```
%% hiddenvalue_model_equations
%
%reset
clc;
clear all;
% close all;
```

```
%% parameters

alpha = 1;

mu = 0;

sigma = 1;

bm = 0;

bp = 0;

kd = 1;

t0 = 0.2;

theta = 1;
```

```
%% displays
% 1-hidden value density
f1 = figure; hold on;
for mu = [ 0 2]
    for sigma = [1 2]
       valdensity = @(x) (1/sqrt(2*pi*sigma^2)).*exp(-(x-mu).^2/(2*sigma^2));
       fplot(valdensity,[-5 5]);
    end
end
xlabel('hidden value');
ylabel('probability density');
title('hidden value density');
box on;
axis([-5 5 0 0.5]);
legend({'\mu = 0, \sigma = 1',...}
```

```
'\mu = 0, \sigma = 2',...
'\mu = 2, \sigma = 1',...
'\mu = 2, \sigma = 2'});
legend('boxoff');
fig.Position = [ 100 100 500 400];
```

$$f(x|\mu,\sigma) = \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

```
%% 2-quantile-expected value
f2 = figure; hold on;
for mu = [0 2]
    for sigma = [1 2]
        valquantile = @(x) mu + sigma*sqrt(2)*erfinv(2*x-1);
        fplot(valquantile,[0 1]);
    end
end
xlabel('quantile rank');
ylabel('expected value');
title('quantile-expected value');
box on;
axis([0 1 -5 5]);
legend(\{' \mid mu = 0, \ sigma = 1', ...
        '\mu = 0, \sigma = 2',...
        '\mu = 2, \sigma = 1',...
'\mu = 2, \sigma = 2'});
legend('boxoff');
% display parameters
set_all_properties('FontName','Arial Narrow','FontWeight','normal','FontSize',16,...
                      'LineWidth', 1.5, 'Interpreter', 'tex');
```

