

- Z-test Yst-test; T-distribution
- 2 sample t-test (AB testing)
- Python coding anglementation of 2 sample t-test

lest statistic for Sample mean: J Populations mean /std.dev. (from historical data) · Mean Weight of parket · Std. dev. 3 gm 450 gm test statistic: Z score $n: Sample Size <math>\pi M(\mu, \sigma) Z = (\pi - \mu)$ Normal. $\pi: Sample mean \pi(\mu, \sigma) Z = (\pi - \mu)$ distribution · In hypothesis testing, we often don't have population Standard deviation -> 0. · What to do then?

from 'n' samples

2 Sample std. dev.

Sample mean

· H nis large enough; usually n > 30 we can safely assume Normal

$$Z = \left(\frac{\overline{\chi} - \mu}{\sqrt{s}/\sqrt{n}}\right)$$

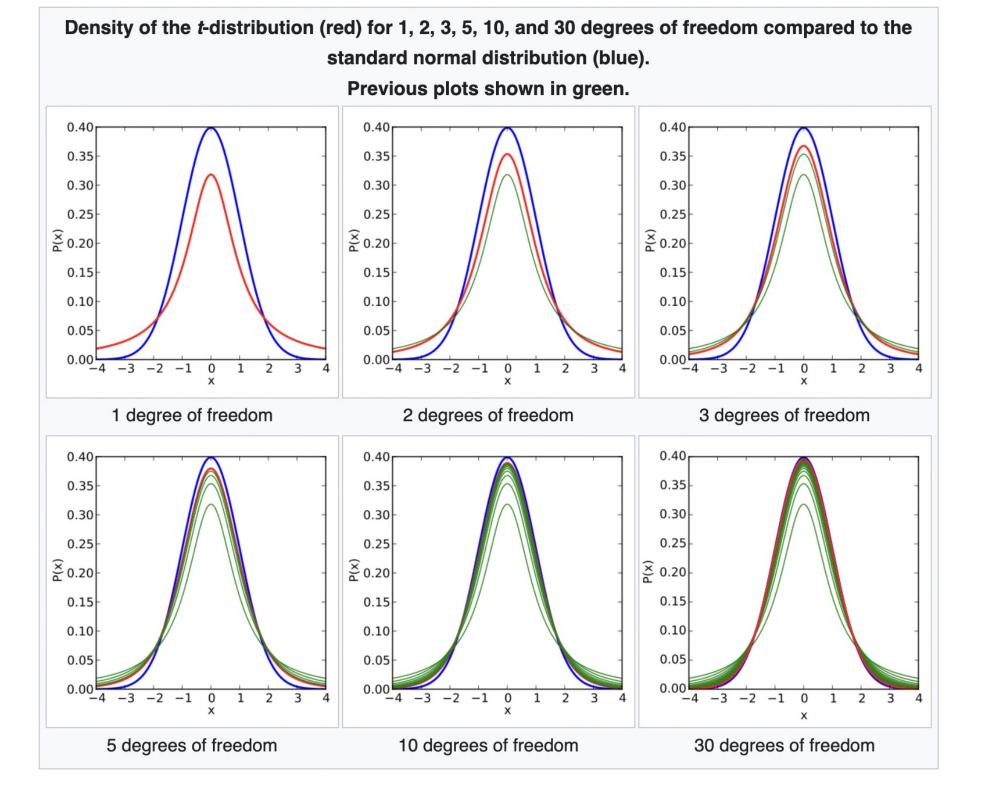
Zs distribution · % M< 30; test statistic 2-4

5/m follows
T-distribution $t = \left(\frac{2 - \mu}{3 / m}\right) \Rightarrow t \cdot T - distributions$ Tedistribution CDF to find out p-value

Summary: When to use what. J: Population std. deviation S: Sample std. dev. We know o -> Z-test d possibilities we don't know o M < 30 (t-test/z-test)

Only one parameter -> t-diptri bution. degree of freedom (dot)

As not T-distribution becomes more and more gaussian (Normal)

