

## 1. Time Value

### Interest Rate

Interest rate is a compensation

$$r = R_f + IRP + DRP + LRP + MRP$$

↪  $R_f$  the risk-free real rate

↪  $IRP$ , **inflation** risk premium → change in purchasing power

↪  $DRP$ , **default** risk premium → possibility of borrower's default

↪  $LRP$ , **liquidity** risk premium → conversion to cash

↪  $MRP$ , **maturity** risk premium → market value of long-term debt

### Equivalent annual rate (EAR)

compounding will occur in one year.

Equivalently,

$$EAR = (1 + r_m)^m - 1$$

In case of continuous compounding:

$$EAR = e^{r_s} - 1$$

### Time Value of Money (TVM)

1.  $PV(C \text{ in perpetuity}) = \frac{C}{r}$  **remember that the first cash flow is in the start of year 1 (the end of year 0)**

$$PV(C \text{ in } N \text{ years}) = \frac{C}{r} - \frac{C}{r} \frac{1}{(1+r)^N} = \frac{C}{r} \left( 1 - \frac{1}{(1+r)^N} \right)$$

$PV(\text{growing perpetuity}) = \frac{C}{r-g}$  **if we know  $C_0$  then  $C = C_0 \cdot (1+g)!!$**

$$PV(\text{growing annuity in } N \text{ years}) = \frac{C}{r-g} \left( 1 - \left( \frac{1+g}{1+r} \right)^N \right)$$

2.  $FV(C \text{ in } N \text{ years}) = \frac{C}{r} ((1+r)^N - 1)$