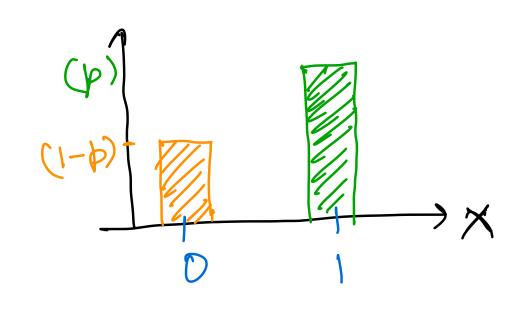
ROBABILITY DISTRIBUTIONS

- Bernoulli y distributions Binomial

- Normal
- Poisson
- Exponential Geométric
- log Normal

Bernoulli Success (1) » farline (0) $X = \begin{cases} 1; \\ 0; \\ 1-1 \end{cases}$ P(X=0) = 1-p P(X=1) = pX vs Bernoulli abn Xn bernoulli (p)



o Toss a coin - Bernoulli Trial

100 Times 100 Times 100 Times 100 Times

D Prob of Success = 'p' = 75 = 0.75

$$P(X=0) = 0.25$$

 $P(X=1) = 0.75$
 $P(X=1) = 0.75$

Discrete db"

(ms)
$$p' = 0.8$$
 Survival
 $1-p' = 0.2$ Die
 $1-p' = 0.2$ 1 person = 0.8
 $1-p' = 0.8$ 1 person = 0.8
 $1-p' = 0.8$ 1 person = 0.8

Binomial db'

Toss

Toss

'1-b' Tossacoin 10 fimes, Co # 9 hears. $0,1,2,3,4,5,6,7,8,9,10 \longrightarrow \times \& R.V.$ n is# of trials = 10

prob of success X ~ Binomial (n, p) -o Coin is fair; p'= 0.5

$$P(X=0)$$

$$P(X=1) = \text{prob } Q \text{ exactly 1 heav}$$

$$P(X=k)$$

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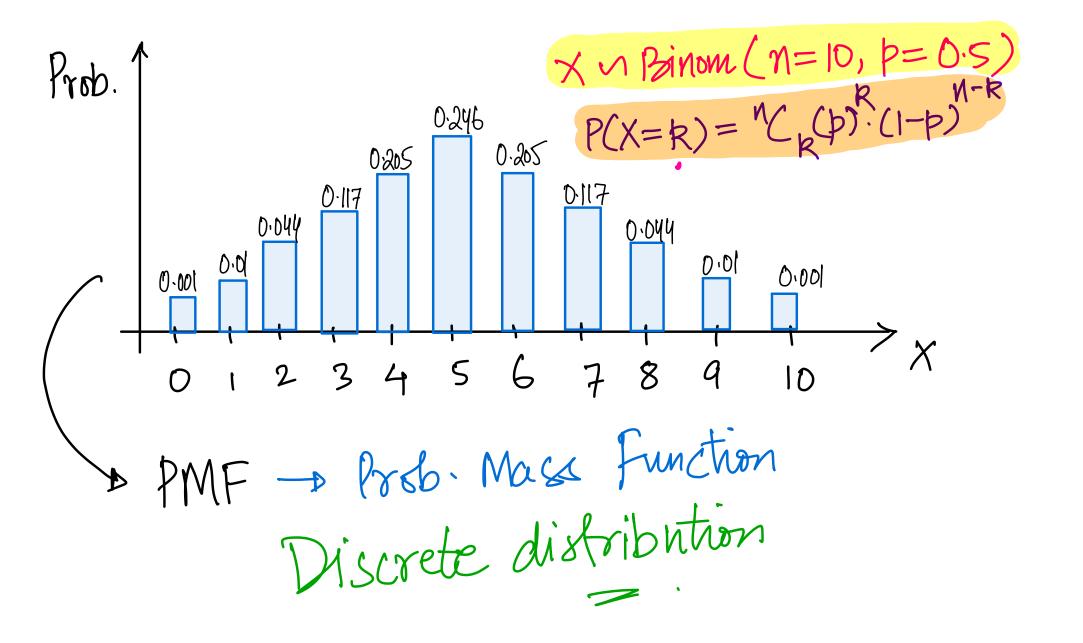
$$P(X=k) = \text{prob } Q \text{ exactly 1 heav}$$

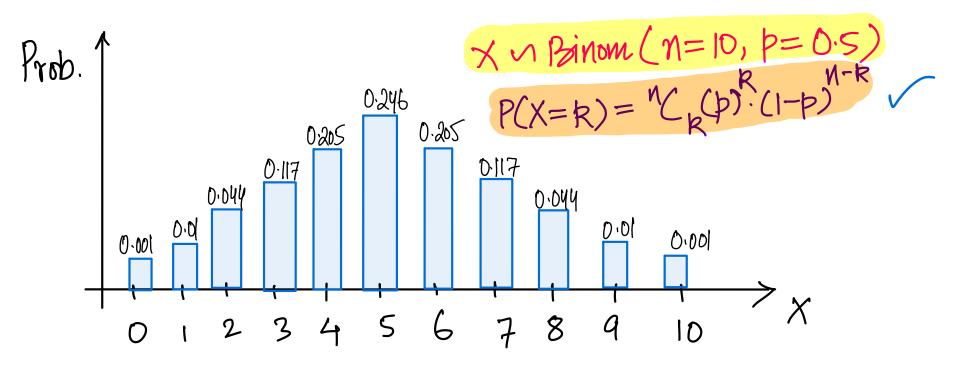
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$$P(X=2) = {}^{10}C_{2}(0.5)^{2}(1-0.5)^{8} = 0.044$$





$$P(X=4) = {}^{10}C_{4}(0.5)^{4}(1-0.5)^{6}$$

= binom·pmf(N=10, R=4, b=0.5).

$$P(X \le 3) = P(X=0) + P(X=1) + P(X=2) + P(X=3)$$

=
$$binom.cdf(N=10, k=3, p=0.5)$$

CAF -> Cummulative distribution function.

Airline Overbooking

Five percent of the people making reservations on a flight will not show up. Suppose the airline sells 52 tickets for a flight that can hold only 50 passengers.

What is the probability that there will be a seat available for every passenger who shows up?

95 (show up) 5% - net showy. asy. -> show up. 0.05 (vot show - sold 52 tickets X-0# A people show up. Capacity = 50 (<50) ~ Prob. of # Apeople showing up

$$X \sim Binom(N=52, p=0.95)$$
*

 $P(X \leq 50) = binom \cdot cdf(N=52, k=50, p=0.95)$
 $P(X \leq 50) = 0.74$

Ans

 Ans