

VIT UNIVERSITY, ANDHRA PRADESH  
School of CSE  
CSE3008 - Introduction to Machine Learning  
Lab Experiment-8  
( **Support vector machine** )  
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Support vector machine

▼ **Support vector machine**

```
[1] import numpy as np
import cvxopt
from sklearn.datasets.samples_generator import make_blobs
from sklearn.model_selection import train_test_split
from matplotlib import pyplot as plt
from sklearn.svm import LinearSVC
from sklearn.metrics import confusion_matrix
```

```
/usr/local/lib/python3.7/dist-packages/sklearn/utils/deprecation.py:144: FutureWarning:
warnings.warn(message, FutureWarning)
```

```

[2] class SVM:
    def fit(self, X, y):
        n_samples, n_features = X.shape# P = X^T X
        K = np.zeros((n_samples, n_samples))
        for i in range(n_samples):
            for j in range(n_samples):
                K[i,j] = np.dot(X[i], X[j])
        P = cvxopt.matrix(np.outer(y, y) * K)# q = -1 (1xN)
        q = cvxopt.matrix(np.ones(n_samples) * -1)# A = y^T
        A = cvxopt.matrix(y, (1, n_samples))# b = 0
        b = cvxopt.matrix(0.0)# -1 (NxN)
        G = cvxopt.matrix(np.diag(np.ones(n_samples) * -1))# 0 (1xN)
        h = cvxopt.matrix(np.zeros(n_samples))
        solution = cvxopt.solvers.qp(P, q, G, h, A, b)# Lagrange multipliers
        a = np.ravel(solution['x'])# Lagrange have non zero lagrange multipliers
        sv = a > 1e-5
        ind = np.arange(len(a))[sv]
        self.a = a[sv]
        self.sv = X[sv]
        self.sv_y = y[sv]# Intercept
        self.b = 0
        for n in range(len(self.a)):
            self.b += self.sv_y[n]
            self.b -= np.sum(self.a * self.sv_y * K[ind[n], sv])
        self.b /= len(self.a)# Weights
        self.w = np.zeros(n_features)
        for n in range(len(self.a)):
            self.w += self.a[n] * self.sv_y[n] * self.sv[n]

    def project(self, X):
        return np.dot(X, self.w) + self.b

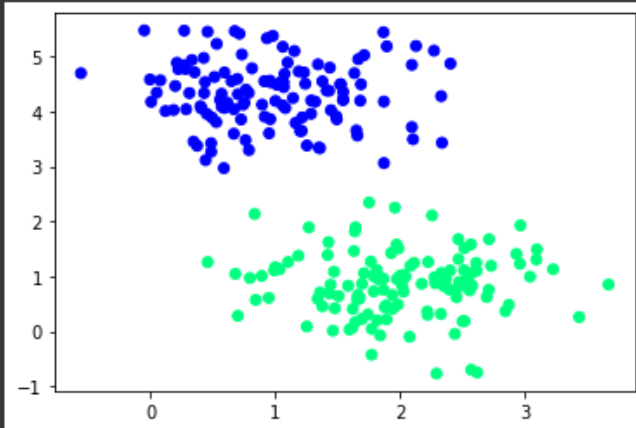
    def predict(self, X):
        return np.sign(self.project(X))

```

```
[3] X, y = make_blobs(n_samples=250, centers=2, random_state=0, cluster_std=0.60)
     y[y == 0] = -1
     tmp = np.ones(len(X))
     y = tmp * y
```

```
[4] plt.scatter(X[:, 0], X[:, 1], c=y, cmap='winter')
```

<matplotlib.collections.PathCollection at 0x7f6a4a4e83d0>



```
[5] X_train, X_test, y_train, y_test = train_test_split(X, y, random_state=0)
```

```
[6] svm = SVM()
     svm.fit(X_train, y_train)
```

	pcost	dcost	gap	pres	dres
0:	-1.8226e+01	-3.4458e+01	6e+02	2e+01	2e+00
1:	-2.5252e+01	-1.8773e+01	2e+02	9e+00	7e-01
2:	-5.3459e+01	-3.2711e+01	2e+02	7e+00	6e-01
3:	-7.8360e+01	-2.6482e+01	1e+02	4e+00	3e-01
4:	-5.6818e+00	-5.1750e+00	1e+01	2e-01	1e-02
5:	-3.6906e+00	-4.1082e+00	4e-01	4e-16	9e-15
6:	-4.0061e+00	-4.0104e+00	4e-03	1e-15	6e-15
7:	-4.0094e+00	-4.0094e+00	4e-05	1e-15	4e-15
8:	-4.0094e+00	-4.0094e+00	4e-07	2e-15	7e-15

