

STRINGS:

1. Pattern Matching:

Using bruteforce: Takes tc: $O(nm)$

```
class Solution:
    def strStr(self, haystack: str, needle: str) -> int:

        n= len(haystack)
        m=len(needle)
        if n<m:
            return -1
        i=0
        while(i<n):
            j=0
            k=i
            while(j<m and k<n):
                if haystack[k]==needle[j]:
                    k+=1
                    j+=1
                else:
                    break
            if j==m:
                return i
            i+=1
        return -1
```

Or one more way of bruteforce. Find every substring of length needle and compare with needle that whether it is same or not.

```
class Solution:
    def strStr(self, haystack: str, needle: str) -> int:
        n= len(haystack)
        m=len(needle)
        if n<m:
            return -1
        for i in range(n):
            temp=haystack[i:i+m]
            if temp==needle:
                return i
        return -1
```

KMP Algorithm:

TC: $O(n+m)$

Time complexity to make the lps (longest prefix suffix) is $O(2*m)$

$lps[i] = \text{the longest proper prefix of } pat[0..i] \text{ which is also a suffix of } pat[0..i].$

Examples of lps[] construction:

For the pattern "AAAA", lps[] is [0, 1, 2, 3]

For the pattern "ABCDE", lps[] is [0, 0, 0, 0, 0]

For the pattern "AABAACAABAA", lps[] is [0, 1, 0, 1, 2, 0, 1, 2, 3, 4, 5]

For the pattern "AAACAAAAAC", lps[] is [0, 1, 2, 0, 1, 2, 3, 3, 3, 4]

For the pattern "AAABAAA", lps[] is [0, 1, 2, 0, 1, 2, 3]

```

def strStr(self, haystack: str, needle: str) -> int:
    n = len(haystack)
    m = len(needle)
    if n < m:
        return -1
    lps = [0] * m
    prevLPS = 0
    i = 1
    while(i < m):
        if needle[i] == needle[prevLPS]:
            lps[i] = prevLPS + 1
            prevLPS += 1
            i = i + 1
        elif prevLPS == 0:
            lps[i] = 0
            i = i + 1
        else:
            prevLPS = lps[prevLPS - 1]
    i = 0
    j = 0
    while(i < n):
        if haystack[i] == needle[j]:
            i += 1
            j += 1
        else:
            if j == 0:
                i = i + 1
            else:
                j = lps[j - 1]
        if j == len(needle):
            return i - j
    return -1

```

Z-Algorithm : Finds in linear time:

```

// str = pat#patronpaties
// z[] = 0000300000300000

```

Here we make a z array

How to fill it. First make a temp string = pattern_string

What is Z Array?

For a string `str[0..n-1]`, Z array is of same length as string. An element `Z[i]` of Z array stores length of the longest substring starting from `str[i]` which is

also a prefix of $\text{str}[0..n-1]$. The first entry of Z array is meaningless as complete string is always prefix of itself.

Example:

Pattern $P = \text{"aab"}$, Text $T = \text{"baabaa"}$

The concatenated string is $= \text{"aab\$baabaa"}$

Z array for above concatenated string is $\{x, 1, 0, 0, 0, 3, 1, 0, 2, 1\}$.

Since length of pattern is 3, the value 3 in Z array indicates presence of pattern.

Q: Longest palindromic substring:

end.

	0	1	2	3	4
b	1	0	1	0	0
a	x	1	0	1	0
b	x	x	1	0	0
a	x	x	x	1	0
d	x	x	x	x	1

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diff = 0.
 $i = 0$
 $j = i + \text{diff}$
 $0 + 0 = 0$
 $i+1 = 1$
 $j+1 = 1$ diff = 0

is order me fill ho rha hai.

length	2 length	3 length	4th length
00	01	02	03
11	12	13	14
22	23	24	
33	34		
44			

\uparrow diff = 0 \uparrow diff = 1 5th length 04

$i = 1$
 $j = 1 + 0 = 1$
 $i = 2$
 $j = 2 + 0 = 2$
 $i = 0$
 $j = 0 + 1 = j = 1$
 $i = 1$
 $j = 1 + 1 = j = 2$ 12

Steps →

- * diff starts from 0 to n:-
- * Everytime use increment diff, and start $i = 0$ to iterate $j = i + \text{diff}$ to fill the table diagonally.

diff = 2.
 $i = 0$
 $j = i + 2 = 0 + 2 = 02$
 $dp[i+1][j-1] = 1$

```

class Solution:
    def longestPalindrome(self, s: str) -> str:
        maxi=0
        n=len(s)
        dp=[[0]*n for i in range(n)]
        for diff in range(n):
            i=0
            j=i+diff
            while(j<n):
                if i==j:      #i= 0 and j= i+0    when diff=0
                    dp[i][j]=1
                elif diff==1:
                    if s[i]==s[j]:
                        dp[i][j]=1
                else:
                    if s[i]==s[j] and dp[i+1][j-1]==1:
                        dp[i][j]=1
                if dp[i][j]==1 and j-i+1 > maxi:
                    maxi= j-i+1
                    ans= s[i:j+1]
                i+=1
                j+=1
        return ans

```

Q:Reverse a string using recursion:

```

def reverseWord(s):
    n=len(s)

    def f(s,i):
        if i==n:
            return ""
        temp= s[i]
        return f(s,i+1)+temp
    return f(s,0)

```

Q: Largest odd number in string:

```
class Solution:
    def largestOddNumber(self, num: str) -> str:
        for i in range(len(num)-1,-1,-1):
            if int(num[i])%2!=0:
                return num[:i+1]
        return ''
```