Your pet hamster Freddie has been kidnaped. The kidnaper left a note stating that Freddie will be killed if you do not pay \$500. You decide to analyze the situation with a Game Theory model in which your strategies are \pay ransom" and \not pay ransom," and the kidnaper's strategies are \kill" and \release." (You select your strategy ¬rst and then the kidnaper selects his strategy.) Your preferences are shown here, with larger numbers indicating more desired outcomes.

∖I don't pay, he releases"	4
∖I pay, he releases"	3
∖I don't pay, he kills"	2
\I pay, he kills"	1

You call in an FBI pro<sup>-</sup>ler who explains that there are two basic types of kidnapers: nasty and nice. The preference rankings of a nice kidnaper are:

\I get paid, release hamster"	4
\I get paid, kill hamster"	3
\I don't get paid, release hamster"	2
\I don't get paid, kill hamster"	1,

and the preference rankings of a nasty kidnaper are:

```
\I get paid, kill hamster" 4
\I get paid, release hamster" 3
\I don't get paid, kill hamster" 2
\I don't get paid, release hamster" 1.
```

- (a) Write down two separate payo® matrices for cases of the nasty and nice kidnapers.
- (b) De ne the terms: Dominant Strategy, Nash Equilibrium, Pareto Optimal Allocation.
- (c) For each matrix determine whether either you or the kidnaper have dominant strategies.
- (d) Find all Nash equilibria for these two games.
- (e) Determine whether each Nash is pareto optimal.