

Food Price Inflation Forecasting: An Auto-Regressive Random Forest Approach

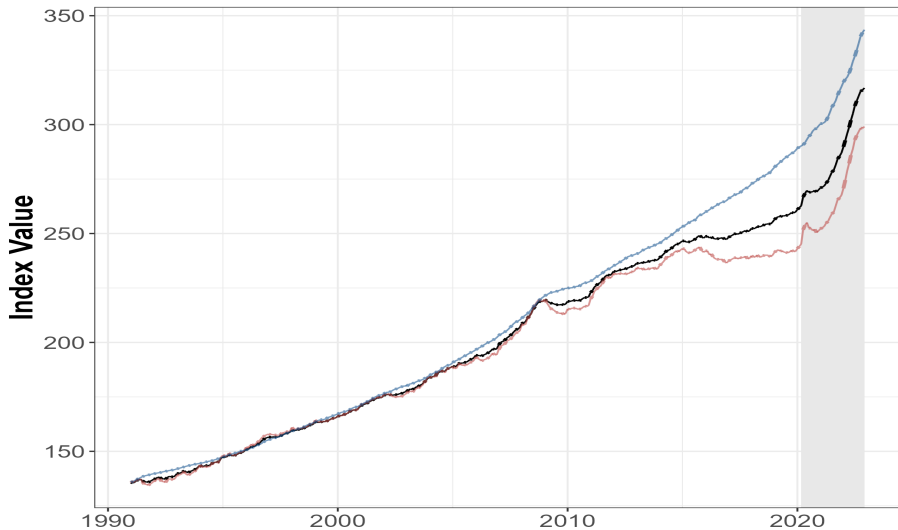
William McWilliams, Shamar L. Stewart, Olga Isengildina Massa

Virginia Tech Department of Agricultural and Applied Economics

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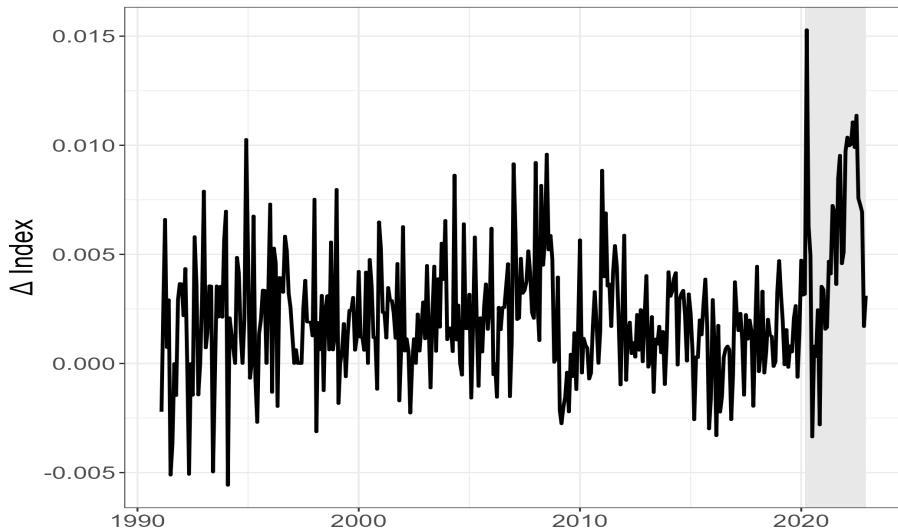
CPI Series (1992-2022)

category — All food — Food at home — Food away from home



All food Inflation (1992-2022)

category — All food



Observed VS Forecasted

The Bureau of Labor Statistics (BLS)

- tracks and measures US food prices with indices
- the indices are updated monthly to reflect the prices from the previous month

Food Price Outlook

- forecasts US retail food prices since 1961
- produced by the United States Department of Agriculture (USDA) Economic Research Services (ERS)
- used for budgetary planning by government agencies, food industry participants, consumers, and media
- uses a univariate Seasonal Auto-Regressive Integrated Moving Average (SARIMA) to forecast food related indices¹

¹Maclachlan et al. (2022)

Apply an Auto-Regressive Random Forest approach for forecasting Food Price Inflation

- Maintain the recent qualitative improvements
- Allow for the option to easily include exogenous variables
- Accommodate nonlinear forecasting dynamics

