

2. Array

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• Array:

A linear array is a list of finite number of 'n' of homogeneous data element such that:

- The element of the array are referenced respectively by an index set consisting of n consecutive numbers.
- The element of the array are stored respectively in successive memory location.

• Syntax :- `int i [s]`

i is the name of an array of integer data type having size s.

• Length of Array :-

$$[UB - LB + 1]$$

$$\text{int } i[s]; \quad 1 + 0.5 \quad \therefore L = 1 - s + 1$$

$\downarrow \quad \quad \downarrow$
LB UB

e.g

An automobile company uses an array auto to record the number of automobile sold each year from 1932 to 1984. So identify no. of elements in an array auto.

1932 to 1984

↓
LB

↓
UB

$$\therefore L = UB - LB + 1$$

$$= 1984 - 1932 + 1$$

$$= 52 + 1$$

$$= 53$$

- Representation of Linear array in memory.

$$Loc(LA[K]) = Base(LA) + W(K - LB)$$

(LB)

(W.B)

e.g. Array Auto : 1932 to 1984

$$Base[Auto] = 200$$

W = 4 words per memory cell

K = 1965

$$Loc(Auto[1965]) = Base(Auto) + W(K - LB)$$

$$= 200 + 4(1965 - 1932)$$

$$= 200 + 4(33)$$

$$= 200 + 132$$

$$= 332$$

e.g.

$$Base[Auto] = 200$$

$$W = 4$$

$$K = 1933$$

$$\begin{aligned}
 \text{Loc}(\text{Auto}[1933]) &= \text{Base}(\text{Auto}) + W(K - LB) \\
 &= 200 + 4(1933 - 193) \\
 &= 200 + 4 \\
 &= 204
 \end{aligned}$$

e.g consider the linear array
 AAA (^L5 : ^U50)
 BBB (-5 : 10)
 CCC (18)

- a) find the no. of element in each array
 b) Suppose $\text{Base}(\text{AAA}) = 300$, $W = 4$ per memory cell. find the addresses of $\text{AAA}[15]$, $\text{AAA}[35]$, $\text{AAA}[55]$

Ans:- a)

i) Length of Array AAA [5 : 50]

$$= UB - LB + 1$$

$$= 50 - 5 + 1$$

$$= 45 + 1$$

$$= 46$$

ii) Length of Array BBB [-5 : 10]

$$= UB - LB + 1$$

$$= 10 - (-5) + 1$$

$$= 16$$

iii) CCC [18]

\therefore Length of AEEay = 18

b) Ans:-

i) AEEay AAA :- (50 to 50)

Base [AAA] :- 300

W :- 4

K :- 15

$$\begin{aligned} \text{Loc (Auto AAA [15])} &= \text{Base (AAA)} + W(K - LB) \\ &= 300 + 4(15 - 5) \\ &= 300 + 40 \\ &= 340 \end{aligned}$$

ii) AEEay AAA :- (50 to 50)

Base [AAA] :- 300

W :- 4

K :- 35

$$\begin{aligned} \text{Loc (AAA [35])} &= \text{Base [AAA]} + W(K - LB) \\ &= 300 + 4(35 - 5) \\ &= 300 + 4(30) \\ &= 300 + 120 \\ &= 420 \end{aligned}$$

Accessing each and every element exactly once

Traversing in an array

Brown
Devid
John
Smith
Wagner

Algorithm

Linear (LA, K, LB, UB)

- ① Set $K := LB$
- ② Repeat step ③ & ④ while $K \leq UB$
- ③ Apply ^{function of traversing} process to $LA[K]$
- ④ Set $K := K + 1$
- ⑤ Exit

Insertion in an array

APR 2021 1 Brown

2 Devid

3 John

APR 2021 4 Smith

5 Wagner

6

7

8

9

Insert \Rightarrow Fred

⇒ Here ^[LA] ~~LA~~ is an linear array with N elements and k is a positive integer such that $k \leq N$.

This algorithm insert an element item into k^{th} position in LA.