Optimal solution found.

```
[7] def f(x, w, b, c=0):
    return (-w[0] * x - b + c) / w[1]
    plt.scatter(X_train[:, 0], X_train[:, 1], c=y_train, cmap='winter')# w.x + b = 0
    a0 = -4; a1 = f(a0, svm.w, svm.b)
    b0 = 4; b1 = f(b0, svm.w, svm.b)
    plt.plot([a0,b0], [a1,b1], 'k')# w.x + b = 1
    a0 = -4; a1 = f(a0, svm.w, svm.b, 1)
    b0 = 4; b1 = f(b0, svm.w, svm.b, 1)
    plt.plot([a0,b0], [a1,b1], 'k--')# w.x + b = -1
    a0 = -4; a1 = f(a0, svm.w, svm.b, -1)
    b0 = 4; b1 = f(b0, svm.w, svm.b, -1)
    plt.plot([a0,b0], [a1,b1], 'k--')
```

```
[8] y_pred = svm.predict(X_test)
    confusion_matrix(y_test, y_pred)
```

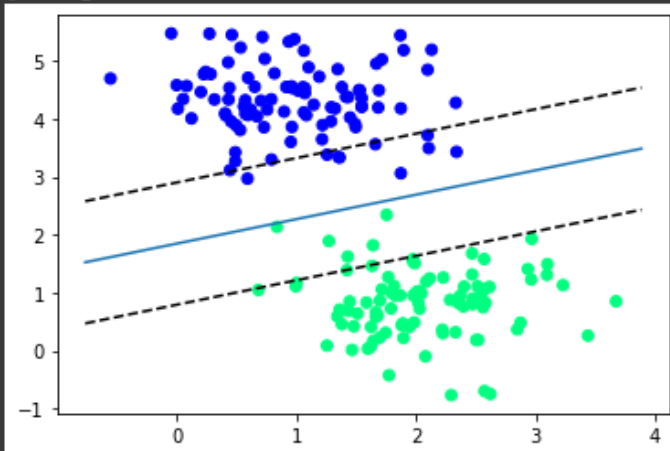
```
array([[29,  0],
       [ 0, 34]])
```

```
[9] svc = LinearSVC()
    svc.fit(X_train, y_train)
```

```
LinearSVC(C=1.0, class_weight=None, dual=True, fit_intercept=True,
          intercept_scaling=1, loss='squared_hinge', max_iter=1000,
          multi_class='ovr', penalty='l2', random_state=None, tol=0.0001,
          verbose=0)
```

```
[10] plt.scatter(X_train[:, 0], X_train[:, 1], c=y_train, cmap='winter');
      ax = plt.gca()
      xlim = ax.get_xlim()
      w = svc.coef_[0]
      a = -w[0] / w[1]
      xx = np.linspace(xlim[0], xlim[1])
      yy = a * xx - svc.intercept_[0] / w[1]
      plt.plot(xx, yy)
      yy = a * xx - (svc.intercept_[0] - 1) / w[1]
      plt.plot(xx, yy, 'k--')
      yy = a * xx - (svc.intercept_[0] + 1) / w[1]
      plt.plot(xx, yy, 'k--')
```

```
[<matplotlib.lines.Line2D at 0x7f6a41b9fe50>]
```



```
[11] y_pred = svc.predict(X_test)
      confusion_matrix(y_test, y_pred)
```

```
array([[29,  0],
       [ 0, 34]])
```

## Support vector machine (Radial Basis Function (RBF) kernel )

### Radial Basis Function (RBF) kernel

```
[1] import pandas as pd # for data manipulation
import numpy as np # for data manipulation

from sklearn.model_selection import train_test_split # for splitting the data into train and test samples
from sklearn.metrics import classification_report # for model evaluation metrics
from sklearn.svm import SVC # for Support Vector Classification model

import plotly.express as px # for data visualization
import plotly.graph_objects as go # for data visualization
```

```
[2] # Read in the csv
df=pd.read_csv('games.csv', encoding='utf-8')

# Difference between white rating and black rating - independent variable
df['rating_difference']=df['white_rating']-df['black_rating']

# White wins flag (1=win vs. 0=not-win) - dependent (target) variable
df['white_win']=df['winner'].apply(lambda x: 1 if x=='white' else 0)

# Print a snapshot of a few columns
df.iloc[:,[0,1,5,6,8,9,10,11,13,16,17]]
```

