Assignment 6

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```
# load libs
if (!require("pacman")) install.packages("pacman")
pacman::p_load(survival, knitr, ggplot2, knitr, kableExtra, tidyverse,
    My.stepwise, reshape2, GGally, ggpubr, gtsummary, formatR, gt, olsrr,
    stargazer, boot, nnet, mlogit, xtable)

# load the dataset
setwd("/home/nicoluarte/uni/PHD/stat_course")
dataSet <- as_tibble(read.csv("ENS.csv", sep = ",", header = TRUE))
dataSet <- dataSet[-c(1), ]
head(dataSet)</pre>
```

- 1. Using the ENS 2016-17 database, build a multiclass logistic regression model to predict the cardiovascular risk obtained through the RCV CHILENO RECODIFICADO (low risk = 1, moderate risk = 2 and high risk = 3).
- a. Use a multiclass logistic regression model with all predictors and present the results including p values

Call: $mlogit(formula = RCV_CHILENO_RECODIFICADO \sim 1 \mid Edad + Sexo + Glucosa + Colesterol_HDL + Colesterol_Total + m2p11a_PAS + m2p11a_PAD + m7p3 + ta3 + IMC, data = mdlData, reflevel = "1", method = "nr")$

Frequencies of alternatives: choice 1 2 3 0.48201 0.24389 0.27410

nr method 7 iterations, 0h:0m:0s g'(-H)^-1g = 1.56E-06 successive function values within tolerance limits

Coefficients : Estimate Std. Error z-value Pr(>|z|) (Intercept):2 -9.3805844 1.0325919 -9.0845 < 2.2e-16

summary(mdl)

 $\begin{array}{l} (\text{Intercept}): 2 - 9.3805844 \ 1.0325919 \ - 9.0845 < 2.2 \\ \text{e} - 16 \quad \text{($Intercept$)}: 3 \ - 15.7116122 \ 1.1539686 \ - 13.6153 < \\ \text{2.2e-16} \quad \text{Edad}: 2 \ 0.0294123 \ 0.0046391 \ 6.3401 \ 2.296 \\ \text{e} - 10 \quad Edad: 3 \ 0.0801552 \ 0.0056632 \ 14.1536 < 2.2 \\ \text{e-16} \quad \text{Sexo1}: 2 \ - 0.6445139 \ 0.1453492 \ - 4.4342 \ 9.240 \\ \text{e-06} \quad Sexo1: 3 \ - 0.7937301 \ 0.1624881 \ - 4.8848 \ 1.035 \\ \text{e-06} \quad \text{Glucosa}: 2 \ 0.0394638 \ 0.0070585 \ 5.5910 \ 2.258 \\ \text{e-08} \quad Glucosa: 3 \ 0.0805565 \ 0.0071005 \ 11.3453 < 2.2 \\ \text{e-16} \quad \text{Colesterol_HDL}: 2 \ - 0.1030027 \ 0.0070061 \ - 14.7018 < 2.2 \\ \text{e-16} \quad Colesterol_HDL: 3 \ - 0.0779299 \ 0.0070249 \\ \text{-11.0933} \quad < 2.2 \\ \text{e-16} \quad \text{Colesterol_Total}: 2 \ 0.0101533 \ 0.0018266 \ 5.5587 \ 2.719 \\ \text{e-08} \quad Colesterol_Total: 3 \\ \text{0.0098652} \quad 0.0019767 \ 4.9907 \ 6.016 \\ \text{e-07} \quad \text{m2p11a_PAS}: 2 \ 0.0168723 \ 0.0065644 \ 2.5703 \ 0.0101621 \ * \\ \text{m2p11a_PAS}: 3 \ 0.0148855 \ 0.0066516 \ 2.2379 \ 0.0252281 \ * \\ \end{array}$

m7p3:2 -0.1122808 0.0731644 -1.5346 0.1248731

m7p3:3 -0.0308528 0.0778916 -0.3961 0.6920319

ta3:2 -0.0484431 0.0530239 -0.9136 0.3609226

ta3:3 -0.1057411 0.0620387 -1.7044 0.0882993 .