INSERT(LA, N, k, item) [J is counter variable]

- 1) Set $J = N$
- 2) Repeat Step ③ & ④ while $J \geq k$.
- 3) Set $LA[J+1] := LA[J]$
- 4) Set $J := J - 1$
- 5) Set $LA[k] := \text{item}$.
- 6) Set $N = N + 1$
- 7) Exit.

Deletion in an array

Here LA is an linear array with N elements and k is a positive integer such that $k \leq N$ this algorithm delete the k^{th} element from LA.

DELETE(LA, ^{④ ↑} k , N , item)

- 1) Set $\text{item} := LA[k]$ ^{copy} $LA[k]$
- 2) Repeat for $J := k$ to $N-1$

4 to 6

3) Set $LA[J] := LA[J+1]$

4) Set $N := N - 1$

5) Exit.

• Binary Search (ascending order)

Array :-

DATA = 11, 22, 30, 35, 40, 44, 55, 60, 66, 77, 80, 88, 99.

⇒ item = 40

(Begin) $L.B \Rightarrow 1$

(End) $U.B \Rightarrow 13$

$$mid = \frac{LB + UB}{2} = \frac{1 + 13}{2} = 7$$

DATA[7] = 55 \neq item

Now

item < data[mid]

40 < 55 (True)

End = mid - 1 $\Rightarrow 7 - 1 = 6$

② Beg $\Rightarrow 1$, End = 6

$$mid = \frac{Beg + End}{2} = \frac{1 + 6}{2} = 3.5 = 3$$

Data[3] = 30 \neq item.

item < data[item]

40 < 30 (False)

$$\text{Beg} \Rightarrow \text{mid} + 1 \Rightarrow 3 + 1 = 4$$

$$\textcircled{3} \quad \text{Beg} \Rightarrow 4 \quad \text{End} \Rightarrow 5$$

$$\text{mid} = \frac{4 + 5}{2} = \frac{10}{2} = 5$$

$$\text{DATA}[5] = 40 = \text{item}$$

Item is present in an array DATA at location 5.

IF (item < Data (mid))

2]

$$\text{item} = 77$$

$$\text{Begin} = 1$$

$$\text{End} = 13$$

$$\textcircled{1} \quad \text{Beg} = 1, \quad \text{End} = 13$$

$$\text{mid} = \frac{\text{Beg} + \text{End}}{2} = \frac{1 + 13}{2} = 7$$

$$\text{DATA}[7] = 55 \neq \text{item}$$

Now

$$\text{item} < \text{data}(\text{mid})$$

$$77 < 55$$

$$\text{Beg} \Rightarrow \text{mid} + 1 \Rightarrow 7 + 1 = 8$$

$$\textcircled{2} \quad \text{Beg} \Rightarrow 8, \quad \text{End} = 13$$

$$\text{mid} = \frac{8 + 13}{2} = \frac{21}{2} = 10.5 = 10$$

$$\text{DATA}[10] = 77 = \text{item}$$

Item is present in an array
of DATA at location 10

$$\underline{3)} \quad \text{item} = 100$$

$$\text{Begin} = 1$$

$$\text{End} = 13$$

$$\textcircled{1} \quad \text{Beg} = 1, \quad \text{End} = 13$$

$$\text{mid} = \frac{\text{Beg} + \text{End}}{2} = \frac{1 + 13}{2} = \frac{14}{2} = 7$$

