$$K = 5$$

• $R^2 = 0.9242$ and CV RMSE = 0.0803

K = 10

• $R^2 = 0.9247$ and CV RMSE = 0.0826

Which model appears to predict better?

- A It's impossible to say
- B K = 5 because it has the smaller R^2 value
- C K = 10 because it has the larger R^2 value
- D K = 5 because it has the smaller CV RMSE value.
- $\mathsf{E} \ \mathsf{K} = \mathsf{10}$ because it has the larger CV RMSE value



10-fold cross-validation is being used here, i.e., v = 10.

Consider the linear-splines model with K=5 knots. How many different model fits are there (via 1m calls)?

- A 9
- B 10
- C 1
- D 2
- E n.



10-fold cross-validation is being used here, i.e., v = 10. Consider the linear-splines model with K = 5 knots. How many observations are being used in each model fit (via lm)?

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- A n
- B 10
- C 90
- D Approximately 0.1n
- E Approximately 0.9n.



10-fold cross-validation is being used here, i.e., v = 10.

Consider the linear-splines model with $\mathcal{K}=5$ knots and observation 1 in the data set.

How many times is observation 1 predicted as a test case in computing CV RMSE?

- A 1
- B 9
- C 10
- D Approximately 0.1*n*
- E Approximately 0.9*n*.



$$E[Y|x] = \beta_0 + \beta_1 x + \beta_2 x^2 + \sum_{k=1}^{K} \beta_{k+2} f_k(x)$$

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In this still a linear model that can be fit via 1m?

- A No, because there is an x^2 term
- B No, because the $f_k(x)$ functions are nonlinear
- C Yes, because it is a sum of terms
- D Yes, because it is linear in the β_i parameters
- E I have no idea.



For the lidar data, we have considered different numbers of knots in quadratic-splines models.

Based on 10-fold CV, what number of knots would you choose if you want accurate prediction?

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- A 1
- B 2
- **C** 4
- D 6
- E 10.

