fmt='d', cmap='cividis') plt.xlabel('Predicted Labels') plt.ylabel('True Labels') plt.title('Confusion Matrix for the Best Model') plt.show()  $t_n$ ,  $f_p$ ,  $f_n$ ,  $t_p = conf_matrix.ravel()$ test\_precision = precision\_score(Y\_Test\_Tensor.numpy(), test\_predictions.numpy()) test\_recall = recall\_score(Y\_Test\_Tensor.numpy(), test\_predictions.numpy()) test\_f1\_score = f1\_score(Y\_Test\_Tensor.numpy(), test\_predictions.numpy()) print(f"True Negatives: {t\_n}") print(f"False Positives: {f\_p}") print(f"False Negatives: {f\_n}") print(f"True Positives: {t\_p}") print('\*' \* 100) print(f'The test accuracy is {test\_accuracy}') print(f'The test precision is {test\_precision}') print(f'The test recall is {test\_recall}') print(f'The test f1-score is {test\_f1\_score}') #We display the confusion matrix of the best MLP model. #Reference link for confusion matrix: https://proclusacademy.com/blog/practical/confusion-matrix-accuracy-sklearn-seaborn/ Confusion Matrix for the Best Model 4000 - 3500 1789 3000 2500 - 2000 1500 296 4178 1000 500 0 Predicted Labels True Negatives: 1789 False Positives: 0 False Negatives: 296 True Positives: 4178 \* The test accuracy is 0.9527383043269998 The test precision is 1.0 The test recall is 0.9338399642378185 The test f1-score is 0.965788257050393 In [11]: from sklearn.metrics import roc\_curve, auc false\_positive\_rates, true\_positive\_rates, thresholds = roc\_curve(Y\_Test\_Tensor, test\_predictions) AUC\_Score = auc(false\_positive\_rates, true\_positive\_rates) plt.figure(figsize=(10,5)) plt.plot(false\_positive\_rates, true\_positive\_rates, color='red', lw=3.5, label=f'ROC Curve for the Best Model') plt.plot([0,1], [0,1], color='black', lw=1.5, linestyle='--', label='Equal True and False Positive Rates') plt.xlabel('False Positive Rates') plt.ylabel('True Positive Rates') plt.title(f'ROC Curve for AUC Score = {round(AUC\_Score, 3)}', fontsize=13) plt.legend(loc='lower right') plt.show() #We display the ROC Curve for the best MLP model to compare the true and false positive rates. We want to see the trade-offs between #the true and false positive rates. #Reference link for ROC Curve: https://www.w3schools.com/python/python\_m1\_auc\_roc.asp ROC Curve for AUC Score = 0.9671.0 0.8 Positive Rates 0.2 ROC Curve for the Best Model --- Equal True and False Positive Rates 0.0 0.2 0.4 0.8 1.0 False Positive Rates Testing the Best SVM Model In [12]: **import** pickle #We load the pickle filed with the best model that we saved in the original notebook. pickle2\_file\_path = '/Desktop/Masters/Neural Networks/Individual Coursework/Data & Coding/Best\_SVM\_Model.pkl' with open(pickle2\_file\_path, 'rb') as file: Best\_SVM\_Model = pickle.load(file) #Reference link for pickle files: https://www.tutorialspoint.com/how-to-use-pickle-to-save-and-load-variables-in-python In [13]: Best\_SVM\_Model #This is the best SVM model Out[13]: ▼ SVC SVC(C=100, gamma=0.1) In [14]: torch.manual\_seed(100) Test\_Predictions = Best\_SVM\_Model.predict(X\_Test\_Tensor) Test\_Accuracy = accuracy\_score(Y\_Test\_Tensor, Test\_Predictions) print("Test Accuracy With the Best Parameters:", Test\_Accuracy) #We calculate and print the test accuracy. Test Accuracy With the Best Parameters: 0.8958965352067699 In [15]: from sklearn.metrics import confusion\_matrix from sklearn.metrics import precision\_score, recall\_score, f1\_score Confusion\_Matrix = confusion\_matrix(Y\_Test\_Tensor, Test\_Predictions) plt.figure(figsize=(8,6)) sns.heatmap(Confusion\_Matrix, annot=True, fmt='d', cmap='cividis') plt.xlabel('Predicted Labels') plt.ylabel('True Labels') plt.title('Confusion Matrix for the Best Model') plt.show() t\_n, f\_p, f\_n, t\_p = Confusion\_Matrix.ravel() Test\_Precision = precision\_score(Y\_Test\_Tensor.numpy(), Test\_Predictions) Test\_Recall = recall\_score(Y\_Test\_Tensor.numpy(), Test\_Predictions) Test\_F1\_Score = f1\_score(Y\_Test\_Tensor.numpy(), Test\_Predictions) #We display the confusion matrix. print(f"True Negatives: {t\_n}") print(f"False Positives: {f\_p}") print(f"False Negatives: {f\_n}") print(f"True Positives: {t\_p}") print('\*' \* 100) print(f'The test accuracy is {Test\_Accuracy}') print(f'The test precision is {Test\_Precision}') print(f'The test recall is {Test\_Recall}') print(f'The test f1-score is {Test\_F1\_Score}') #Reference link for confusion matrix: https://proclusacademy.com/blog/practical/confusion-matrix-accuracy-sklearn-seaborn/ Confusion Matrix for the Best Model 3500 - 3000 1758 - 2500 - 2000 - 1500 621 1000 3853 500 0 Predicted Labels True Negatives: 1758 False Positives: 31 False Negatives: 621 True Positives: 3853 \* The test accuracy is 0.8958965352067699 The test precision is 0.9920185375901133 The test recall is 0.8611980330800179 The test f1-score is 0.92199090691553 In [16]: from sklearn.metrics import roc\_curve, auc false\_positive\_rates, true\_positive\_rates, thresholds = roc\_curve(Y\_Test\_Tensor, Test\_Predictions) AUC\_Score = auc(false\_positive\_rates, true\_positive\_rates) plt.figure(figsize=(10,5)) plt.plot(false\_positive\_rates, true\_positive\_rates, color='red', lw=3.5, label=f'ROC Curve for best model') plt.plot([0,1], [0,1], color='black', lw=1.5, linestyle='--', label='Equal True and False Positive Rates') plt.xlabel('False Positive Rates') plt.ylabel('True Positive Rates') plt.title(f'ROC Curve for AUC Score = {round(AUC\_Score, 3)}', fontsize=13) plt.legend(loc='lower right') plt.show() #We display the ROC Curve for the best SVM model to compare the true and false positive rates. We want to see the trade-offs between #the true and false positive rates. #Reference link for ROC Curve: https://www.w3schools.com/python/python\_m1\_auc\_roc.asp ROC Curve for AUC Score = 0.922 1.0 0.8 Rates 9.0 True Positive 0.2 ROC Curve for best model --- Equal True and False Positive Rates 0.0 0.2 0.4 0.6 0.8 1.0 False Positive Rates