$$\text{DATA}[7] = 55 \neq \text{item}$$

Now,

$$\text{item} < \text{data}[\text{mid}]$$

$$100 < 55$$

$$\text{Beg} \Rightarrow \text{mid} + 1 \Rightarrow 7 + 1 = 8$$

$$\textcircled{2} \quad \text{Beg} = 8, \quad \text{End} = 13$$

$$\text{mid} = \frac{8 + 13}{2} = \frac{21}{2} = 10.5 = 10$$

$$\text{DATA}[10] = 77 \neq \text{item}$$

Now,

$$\text{item} < \text{data}[\text{mid}]$$

$$100 < 77$$

$$\text{Beg} \Rightarrow \text{mid} + 1 \Rightarrow 10 + 1 = 11$$

$$(3) \quad \text{Beg} = 11 \quad \text{End} = 13$$

$$\text{mid} = \frac{11+13}{2} = \frac{24}{2} = 12$$

$$\text{DATA}[12] = 88 \neq \text{item}$$

Now

$$\text{item} < \text{data}(\text{item})$$

$$100 < 88$$

$$\text{Beg} \Rightarrow \text{mid} + 1 = 12 + 1 = 13$$

$$(4) \quad \text{Beg} = 13 \quad \text{End} = 13$$

$$\text{mid} = \frac{13+13}{2} = \frac{26}{2} = 13$$

$$\text{DATA}[13] = 99 \neq \text{item}$$

Now

$$\text{item} < \text{data}(\text{item})$$

$$100 < 88 \text{ } 99$$

$$\text{Beg} = \text{mid} + 1 = 13 + 1 = 14$$

$$\text{Beg} = 14 \quad \text{and} \quad \text{End} = 13$$

Since beginning is greater than end we cannot perform searching operation further 100 is not located in this series.

Algorithm.

BINARY [DATA, LB, UB, ITEM, LOC]

- 1) Set $BEG := LB$, $END := UB$,
 $MID = INT \left(\frac{BEG + END}{2} \right)$
- 2) Repeat Steps 3 & 4 While
 $BEG \leq END$ and $DATA[MID] \neq item$
- 3) if $ITEM < DATA[MID]$ then
 $END = mid - 1$
else
 $BEG = mid + 1$
- 4) Set $mid = INT \left(\frac{BEG + END}{2} \right)$
- 5) if $DATA[MID] = item$ then set
 $LOC := mid$ else
Set $LOC := Null$
- 6) Exit

* SortingBubble Sort :-

Let, A be a list of ~~an~~ n numbers.
 Sorting A refers to the operation
 of rearranging the elements of A.
 So they are in increasing order.

Q.1 32, 51, 27, 85, 66, 23, 13, 57.

Pass-I \rightarrow 32, 51, 27, 85, 66, 23, 13, 57
 32, 51, 27, 85, 66, 23, 13, 57
 C = 7 32, 27, (51), 85, 66, 23, 13, 57
 I = 5 32, 27, 51, 85, 66, 23, 13, 57
 32, 27, 51, 66, (85), 23, 13, 57
 32, 27, 51, 66, 23, (85), 13, 57
 32, 27, 51, 66, 23, 13, (85), 57
 32, 27, 51, 66, 23, 13, 57, (85)

Pass-II \rightarrow 32, 27, 51, 66, 23, 13, 57, 85
 27, (32), 51, 66, 23, 13, 57, 85
 C = 6 27, 32, 51, 66, 23, 13, 57, 85
 I = 4 27, 32, 51, 66, 23, 13, 57, 85
 27, 32, 51, 23, (66), 13, 57, 85
 27, 32, 51, 23, 13, (66), 57, 85
 27, 32, 51, 23, 13, 57, (66), 85
 27, 32, 51, 23, 13, 57, 66, 85

Pass III \rightarrow 27, 32, 51, 23, 13, 57, 66, 85

27, 32, 51, 23, 13, 57, 66, 85

C = 5 27, 32, 51, 23, 13, 57, 66, 85

I = 2 27, 32, 23, (51), 13, 57, 66, 85

27, 32, 23, 13, (51), 57, 66, 85

27, 32, 23, 13, 51, (57), 66, 85

Pass IV \rightarrow 27, 32, 23, 13, 51, 57, 66, 85

27, 32, 23, 13, 51, 57, 66, 85

C = 4 27, 23, (32), 13, 51, 57, 66, 85

I = 2 27, 23, 13, (32), 51, 57, 66, 85

27, 23, 13, 32, (51), 57, 66, 85

Pass V \rightarrow 27, 23, 13, 32, 51, 57, 66, 85

23, (27), 13, 32, 51, 57, 66, 85

I = 2 23, 13, (27), 32, 51, 57, 66, 85

C = 3 23, 13, 27, 32, 51, 57, 66, 85

Pass VI \rightarrow 23, 13, 27, 32, 51, 57, 66, 85

C = 2 13, (23), 27, 32, 51, 57, 66, 85

I = 1 13, 23, 27, 32, 51, 57, 66, 85

Pass VII \rightarrow 13, 23, 27, 32, 51, 57, 66, 85

C = 1

I = 0

 \therefore comparisons = $7 + 6 + 5 + 4 + 3 + 2 + 1 = 28$ Interchange = $5 + 4 + 2 + 2 + 3 + 2 + 1 = 10$