	id	rated	victory_status	winner	white_id	white_rating	black_id	black_rating	opening_eco	rating
0	TZJHLJE	False	outoftime	white	bourgris	1500	a-00	1191	D10	
1	l1NXvwaE	True	resign	black	a-00	1322	skinnerua	1261	B00	
2	mIlCvQHh	True	mate	white	ischia	1496	a-00	1500	C20	
3	kWKvrqYL	True	mate	white	daniamurashov	1439	adivanov2009	1454	D02	
4	9tXo1AUZ	True	mate	white	nik221107	1523	adivanov2009	1469	C41	
...	...	...	...	...	...	...	...	...	...	...
20053	EfqH7VVH	True	resign	white	belcolt	1691	jamboger	1220	A80	
20054	WSJDhbPl	True	mate	black	jamboger	1233	farrukhasomiddinov	1196	A41	
20055	yrAas0Kj	True	mate	white	jamboger	1219	schaaksmurf3	1286	D00	
20056	b0v4tRyF	True	resign	white	marcodisogno	1360	jamboger	1227	B07	
20057	N8G2JHGG	True	mate	black	jamboger	1235	ffbob	1339	D00	

```
[3] def fitting(X, y, C, gamma):
    # Create training and testing samples
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)

    # Fit the model
    # Note, available kernels: {'linear', 'poly', 'rbf', 'sigmoid', 'precomputed'}, default='rbf'
    model = SVC(kernel='rbf', probability=True, C=C, gamma=gamma)
    clf = model.fit(X_train, y_train)

    # Predict class labels on training data
    pred_labels_tr = model.predict(X_train)
    # Predict class labels on a test data
    pred_labels_te = model.predict(X_test)

    # Use score method to get accuracy of the model
    print('----- Evaluation on Test Data -----')
    score_te = model.score(X_test, y_test)
    print('Accuracy Score: ', score_te)
    # Look at classification report to evaluate the model
    print(classification_report(y_test, pred_labels_te))
    print('-----')

    print('----- Evaluation on Training Data -----')
    score_tr = model.score(X_train, y_train)
    print('Accuracy Score: ', score_tr)
    # Look at classification report to evaluate the model
    print(classification_report(y_train, pred_labels_tr))
    print('-----')

    # Return relevant data for chart plotting
    return X_train, X_test, y_train, y_test, clf
```

```
[4] def Plot_3D(X, X_test, y_test, clf):

    # Specify a size of the mesh to be used
    mesh_size = 5
    margin = 1

    # Create a mesh grid on which we will run our model
    x_min, x_max = X.iloc[:, 0].fillna(X.mean()).min() - margin, X.iloc[:, 0].fillna(X.mean()).max() + margin
    y_min, y_max = X.iloc[:, 1].fillna(X.mean()).min() - margin, X.iloc[:, 1].fillna(X.mean()).max() + margin
    xrange = np.arange(x_min, x_max, mesh_size)
    yrange = np.arange(y_min, y_max, mesh_size)
    xx, yy = np.meshgrid(xrange, yrange)

    # Calculate predictions on grid
    Z = clf.predict_proba(np.c_[xx.ravel(), yy.ravel()])[:, 1]
    Z = Z.reshape(xx.shape)

    # Create a 3D scatter plot with predictions
    fig = px.scatter_3d(x=X_test['rating_difference'], y=X_test['turns'], z=y_test,
                       opacity=0.8, color_discrete_sequence=['black'])

    # Set figure title and colors
    fig.update_layout(#title_text="Scatter 3D Plot with SVM Prediction Surface",
                      paper_bgcolor = 'white',
                      scene = dict(xaxis=dict(backgroundcolor='white',
                                                color='black',
                                                gridcolor='#f0f0f0'),
                                    yaxis=dict(backgroundcolor='white',
                                                color='black',
                                                gridcolor='#f0f0f0'),
                                    zaxis=dict(backgroundcolor='lightgrey',
```

```

# Set figure title and colors
fig.update_layout(#title_text="Scatter 3D Plot with SVM Prediction Surface",
                  paper_bgcolor = 'white',
                  scene = dict(xaxis=dict(backgroundcolor='white',
                                          color='black',
                                          gridcolor='#f0f0f0'),
                              yaxis=dict(backgroundcolor='white',
                                          color='black',
                                          gridcolor='#f0f0f0'
                                          ),
                              zaxis=dict(backgroundcolor='lightgrey',
                                          color='black',
                                          gridcolor='#f0f0f0',
                                          )))

# Update marker size
fig.update_traces(marker=dict(size=1))

# Add prediction plane
fig.add_traces(go.Surface(x=xrange, y=yrange, z=Z, name='SVM Prediction',
                        colorscale='RdBu', showscale=False,
                        contours = {"z": {"show": True, "start": 0.2, "end": 0.8, "size": 0.05}}))

fig.show()

