

VLSI Lab 4

Nicky Advokaat - 0740567 - `n.advokaat@student.tue.nl`
Marcel Moreaux - 0499480 - `m.l.moreaux@student.tue.nl`

4rd quartile, 2014

Abstract

This report contains solutions for the problems described in Assignment L4 for the course VLSI Programming. We will create an upscaler filter.

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1 Problem Specification and Requirements

2 Solution

In this section we describe the key ideas behind our design, and the decisions we made during the design process.

3 Results

4 Appendix A: Answers to inline questions

4.1 Question 1

$$y[n] = z[Mn]$$

$$z[n] = \sum_{0 \leq j < 4L} h[j] \cdot q[n - j]$$

$$q[n] = \begin{cases} x[n \operatorname{div} L] & \text{if } n \bmod L = 0 \\ 0 & \text{otherwise} \end{cases}$$

$$y[n] = \sum_{0 \leq j < 4L} h[j] \cdot q[nM - j]$$

$$y[n] = \begin{cases} \sum_{0 \leq j < 4L} h[j] \cdot q[(nM - j) \operatorname{div} L] & \text{if } (nM - j) \bmod L = 0 \\ \sum_{0 \leq j < 4L} h[j] \cdot 0 & \text{otherwise} \end{cases}$$

The *otherwise* case is always 0 so doesn't contribute to the sum. We can continue with just:

$$y[n] = \sum_{0 \leq j < 4L} h[j] \cdot q[(nM - j) \operatorname{div} L] \quad \text{if } (nM - j) \bmod L = 0$$

$(nM - j) \bmod L = 0$ happens at:

- $j = nM \bmod L$
- $j = nM \bmod L + L$
- $j = nM \bmod L + 2L$
- $j = nM \bmod L + 3L$

So four times in every summation. If we let j run from 0 to 4 (excl), we get $h[nM \bmod L + jL]$.

$$y[n] = \sum_{0 \leq j < 4} h[nM \bmod L + jL] \cdot q[(nM - j \cdot L) \operatorname{div} L]$$

$$y[n] = \sum_{0 \leq j < 4} h[nM \bmod L + jL] \cdot q[(nM) \operatorname{div} L - j]$$

Which is the equation from the assignment.

4.2 Question 2

4.3 Question 3

5 Appendix B: Verilog source code

This appendix includes Verilog source code for the `filter.v` file in the ISE project.