= 16

Q.2 FOREST

Pass I :- F O R E S T

F O R E S T

C = 5 F O R E S T

I = 1 F O E (R) S T

F O E R S (T)

Pass II :- F O E R S T

F O E R S T

C = 4 F E (O) R S T

I = 1 F E O R S T

F E O R (S) T

Pass III :- F E O R S T

E (F) O R S T

C = 3 E F O R S T

I = 1 E F O (R) S T

Pass IV :- E F O R S T

E F O R S T

C = 2 E F (O) R S T

I = 0 E F (O) R S T

Pass V :- E F O R S T

E F O R S T

C = 1 E F O R S T

I = 0 E F O R S T

 \therefore Comparisons = $5 + 4 + 3 + 2 + 1 = 15$ Interchange = $1 + 1 + 1 + 0 + 0 = 3$ The complexity of bubble sort algorithm is $O(n^2)$

Bubble Sort (DATA, N)

Here DATA is an array with 'N' elements. this algorithm sort the elements in DATA.

BUBBLE (DATA, N)

1) Repeat Step 2 and 3 for $K = 1$ to $N-1$ Passes

2) Set $PTR = 1$ for $K=1$ to $N-1$

3) Repeat while $PTR \leq N-K$ false

a) if $DATA[PTR] > DATA[PTR+1]$
then interchange $DATA[PTR]$ &
 $DATA[PTR+1]$

b) Set $PTR = PTR + 1$ (increment)

4) Exit

Q. 1 PEOPLE

\Rightarrow Pass - I \rightarrow P E O P L E

E (P) O P L E

C = 5

E (O) (P) P L E

I = 4

E O P P L E

E O P L (P) E

E O P L E (P)

Pass - II \rightarrow E O P L E P

(E) (O) P L E P

C = 4

(E) (O) P L E P

I = 2

(E) (O) L (P) E P

(E) (O) L E (P) (P)

PASS - III \rightarrow E O L E P P
 E O L E P P
 C = 3 E L (O) E P P
 I = 2 E L E (O) [P] P
 E L E [O] P P

PASS - IV \rightarrow E L E O P P
 E L E O P P
 C = 2 E E (L) O P P
 I = 1

PASS - V \rightarrow E E L O P P
 E E L O P P
 C = 1
 I = 0

$$\text{Total Comparison} = 5 + 4 + 3 + 2 + 1 = 15$$

$$\text{Total Interchange} = 0 + 1 + 2 + 2 + 0 = 5$$

The complexity of Bubble Sort Algorithm is $O(n^2)$

Q. TADOB A

⇒ we apply the bubble sort to the string TADOB A

Pass I :-

C = 5

I = 5

T A D O B A
A (T) D O B A
A D (T) O B A
A D (O) (T) B A
A D O B (T) A
A D O B A (T)
A D O B A (T)

At the end of first pass the Biggest alphabet (T) Take it's position

Pass II :- A D O B A T

A D O B A T

C = 4

A D O B A T

I = 2

A D B (O) A T

A D B A (O) T

Pass III :- A D B A O T

A D B A O T

C = 3

A B (D) A O T

I = 2

A B A (D) O T

Pass IV :- A B A D O T

A B A D O T

C = 2

A A (B) D O T

I = 1

Pass V :- A A B D O T

A A B D O T

C = 1

I = 0

$$\therefore \text{Total comparison} = 1 + 2 + 3 + 4 + 5 \\ = 15$$

$$\text{Total Interchanges} = 0 + 1 + 2 + 2 + 5 \\ = 10$$

The complexity of bubble sort algorithm is $O(n^2)$

* Multidimensional Array.