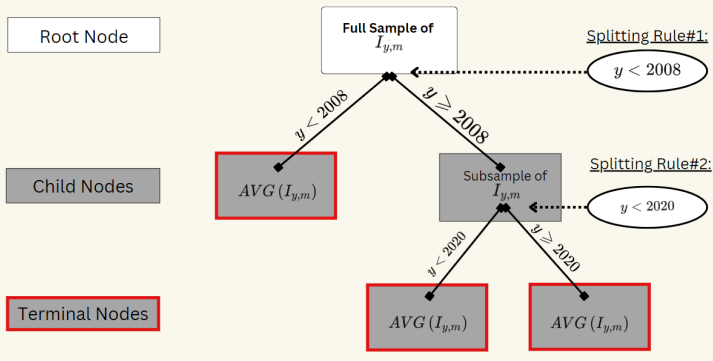
- ① Forecasting Cycles
- ② Decision Trees - Overview
- ③ Auto-Regressive Decision Trees
- ④ Trees to Forests
- ⑤ Forecast Evaluation
- ⑥ Conclusions

USDA FPO Forecast Cycles from Years 2024 to 2025

Month	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
Year = 2024	Step = 7	8	9	10	11	12	13	14	15	16	17	18
							1	2	3	4	5	6
2025	7	8	9	10	11	12	13	14	15	16	17	18

$$\hat{\Pi}_{y,m|s} = \left\{ \begin{array}{l}
 100 \cdot \frac{\overbrace{\sum_{m=1}^{12} \hat{\mathcal{I}}_{y,m}}^{\text{Target Year}} - \overbrace{\sum_{m=1}^{12} \hat{\mathcal{I}}_{y-1,m} + \sum_{m=1}^{12} \mathcal{I}_{y-1,m}}^{\text{Base Year}}}{\sum_{m=1}^{12} \hat{\mathcal{I}}_{y-1,m} + \sum_{m=1}^{12} \mathcal{I}_{y-1,m}} \quad \text{for } s = 1 \dots 6 \\
 100 \cdot \frac{\sum_{m=1}^{12} \hat{\mathcal{I}}_{y,m}^j - \sum_{m=1}^{12} \mathcal{I}_{y-1,m}^j}{\sum_{m=1}^{12} \mathcal{I}_{y-1,m}^j} \quad \text{for } s = 7 \\
 100 \cdot \frac{\sum_{m=1}^{12} \hat{\mathcal{I}}_{y,m} + \sum_{m=1}^{12} \mathcal{I}_{y,m} - \sum_{m=1}^{12} \mathcal{I}_{y-1,m}}{\sum_{m=1}^{12} \mathcal{I}_{y-1,m}} \quad \text{for } s = 8 \dots 18
 \end{array} \right. \quad (1)$$

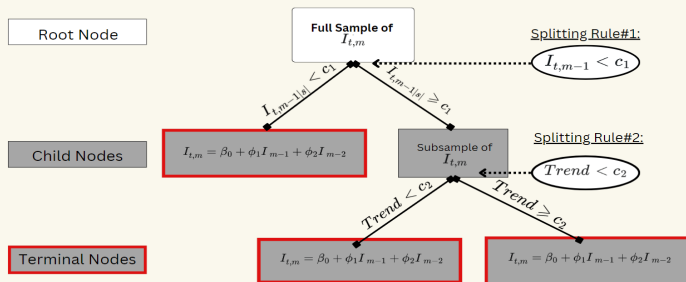
Regression Trees



Note: Hypothetical example to illustrate a forecast

$$\min_{j \in \mathcal{J}^-, c \in \mathbb{R}} \left[\sum_{\{I_{y,m} \in l_1 | j < c\}} (I_{y,m} - \hat{I}_{y,m})^2 + \sum_{\{I_{y,m} \in l_2 | j \geq c\}} (I_{y,m} - \hat{I}_{y,m})^2 \right] \quad (2)$$