IMC:2 0.0897137 0.0142285 6.3052 2.878e-10 IMC:3 0.0826014 0.0158205 5.2211 1.778e-07 ** — Signif. codes: 0 '' 0.001 '' 0.01 '' 0.05 '' 0.1 '' 1

 $\label{log-Likelihood: -1524.5 McFadden R^2: 0.35542 Likelihood ratio test: chisq = 1681.1 (p.value = < 2.22e-16) \\ \texttt{stargazer(summary(mdl)\$CoefTable, title = "Model results")} \\$

% Table created by stargazer v.5.2.2 by Marek Hlavac, Harvard University. E-mail: hlavac at fas.harvard.edu % Date and time: Sat, Nov 28, 2020 - 03:26:28 AM

	Estimate	Std. Error	z-value	$\Pr(> z)$
(Intercept):2	-9.381	1.033	-9.085	0
(Intercept):3	-15.712	1.154	-13.615	0
Edad:2	0.029	0.005	6.340	0
Edad:3	0.080	0.006	14.154	0
Sexo1:2	-0.645	0.145	-4.434	0.00001
Sexo1:3	-0.794	0.162	-4.885	0.00000
Glucosa:2	0.039	0.007	5.591	0.00000
Glucosa:3	0.081	0.007	11.345	0
$Colesterol_HDL:2$	-0.103	0.007	-14.702	0
$Colesterol_HDL:3$	-0.078	0.007	-11.093	0
$Colesterol_Total:2$	0.010	0.002	5.559	0.00000
$Colesterol_Total:3$	0.010	0.002	4.991	0.00000
$m2p11a_PAS:2$	0.017	0.007	2.570	0.010
$m2p11a_PAS:3$	0.015	0.007	2.238	0.025
$m2p11a_PAD:2$	0.040	0.011	3.491	0.0005
$m2p11a_PAD:3$	0.025	0.012	2.067	0.039
m7p3:2	-0.112	0.073	-1.535	0.125
m7p3:3	-0.031	0.078	-0.396	0.692
ta3:2	-0.048	0.053	-0.914	0.361
ta3:3	-0.106	0.062	-1.704	0.088
IMC:2	0.090	0.014	6.305	0
IMC:3	0.083	0.016	5.221	0.00000

Table 1: Model results

b. Interpret the results obtained. What are the variables that have a significant contribution to the model? Was this result expected?

First the full model coefficients are significantly different from the null model (Log-likelihood = -1524.5; $\chi^2 = 1681.1$; p = < 0.001). Predictive ability of the model is modest with McFadden $R^2 = 0.355$. As for coefficients, all were significant in the model, except for smoking and alcohol consumption. Coeffients are reported with coronary risk score '1' = low risk as reference. Considering age, we see a positive estimate for class '2' = moderate and class '3' = high risk, meaning that being older is more predictive of a higher coronary risk. More precisely, being 1 year older, increases the multinomial log-odds for coronary risk, relative to '1', would decrease by 0.029 and 0.08, for class '2' and '3', respectively. For sex, the comparison is female (Sexo1) against male (Sexo2), with negative coefficients meaning that females are less likely to have a moderate or high coronary risk score, compared to males and holding all other variables constant. Similarly, higher glucose increase the log-odds of moderate and higher risks. HDL cholesterol, unlike total cholesterol, may be

a protective factor against cardiovascular risk, as higher levels predicts less log-odds for classes '2' and '3'. Increases in both type of blood pressure are related to greater cardiovascular risk. Finally higher BMI is also associated with higher risk of cardiovascular risk. Most of the coefficients estimates were not surprising as they are typically related to cardiovascular health, however, alcohol consumption not reaching significance did surprise me, as I would expect that increasing alcohol consumption would lead to a worse health status, including cardiovascular health. Perhaps, alcohol consumption effects are made effective via blood pressure, so controlling for blood pressure renders alcohol consumption not significant.

c. Calculate the probability of belonging to each of the categories predicted by the model for a subject with the following characteristics: Age: 46, Sex: female, Basal glucose: 95, Cholesterol: 194, HDL: 47, PAS: 128, PAD: 76, Daily alcohol consumption: No, Gr. Salt: 10, Smoking category: Ex-smoker (<6 months), BMI: 28. Interpret the result.

Edad Sexo Glucosa Colesterol_Total Colesterol_HDL m2p11a_PAS m2p11a_PAD m7p3 1 46 1 95 194 47 128 76 1 ta3 IMC RCV_CHILENO_RECODIFICADO 1 1 28 3

% Table created by stargazer v.5.2.2 by Marek Hlavac, Harvard University. E-mail: hlavac at fas.harvard.edu % Date and time: Sat, Nov 28, 2020 - 03:26:29 AM

Table 2: Category probability

	Risk	Probability
1	low	0.297
2	moderate	0.444
3	high	0.259

Given such values the most likely class is '2', meaning a person with such characteristics would be categorized, by the model, as 'moderate' cardiovascular risk. Which is expected as most positive coefficients were elevated in this simulated person.