(a) Emulation from another period

$$X_{l>2100} = \frac{1}{20} \sum_{k=2081}^{2100} X_k \ f\{(T_l - T_k)_{CMIP}\}$$

$$2000 \ 2050 \ 2100 \ 2150 \ 2200$$

(b) Emulation from another scenario

$$X_l^B = \frac{1}{20} \sum_{k=l-9}^{l+10} X_k^A \ f\{(T_l^B - T_k^A)_{CMIP}\}$$

$$2000 \ 2050 \ 2100 \ 2150 \ 2200$$

(c) Emulation from another CMIP model

$$X_l^B = \frac{1}{20} \sum_{k=l-9}^{l+10} X_k^A \ f\{(T_l^B - T_k^A)_{CMIP}\}$$

$$2000 \ 2050 \ 2100 \ 2150 \ 2200$$