Auto Regressive Trees



Note: Hypothetical example to illustrate a forecast

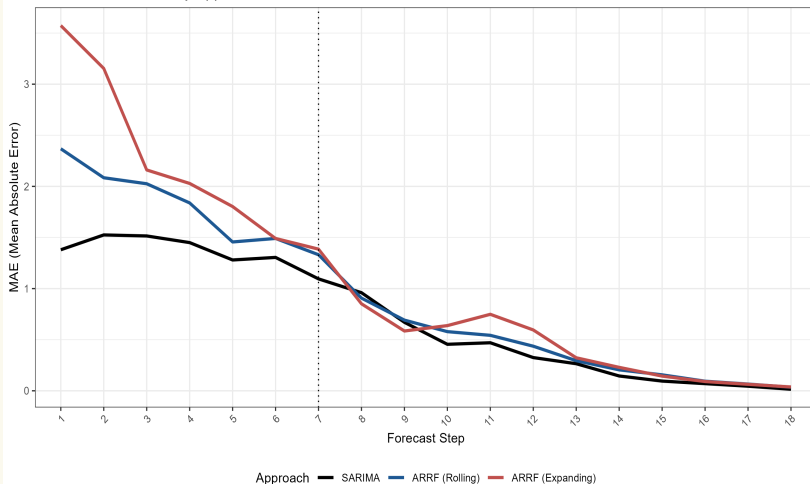
$$\begin{aligned}
 \min_{j \in \mathcal{J}^-, c \in \mathbb{R}} & \left[\min_{\Phi_1} \sum_{\{I_{y,m} \in l_1 | j < c\}} (I_{m,t} - \mathbf{X}\Phi_1)^2 + \lambda \|\Phi_1\|_2 + \right. \\
 & \left. \min_{\Phi_2} \sum_{\{I_{y,m} \in l_2 | j \geq c\}} (I_{m,t} - \mathbf{X}\Phi_2)^2 + \lambda \|\Phi_2\|_2 \right] \quad (3)
 \end{aligned}$$

- ① Select random samples from the data and create a decision tree using each of them
- ② At each split only consider a subset of the available splitting variables
- ③ Repeat until you have a forest consisting of 1000 trees

Average across all 1000 predictions for a final estimate

Results

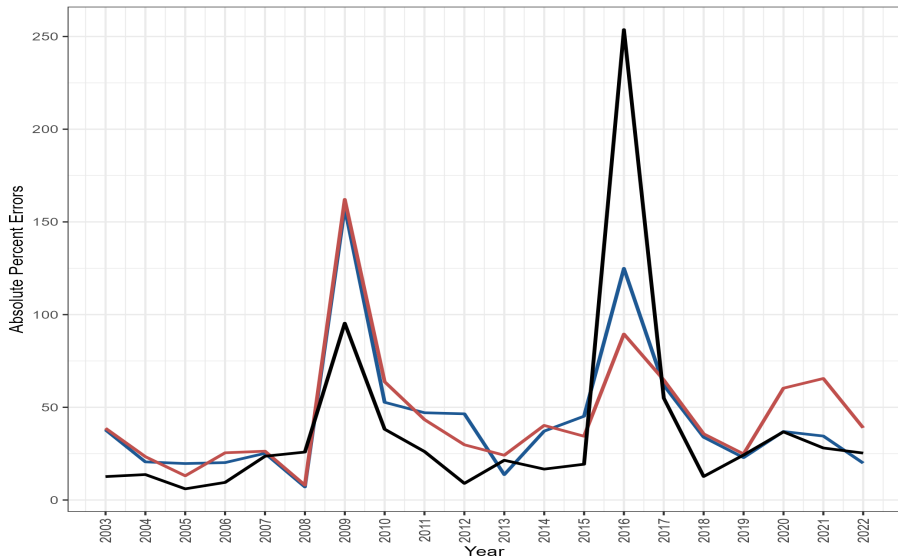
Mean Absolute Error by Approach and Month: 2003-2022



Note: rolling window = 10 years

Mean Absolute Percent Errors by Year

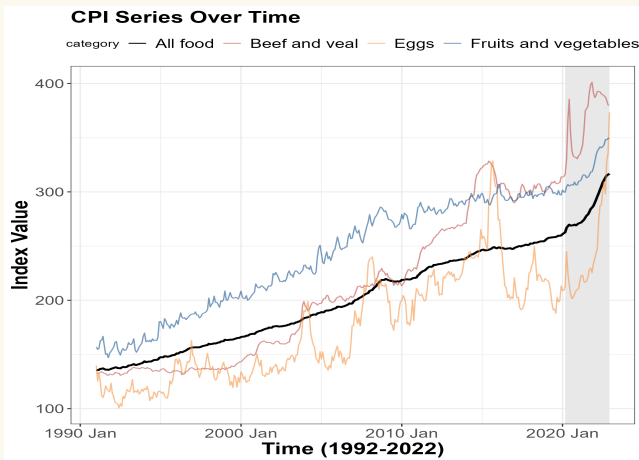
Dataset — ARRF (Rolling) — ARRF (Expanding) — SARIMA



- The ARRF Approach was comparable to the SARIMA over steps 6 through 18
- The ARRF approach proved more accurate over certain years

Next Steps

- Explore ARRF when forecasting more variable food price indices (fruits and veggies, eggs, etc.)
- Include Exogenous variables into the ARRF



Thank you!

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Presenter: William McWilliams

`wnm007@vt.edu`