Course

Progress

Discussion Forum

☆ Course / Week 7: Robot Arms - Cartesian Control / Project 4



Project 4 due Nov 29, 2020 18:30 EST Completed

ACADEMIC HONESTY

As usual, the standard honor code and academic honesty policy applies. We will be using automated **plagiarism detection** software to ensure that only original work is given credit. Submissions isomorphic to (1) those that exist anywhere online, (2) those submitted by your classmates, or (3) those submitted by students in prior semesters, will be detected and considered plagiarism.

Project 4 Description

In this project you will apply what you have learned about differential kinematics, the numerical computation of the Jacobian and singularity avoidance. You will write a Cartesian controller for the same 7-joint robot arm that you already know from the last project. This controller will allow you to **interactively move the end-effector** by dragging around an interactive marker.

As the robot has 7 joints, it has a redundancy and you can also implement the null-space control. In this assignment, the goal of null-space control is to change the value of the first joint (thus turning the "elbow" of the robot) without affecting the pose of the end-effector (specified above as a primary goal). However, **null-space control implementation is optional and will not be part of the grade**. We still encourage you to test your understanding of the concepts by implementing it, without having to hit specific targets for the grade.

The cartesian control (...) function

You are given starter code that includes a <code>cartesian_control</code> package, which in turn contains the <code>cartesian_control.py</code> file you must edit. Specifically you must complete the <code>cartesian_control</code> function. The arguments to this function are all the parameters you need to implement a Cartesian controller:

- joint_transforms: a list containing the transforms of all the joints with respect to the base frame. In other words, joint_transforms[i] will contain the transform from the base coordinate frame to the coordinate frame of joint i.
- b T ee current: current transform from the base frame to the end-effector
- b_T_ee_desired: desired transform from the base frame to the end-effector

In addition, the parameters below are relevant only if you are also choosing to implement null-space control:

- red_control: boolean telling you when the Cartesian Controller should take into account the secondary objective for null-space control. This is only set to True when the user interacts with the control marker dedicated to the first joint of the robot.
- q_current: list of all the current joint positions
- q0_desired: desired position of the first joint to be used as the secondary objective for null-space control. Again, the goal of the secondary, null-space controller is to make the value of the first joint be as close as possible to q0_desired, while not affecting the pose of the end-effector.

The function must return a set of joint velocities such that the end-effector moves towards the desired pose. If you are also implementing null-space control and $red_control$ is set to true, the joint velocities must also attempt to bring q[0] as close to $q0_desired$ as possible, without affecting the primary goal above.

Algorithm Overview

The problem we are aiming to solve with a Cartesian controller is the following: If we have a robot that allows us to directly set joint velocities, what velocities do we set such that the robot achieves a desired end-effector position? The algorithm follows the steps presented in detail in the lectures and recapped in the lecture video "Putting It All Together: Cartesian Control". Given the parameters listed above, a high level overview of the algorithm to achieve this could be:

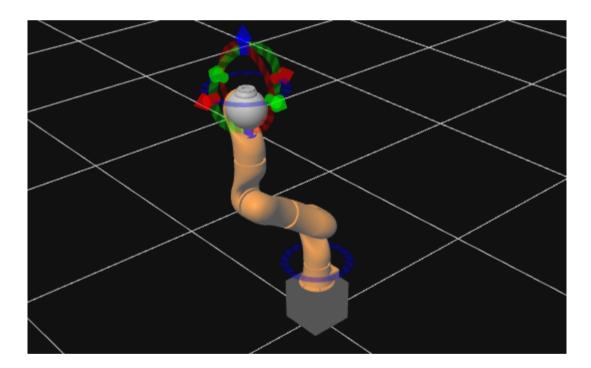
• compute the desired change in end-effector pose from b_T_ee_current to b_T_ee_desired. A couple of important points: a) at some point, you will need to go from a desired rotation expressed as a rotation matrix to

the same desired rotation expressed as 3 numbers (rotations around the x, y and z axes). In the same file, you will find a helper function called rotation_from_matrix() that, given a rotation expressed as a matrix, gives you the same rotation expressed as an angle around an axis in space. You might find this function helpful. b) it is also important to remember that, eventually, you will need to compute the desired pose change of the end-effector expressed in its own coordinate frame, not in the base frame.

- convert the desired change into a desired end-effector velocity. This is essentially a velocity controller in end-effector space. The simplest form could be a proportional controller, where the velocity is equal to the desired change scaled by a constant. You also might want to normalize the desired change if it is larger than a certain threshold to obtain a maximum end-effector velocity (e.g. 0.1 m/s and 1 rad/s)
- Numerically compute the robot Jacobian. For each joint compute the matrix that relates the velocity of that joint to the velocity of the end-effector in its own coordinate frame. Assemble the last column of all these matrices to construct the Jacobian
- Compute the pseudo-inverse of the Jacobian. Make sure to avoid numerical issues that can arise from small singular values
- Use the pseudo-inverse of the Jacobian to map from end-effector velocity to joint velocities. You might want to scale these joint velocities such that their norm (or their largest element) is lower than a certain threshold
- If you are not implementing null-space control, you can return these joint velocities.
- If you choose to implement null-space control of the first joint, find a joint velocity that also brings that joint closer to the secondary objective. Use the Jacobian and its pseudo-inverse to project this velocity into the Jacobian nullspace. Be careful to use the 'exact' version of the Jacobian pseudo-inverse, not its 'safe' version. Then add the result to the joint velocities obtained for the primary objective
- Return the resulting joint velocities, which will then be sent to the robot

Setup

As in the previous project, please make sure that the first thing you do in your workspace is to <code>source</code> the <code>'setup_project4.sh'</code> script. This starts up the simulated robot and the interactive controls you can use to move it. You can now press the 'Connect' button and you should see both the robot and the controls.



Grading/ Debug

After you have completed the Cartesian controller, you can run your code using rosrun cartesian_control cartesian_control.py and use the interactive controls to move the robot around. What you should see is that the robot moves such that the end-effector follows where you drag your mouse. The behavior should resemble the demo shown in the lecture videos. In particular, when you stretch the robot all the way out (get close to a singularity) there should be no sudden jerks or jumps.

For this project, we will also give you a piece of grader code that you can use to test your controller. You can right-click on the interactive control and click 'run grader'. This will set goals for the robot and wait for it to reach them. The first goal will involve a pure translation, the second a pure rotation and the final a combination of translation and rotation. The grader will wait for the robot to reach each goal for 10 seconds. If the robot does not reach a goal in time it will time out and the grader will continue with the next goal. If your robot moves towards the goal but does not reach it in time, consider increasing the gain on your velocity controller or increasing the safety thresholds on end-effector and joint velocities.

If you submit your project before November 15th 2020, 23:30 UTC, you will earn an early submission bonus. The maximum number of points you can earn in the class is still 100. The project's final due date is November 29th 2020. 23:30 UTC.

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