1) Two dimensional Array :-

A two dimensional $m \times n$ array A is a collection of $m \times n$ data elements such that each element is specified by a pair of integers called subscript with the property that $1 \leq j \leq m$ and $1 \leq k \leq n$.

The element of A with first subscript j and second subscript k will be denoted by A_{jk} or $A[j, k]$.

Two dimensional array are called matrices in mathematics.

• Memory Representation of two dimensional Array.

$$\text{int } A[3, 3] \rightarrow \begin{array}{|c|} \hline \begin{array}{ccc} \downarrow^1 & \downarrow^2 & \downarrow^3 \\ (1,1) & (1,2) & (1,3) \\ (2,1) & (2,2) & (2,3) \\ (3,1) & (3,2) & (3,3) \end{array} \\ \hline \end{array} \begin{array}{l} \leftarrow^1 \\ \leftarrow^2 \\ \leftarrow^3 \end{array}$$

$R \quad C$

Row	column
$A(1,1)$	$A(1,1)$
$A(1,2)$	$A(2,1)$
$A(1,3)$	$A(3,1)$
\vdots	\vdots
$A(3,3)$	$A(3,3)$

Formulae :-

Column :-

$$\text{Loc}(A[J, K]) \Rightarrow \text{Base}(A) + W [M(K-1) + (J-1)]$$

Row :-

$$\text{Loc}(A[J, K]) \Rightarrow \text{Base}(A) + W [N(J-1) + (K-1)]$$

Ex. consider

Formulae :-

Column :-

$$\text{Loc}(A[J, K]) \Rightarrow \text{Base}(A) + W [M(K-1) + (J-1)]$$

Row :-

$$\text{Loc}(A[J, K]) \Rightarrow \text{Base}(A) + W [N(J-1) + (K-1)]$$

Ex. Consider [25, 4] Array score.
suppose Base of score = 200 and
there are $W=4$ words per memory
cell. Further more suppose programming
language store 2D array using row
major order. Then determine address
of score [12, 3]

$$\Rightarrow \text{Score} [25, 4]$$

$$\text{Loc}[\text{score}(12, 3)] = \text{Base}(\text{score})$$

$$+ W [N(J-1) + (K-1)]$$

$$= 200 + 4 [4(12-1) + (3-1)]$$

$$= 200 + 4 [46]$$

$$= 384$$

• Multidimensional Array :-

More than 2 dimensional is
called as Multidimensional array

Ex. Suppose a 3-D array MAZE is
use declaring

$$\text{MAZE} (2:8, -4:1, 6:10)$$

Then the length of 3 dimensional
array MAZE (2:8, -4:1, 6:10)



$$L_1 = UB - LB + 1 \rightarrow 8 - 2 + 1 = 7$$

$$L_2 = 6 \quad L_3 = 5$$

$$L = L_1 \times L_2 \times L_3$$

$$L = 7 \times 6 \times 5$$

$$L = 210$$

Suppose programming language store MAZE in memory row major order
 & suppose base of MAZE = 200 & $w = 4$ words per memory cell then

identify address of MAZE [5 -1 8]
 To identify address of MAZE (5 -1 8) will need effective indices

$$\Rightarrow \text{Base [MAZE]} = 200 \quad W = 4$$

$$\text{MAZE} = [5 \ -1 \ 8]$$

$$E_1 = 5 - L.B = 5 - 2 = 3$$

$$E_2 = -1 - (-4) = 3$$

$$E_3 = 8 - 6 = 2$$

Row major order

$$\Rightarrow (E_1 L_2 + E_2) L_3 + E_3$$

$$= (3 \times 6 + 3) 5 + 2$$

$$= 21 \times 5 + 2$$

$$= 107$$

$$\text{LOC [MAZE (5 -1 8)]} = \text{Base (MAZE)}$$

$$+ W (107)$$

$$= 200 + 4 (107)$$

$$= 200 + 428$$

$$= 628$$

Suppose multidimensional array A and B are declared using
 $A(-2:2, 2:22)$ $B(1:8, -5:5, -10:5)$

- 1) Find length of each dimension and no of element in A & B
- 2) Consider element $B[3, 3, 3]$
 Find effective indices

Base of B = 400, and $W=4$
 words per memory cell
 using column major.