```

```

[5] # Select data for modeling
X=df[['rating_difference', 'turns']]
y=df['white_win'].values

# Fit the model and display results
X_train, X_test, y_train, y_test, clf = fitting(X, y, 1, 'scale')

```

```

----- Evaluation on Test Data -----
Accuracy Score: 0.6530408773678963

```

	precision	recall	f1-score	support
0	0.64	0.70	0.67	2024
1	0.66	0.60	0.63	1988
accuracy			0.65	4012
macro avg	0.65	0.65	0.65	4012
weighted avg	0.65	0.65	0.65	4012

```

-----
----- Evaluation on Training Data -----
Accuracy Score: 0.6468901907017325

```

	precision	recall	f1-score	support
0	0.64	0.68	0.66	8033
1	0.66	0.62	0.64	8013
accuracy			0.65	16046
macro avg	0.65	0.65	0.65	16046
weighted avg	0.65	0.65	0.65	16046

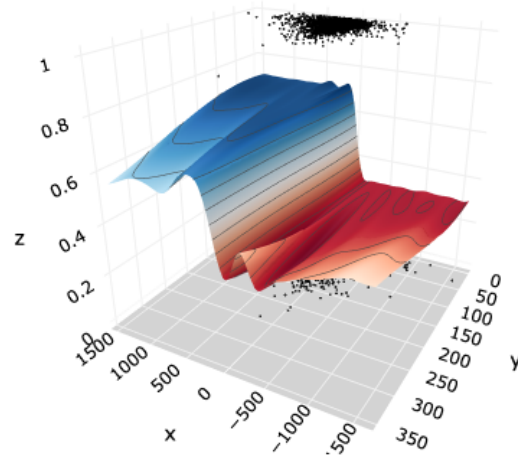
```

-----

```



```
[6] Plot_3D(X, X_test, y_test, clf)
```



```
[7] # Select data for modeling
x=df[['rating_difference', 'turns']]
y=df['white_win'].values

# Fit the model and display results
X_train, X_test, y_train, y_test, clf = fitting(X, y, 1, 0.1)

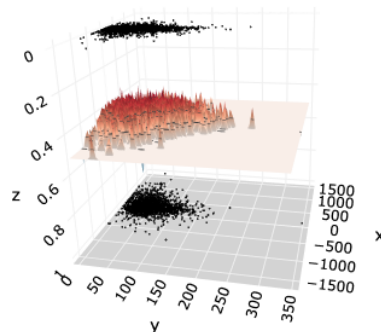
# Plot 3D chart
Plot_3D(X, X_test, y_test, clf)
```

```
----- Evaluation on Test Data -----
Accuracy Score: 0.603938185443669
```

	precision	recall	f1-score	support
0	0.60	0.64	0.62	2024
1	0.61	0.57	0.59	1988
accuracy			0.60	4012
macro avg	0.60	0.60	0.60	4012
weighted avg	0.60	0.60	0.60	4012

```
----- Evaluation on Training Data -----
Accuracy Score: 0.8003240683036271
```

	precision	recall	f1-score	support
0	0.80	0.81	0.80	8033
1	0.80	0.80	0.80	8013
accuracy			0.80	16046
macro avg	0.80	0.80	0.80	16046
weighted avg	0.80	0.80	0.80	16046



```
[8] # Select data for modeling
X=df[['rating_difference', 'turns']]
y=df['white_win'].values

# Fit the model and display results
X_train, X_test, y_train, y_test, clf = fitting(X, y, 1, 0.000001)

# Plot 3D chart
Plot_3D(X, X_test, y_test, clf)
```

----- Evaluation on Test Data -----

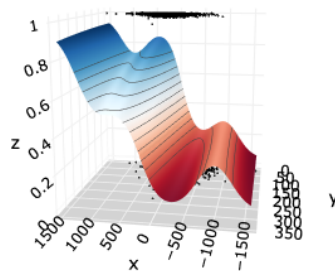
Accuracy Score: 0.6602691924227319

	precision	recall	f1-score	support
0	0.65	0.70	0.68	2024
1	0.67	0.62	0.64	1988
accuracy			0.66	4012
macro avg	0.66	0.66	0.66	4012
weighted avg	0.66	0.66	0.66	4012

----- Evaluation on Training Data -----

Accuracy Score: 0.6463916240807678

	precision	recall	f1-score	support
0	0.64	0.67	0.65	8033
1	0.65	0.62	0.64	8013
accuracy			0.65	16046
macro avg	0.65	0.65	0.65	16046
weighted avg	0.65	0.65	0.65	16046



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