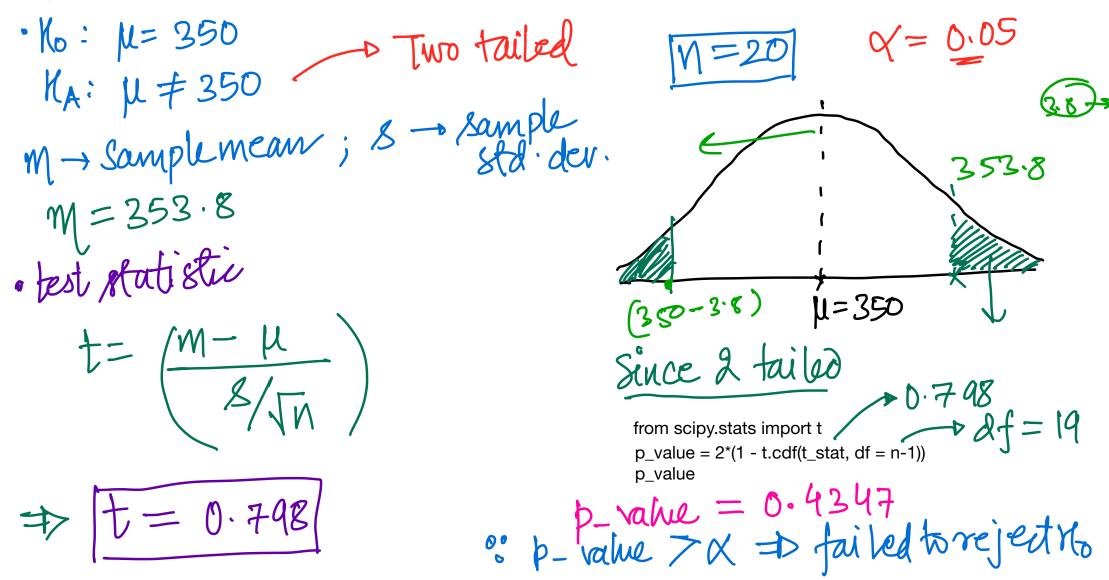


One Sample t-test

A public health official claims that the mean home water use is 350 gallons a day.

To verify this claim, a study of 20 randomly selected homes was instigated with the result that the average daily water uses of these 20 homes were as follows:

usage = [340, 344, 362, 375, 356, 386, 354, 364, 332, 402, 340, 355, 362, 322, 372, 324, 318, 360, 338, 370]



Two Samples

Drug Recovery

Suppose two companies develop a drug for a disease.

Drug 1 was tested on 100 people, and the recovery days look like this [8, 5, 9, 10,, 16]

The mean recovery time was 7.1 days

Drug 2 was tested on 120 people, and the recovery days look like this [12, 4, 7, 13,, 8]

The mean recovery time was 8.07 days

Can we say one drug was better than the other?

Or was this small difference a coincidence?

For such cases we use the two-sample Z-test or two-sample T-test

* Company 2 versions (AGB) => A/B TESTING

Let mu_1 be the average recovery for drug 1, and mu_2 be the average for drug 2

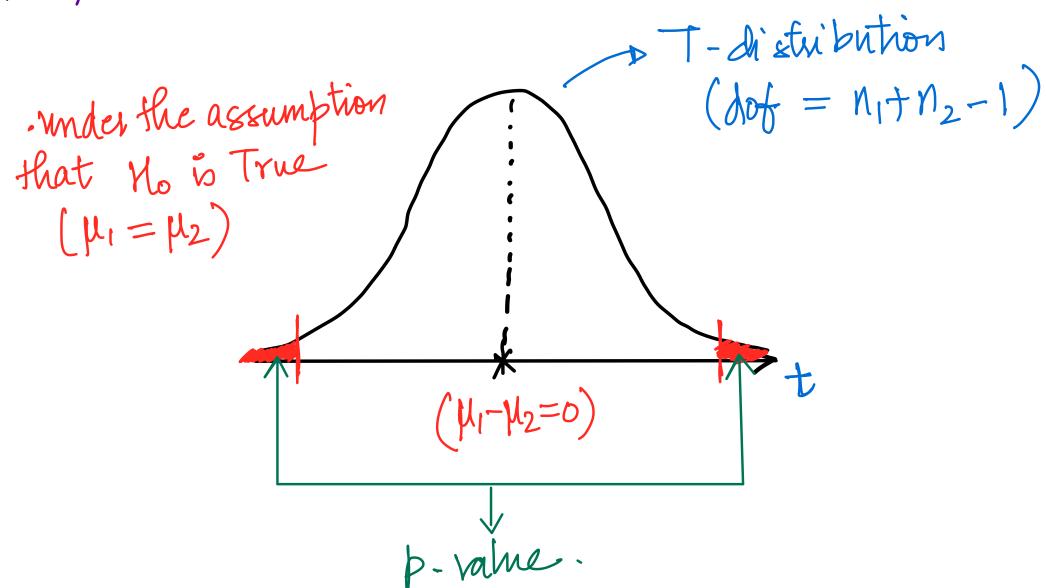
 H_0 : $mu_1 = mu_2$

 H_a : mu₁ \neq mu₂

• from data of drug, and drug
$$N_1=100$$
 $N_2=120$ — number of samples $M_1=7.1$ $M_2=8.07$ — sample mean $M_3=7.1$ $M_2=8.07$ — Sample storder $M_3=7.1$

$$t = \frac{(M_1 - M_2)}{\frac{8^2}{\sqrt{N_1} + \frac{8^2}{\sqrt{N_2}}}}$$

Two Tailed # p-value



26 p-value < x (lets say x=0.05).

We reject to (No statistically significant diff. If we mean recovery time of D, 9, D2).

And Conclude that there is statisfically significant diff. If w mean recovery time of DiaD2 Elese; failed to Reject Ho.

We ...-..