$A(-2:2, 2:22)$

$$\Rightarrow L_1 = 2 - (-2) + 1 = 5$$

$$L_2 = 22 - 2 + 1 = 21$$

$$L = 5 \times 21 = 105$$

$B(1:8, -5:5, -10:5)$

$$L_1 = 8 - 1 + 1 = 8 \quad L_2 = 5 - (-5) + 1 = 11$$

$$L_3 = 5 - (-10) + 1 = 16$$

$$L' = L_1 \times L_2 \times L_3$$

$$L' = 8 \times 11 \times 16 = 1408$$

$$B = 3 - 2 = 2 = E_1$$

$$E_2 = 3 + 5 = 8$$

$$E_3 = 3 + 10 = 13$$

$$\text{Column major} = (E_3 L_2 + E_2) L_1 + E_1$$

$$= (13(11) + 8)11 + 2$$

$$= 1663$$

- 1) Consider a multi-dimensional array $X(-5:5, 3:33)$
 $Y(3:10, 1:15, 10:20)$

Find the length of each dimension and number of elements in X and Y .

- 2) Suppose $\text{Base}(Y) = 400$
 $W = 4$ Determine effective indices E_1, E_2, E_3 and address of $Y[5, 10, 15]$
 Assuming - 1) Y is stored in row major measured order
 2) Y is stored in column major measured order.

Ans 1) For X

$$L_1 = 5 - (-5) + 1 = 11$$

$$L_2 = 33 - 3 + 1 = 31$$

$$\begin{aligned} \text{No. of elements in } X &= L_1 L_2 \\ &= 11 \times 31 = 341 \end{aligned}$$

2) For Y

$$L_1 = 10 - 3 + 1 = 8$$

$$L_2 = 15 - 1 + 1 = 15$$

$$L_3 = 20 - 10 + 1 = 11$$

$$\begin{aligned} \text{No. of elements in } Y &= L_1 L_2 L_3 \\ &= 8 \times 15 \times 11 \\ &= 1320 \end{aligned}$$

Ans 2) For Effective indices

$$E_1 = 5 - 3(LB) = 2$$

$$E_2 = 10 - 1 = 9$$

$$E_3 = 15 - 10 = 5$$

For Row major order

$$\text{Row major} \Rightarrow (E_1 \cdot L_2 + E_2) L_3 + E_3$$

$$\Rightarrow (2 \times 15 + 9) 11 + 5$$

$$= 39 \times 11 + 5$$

$$= 429 + 5$$

$$= 434$$

Row ^{major} ~~minor~~ $Y[5 \ 10 \ 15]$

$$= \text{Base}(Y) + w(434)$$

$$= 400 + 4(434)$$

$$= 400 + 1736$$

$$= 736 \quad 2136$$

order

For Column major $\Rightarrow (E_3 \cdot L_2 + E_2) L_1 + E_1$

$$= (5 \times 15 + 9) 8 + 2$$

$$= (75 + 9) 8 + 2$$

$$= 84 \times 8 + 2$$

$$= 672 + 2$$

$$= 674$$

Column major $Y[5 \ 10 \ 15]$

$$= \text{Base}(Y) + w(674)$$

$$= 400 + 4 \times 674$$

$$= 400 + 2696$$

$$= 3096$$

• Record Structure

Collection of Data are frequently organized into a higher field, record and file. Specifically record is a collection of similar data atom each of which is called field or attribute and a file is a collection of similar record. Although a record is collection of data atom. it differs from the linear array in the following ways.

A record may be a collection of non-homogenous

② The Data atom in a record are index by attribute names, so there may not be a natural ordering of it's element.

* e.g. consider a hospital keeps a record on each new-born baby which contain the following data atoms :-

Name, gender, birth date, mother, father. Suppose that birth date is a group atom with subatom, month, day, and year. father

6 mother also are group atom each with sub atom name and age Draw the Encoded structure

- Ans:-
1. Newborn baby (20) → if mention of the then write
 2. Name
 2. Gender
 2. Birth day
 3. day
 3. month
 3. Year
 2. Father
 3. Name
 3. age
 2. Mother
 3. Name
 3. age

To access the information of babies
Newborn · father · Name · (6)

- Q. The following is an list of entry with a level number in a Student Encoded.
One student, 1000 number, 1000 name, 3 class, 3 First, 3 Middle name, 2 gender, 2 birthday, 3 day, 3 month, 3 year, 2 test, 3 math, 3 verbal.
- i) Draw the corresponding

Structure

iii) which of the atoms are elementary atoms.

- Soln:- i)
1. Student
 2. Number
 2. Name
 3. Last
 3. First
 3. Middle
 2. Gender
 2. Birthday
 3. Day
 3. month
 3. Year
 2. Test
 3. Math
 3. Verbal

ii) => Number, Gender, Last, First, middle, Day, month, year, Math, and Verbal

Q. A college uses following structure for graduating class.

1. Student [200]
 2. Name
 3. First Name
 3. Middle Name
 3. Last Name

2. Major

2. Sat

3. Math

3. Verbal

2. GPA (4)

2. COM

- i) How many elementary atoms are there in the file.
- ii) a) How does one access the major of eighth student.
- ii) b) The sophomore GPA of 45th student.
- iv) c) Find each output.
- a) Write : Name [5]
 - b) Write : COM
 - c) Write : GPA [2]
 - d) Write : GPA [1, 3]

Ans:- i) Since GPA is counted 4 times per student there are 11 elementary atom per student therefore the total no. of elementary atom in record student - 11×200
= 2200

ii) Student.Major [8]

iii) Student.GPA [45, 2]

iv) → a) It will print the name of 15th student.

b1

- Representation of polynomial using array.

The polynomial expression $3x^4 + 5x^3 + 6x^2 + 10x - 14$ can be stored in a single dimension array as follows.

0	-14
1	10
2	6
3	5
4	3

- Pointer and pointer array.

Let DATA be any array a variable p is called pointer if p points to an element in data. i.e. if p

contain address of an element in DATA. and An array PTR is called called pointer array if each element of PTR is a pointer. pointer and pointer array are use to facilitate the processing of the information in data. consider an Organisation which divide its membership into four groups where each group contain an alphabetical list of those members living in certain area.

Group 1 Group 2 Group 3 Group 4

Even

Conrad

Davis

Baker

felt

Segal

Cooper

Levis

glass

Ford

Hill

Gray

King

Jones

Pew

Reed

Silver

Tay

Wagner

Group 1

Group 2

Group 3

Group 4

Evan

Harris

Levis

Shawn

Conrad

Felt

Glass

Hill

King

Paen

Silver

Troy

Wagner

Davis

segal

Baker

Cooper

Ford

Gray

Jones

Reed

E

H

L

S

C

F

K

H

K

P

S

T

W

D

S

.

.

.

Evan

Harris

Levis

Shawn

\$\$\$ → End of Group 1

C

F

G

H

K

P

S

T

W

\$\$\$ → End of Group 2

D

S

\$\$\$

Member

	1	E
	2	H
	3	L
	4	S
	5	C
GROUP	6	F
	7	G
1	8	H
5	9	K
134	10	P
16	11	S
	12	T
	13	W
	14	D
	15	S
	16	B
	17	C
	18	F
	19	G
	20	J
	21	R
		\$\$\$

GROUP

1
7
19
28

NUMB

4
9
2
6

Free

2
3
2
4

1	E
2	H
3	I
4	S
5	
6	
7	C
8	F
9	G
10	H
11	K
12	P
13	S
14	T
15	W
16	
17	
18	
19	D
20	S
21	
22	
23	
24	
25	B
26	C
27	F
28	G
29	J
30	R

GROUP (3)

The dollar sign comes at the end of array.